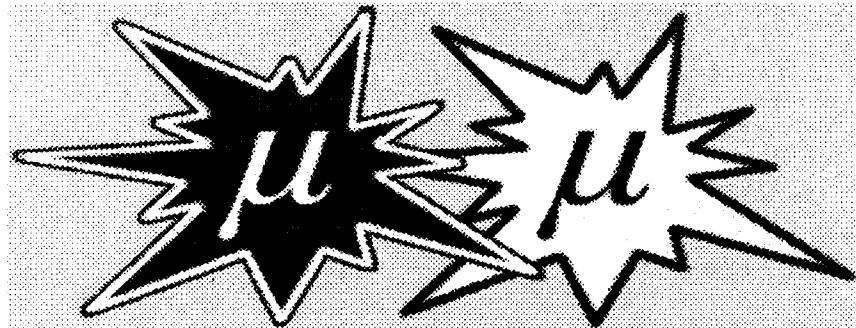


2nd Mini-Workshop on Higgs Factory: Lattice and Detector

UCLA

February 12 and 13, 1998



Organizers:

**M. Atac
D. Cline
A. Garren
K. Lee**

Transparency Book

Workshop Participants:

ATAC, MUZAFFER
Fermilab, MS222
P.O. Box 500
Batavia, IL 60510
MAtac@fnal.gov

CLINE, DAVID B.
University of California, Los Angeles
Physics & Astronomy Department
Box 951547
Los Angeles, CA 90095-1547
Dcline@physics.ucla.edu

GARREN, AL
Lawrence Berkeley National Laboratory
Accelerator & Fusion Research Div.
1 Cyclotron Rd.
Berkeley, CA 94720
Garren@csa.lbl.gov

JOHNSTONE, CAROL
Fermilab, MS345
P.O. Box 500
Batavia, IL 60510
Johnstone@adcalc.fnal.gov

LEE, KEVIN
University California, Los Angeles
Phys. & Astro. Dept.
405 Hilgard Ave.
Los Angeles, CA 90095-1547
KLee@physics.ucla.edu

PALMER, ROBERT
Brookhaven National Laboratory
Director's Office, Bldg. 901 A
P.O. Box 5000
Upton, NY 11973-5000
Palmer@bnl.gov

WAN, WEISHI
Fermilab, MS345
P.O. Box 500
Batavia, IL 60510
Wan@fnal.gov

Contributed Transparencies:

PARSA, ZOHREH
Brookhaven National Laboratory
Director's Office, Bldg. 901 A
P.O. Box 5000
Upton, NY 11973-5000
Parsa@bnl.gov

Table of Contents

Muon Collider - Transverse Cooling, <i>R. Palmer</i> (BNL) · · · · ·	1
Scientific Arguments for a Higgs Factory Muon Collider, <i>D. Cline</i> (UCLA) · · · · ·	9
Luminosity Requirement for Higgs Resonance Studies · · · · · at the First Muon Collider, <i>Z. Parsa</i> (BNL)	39
Higgs Factory Collider Ring Lattice Lattice Studies, <i>A. Garren</i> (UCLA/LBNL) · · · · ·	48
50 GeV Lattice Studies, <i>C. Johnstone</i> (FNAL) · · · · ·	61
Tracking Study, <i>W. Wan</i> (FNAL) · · · · ·	78
Detector Concept of High Luminosity Muon Colliders, <i>M. Atac</i> (UCLA/FNAL) · · · · ·	79

R. Palmer (BNL)

TRANSVERSE COOLING

- Energy Loss lowers ϵ_{\perp}
- Coulomb Scattering Increases ϵ_{\perp}
- At Equilibrium:

$$\epsilon_{\perp}(Eq) = \beta_{\perp} \frac{14 \text{ MeV}}{2\beta_v L_R dE/dx}$$

- Need:
 - Low Z material ($H_2 > Li > Be$)
 - Low β_{\perp}
- e.g. If

Material = Hydrogen/Lithium/Beryllium

p = 180 MeV

Cooling = 3/4 Max. ($\epsilon_{\perp} = 4 \times \epsilon_{equ}$)

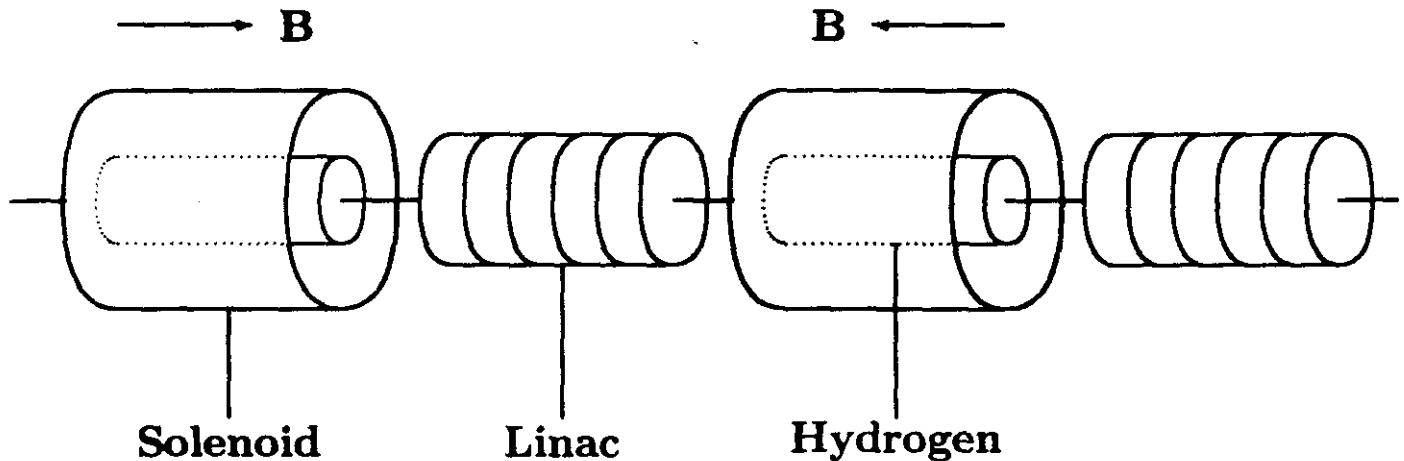
Acceptance = 4 × rms,

$$\theta_{acceptance} = \frac{A}{\sigma_{\theta}} \times \sqrt{\frac{\epsilon_{\perp}}{\epsilon_{equilib}}} \frac{14 \text{ MeV}}{2\gamma \beta_v^2 L_R dE/dx}$$

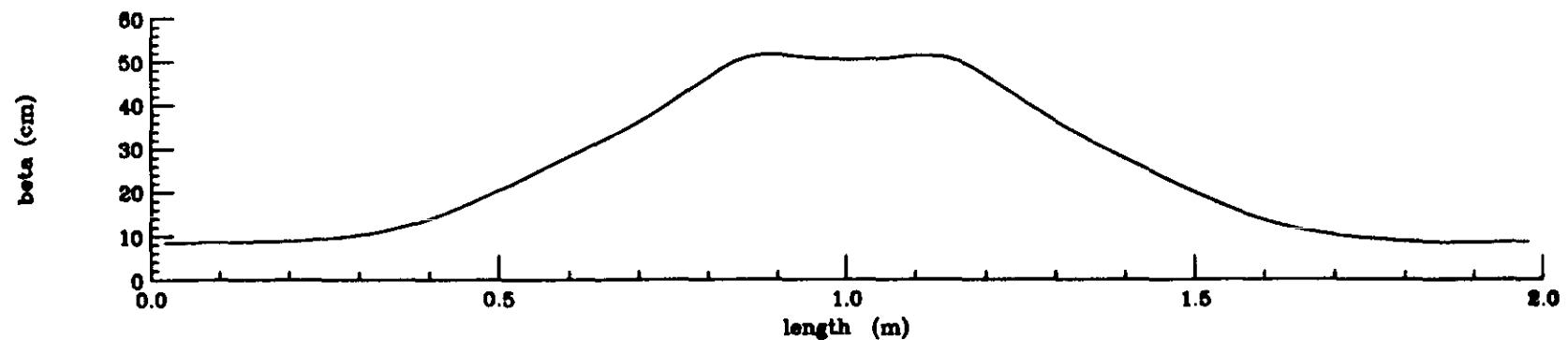
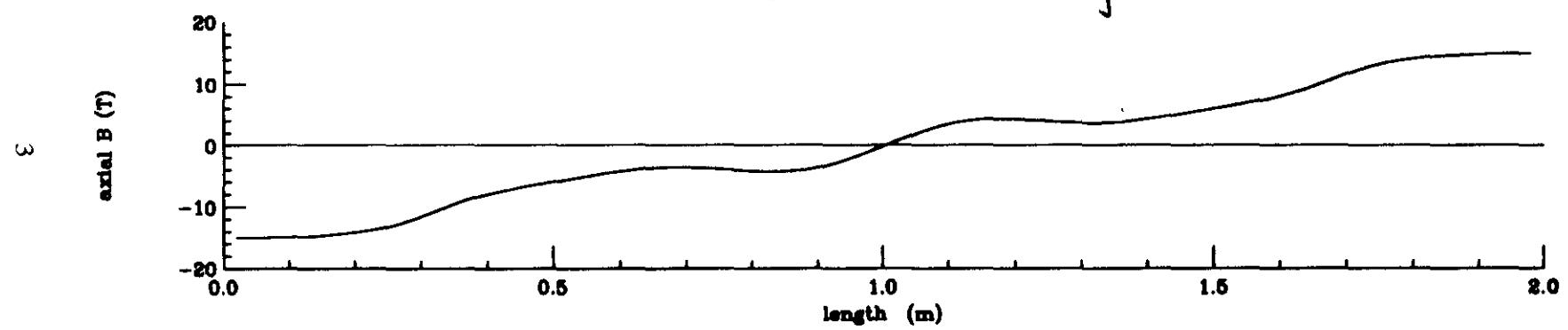
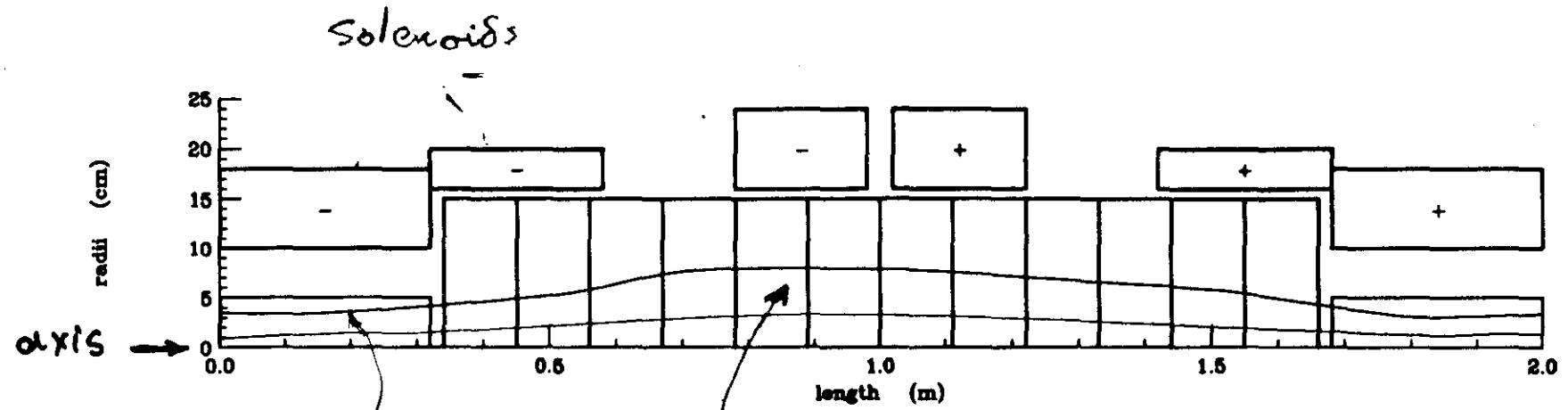
$\approx 0.35_H / 0.5_{Li} / 0.6_{Be}$ radians

HOW TO GET LOW β_{\perp}

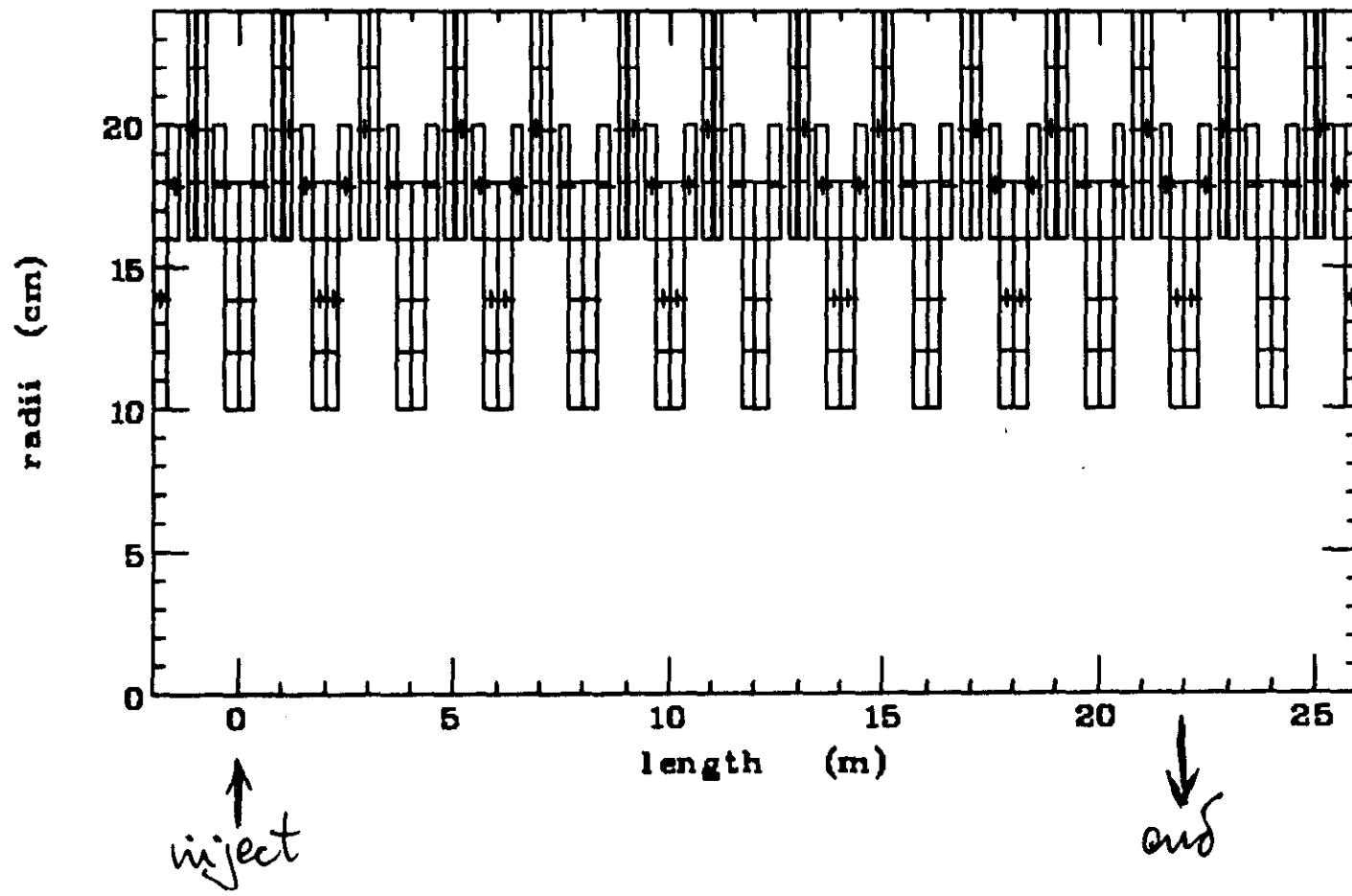
- Alternating solenoids



- B must alternate to avoid
Canonical Ang. Mom. buildup
- Problem is to match between reversals



4



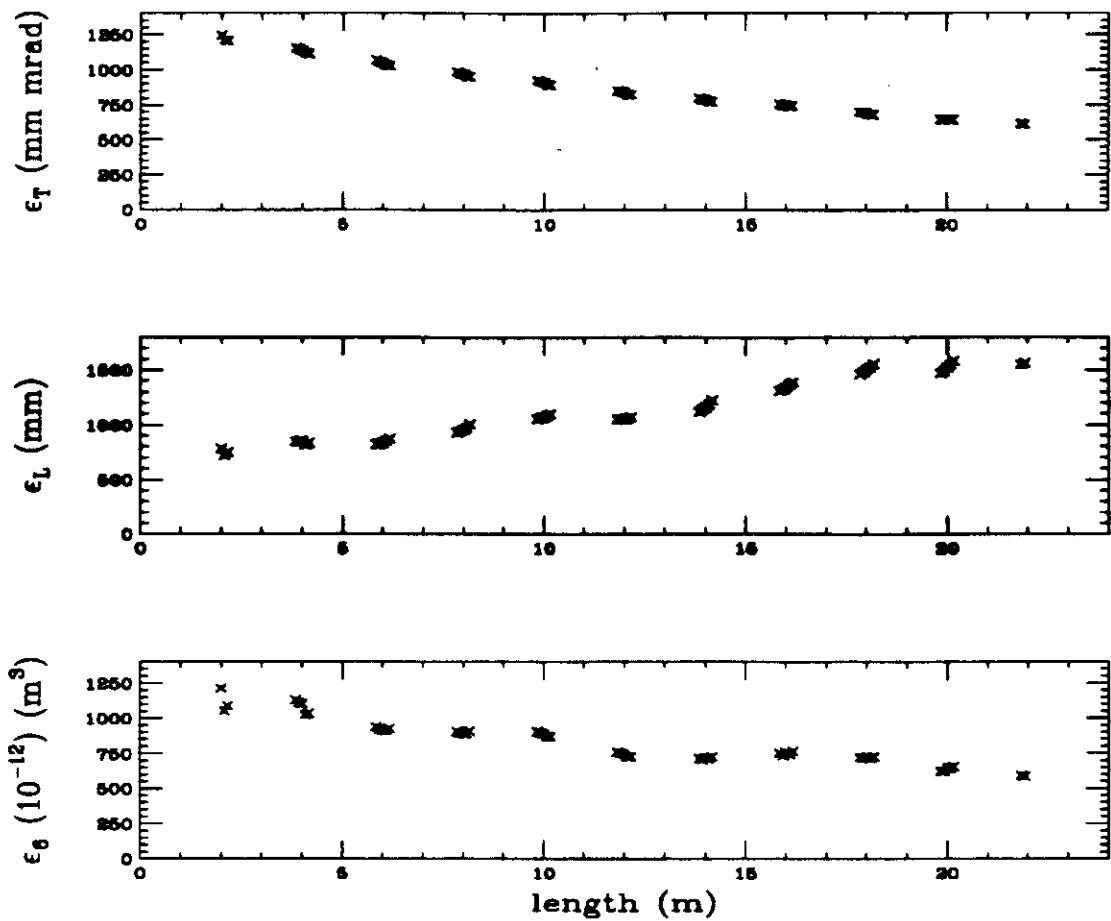
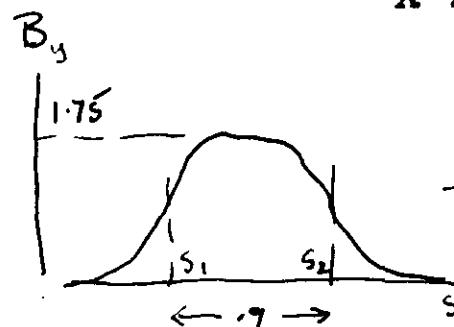
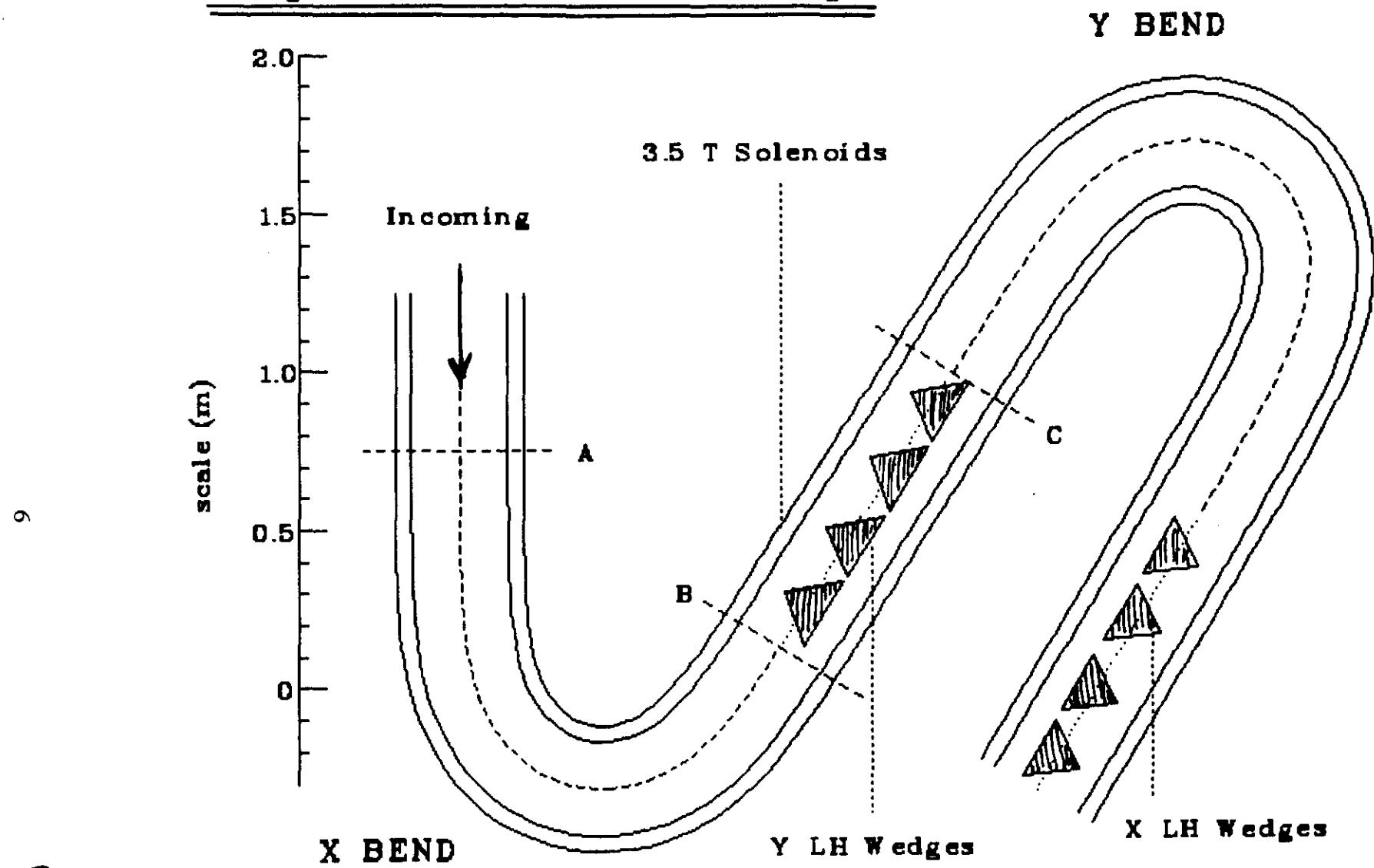


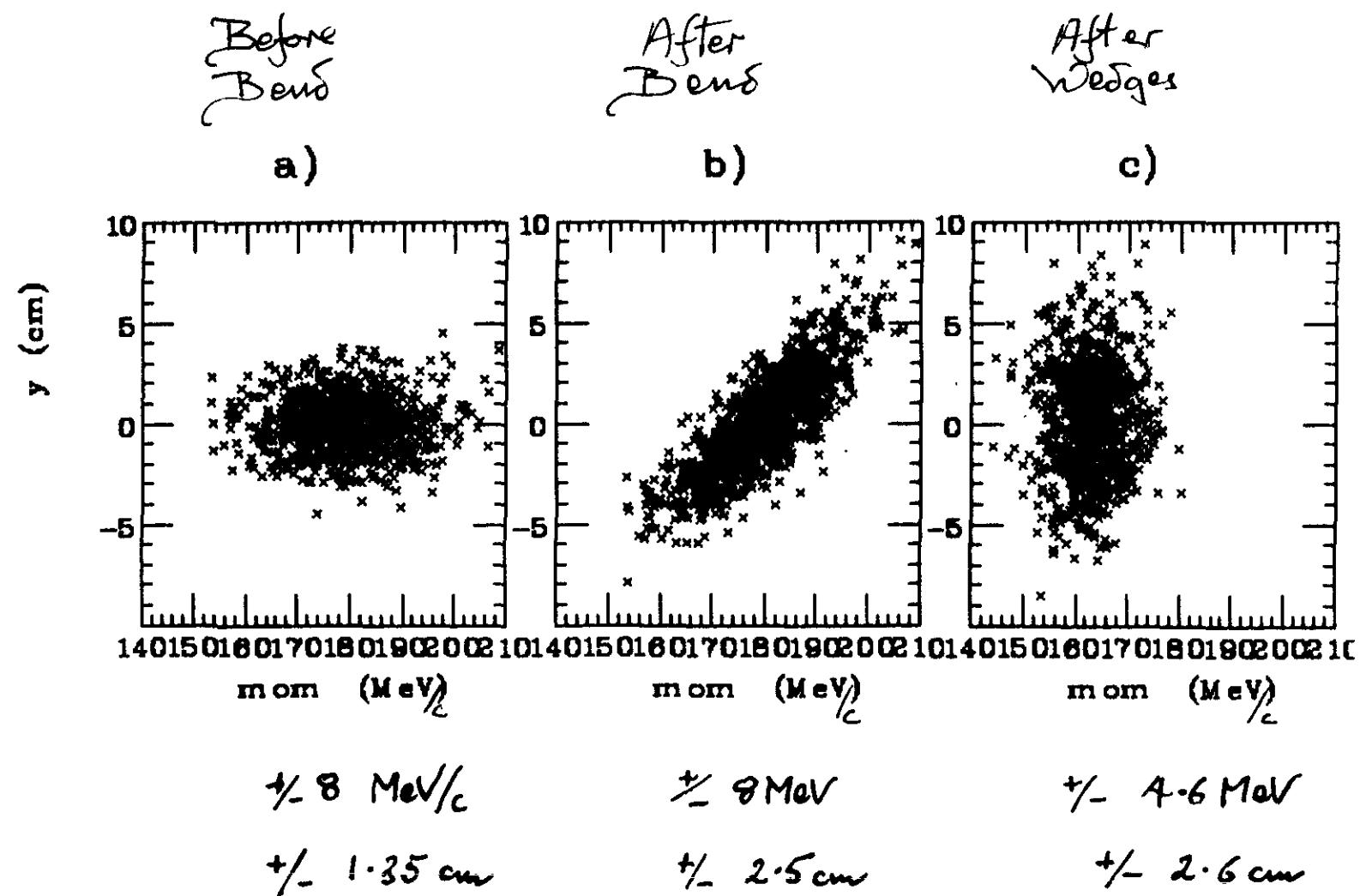
FIGURE 4. emittance vs. length in 10 alternating solenoid cells; TOP: transverse emittance; MIDDLE: longitudinal emittance; and BOTTOM: 6-dimensional emittance

Longitudinal Emittance Exchange



$$B_y = -\frac{1}{2} \left\{ \tan \left(\frac{s_1 - s_0}{\Gamma} \right) - \tan \left(\frac{s_2 - s_0}{\Gamma} \right) \right\}$$

$\Gamma = .3$



COOLING SYSTEM

- Initial 6D emittance $\approx 1.5 \cdot 10^{-4} (\pi m)^3$
- Final 6D emittance $\approx 1.7 \cdot 10^{-10} (\pi m)^3$

Reduction $\approx 10^6$

- 6D emittance reduction/stage
 ≈ 2
- Typical length 20 m
- Trans Cool & Long Exch Alternate

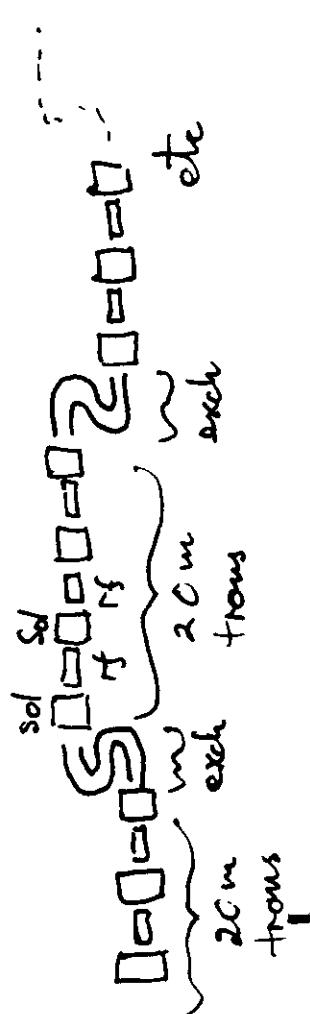
Number of stages ≈ 20

Total Length ≈ 500 m

Momentum ≈ 180 MeV/c

Decay Loss $\approx 36\%$

- Parameters awaiting ~~Exch~~ Design vs. ϵ_{\perp}



Scientific Arguments for a Higgs Factory Muon Collider

**2nd Higgs Factory Meeting
UCLA
February 1998**

David Cline

- 1. Scalar Sector of the Electroweak Theory**
- 2. The Higgs Boson - Normal and SUSY**
- 3. Concept of a Higgs Factory μ Collider**
- 4. Recent Electroweak Data – The 4th $\mu^+ \mu^-$ Collider Meeting**
- 5. CMS LHC Observation of the Higgs**
- 6. Possible Time Scale for a Higgs Factory in the USA**

S Willenbuch

JTP only
Fall 88

CURE FOR DIVERGENCES

W⁺ W⁻ Z and H

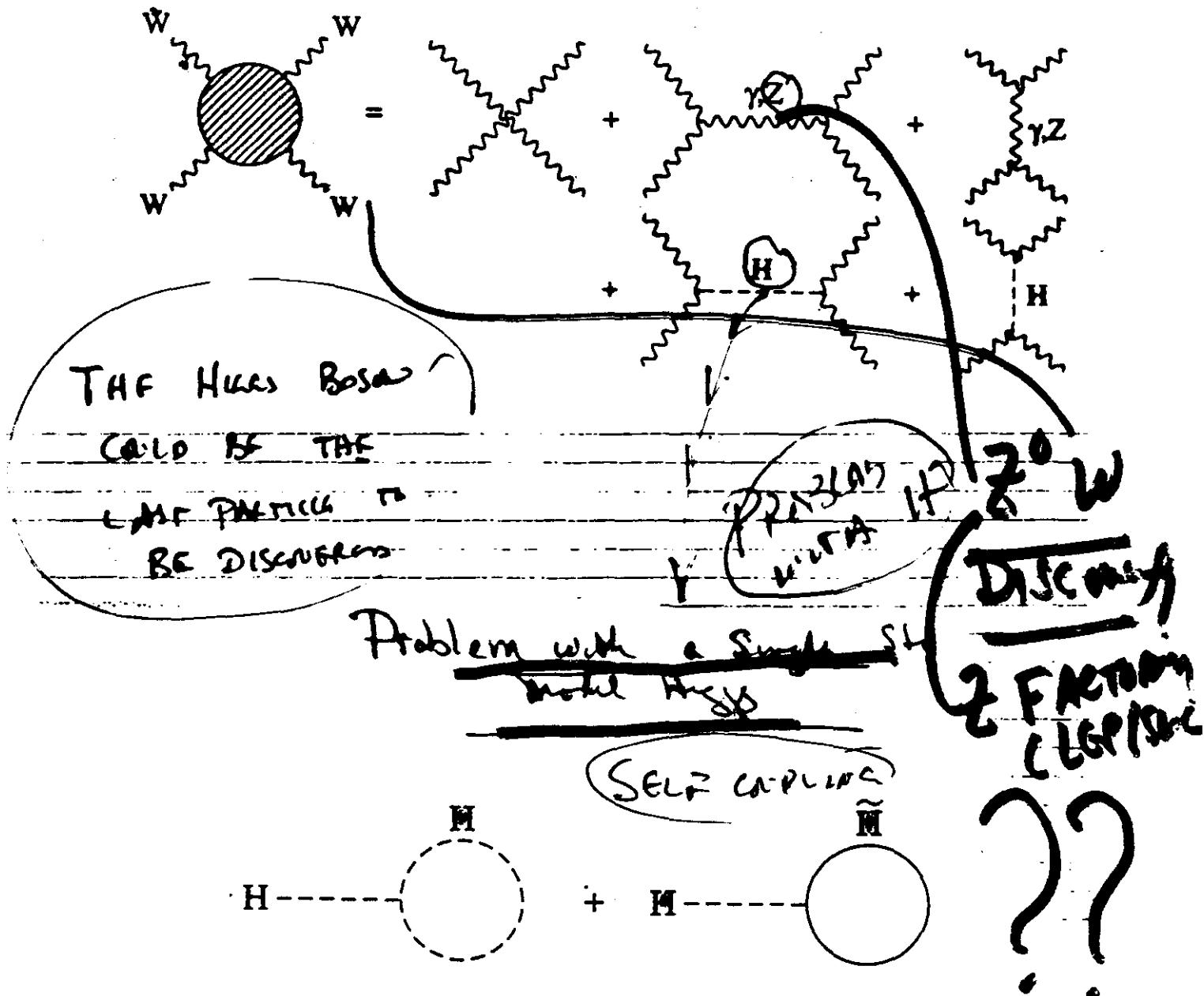


Figure 5: (a) Quadratically-divergent one-loop correction to the Higgs vacuum-expectation value from a Higgs loop; (b) the quadratic divergence is cancelled by a Higgsino loop in a supersymmetric theory.

WHAT COSTS IF
THIS DIVERGENCE ??

ONE REASON
SUSY WAS
INVENTED!

SM Higgs

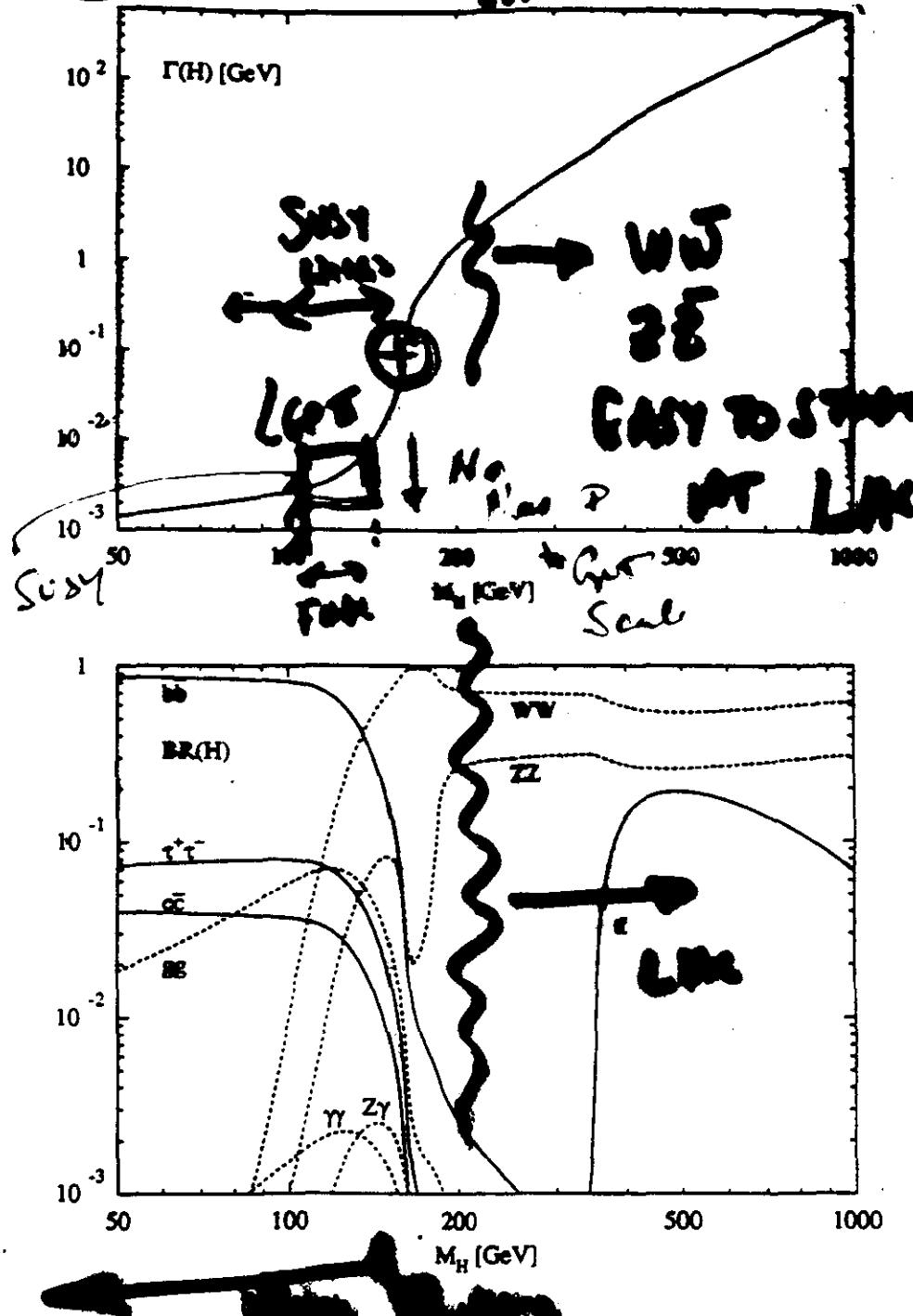


Figure 2: Total decay width $\Gamma(H)$ in GeV and the main branching ratios $BR(H)$ of the Standard Model Higgs decay channels, using the inputs of Tab. 2.

15

BRANCHING RATIOS VGM DGP ANDER
ON MAES 11

WHY THE STUDY OF Higgs?

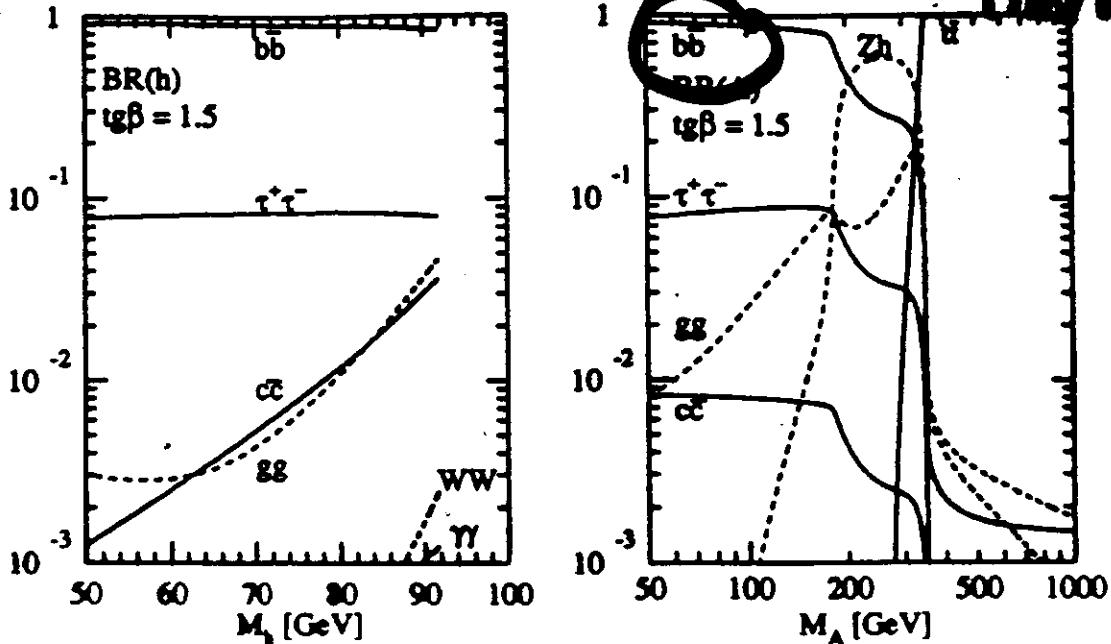
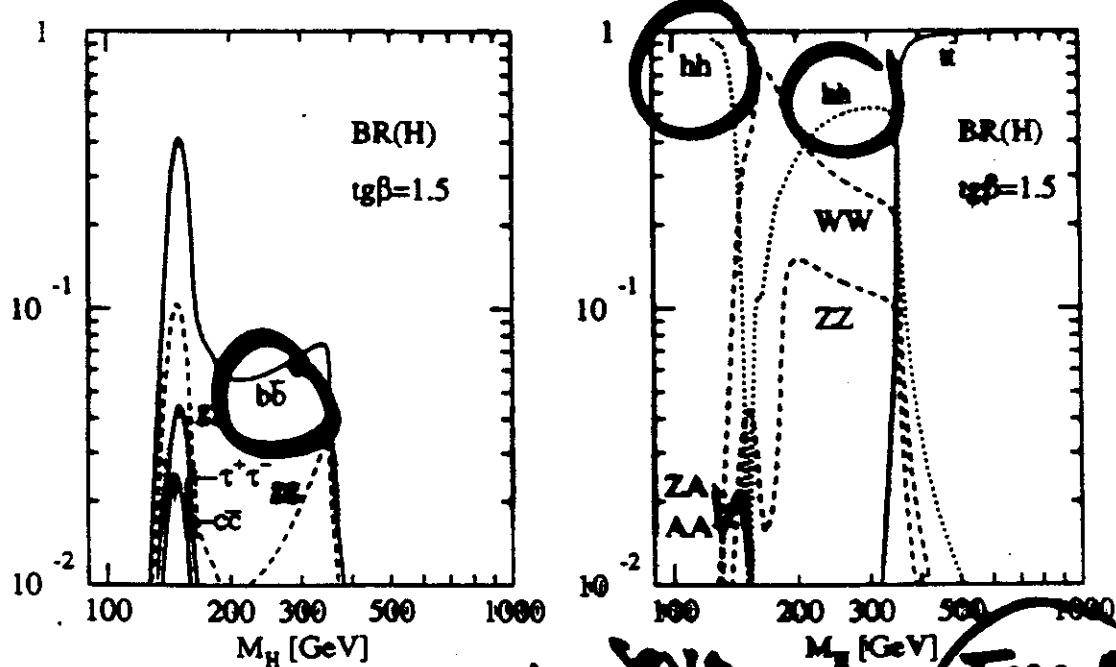


Fig. 3a



Dynamical, Kaluza-Klein

Spins

Fermi

Figure 3: Branching ratios of the MSSM Higgs bosons h , A (a), H (b), τ^\pm (c) and the total decay widths $\Gamma(\Phi)$ (c), using the inputs of Tab. 2.

HDECAT - Program with 2 to 4 MSSM
Aug 2000 DS34 97-074

WHY IS MASS OF H IMPORTANT FOR Higgs FACTORY

Logic of Higgs

STUDY ~~OF~~ FUTURE



Why a Higgs Factory

Table 3. Logic of detailed study of the Higgs sector.

If particles in the scalar sector are ever discovered, it will be essential to determine their properties, which will give direct information about the nature of the particle and the underlying theory. Three simple examples can be cited:

1. Suppose a Higgs-like particle is discovered with mass 110 GeV. This could either be the Standard Model (SM) Higgs or an MSSM Higgs. A measurement of the width of the state would presumably tell the difference. However, the SM width is 5 MeV - a formidable measurement!
2. Suppose a Higgs-like particle is discovered with a mass of 150 GeV. This is presumably beyond the MSSM bound, but it could be an NMSSM or an SM Higgs. A measurement of the width could presumably resolve the issue.
3. Suppose a Higgs-like particle of mass 163 GeV is discovered. This is presumably even beyond the NMSSM limits. If this is an SM Higgs, can we learn more by the study of the rare decay modes?

1) $M_h > 150 \text{ GeV}$ - Study out

2) $M_h > 2M_W$ - LHC may
do all important
physics

→ 1992 Napa mt
DBL

TAKE AT.

Snowmass

98

In proceeding

Table I: Arguments for a Higgs-factory $\mu^+\mu^-$ collider.

1. The m_μ/m_e ratio gives coupling 40,000 times greater to the Higgs particle. In the SUSY model, one Higgs $m_h < 120$ GeV!! Higgs Coupling $\propto m_\mu^2$
2. The low radiation of the beams makes precision energy scans possible.
3. The cost of a "custom" collider ring is a small fraction of the μ^\pm source.
4. Feasibility report to Snowmass established that $\mathcal{L} = 10^{33} \text{ cm}^{-2}$ s^{-1} is feasible.

If SUSY is correct the Scalar Sector will be complex - and a $\mu^+\mu^-$ Collider can play a key role to study this sector!

DBL
NIM Paper

99

Napa mt
92

BOUNDS ON HIGGS MASS

THERM ART

CABBO

BOUNDS OF HIGGS MASS

WHAT CUTS OFF THE DISCOURCH

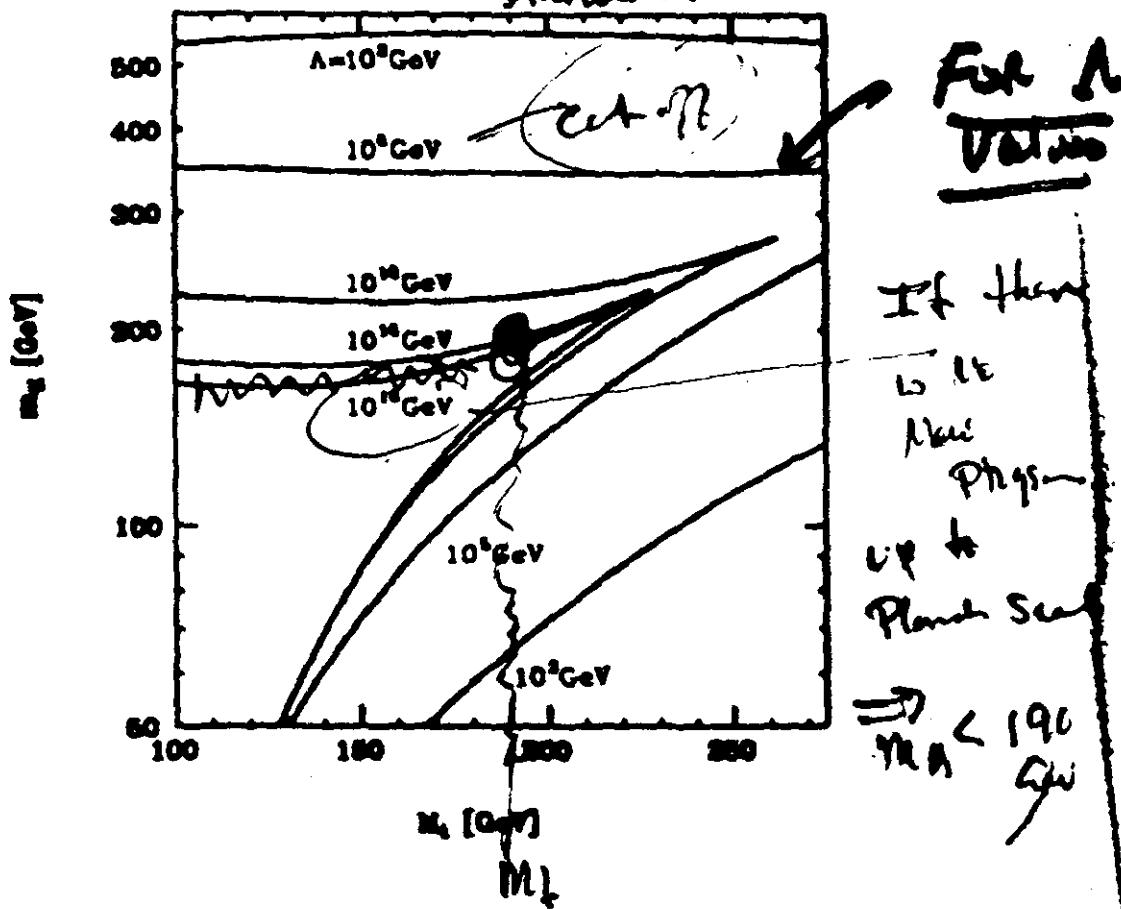
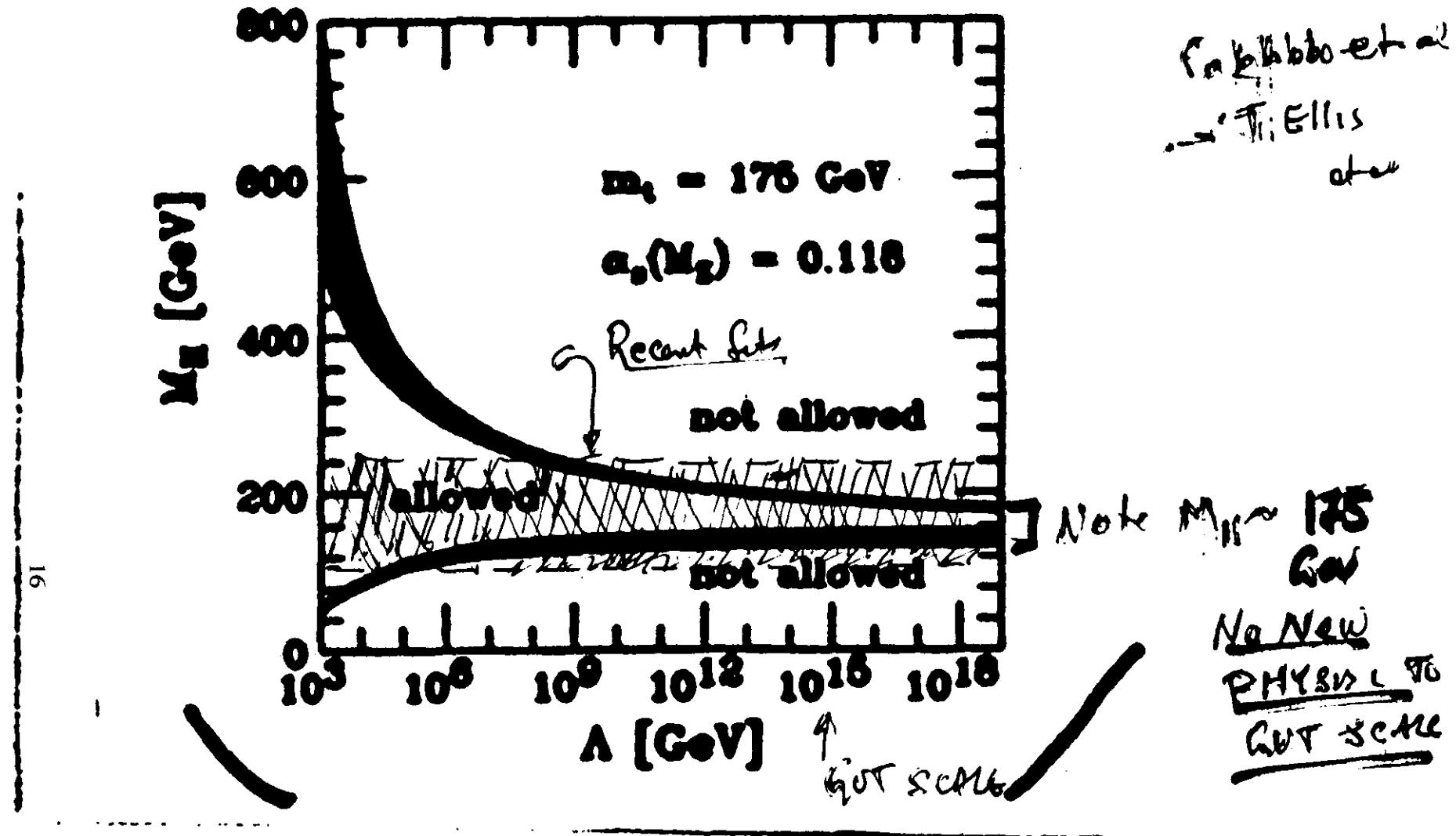


Figure 1: Bounds on the Higgs mass as a function of the top quark mass for different values of the scale Λ , at which new physics is expected to appear.



Discover a low Mass
 Higgs Does not prove SUSY
 is correct!!!

OTHER "EVIDENCE" FOR

LOW MASS HIGGS

- USING PRECISION ELECTROWEAK DATA
(χ^2 parameter, M_{W^\pm} , M_t , $\sin\theta_W$ etc.)

Current fits suggest $M_H < 100$ GeV

Aftr LEP 2 precise precision M_W this
bound could improve

- By ~ 200 we may have a limit
with an error of ± 10 GeV that is
believable (or 50 ?)

All in All it is a good
but that [is] the Higgs Exist [at LFIT]
ONE WILL BE AT LOW MASS

~~4 e^+e^-~~

Collision Test

San Francisco

Faypoint Hotel

Dec 9?

Peter Renton
CERN

Data from LEP

Rafael

- 1989-1995
LEP 1 $\Rightarrow \sim 160 \text{ pb}^{-1}$ ($\sim 3 \cdot 10^6 Z^0$ decays) / exp
Precision scan of the Z peak in 1993, 1995
 $\sim 1 \text{ pb}^{-1}$ of data $\equiv 1.6 \text{ GeV} \cdot \text{cm}^2$ peak.
- November 1995
LEP 1.5 - 130-136 GeV $\Rightarrow \sim 5 \text{ pb}^{-1}$ / experiment
- 1996 LEP2
161 GeV $\Rightarrow \sim 10 \text{ pb}^{-1}$ / experiment
172 GeV $\Rightarrow \sim 10 \text{ pb}^{-1}$ / experiment
- 1997
183 GeV $\Rightarrow \sim 55 \text{ pb}^{-1}$ / experiment
rerun of 130-136 GeV $\Rightarrow \sim 5 \text{ pb}^{-1}$ / experiment

Data from SLC

- e^+e^- on the Z peak
Up to 1996, $\sim 5 \text{ pb}^{-1}$, with P_e up to 80%.

Data from FNAL

- $\bar{p}p$ at 1.8 TeV, Run IA+IB $\sim 110 \text{ pb}^{-1}$.

Pete Renton

SLC

Dec 1997 ?

NEW FITS TO ELECTROWEAK
PARAMETERS AND HIGGS

NIKU

Summer
Higgs Fit

Most RECENT FITS TO EW

PARAMETER SUGGEST

— Low Mass Higgs —

Mass — statement

Davier & Höcker
97

$$M_h = 129^{+103}_{-92} \text{ GeV}$$

Erdmann & Longacher
97

$$M_h = 122^{+13\gamma}_{-77} \text{ GeV}$$

EW Fit Chen
97

$$M_h = 115^{+116}_{-66} \text{ GeV}$$

$$\underline{M_h < 420 \text{ GeV } 95\%}$$

Now
LEP II limit $\rightarrow M_h > 88 \text{ GeV}$

We may be tempted to
assume M_h is small! \rightarrow Higgs production!

IMPRESSIVE WORK

CERN-PPE/97-114
3 December 1997

A Combination of Preliminary Electroweak Measurements and Constraints on the Standard Model

The LEP Collaborations* ALEPH, DELPHI, L3, OPAL,
the LEP Electroweak Working Group[†]
and the SLD Heavy Flavour Group[‡]

Prepared from Contributions of the LEP and SLD experiments
to the 1997 summer conferences.

Abstract

This note presents a combination of published and preliminary electroweak results from the four LEP collaborations and the SLD collaboration which were prepared for the 1997 summer conferences. Averages are derived for hadronic and leptonic cross-sections, the leptonic forward-backward asymmetries, the τ polarisation asymmetries, the $b\bar{b}$ and $c\bar{c}$ partial widths and forward-backward asymmetries and the $q\bar{q}$ charge asymmetry. The major changes with respect to results presented last year are updated results of A_{LR} from SLD, and the inclusion of the first direct measurements of the W mass and triple-gauge-boson couplings performed at LEP. The results are compared with precise electroweak measurements from other experiments. The parameters of the Standard Model are evaluated, first using the combined LEP electroweak measurements, and then using the full set of electroweak results.

*The LEP Collaborations each take responsibility for the preliminary data of their own experiment.

[†]D. Abbaneo, J. Alcaras, P. Antilogus, T. Behnke, B. Bertucci, A. Blaesel, C. Burgard, R. Clare, P.E.L. Clarke, S. Dutta, M. Elsing, R. Faccini, D. Fanouilletis, M.W. Grunewald, A. Gurta, K. Hamacher, J.B. Hansen, R.W.L. Jones, P. de Jong, T. Kawamoto, M. Kobel, E. Laenen, W. Lohmann, C. Mariotti, M. Martinez, C. Matteuzzi, M.N. Minard, K. Monig, P. Molnar, A. Nippe, S. Olubowski, Ch. Paauw, M. Pepe-Altarelli, S. Petsold, B. Pietrzyk, G. Quast, D. Reid, P. Renton, J.M. Roecey, R. Sekulin, R. Tenchini, F. Teubert, M.A. Thomson, J. Timmermans, M.F. Turner-Watson, H. Wahlen, C.P. Ward, D.R. Ward, N.K. Watson, A. Weber.

[‡]N. de Groot, E. Etzion, B. Schumm, D. Su.

**BEAUTIFUL
CONFIRMATION of STD MODEL
PRELIMINARY**

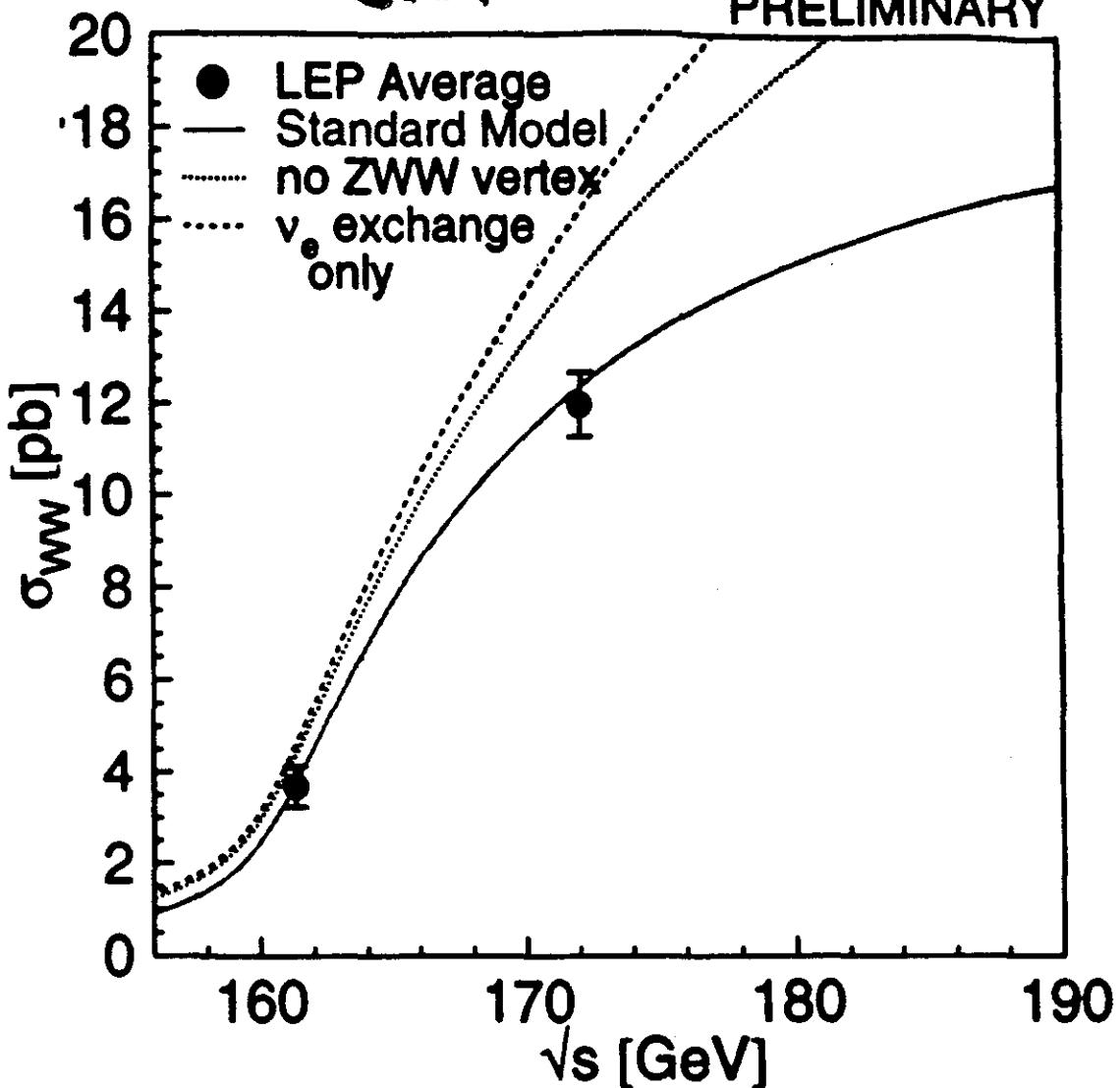


Figure 5: The W-pair cross-section as a function of the centre of mass energy. The data points are the LEP averages. Also shown is the Standard Model prediction (solid line), and for comparison the cross-section if the ZWW coupling did not exist (dotted line), or if only the t-channel ν_e exchange diagram existed (dashed line).

	Measurement with Total Error	Systematic Error	Standard Model	Pull
$\alpha(m_Z^2)^{-1}$ [102]	128.898 ± 0.090	0.063	128.898	0.0
a) LEP line-shape and lepton asymmetries: m_Z [GeV] Γ_Z [GeV] σ_b^0 [nb] R_b $A_{FB}^{0,b}$ + correlation matrix Table 8	91.1867 ± 0.0020 2.4948 ± 0.0025 41.486 ± 0.053 20.775 ± 0.027 0.0171 ± 0.0010	(a) 0.0015 (a) 0.0015 0.052 0.024 0.0007	91.1866 2.4966 41.467 20.756 0.0162	0.0 -0.7 0.4 0.7 0.9
r polarisation: A_r A_c	0.1411 ± 0.0064 0.1399 ± 0.0073	0.0040 0.0020	0.1470 0.1470	-0.9 -1.0
q-q charge asymmetry: $\sin^2\theta_{eff}^{lept}$ ($\langle Q_{FB} \rangle$) m_W [GeV]	0.2322 ± 0.0010 80.48 ± 0.14	0.0008 0.05	0.23152 80.375	0.7 0.8
b) SLD [88] $\sin^2\theta_{eff}^{lept}$ (A_{LR})	0.23055 ± 0.00041	0.00014	0.23152	-2.4
c) LEP and SLD Heavy Flavour R_b^0 R_c^0 $A_{FB}^{0,b}$ $A_{FB}^{0,c}$ A_b A_c + correlation matrix Table 18	0.2170 ± 0.0009 0.1734 ± 0.0048 0.0984 ± 0.0024 0.0741 ± 0.0048 0.900 ± 0.050 0.650 ± 0.058	0.0007 0.0038 0.0010 0.0025 0.031 0.029	0.2158 0.1723 0.1031 0.0736 0.935 0.668	1.3 0.2 -2.0 0.1 -0.7 -0.3
d) p-p and νN m_W [GeV] (p-p [94]) $1 - m_W^2/m_Z^2$ (νN [95-97]) m_t [GeV] (p-p [98-100])	80.41 ± 0.09 0.2254 ± 0.0037 175.6 ± 5.5	0.07 0.0023 4.2	80.375 0.2231 173.1	0.4 0.6 0.4

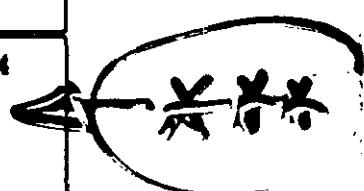
Table 29: Summary of measurements included in the combined analysis of Standard Model parameters. Section a) summarises LEP averages, Section b) SLD results ($\sin^2\theta_{eff}^{lept}$ includes A_{LR} and the polarised lepton asymmetries), Section c) the LEP and SLD heavy flavour results and Section d) electroweak measurements from p-p colliders and νN scattering. The total errors in column 2 include the systematic errors listed in column 3. The determination of the systematic part of each error is approximate. The Standard Model results in column 4 and the pulls (difference between measurement and fit in units of the total measurement error) in column 5 are derived from the Standard Model fit including all data (Table 30, column 4) with the Higgs mass treated as a free parameter.

(a) The systematic errors on m_Z and Γ_Z contain the errors arising from the uncertainties in the LEP energy only.

= ONLY PROBLEMS NOW SLD
33
DATA =

	LEP including LEP-II m_W	all data except m_t and m_W	all data
m_t [GeV]	158^{+14}_{-11}	157^{+10}_{-9}	173.1 ± 5.4
m_H [GeV]	83^{+164}_{-49}	41^{+64}_{-21}	115^{+116}_{-66}
$\log(m_H/\text{GeV})$	$1.92^{+0.48}_{-0.39}$	$1.62^{+0.41}_{-0.31}$	$2.06^{+0.30}_{-0.37}$
$\alpha_s(m_Z^2)$	0.121 ± 0.003	0.120 ± 0.003	0.120 ± 0.003
$\chi^2/\text{d.o.f.}$	8/9	14/12	17/15
$\sin^2\theta_{\text{eff}}^{\text{lept}}$	0.23188 ± 0.00026	0.23153 ± 0.00023	0.23152 ± 0.00022
$1 - m_W^2/m_Z^2$	0.2246 ± 0.0008	0.2240 ± 0.0008	0.2231 ± 0.0006
m_W [GeV]	80.298 ± 0.043	80.329 ± 0.041	80.375 ± 0.030

Table 30: Results of the fits to LEP data alone, to all data except the direct determinations of m_t and m_W (Tevatron and LEP-II) and to all data including the top quark mass determination. As the sensitivity to m_H is logarithmic, both m_H as well as $\log(m_H/\text{GeV})$ are quoted. The bottom part of the table lists derived results for $\sin^2\theta_{\text{eff}}^{\text{lept}}$, $1 - m_W^2/m_Z^2$ and m_W . See text for a discussion of theoretical errors not included in the errors above.



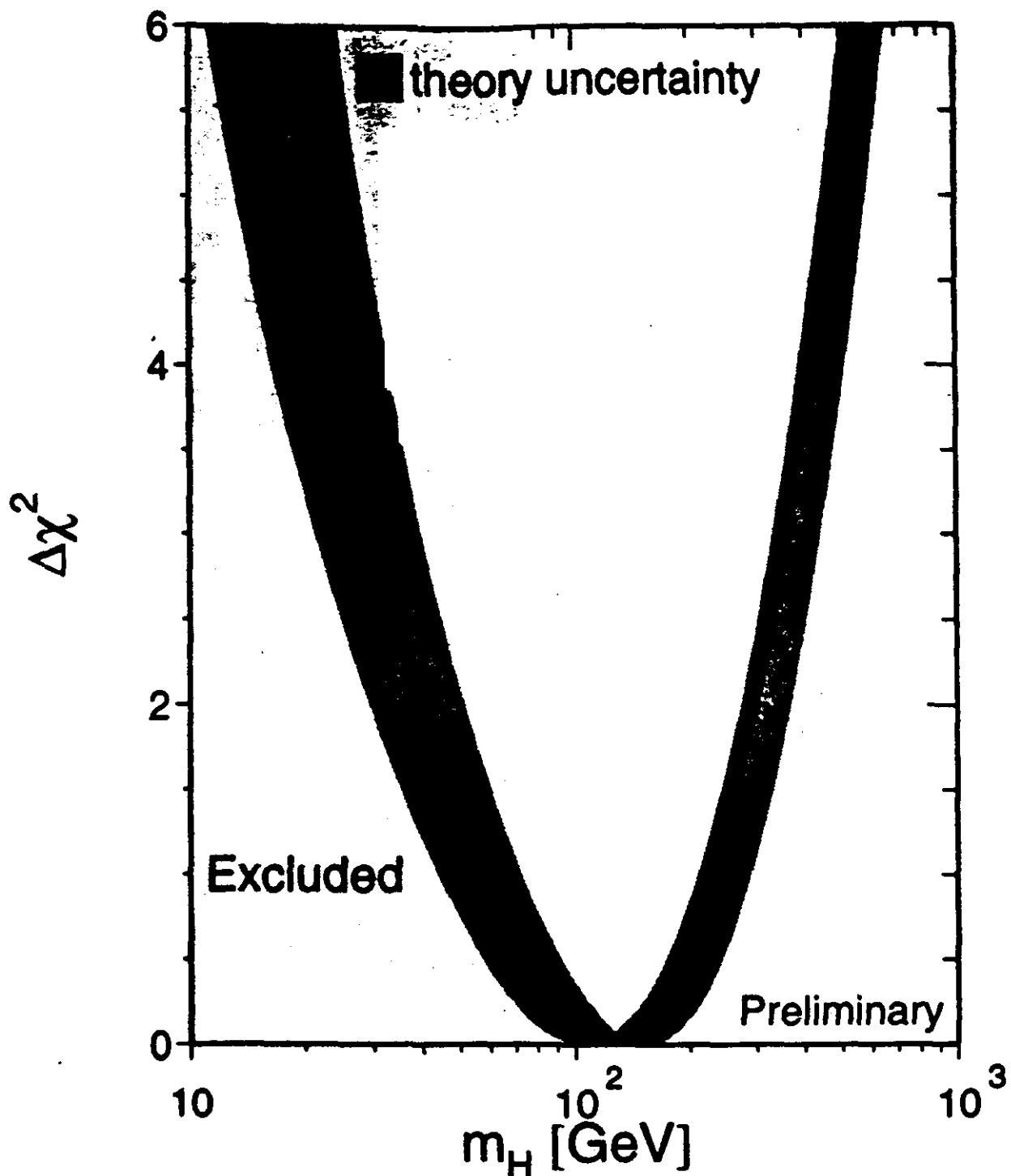


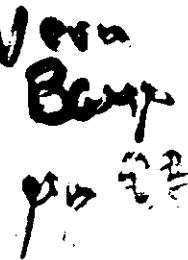
Figure 13: $\Delta\chi^2 = \chi^2 - \chi^2_{\text{min}}$ vs. m_H curve. The line is the result of the fit using all data (last column of Table 30); the band represents an estimate of the theoretical error due to missing higher order corrections. The vertical band shows the 95% CL exclusion limit on m_H from the direct search.

FMC Higgs Physics

MSSM: 5 Higgs bosons h^0, H^0, A^0, H^\pm

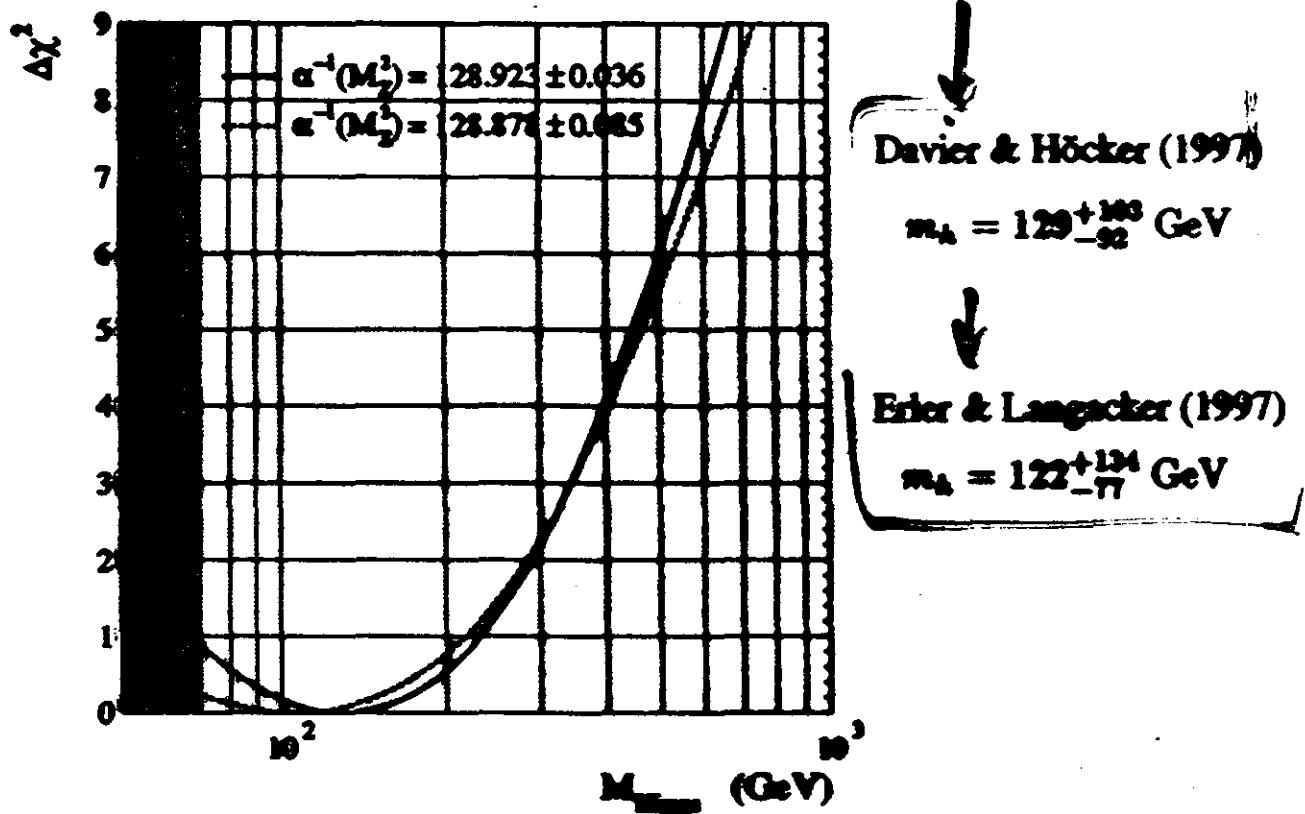
lightest MSSM Higgs boson

$$m_h \leq 125 \text{ GeV}$$



"The jewel in the SUSY crown"

Global EW analyses



Smoking gun for SUSY Higgs

Goals:

- precisely determine Higgs mass, width, and BFs
- differentiate h_{MSSM} from h_{SM}
- find and study H^0, A^0

Are we sure the Higgs is 'light'?

fit to all electroweak data

- standard fit

$$M_H = 115^{+116}_{-65} \text{ GeV} \quad M_H \lesssim 420 \text{ GeV } 95\% \text{ cl}$$



- if exclude SLAC ALR measurement

$$M_H = 220^{+185}_{-109} \text{ GeV} \quad M_H \lesssim 715 \text{ GeV } 95\% \text{ cl}$$

SLC
Data
Incomplete

- scale errors on Higgs sensitive quantities by 1.5

$$M_H = 188^{+152}_{-91} \text{ GeV} \quad M_H \lesssim 590 \text{ GeV } 95\% \text{ cl}$$

- CONCLUSIONS:

best estimate for M_H is relatively light

but data not fully compatible, so some caution !

Pete Renton

$\mu\mu$ 97

Dec. 1997

3.1) i) Higgs Resonance (+ Z Factory) - First Muon Collider

LEP $\rightarrow M_H \gtrsim 78(88)$ GeV! { P. Barthélémy
(two dark bands being tested) }

Precision EN $S\Gamma R^2 \Theta_N > M_H \rightarrow$ Light Higgs (G. Kane) \leftarrow
(see table) $M_H \lesssim 100$ GeV! (Narrow) P. Renner

LEP II \rightarrow 100 GeV

FNAL \rightarrow 120 GeV (C. Quigg)

SUSY $\rightarrow M_H \lesssim 130$ (160) GeV

Looks Good For Higgs Resonance Studies

Perhaps $h, H, A, H^{\pm}, \tilde{S}$

J. Gunion
S. Reffert
C. Hesch
J. Feng

Standard Model Higgs. Example $M_H = 100$ GeV

$\Gamma_H \approx 3$ MeV, $\Delta E/E = 3 \times 10^{-5}$, $L = 0.05 fb^{-1}$ (?)

$N_H \approx 3000$

$H \rightarrow$	$b\bar{b}$	$c\bar{c}$	$\tau\bar{\tau}$	
N_S (events)	2400	210	270	
N_B (events)	2520	2416	245	
$\Sigma \frac{\sqrt{N_S + N_B}}{N_S}$	± 0.03	± 0.24	± 0.13	{ B.Kane/ Z.Persson/ N.M. }

Scan time ~ 3 yrs! to find (J. Gunion)

WHEN MAY WE KNOW THAT

A HIGGS FATOR IS FERMAT
AND START CONSTRUCTION OF

(1) EW Measurements \sim Sch Higgs Theory
= SLC \sim 2001 \rightarrow LEP II
 \sim 2002 \rightarrow TEV Z + Muon
OR 2001?

may "Prime" $m_h < 180$ GeV Jugutu
OR LEP II $\rightarrow m_h \gtrapprox 105$ GeV

2) FNAK MM Discover $m_h < 180$ GeV
 \sim 2003 [GP]

3) LHC Discover Higgs but not
total SUSY
 \sim 2007 ?

↓
2001 - early
2013 - recent
2017 - latest

Note: See SLC / SLD HM Production
A Large # of 2; NN ($\sim \frac{200}{\text{fb}}$)

this will be Future expectations

Very important
in the
5th $\mu\mu$
coll. rate
SF 99

- estimate final errors from LEP 1
- Z lineshape results ~ final
- some improvements expected in τ polarisation
and heavy flavour results
- for SLD assume $\delta \sin^2 \theta_{\text{eff}}^{\text{lept}} \rightarrow .00025$ (from .00041)
- assume $\delta M_W \rightarrow 30 \text{ MeV}$ (LEP2 + Tevatron)
(present error 76 MeV)
- assume $\delta M_t \rightarrow 3 \text{ GeV}$ (from 5.5 GeV) $\delta \alpha^{-1} \rightarrow 0.05$
- all quantities at SM values for $M_t = 175 \text{ GeV}$, $\alpha_s = 0.120$

	$M_H = 100 \text{ GeV}$	$= 300 \text{ GeV}$	$= 500 \text{ GeV}$
Stand. assump.	100^{+49}_{-38}	300^{+122}_{-89}	500^{+199}_{-143}
$\delta M_W = 20 \text{ MeV}$	100^{+46}_{-34}	300^{+108}_{-83}	500^{+175}_{-131}
$\delta \sin^2 \theta_{\text{eff}}^{\text{lept}} (\text{ALR})$	100^{+45}_{-33}	300^{+111}_{-83}	500^{+182}_{-134}
$= 0.00015$			
$\delta M_t = 0.5 \text{ GeV}$	100^{+39}_{-30}	300^{+90}_{-71}	500^{+146}_{-114}
$\delta \alpha^{-1} = 0.09$	100^{+62}_{-42}	300^{+141}_{-101}	500^{+229}_{-159}

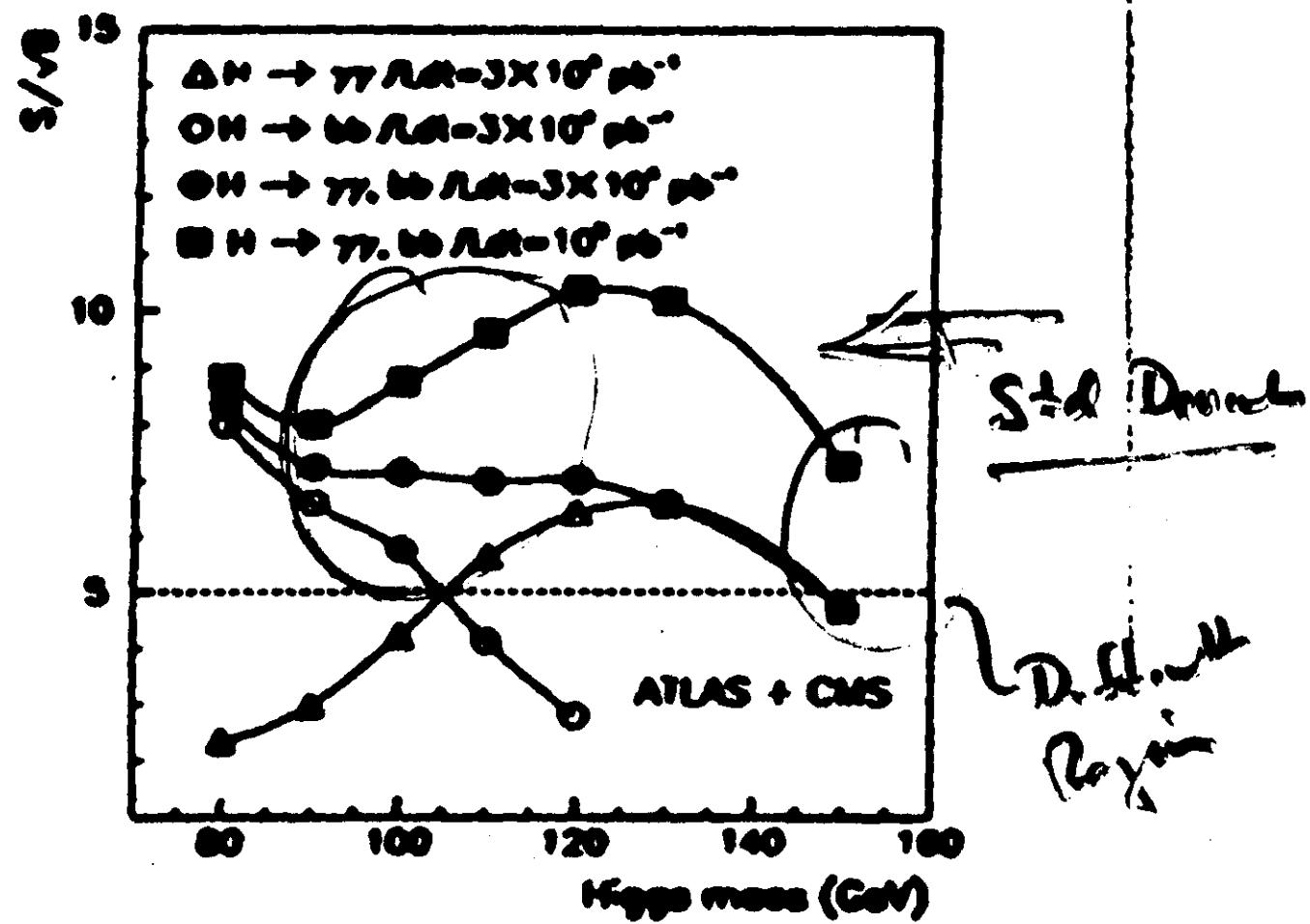
Pete Renton

μ/fb

Dec. 1997

If M_H is low in Nicks
Future will be able to produce!

WILL LHC - CMS / ATLAS DISCOVER THE LIGHT HIGGS



The crystal calorimeter was assumed to have an energy resolution given by $\Delta E/E = 2\%/\sqrt{E} \oplus 0.5\% \oplus 0.200/E$ in the barrel and $\Delta E/E = 5\%/\sqrt{E} \oplus 0.5\% \oplus 0.200/E$ in the endcap, where there is a preshower detector. At high luminosity, a barrel pre-shower detector covers $|q| < 1.1$, resulting in a resolution of $\Delta E/E = 5\%/\sqrt{E} \oplus 0.5\% \oplus 0.200/E$ and an ability to measure the photon direction with resolution $\Delta\alpha = 40 \text{ mrad}/\sqrt{E}$ in this region. For more details concerning both the signal communications and the breakdown of the mass resolution, see Sect. 4.1.

The background to the $H \rightarrow \gamma\gamma$ signal may be divided into three categories:

- prompt diphoton production from quark annihilation and gluon fusion diagrams, which gives an irreducible background,
- prompt diphoton production from significant higher-order diagrams – primarily bremsstrahlung from the outgoing quark line in the QCD Compton diagram,
- background from jets, where an electromagnetic energy deposit originates from the decay of neutral hadrons in a jet or from 1 jet + 1 prompt photon.

The prompt diphoton background was generated using CTEQ2L structure functions in PYTHIA. For the bremsstrahlung background, a previous PYTHIA calculation for $\sqrt{s} = 16 \text{ TeV}$, $m_{\text{top}} = 150 \text{ GeV}$, and HMRSB structure functions, was rescaled to take account of the new parameters. The resulting cross-sections are given in Table 12.1. It is assumed that the jet background is reduced to an insignificant level (< 10%) by the combination of isolation and χ^2 rejection cuts.

Figure 12.3 shows a background-subtracted two-photon effective mass plot for a simulated single experiment, for an integrated luminosity of 10^5 pb^{-1} (taken at high luminosity) with signals at $m_H = 90, 110, 130$ and 150 GeV . Figure 12.4 shows a similar plot, for an integrated luminosity of $3 \times 10^4 \text{ pb}^{-1}$, taken at low luminosity.

WORST CASE SITUATION

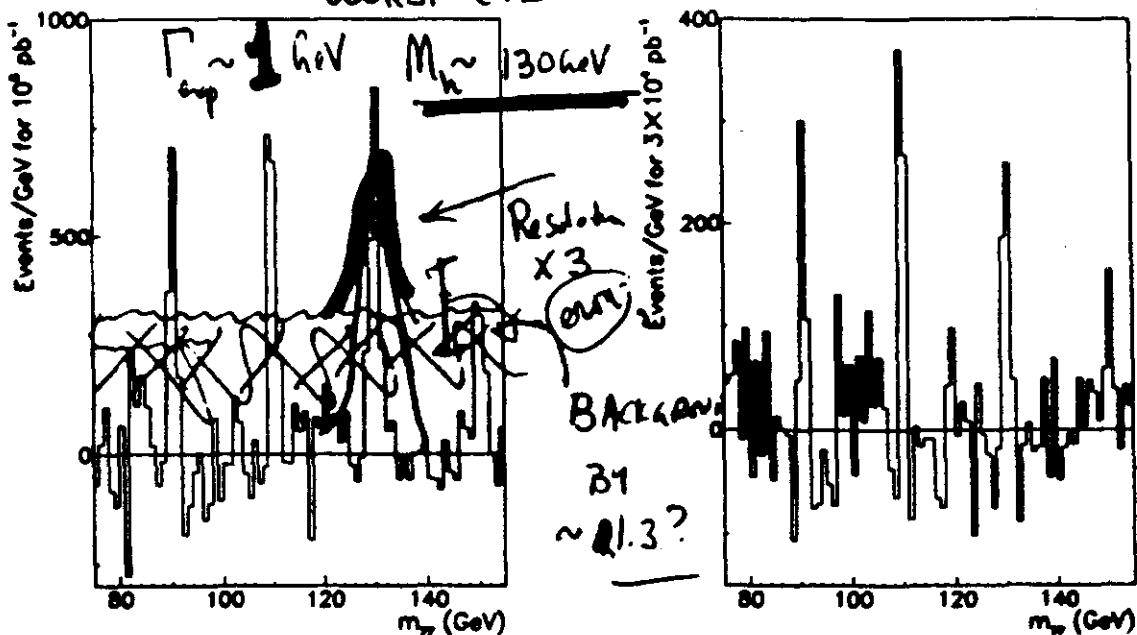


Fig. 12.3: Background-subtracted 2γ mass plot for 10^5 pb^{-1} with signals at $m_H = 90, 110, 130$ and 150 GeV , in the PbWO_4 calorimeter.

Fig. 12.4: Background-subtracted 2γ mass plot for $3 \times 10^4 \text{ pb}^{-1}$ with signals at $m_H = 90, 110, 130$ and 150 GeV , in the PbWO_4 calorimeter.

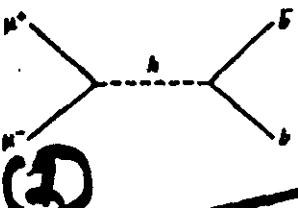
Figures 12.5 and 12.6 show contours giving the cross-section times branching ratio required to give specified signal significances ($N_S / \sqrt{N_B}$), as a function of mass. The significances were calculated by counting events within a mass window of optimum width, corresponding to the width containing about 75% of the signal. After a single year of running at $10^{34} \text{ cm}^{-2}\text{s}^{-1}$ (10^5 pb^{-1} , Fig. 12.5), an SM Higgs could be discovered across the full range 85 to 150 GeV. After only $3 \times 10^4 \text{ pb}^{-1}$ (Fig. 12.6), taken at low luminosity, an SM Higgs could be discovered between 95 and 150 GeV.

VHC OBSERVES BUT CAN'T REALLY
STUDY LIGHT HIGGS

Higgs width measurement

s-channel process $\mu^+\mu^- \rightarrow h \rightarrow hh$
uniquely suited to this task

D. Cline
S. S. Cahn



Reject light quark background by b-tagging.
Assume b-tagging with 50% efficiency (ϵ)

Barger et al. 95+

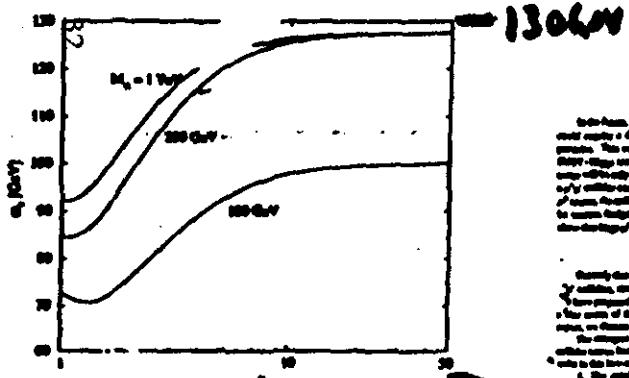
Higgs physics

In minimal supersymmetry (MSSM) there are 5 physical Higgs bosons

$$h, H^0, A^0, H^+, H^-$$

Radiative correction to the mass of the lightest Higgs state is

$$\delta m_h^2 \approx \frac{3g^2}{8\pi^2 M_W} m_t^4 \ln\left(\frac{m_t m_b}{m_t}\right)$$



allowed upper bound

- $m_h \leq 130 \text{ GeV}$ minimal SUSY SM
- $\leq 150 \text{ GeV}$ any SUSY GUT
- $\leq 200 \text{ GeV}$ any model with GUT and $m_A <$

s-channel resonance cross section

$$\sigma_h = \frac{4\pi\Gamma(h \rightarrow \mu\bar{\mu})\Gamma(h \rightarrow bb)}{(s - m_h^2)^2 + m_h^2\Gamma_h^2}$$

$$\Gamma(h \rightarrow \mu\bar{\mu}) \propto m_h^2$$

SUSY SM 95

A Majorana p/p Collider

David B. Cline

Group for Advanced Accelerators, Physics & Astronomy Dept., Box 951547
University of California, Los Angeles, CA 90095-1547

In the future, the particle accelerators for colliding-particle experiments will provide a density for particle beams far exceeding that of present-day facilities. This could be utilized to search for the lightest Higgs boson state, h . It is also possible that the Higgs boson will be sufficiently strongly interacting to be detectable at the LHC. This would provide an opportunity for the first time to directly measure the properties of the Higgs boson. In addition, the facilities will allow the detection of the soft interactions of the Higgs boson, which have been difficult to measure due to the small coupling of the Higgs boson to the fermions.

1. Introduction

Recently there has been great interest in studying the Higgs boson, starting with the work involving the LEP II experiment. The main problem for such a collider is very similar to the LEP case: the mass of the heaviest resonance (the Higgs). In this paper, we discuss the experiments for a Higgs factory (Higgs Collider) using the LHC as the injector. We compare the requirements for the Higgs factory with those for the LHC. The major difference between the Higgs Collider and the LHC is the required luminosity, which is about 10 times higher than that of the LHC.

1. The required luminosity of the Higgs and antiproton beams is about $10^{33} \text{ cm}^{-2} \text{ s}^{-1}$, while the LHC needs only $10^{32} \text{ cm}^{-2} \text{ s}^{-1}$.
2. The LHC does not require a beam energy of $\sqrt{s} = 14 \text{ TeV}$, while the Higgs Collider needs $\sqrt{s} = 140 \text{ TeV}$.
3. The requirement for the LHC is that it is required with $\sqrt{s} = 14 \text{ TeV}$, while the Higgs Collider needs $\sqrt{s} = 100 \text{ TeV}$, which is much higher than that of the LHC.
4. The evidence implies the existing possibility that the Higgs mass is $m_h = 130 \text{ GeV}$.
5. The requirement for the LHC is that it is required with $\sqrt{s} = 14 \text{ TeV}$, while the Higgs Collider needs $\sqrt{s} = 100 \text{ TeV}$.

2. Requirements for a Higgs Collider

1. The Higgs mass must be greater than $m_h > 100 \text{ GeV}$.
2. The luminosity of the beam must be greater than $\sqrt{s} = 100 \text{ TeV}$.
3. The "beam" collision is a small fraction of the total energy.
4. The Higgs signal is characterized by $\Gamma_h = 10^4 \text{ GeV}$.

Measuring Higgs boson width

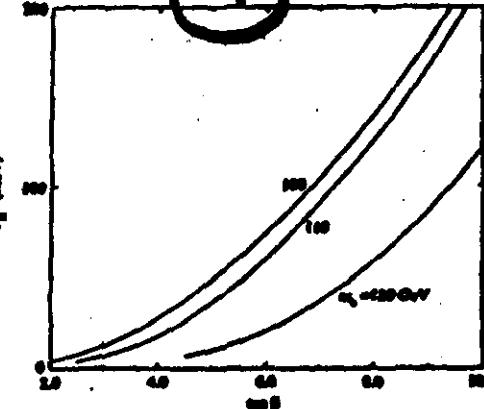
Predictions

- SM: $\Gamma_h = 2 \text{ MeV}$ $m_h = 80 \text{ GeV}$
- $\Gamma_h = 5 \text{ MeV}$ $m_h = 100 \text{ GeV}$

SUSY:

- Γ_h larger than in SM
- $\Gamma_h \sim 50 \text{ MeV}$ ($m_h = 100 \text{ GeV}$, $\tan\beta = 5$)
- grows as $(\tan\beta)^2$

$$\tan\beta = v_2/v_1$$



Bozja
Boson
Guru
Hans
paper!

Proceedings of SNOWMASS '96

DME

Higgs-FACTOR

Scans ~ 130 hz

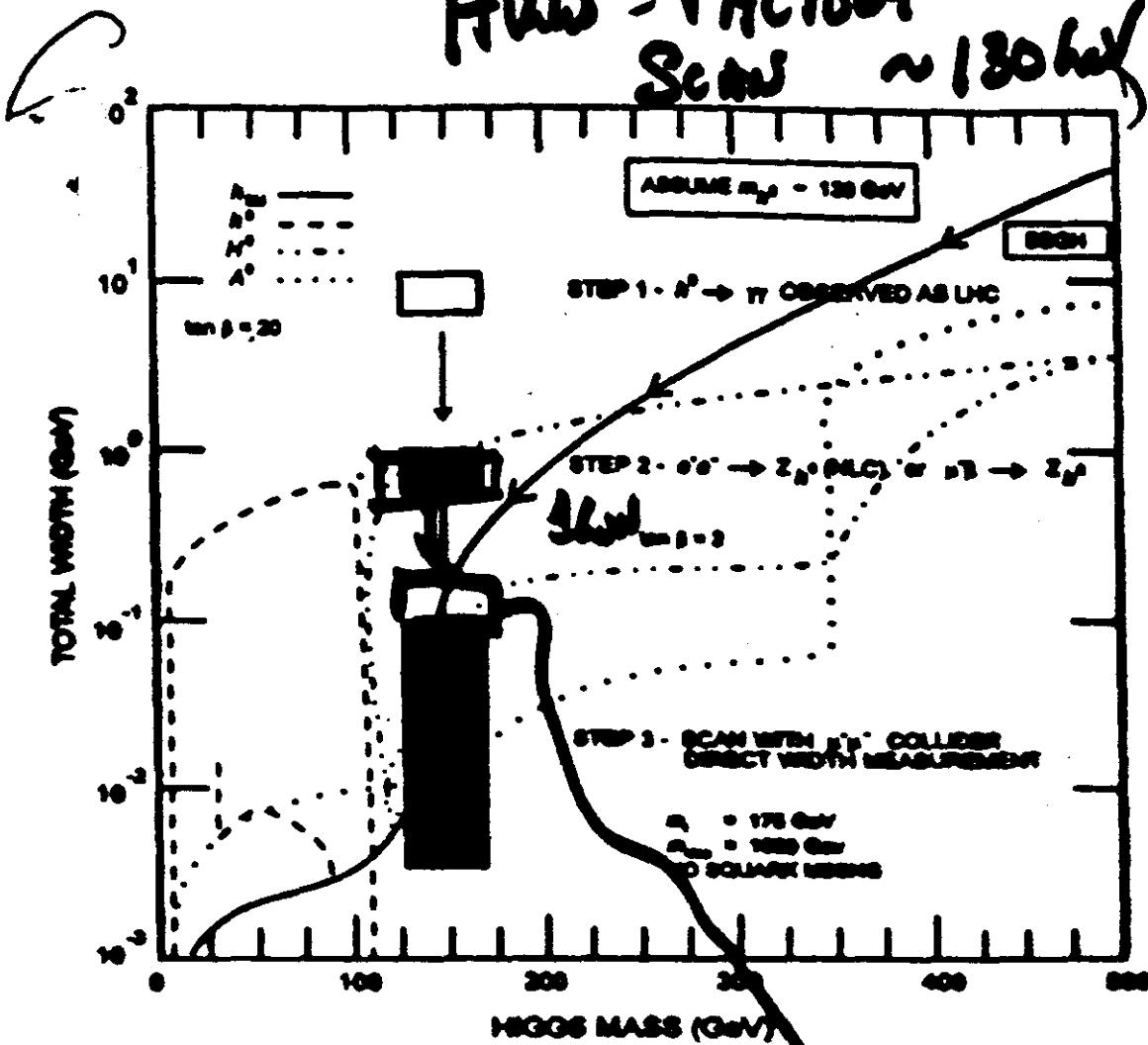
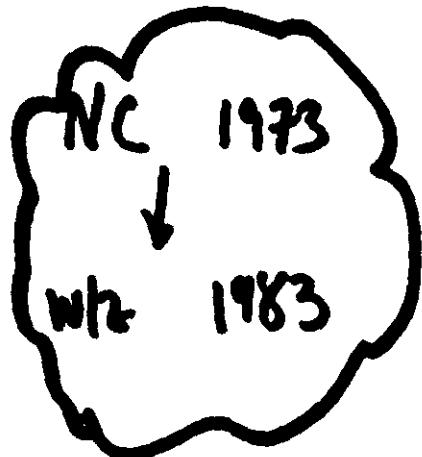


Fig. 2. Higgs-factory $\mu^+\mu^-$ collider concept. The Higgs is discovered at the LHC (CMS) and the width further reduced at the NLC or at a $\mu^+\mu^-$ collider. The final stage is to scan for the Higgs at the $\mu^+\mu^-$ collider. Existing models can be distinguished by their widths. (Adapted from Ref. 12 (BBGM = Berger, Berger, Gunion, Mass) and Ref. 14.)

Concord's
Black Tie



Natural conservation laws for neutral currents*

\Rightarrow NFC

Sheldon L. Glashow and Steven Weinberg

Lynman Laboratory of Physics, Harvard University, Cambridge, Massachusetts 02138

(Received 20 August 1976)

We explore the consequences of the assumption that the direct and induced weak neutral currents in an $SU(2) \otimes U(1)$ gauge theory conserve all quark flavors naturally, i.e., for all values of the parameters of the theory. This requires that all quarks of a given charge and helicity must have the same values of weak T_1 and T_2 . If all quarks have charge $+2/3$ or $-1/3$ the only acceptable theories are the "standard" and "pure vector" models, or their generalizations to six or more quarks. In addition, there are severe constraints on the couplings of Higgs bosons, which apparently cannot be satisfied in pure vector models. We also consider the possibility that neutral currents conserve strangeness but not charm. A natural seven-quark model of this sort is described. The experimental consequences of charm nonconservation in direct or induced neutral currents are found to be quite dramatic.



34

Nature Flavor Conservation

NFC

- 1) 1 Higgs Boson
- 2) All quarks $\rightarrow \begin{pmatrix} +\frac{2}{3} \\ -\frac{1}{3} \end{pmatrix} = \begin{pmatrix} u \\ d \end{pmatrix} \begin{pmatrix} c \\ s \end{pmatrix} \begin{pmatrix} t \\ b \end{pmatrix}$

Has Neutrally been tested directly -

IS KEY COMPONENT OF STANDARD MODEL!

OTHER PITURES AT Higgs FACTORY

TESTING NFC

at a $\mu^+\mu^-$
Higgs Factory
(if $M_h > 150 \text{ GeV}$)

Fig. 6. Possible probe of new physics in a rare Higgs decay mode.

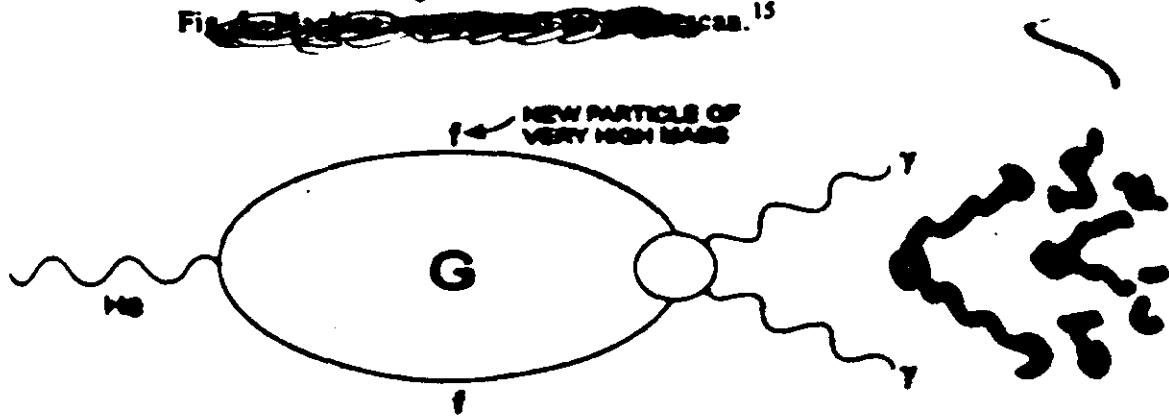


Fig. 6. Possible probe of new physics in a rare Higgs decay mode.

This same new physics
may cut off the divergences
in the Higgs Sector

WHEN A HIGGS FACTORY IS NEEDED AND WHY

<u>M_{Higgs}</u>	<u>Susy mass or SUSY</u>	<u>p_T Cut-off Higgs Mass</u>	<u>Comments</u>
$\sim 80 \rightarrow 150$ GeV \uparrow LEPI Limit	Susy Higgs mass Range - Higgs Γ very small	yes (?) (hard to study)	However if <u>M_{Susy}</u> is <u>low</u> LHC may be flooded with $h \rightarrow b\bar{b}$ (can't study) - <u>BUT PROB</u> <u>can still</u>
$\sim 150 \sim 200$ GeV	Outside <u>Susy Higgs</u> - but Self coupling stability shall be explored	yes !!	In difficult mass range <u>need</u> to study at LHC
200 - 300 GeV	Outside <u>Susy Range</u> - but can be observed at LHC well	No ? for h	{ If low mass Susy observed and even if LHC flooded with h H, A difficult to study at LHC }
> 300 GeV	For <u>soft mass Higgs</u> For <u>A, H .. SUSY Higgs</u>	\rightarrow No for h \rightarrow yes to A, H	

Higgs FACTORY "Crown Jewel" of p_T Collider
BUT MUST BE JUSTIFIED!

However by 2002 we may know if H⁰ "exists" \Rightarrow Higgs planning

Summary

- 1) All of our current excesses are Weak Interaction
Physic has come from ~~theoretical~~ Avoidable

Distrance → $\begin{cases} F_{GSM} \\ F_{FCM} \end{cases} \rightarrow W \} 1983$
 $\begin{cases} Z \\ Z \end{cases} \} CERN$

- 2) The Higgs Sector has a series of "GR."
 - Self coupling after

a) Susy excess → $M_h < 150$ GeV
discrepancy → HA ...

b) Some unknown phys. with
discrepancy (Study NFR ...)

- 3) A Higgs Factory is to study the Higgs
Sector ~~at HF~~

- If $M_h > 2M_W$ the LHC (CMS/ATLAS)
 will do a very bad job! ~~NFR~~
- 150 GeV $< M_h < 2M_W$ - Susy Higgs at HF
- $M_h < 150$ GeV - Higgs Factory ~~at HF~~

- 4) If the LHC crosses a threshold so that
Susy is dominant — Higgs study as likely
done by Susy \rightarrow decays - HF Not
Necessary

SUMMER 96

Earliest Possible
Date for
Higgs Factory

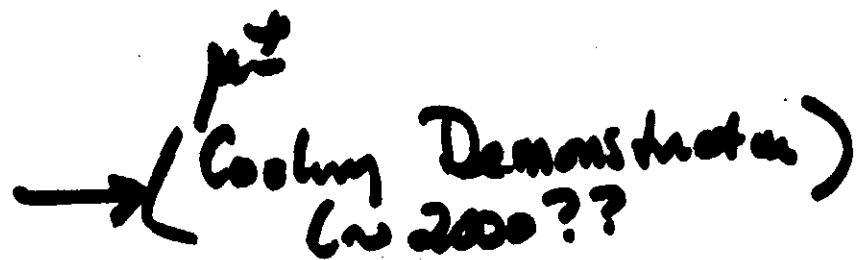
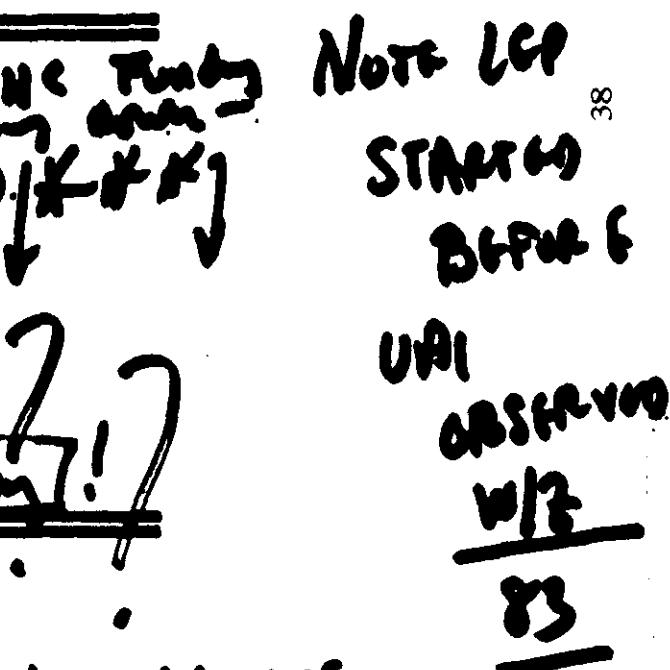


Table III. Possible scheme for a Higgs-factory $\mu^+\mu^-$ collider.

- 2003: Start construction of μ^\pm source.
- 2006: First observation of h^0 in CMS (ATLAS).
- 2007: Design final collider; start construction.
- 2009: Higgs factory operates; scan for h^0 .
- 2010: ~ $10^5 h^0$ in direct channel.



DETECTORS BY 2010 + THERE ARE .

CLOSELY TO BE 7 USED LARGE SOLENOID MAGNETS

DETECTORS (4 LGP / 2 FNUC / 4 SLD) - CAN ANY BE RECYCLED?

83

Luminosity Requirement for Higgs Resonance studies At The First Muon Collider*

Zohreh Parsa

Physics Department, Brookhaven National Laboratory, Upton, New York 11973

*For the “2nd Mini - Workshop on Higgs Factory”
UCLA Faculty Center, Los Angeles, California
February 12-13, 1997*

Abstract. The results of our Higgs resonance studies at the first Muon collider for the on-resonance goal of $\mathcal{L}_{\text{ave}} \simeq 5 \times 10^{30} \text{cm}^{-2}$ and $\mathcal{L}_{\text{ave}} \simeq 5 \times 10^{31} \text{cm}^{-2}$ is given. Our analysis indicates that $\mathcal{L}_{\text{ave}} \simeq 5 \times 10^{30} \text{cm}^{-2}$ is too low and at least an additional order of magnitude increase in luminosity is needed. We investigated [4,7] the effect of beam polarization on Higgs resonance signals and backgrounds ($b\bar{b}$, $\tau\bar{\tau}$, $c\bar{c}$), angular distributions (forward-backward charge asymmetries) and the resulting effective enhancement of the Higgs signal relative to the background, as well as the reduction in scan time required for Higgs “discovery”.

- If the Higgs boson has a mass $\lesssim 160$ GeV (i.e. below the W^+W^- decay threshold), it will have a very narrow width and can be resonantly studied in the s -channel via $\mu^-\mu^+ \rightarrow H$ production at the First Muon Collider (FMC) [1,2]. A strategy for “light” Higgs physics studies would be to first find the Higgs particle at LEPII, the Tevatron, or the LHC and then thoroughly scrutinize

*⁾ Supported by U.S. Department of Energy contract number DE-AC02-76CH00016.

its properties on resonance at the FMC. There, one would hope to precisely determine the Higgs mass, width, and primary decay rates [3].

- The FMC Higgs resonance program would entail two stages: 1) “Discovery” via an energy scan which pinpoints the precise resonance position and (perhaps) determines its width. Since pre-FMC efforts may only determine the Higgs mass to $\sim \pm 0.2\text{--}1$ GeV and its width is expected to be narrow $\mathcal{O}(1\sim 30 \text{ MeV})$ for $m_H \lesssim 160 \text{ GeV}$, the resonance scan may be very time consuming [3]. 2) Precision measurements of the primary Higgs decay modes. Deviations from standard model expectations could point to additional Higgs structure or elucidate the framework of supersymmetry [3].
- The Higgs resonance “discovery” capability and scan time will depend on $N_S/\sqrt{N_B}$ (the scan time is proportional to N_B/N_S^2), where N_S is the Higgs signal and N_B is the expected background. The precision measurement sensitivity will be determined by $N_S/\sqrt{N_B + N_S}$. For both, it will be extremely important to enhance the signal and suppress backgrounds as much as possible. To that end, one should employ highly resolved $\mu^+\mu^-$ beams with a very small energy spread. The proposed $\Delta E/E \simeq 3 \times 10^{-5}$ is well matched to the narrow Higgs width. It allows $N_S/N_B \sim \mathcal{O}(1)$ for the primary $H \rightarrow b\bar{b}$ mode (see Table 1 and 2). Unfortunately, high resolution is accompanied by luminosity loss. The original on-resonance goal of $\mathcal{L}_{\text{ave}} \simeq 5 \times 10^{30} \text{ cm}^{-2}\text{s}^{-1}$ is too low. Hence, we have assumed in Table 2 and throughout this paper that an additional order of magnitude increase in luminosity to $5 \times 10^{31} \text{ cm}^{-2}\text{s}^{-1}$ is attainable while maintaining outstanding beam resolution.
- For example, a factor of 10 increase in Luminosity (Table 2) reduces the running (scan) time by factor 10 less. Thus instead of a “3 year” running time, it will be reduced to ($\frac{3}{10}$ year) over “3 months”.

- Expectations for $m_H = 110$ GeV are illustrated in Table 1 for luminosity $\mathcal{L}_{\text{ave}} \simeq 5 \times 10^{30} \text{cm}^{-2}\text{s}^{-1}$ and in Table 2 for luminosity $\mathcal{L}_{\text{ave}} \simeq 5 \times 10^{31} \text{cm}^{-2}\text{s}^{-1}$.

TABLE 1. Expected signals and backgrounds (fully integrated) for a standard model Higgs with $m_H = 110$ GeV, $\Gamma_H \simeq 3$ MeV. Muon collider resonance conditions with no polarization, $\Delta E/E \simeq 3 \times 10^{-5}$, and $L = 0.05 \text{ fb}^{-1}$ are assumed. The total number of Higgs scalars produced is ~ 3000 . Realistic efficiency and acceptance cuts are likely to dilute signal and backgrounds for $b\bar{b}$ and $c\bar{c}$ by a 0.5 factor.

$H \rightarrow$	$b\bar{b}$	$c\bar{c}$	$\tau\bar{\tau}$
N_S (events)	2400	120	270
N_B (events)	2520	2416	945
$\pm\sqrt{N_S + N_B}/N_S$	± 0.03	± 0.42	± 0.13

TABLE 2. Expected signals and backgrounds (fully integrated) for a standard model Higgs with $m_H = 110$ GeV, $\Gamma_H \simeq 3$ MeV. Muon collider resonance conditions with no polarization, $\Delta E/E \simeq 3 \times 10^{-5}$, and $L = 0.5 \text{ fb}^{-1}$ are assumed. The total number of Higgs scalars produced is $\sim 30,000$. Realistic efficiency and acceptance cuts are likely to dilute signal and backgrounds for $b\bar{b}$ and $c\bar{c}$ by a 0.5 factor.

$H \rightarrow$	$b\bar{b}$	$c\bar{c}$	$\tau\bar{\tau}$
N_S (events)	24,000	1,200	2,700
N_B (events)	25,200	24,160	9,450
$\pm\sqrt{N_S + N_B}/N_S$	± 0.009	± 0.13	± 0.04

- In these tables $c\bar{c}$ branching ratios have been reduced compared to those given previously [4,7]. The values given here assume smaller charm quark mass. The prediction is quite sensitive to the mass value assumed.

The selection of the energy and luminosity depends on 1) the reduced scan time to normal time needed, and 2) to improve precision to do physics. For example, to measure $c\bar{c}$, a factor of 10 increase in luminosity results in the improvement from 42%,

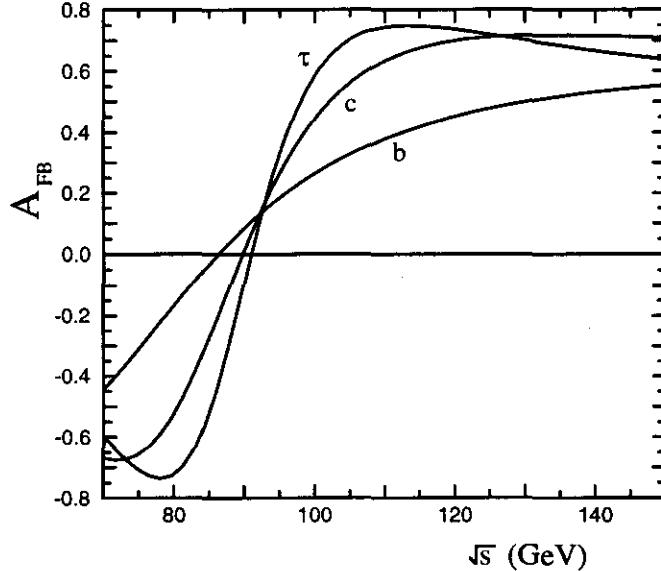


FIGURE 1. Forward-backward asymmetry for $\mu^-\mu^+ \rightarrow f\bar{f}$.

(Table 1) to about 13% (Table 2).

Other decays such as WW^* and ZZ^* are very small for this mass regions and to measure them need to improve precision. The parameter $\pm\sqrt{N_S + N_B}/N_S$ in Tables 1 and 2 was included for convenient. Further note, the values listed in Tables 1 and 2 should be reduced by $\frac{1}{\sqrt{2}}$ to include the effect of acceptance.

- Here we describe additional ways of potentially enhancing the Higgs signal to background ratio. The Higgs signal $\mu^-\mu^+ \rightarrow H \rightarrow f\bar{f}$ results from left-left (LL) or right-right (RR) beam polarizations and leads to an isotropic (i.e. constant) $f\bar{f}$ signal in $\cos\theta$ (the angle between the μ^- and f). Standard model backgrounds $\mu^-\mu^+ \rightarrow \gamma^*$ or $Z^* \rightarrow f\bar{f}$ result from LR or RL initial state polarizations and give rise to $(1 + \cos^2\theta + \frac{8}{3}A_{FB}\cos\theta)$ angular distributions. Similar statements apply to WW^* and ZZ^* final states, but those modes will not be discussed here.
- To illustrate the difference between signal, $\mu^-\mu^+ \rightarrow H \rightarrow f\bar{f}$,

and background, $\mu^-\mu^+ \rightarrow \gamma^*$ or $Z^* \rightarrow f\bar{f}$, we give the combined differential production rate with respect to $x \equiv \cos \theta = 4\mathbf{p}_{\mu^-} \cdot \mathbf{p}_f / s$ for polarized muon beams and fixed luminosity

$$\begin{aligned} \frac{dN(\mu^-\mu^+ \rightarrow f\bar{f})}{dx} &= \frac{1}{2} N_S (1 + P_+ P_-) \\ &+ \frac{3}{8} N_B [1 - P_+ P_- + (P_+ - P_-) A_{LR}] (1 + x^2 + \frac{8}{3} x A_{eff}). \end{aligned} \quad (1)$$

P_+ (P_-) is the μ^+ (μ^-) polarization with $P = -1$ pure left-handed, $P = +1$ pure right handed, and $P = 0$ unpolarized. N_S is the fully integrated ($-1 < x \leq 1$) Higgs signal and N_B the integrated background for the case of unpolarized beams, $P_+ = P_- = 0$. In that general expression,

$$A_{LR} \equiv \frac{\sigma_{LR \rightarrow LR} + \sigma_{LR \rightarrow RL} - \sigma_{RL \rightarrow RL} - \sigma_{RL \rightarrow LR}}{\sigma_{LR \rightarrow LR} + \sigma_{LR \rightarrow RL} + \sigma_{RL \rightarrow RL} + \sigma_{RL \rightarrow LR}}, \quad (2)$$

where, for example, $LR \rightarrow LR$ stands for $\mu_L^-\mu_R^+ \rightarrow f_L\bar{f}_R$. The effective forward-backward asymmetry is given by

$$A_{eff} = \frac{A_{FB} + P_{eff} A_{LR}^{FB}}{1 + P_{eff} A_{LR}}, \quad (3)$$

with

$$P_{eff} = \frac{P_+ - P_-}{1 - P_+ P_-}, \quad (4)$$

$$A_{FB} = \frac{3\sigma_{LR \rightarrow LR} + \sigma_{RL \rightarrow RL} - \sigma_{LR \rightarrow RL} - \sigma_{RL \rightarrow LR}}{4\sigma_{LR \rightarrow LR} + \sigma_{RL \rightarrow RL} + \sigma_{LR \rightarrow RL} + \sigma_{RL \rightarrow LR}}, \quad (5)$$

$$A_{LR}^{FB} = \frac{3\sigma_{LR \rightarrow LR} + \sigma_{RL \rightarrow RL} - \sigma_{LR \rightarrow RL} - \sigma_{RL \rightarrow RL}}{4\sigma_{LR \rightarrow LR} + \sigma_{RL \rightarrow RL} + \sigma_{LR \rightarrow RL} + \sigma_{RL \rightarrow RL}}. \quad (6)$$

and the $\mu_i^-\mu_j^+ \rightarrow f_i\bar{f}_j$, cross sections ($i \neq j$) are to lowest order

$$\begin{aligned} \sigma_{ij \rightarrow i'j'} &= (N_C) \sigma_0 \left[1 - \frac{s}{m_Z^2} \left(1 + \frac{(T_{3\mu_i} - Q_\mu \sin^2 \theta_W)(T_{3f_{i'}} - Q_f \sin^2 \theta_W)}{Q_\mu Q_f \sin^2 \theta_W \cos^2 \theta_W} \right) \right]^2, \\ T_{3\mu_L} &= T_{3\tau_L} = T_{3b_L} = -T_{3c_L} = -1/2, \\ T_{3f_R} &= 0, \quad Q_\mu = Q_\tau = 3Q_b = -\frac{3}{2}Q_c = -1 \quad (N_C = 3 \text{ for } f = b, c). \end{aligned} \quad (7)$$

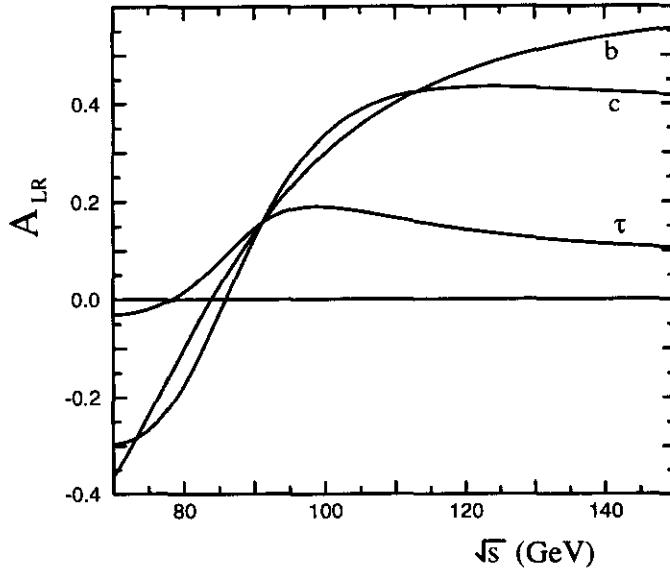


FIGURE 2. Left-right asymmetry for $\mu^-\mu^+ \rightarrow f\bar{f}$.

Realistic cuts, efficiencies, systematic errors etc, will not be considered. They are likely to dilute the $b\bar{b}$ and $c\bar{c}$ event rates by a factor of 0.5. In addition, we ignore the radiative Z production tail under the assumption such events are vetoed.

- The (unpolarized) forward-backward asymmetries are illustrated in Fig. 1. Note that A_{FB} is large (near maximal) for $\tau\bar{\tau}$ and $c\bar{c}$ in the region of interest. As we shall see, that feature can help in discriminating signal from background.
- In principle, large polarization in both beams can be important for enhancing “discovery” and precision measurement sensitivity for the Higgs. From Eq. (1), we find for fixed luminosity that $N_S/\sqrt{N_B}$ is enhanced (for integrated signal and background) by the factor

$$\kappa_{\text{pol}} = \frac{1 + P_+ P_-}{\sqrt{1 - P_+ P_- + (P_+ - P_-)A_{LR}}} , \quad (8)$$

where the A_{LR} are shown in Fig. 2. That result generalizes the

$P_+ = P_-$ case [5]. For natural beam polarization [1], $P_+ = P_- = 0.2$ (assuming spin rotation of one beam), the enhancement factor is only 1.06. For larger polarization, $P_+ = P_- = 0.5$, one obtains a 1.44 enhancement factor (statistically equivalent to about a factor of 2 luminosity increase). Similarly, $P_+ = P_- = 0.7$ leads to a factor of 2 enhancement or equivalently a factor of 4 scan time reduction. Unfortunately, obtaining even 0.5 polarization simply by muon energy cuts reduces each beam intensity [1] by a factor of 1/4, resulting in a luminosity reduction by 1/16. Such a trade-off is clearly unacceptable. Polarization will be a useful tool in Higgs resonance “discovery” and studies only if high polarization is achievable with little luminosity loss. Ideas for increasing the polarization are still being explored [1,6]. Tau final state polarizations can also be used to help improve the $H \rightarrow \tau\bar{\tau}$ measurement.

- Some “discovery” or sensitivity enhancement can also be obtained from angular discrimination. A proper study would include detector acceptance cuts and maximum likelihood fits. Here, we wish to only approximate the gain. For that purpose, we assume perfect (infinitesimal) binning and obtain a (maximal) measurement sensitivity enhancement factor

$$\frac{1}{2}(1 + P_+P_-)\sqrt{N_S + N_B} \left[\int \frac{dx}{dN/dx} \right]^{1/2}, \quad (9)$$

which becomes, from Equations (1) and (8),

$$\kappa_{\text{pol}} \sqrt{\frac{2}{3}} \sqrt{\frac{N_S + N_B}{N_B}} \left(\frac{\tan^{-1} \left(\frac{2}{\zeta} \sqrt{1 - \frac{16}{9} A_{\text{eff}}^2} + \zeta \right)}{\sqrt{1 - \frac{16}{9} A_{\text{eff}}^2 + \zeta}} \right)^{1/2}, \quad \zeta \equiv \frac{4}{3} \frac{N_S}{N_B} \frac{\kappa_{\text{pol}}^2}{1 + P_+P_-}. \quad (10)$$

- In the case of “discovery”, high polarization and/or a near maximal forward-backward asymmetry can significantly reduce the scan time. Additional analysis and detail will be given in [7].

Conclusion

We conclude that $\mathcal{L}_{\text{ave}} \simeq 5 \times 10^{30} \text{cm}^{-2}$ is too low and at least an additional order of magnitude increase in luminosity is needed for the Higgs resonance studies at the First Muon Collider. A factor of 10 in luminosity reduces the scan time by a factor of 10 and increases the resolution by about a factor of 3. The choice of energy and luminosity depends on 1) the scan time needed and 2) how precise a measurement is needed to do physics. For example, to measure $c\bar{c}$, a factor of 10 increase in luminosity provides the improvement from 42% , (Table 1) to about 13% (Table 2), and reduces the scan time from 3 years to over 3 months. Other decays such as WW^* and ZZ^* are very small for this mass regions and to measure them need to improve precision, thus the need for increase in Luminosity, etc.

We have shown that polarization is potentially useful for Higgs resonance studies, but only if the accompanying luminosity reduction is not significant. Large forward-backward asymmetries can also be used to enhance the Higgs “discovery” signal or improve precision measurements, particularly for $\tau\bar{\tau}$. However, to make the s -channel Higgs “factory” a compelling facility, we must attain a very good beam resolution and the highest luminosity possible. An additional “discovery” or sensitivity enhancement can be obtained from angular discrimination. For additional discussion see [7].

REFERENCES

1. Muon Collider Feasibility Study, BNL Report BNL-52503 (1996).
2. Cline, D., “The Problems and Physics Prospects for a $\mu^+\mu^-$ Collider”, in *Future High Energy Colliders*, edited by Z. Parsa, AIP Conference Proceedings **397**, 1997, pp. 203–218.
3. Barger, V., Berger, M.S., Gunion, J.F., and Han, T., “The Physics Capabilities of $\mu^+\mu^-$ Colliders”, in *Future High Energy Colliders*, edited by Z. Parsa, AIP Conference Proceedings **397**, 1997, pp. 219–233; *Phys. Rep.* **286**, 1–51 (1997); *Phys. Rev. Lett.* **75**, 1462–1465 (1995).

Z. Parsa - Luminosity Requirement for Higgs Resonance studies at the FMC

4. Kamal, B., Marciano, W., Parsa, Z., BNL Report BNL-65193 (1997), hep-ph/9712270.
5. Parsa, Z., $\mu^+\mu^-$ Collider and Physics Possibilities (1993) (unpublished).
6. Skrinsky, A., *Presentation, Dec 1997*.
7. Kamal, B., Marciano, W., Parsa, Z., to be published.

HIGGS FACTORY COLLIDER RING LATTICE STUDIES

Al Garren

MUMU97

December 11, 1997

Designs for a 50 GeV collider ring lattice are progressing well, but have not yet converged.

This talk, and the next ones by Carol Johnstones and Bill Ng, are about the current status of this work - which has been done mainly by Carol, Dejan Trbojevic and myself.

We have had essential help and input from:

Weishi Wan - tracking runs with COSY

A. Drozdin - designs for halo scraping and injection

I. Stumer and N. Mokhov - shielding studies and designs

Bill Ng and Ernest Courant for lattice contributions

Juan Gallardo and Martin Berz for helpfull advice

Two lattices

Currently there are two lattice designs, one by Trbojevic and one by Johnstone and myself. For this talk, I will designate them by authors initials : T for Trbojevic's and JG for Johnstone-Garren's.

These rings have both similarities and differences:

Both use the same approach for sextupole correction..

The designs of the Interaction Region, which contains the collision point (IP) and the low-beta quadrupoles, are similar but not identical.

The designs of the Chromatic Correction Section are also similar.

The modules that provide bending and give the ring zero momentum compaction are different in both design and number.

The matching sections between the regions differ.

The JG lattice contains a long straight section for scraping and injection, has zero momentum compaction the ring closes geometrically.

The T lattice is incomplete; therefor it does not close and has no provision for injection and scraping.

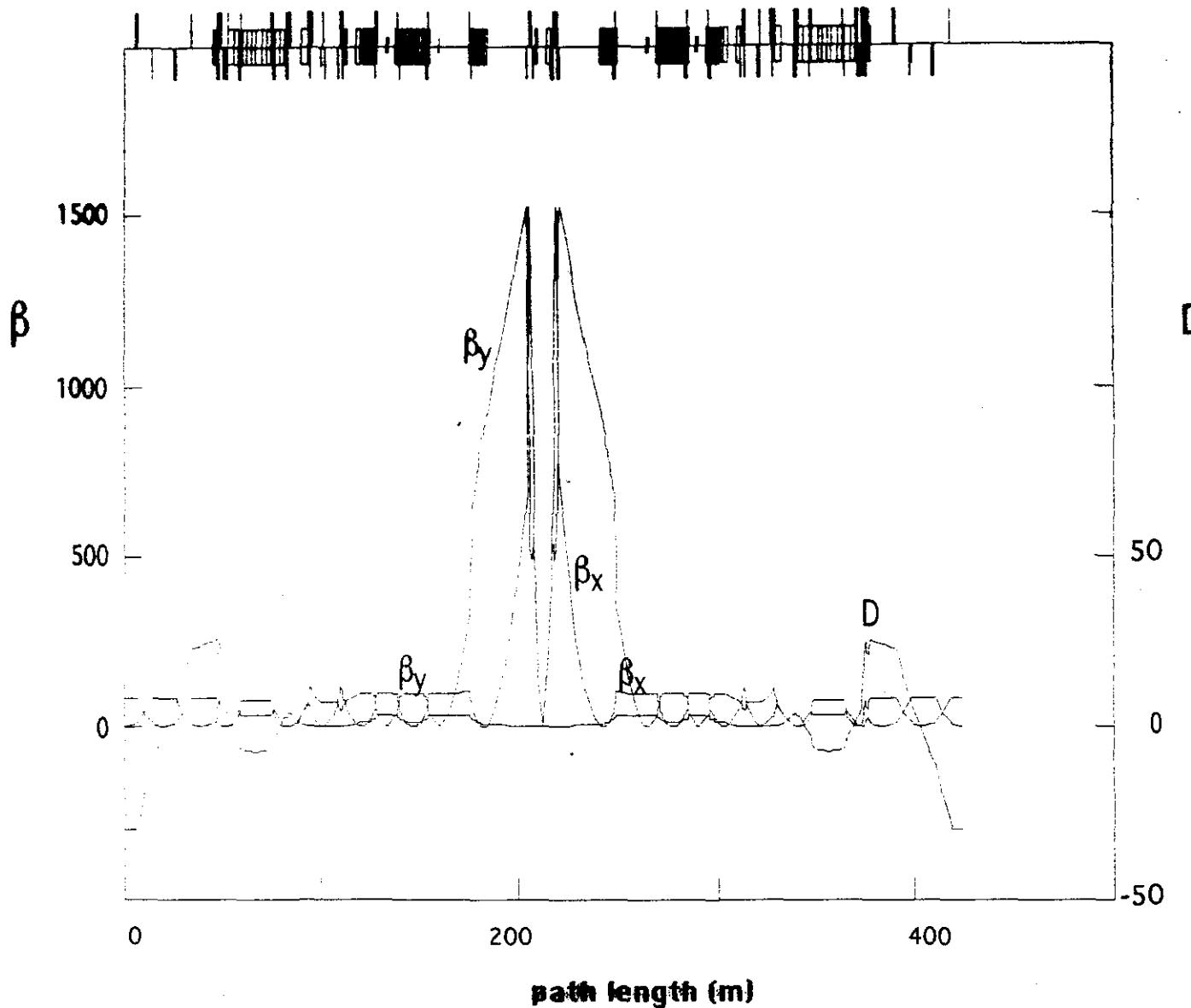
The T lattice has more arc modules, which give it more tuning range and possibly larger dynamic aperture.

The JG lattice

I will give an overview of the lattice. In the next talk, more of the design and performance, especially of the interaction region and chromatic correction section will be given.

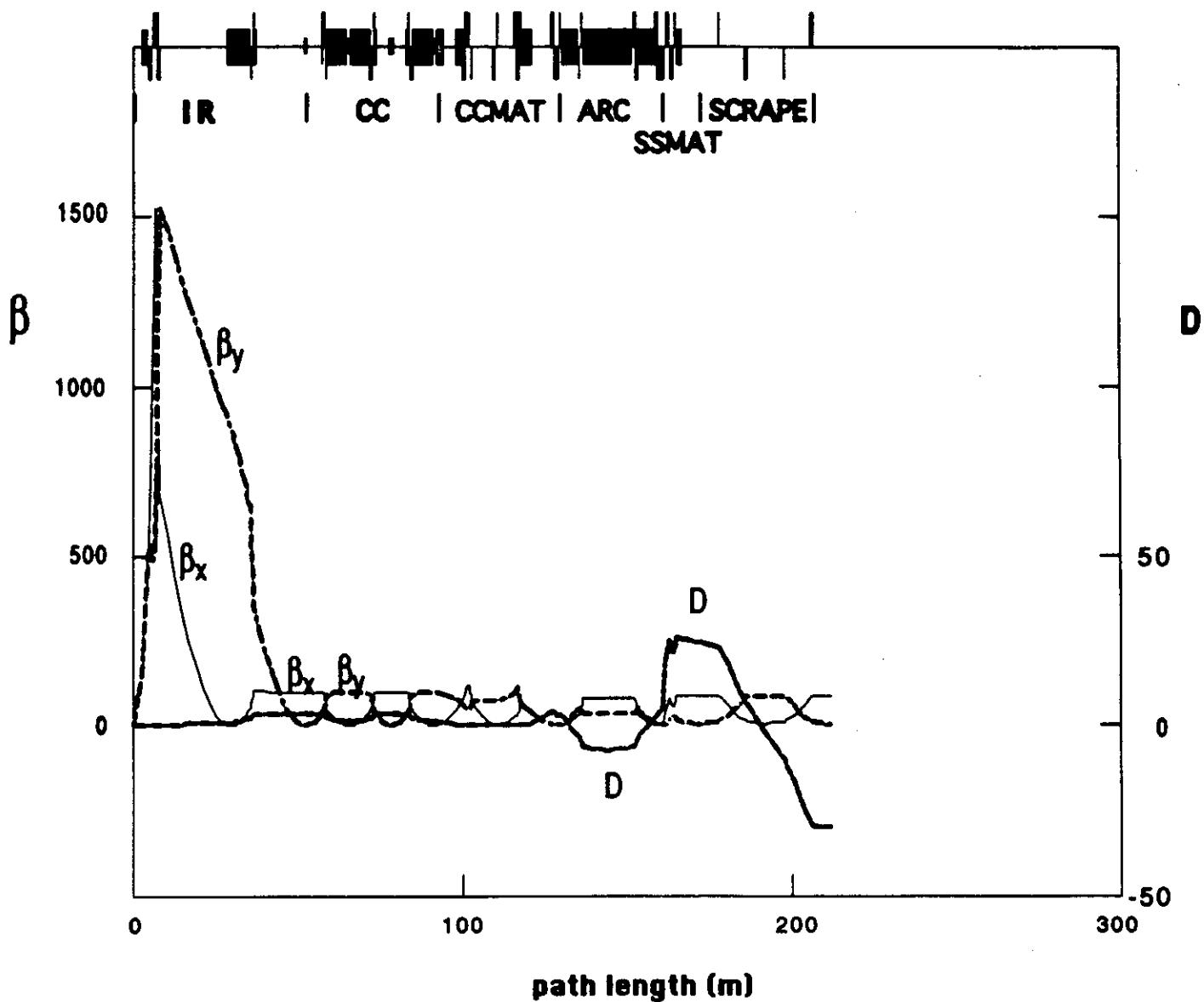
The only symmetry in this ring is bilateral reflection. The first three figures show a beta function plot of the full and half rings and a purely lattice schematic that shows the six component parts of each half ring.

Following these are six plots of each lattice component.



RING

RING
7 DEC 1997



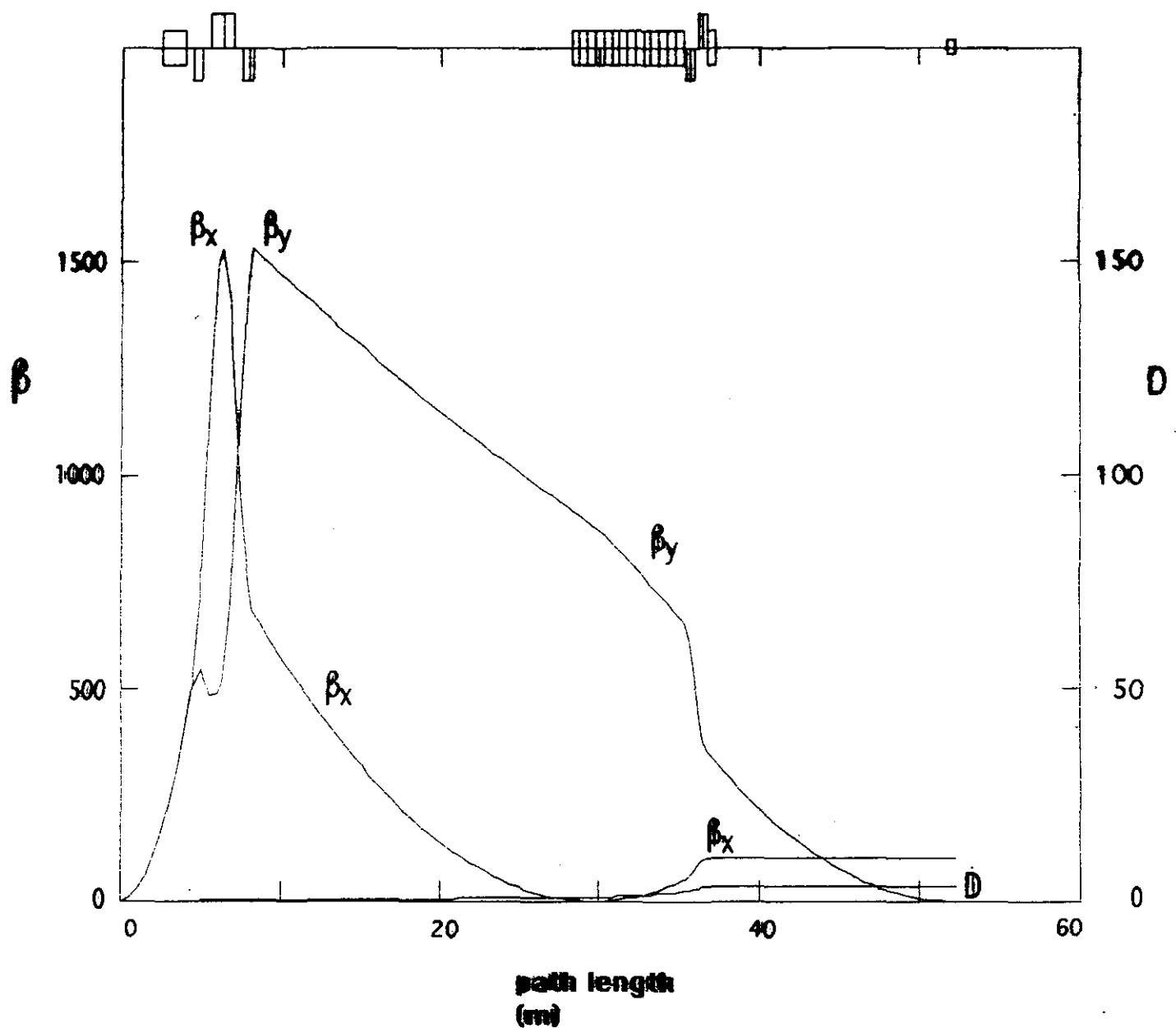
HALF RING

HALF RING
7 DEC 1997



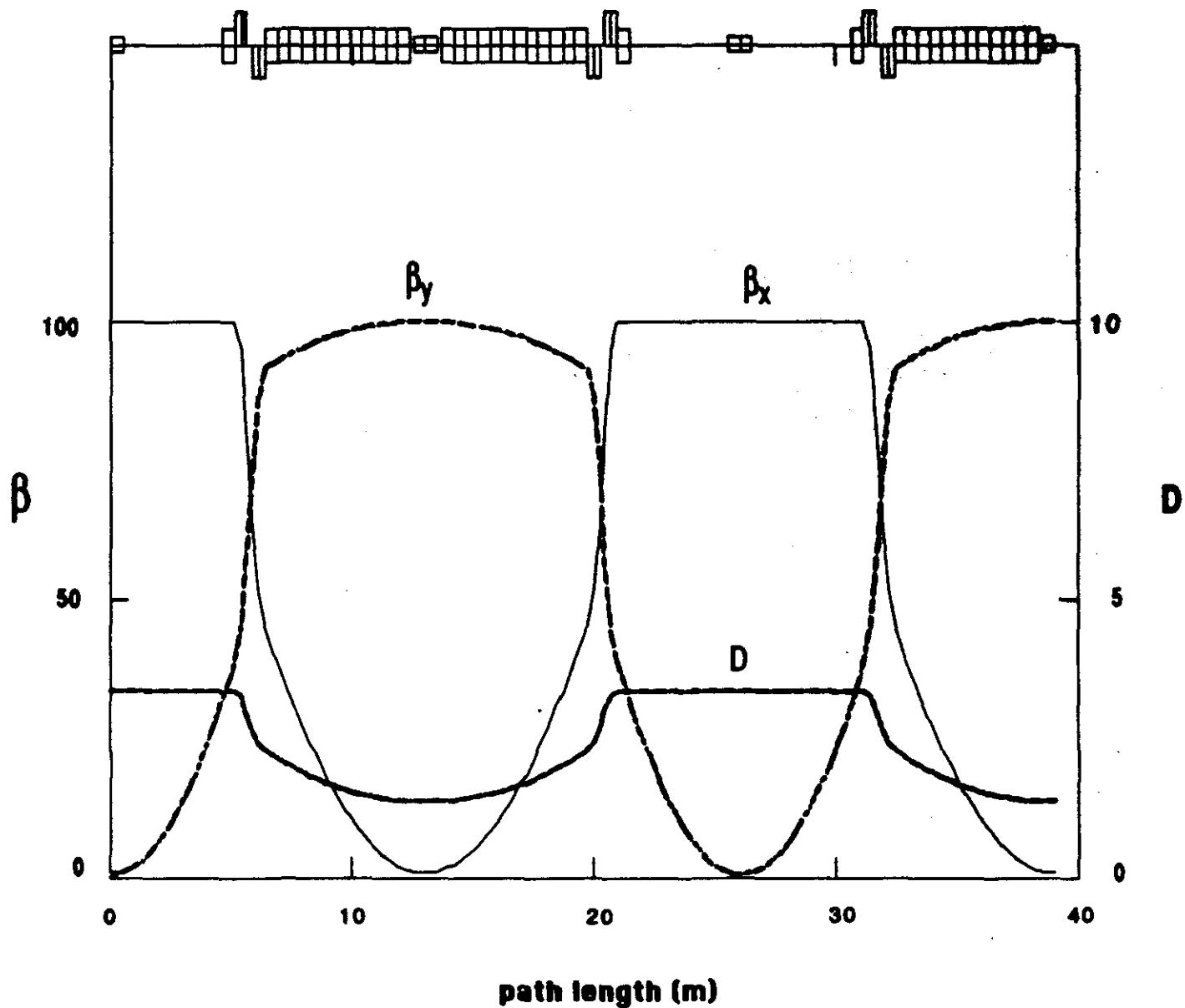
BEAMLINE OF HALF RING

7 DEC 1997



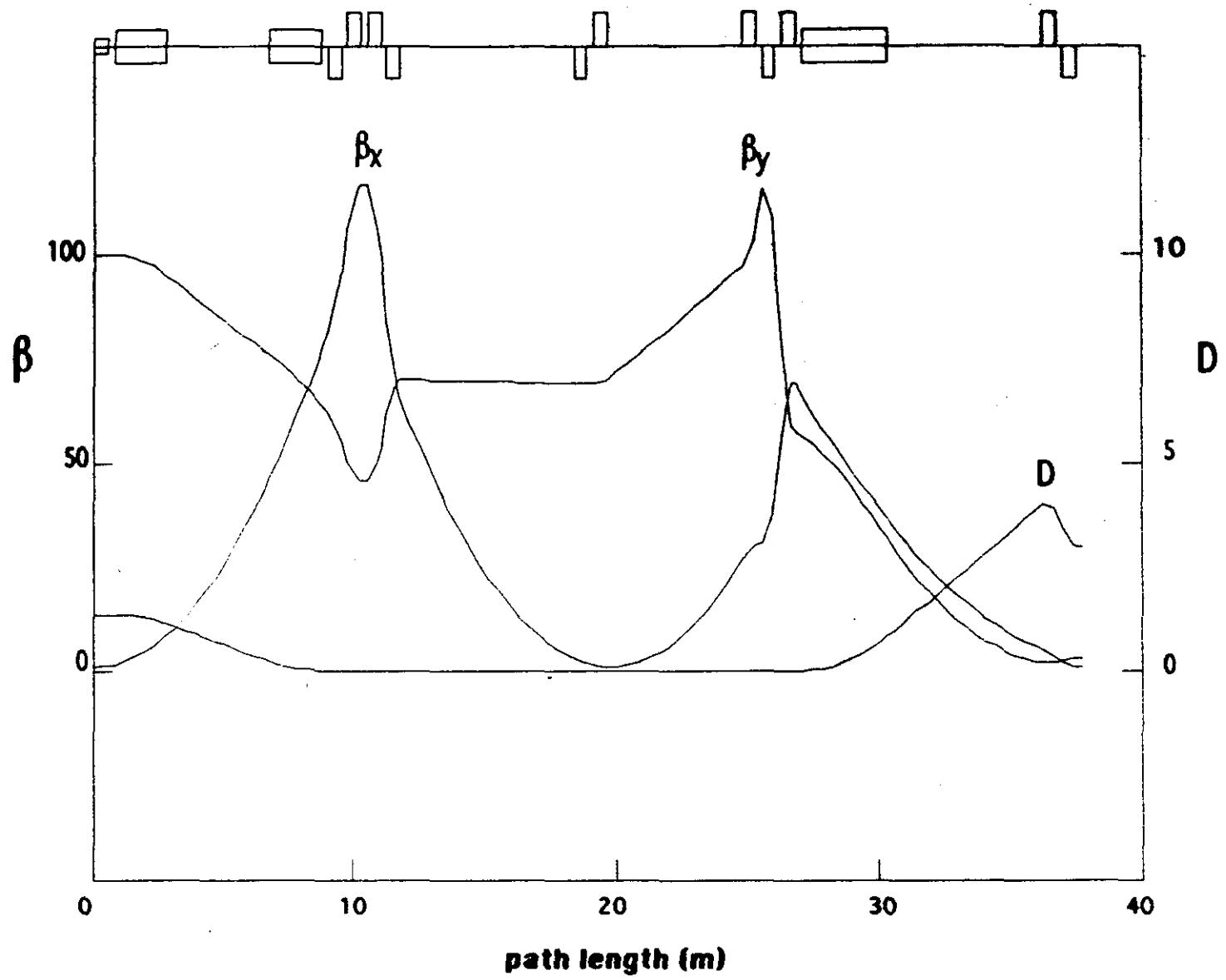
INTERACTION REGION

IR
7-DEC-1997



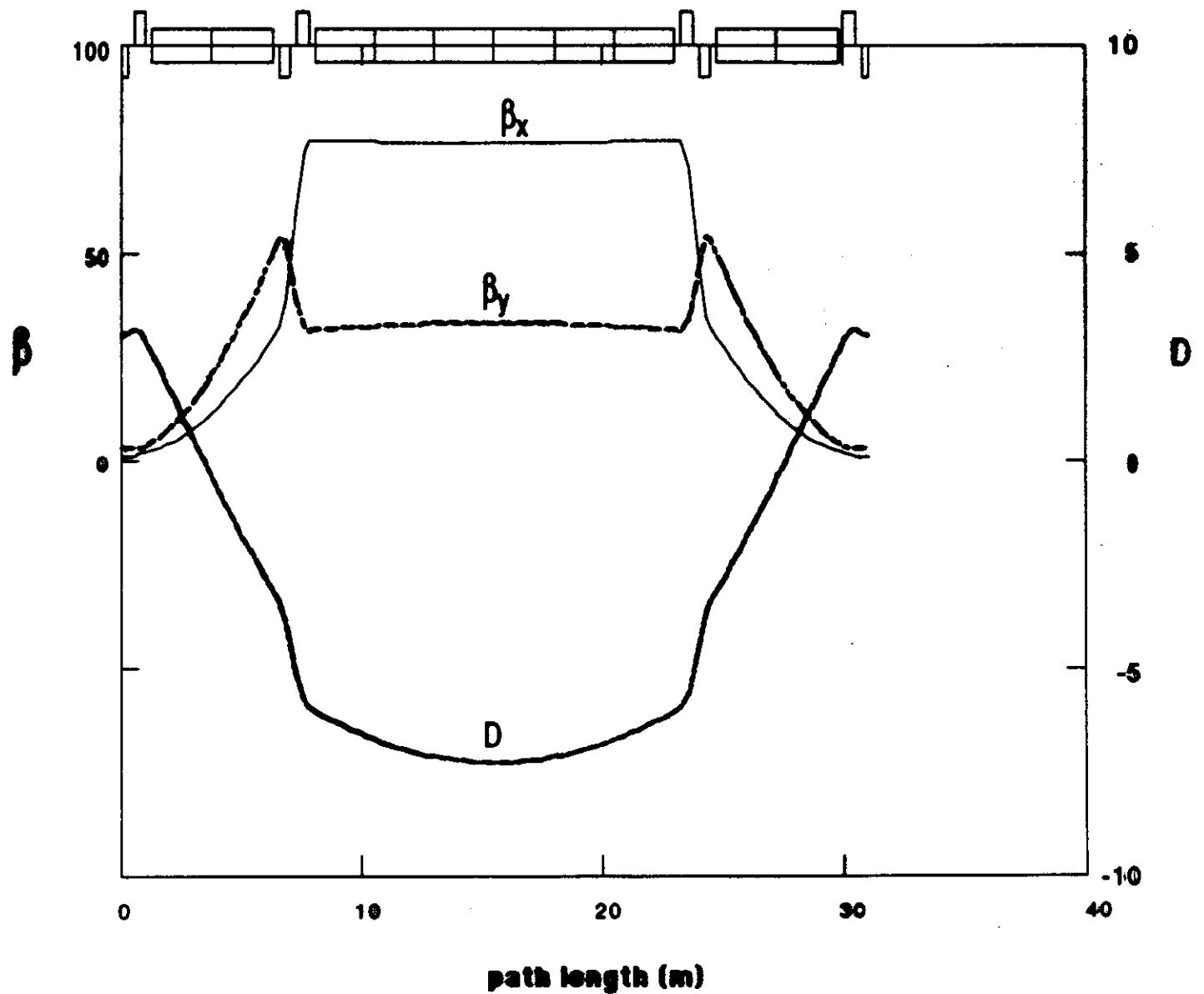
CHROMATIC CORRECTION SECTION

CC
7-DEC-1997



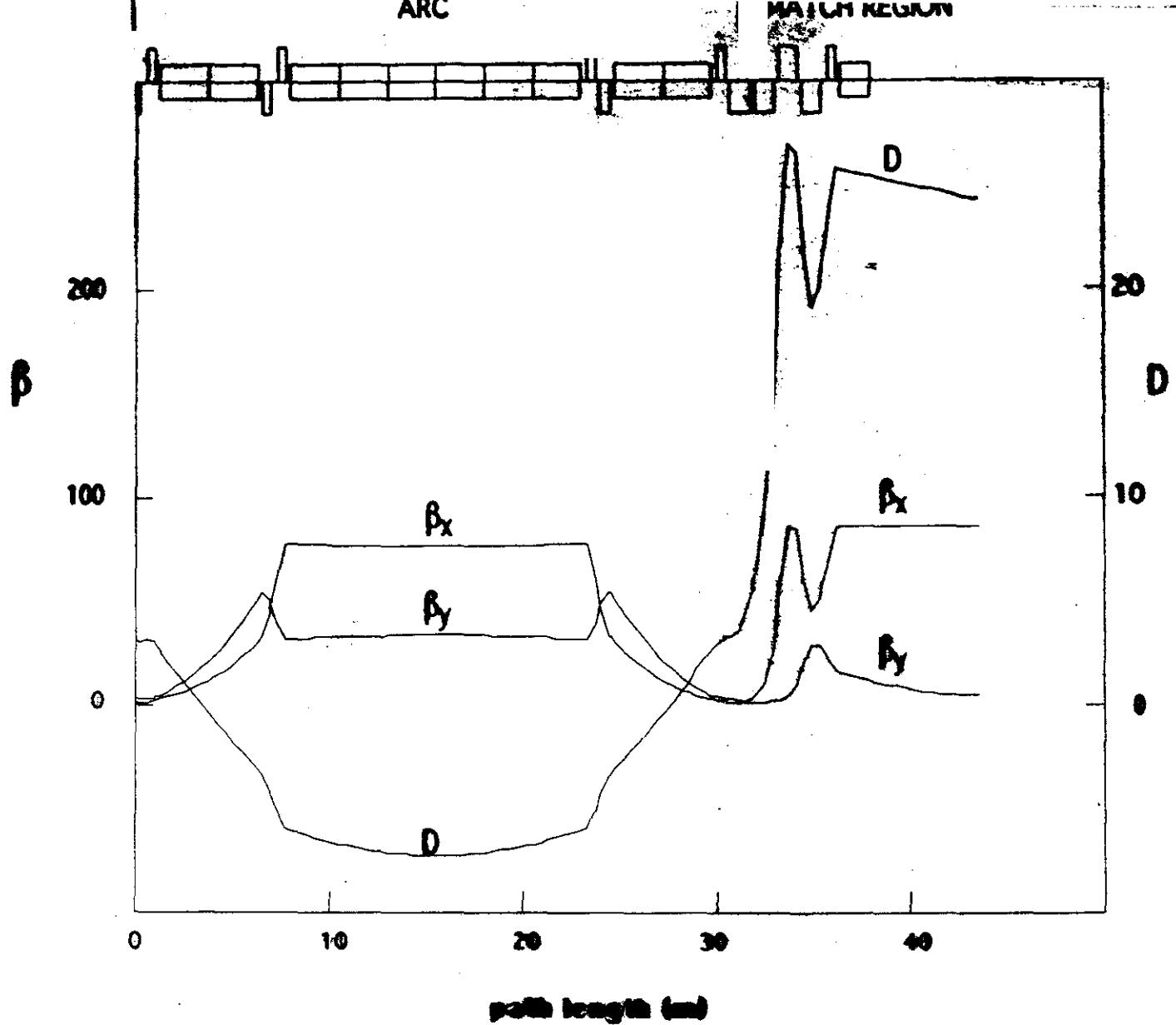
MATCHING REGION BETWEEN CHROMATIC CORRECTION SECTION AND ARC

CC-ARC
7-DEC-1997



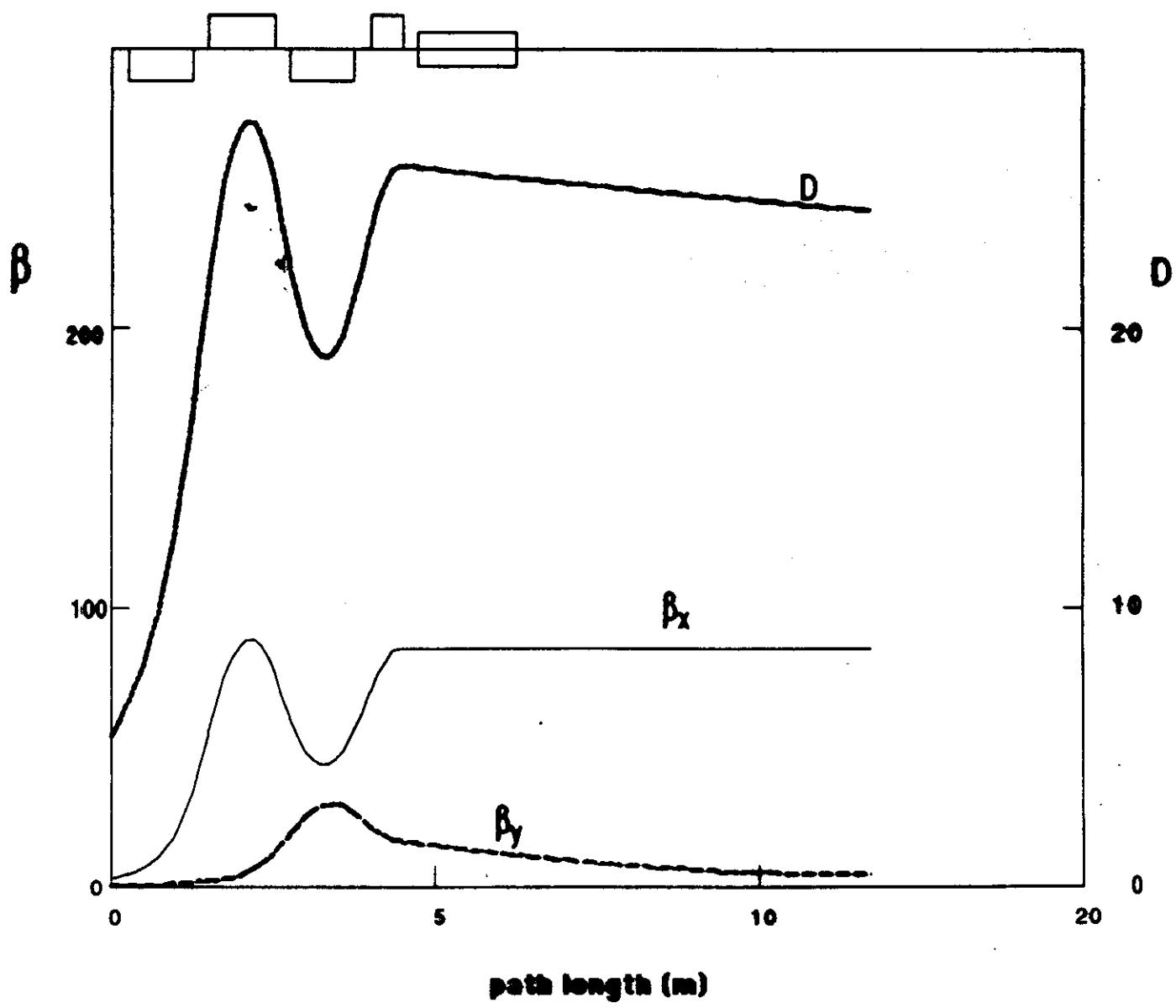
LOW MOMENTUM COMPACTION ARC

ARC
7-DEC-1997



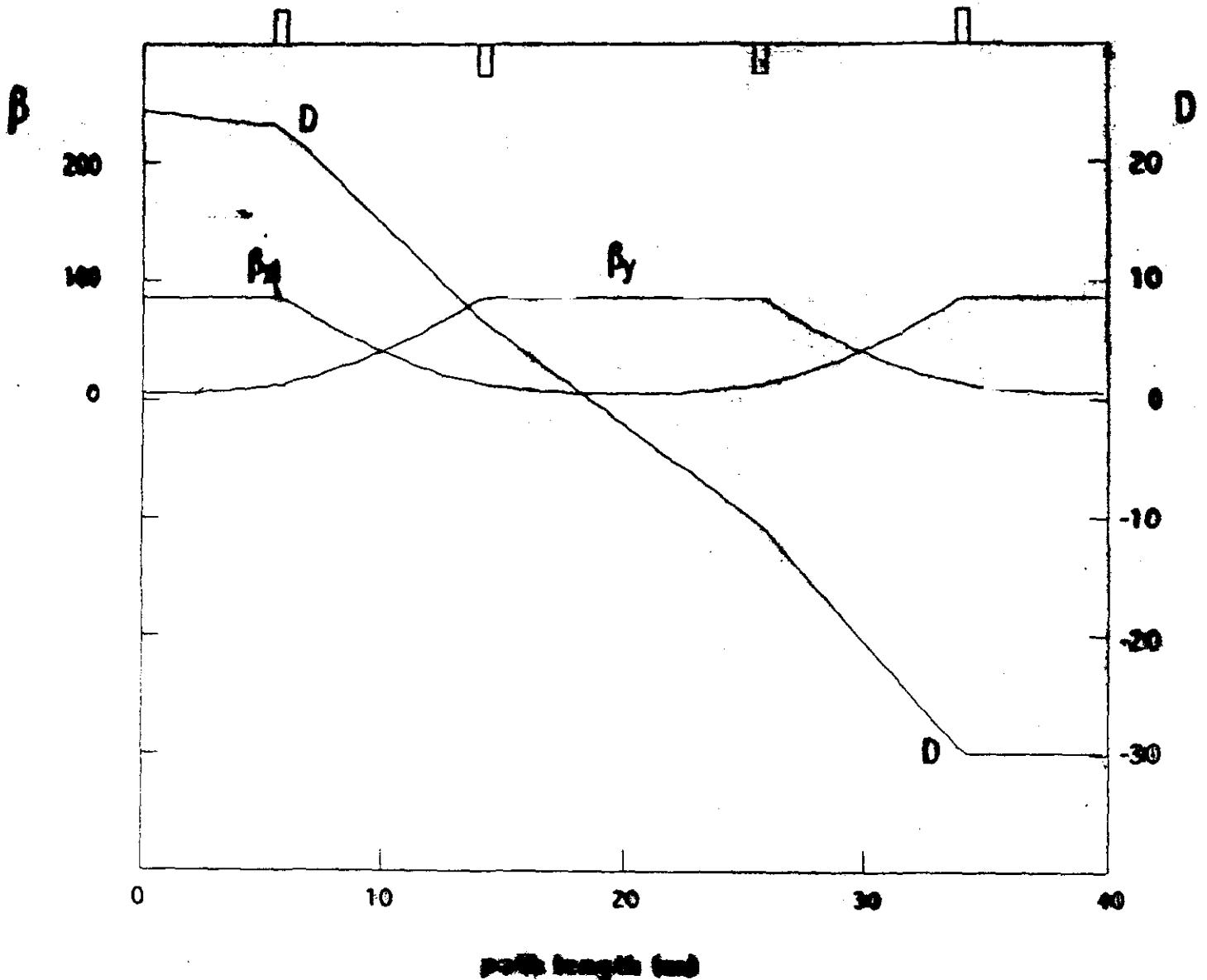
ARC AND MATCHING REGION TO SCRAPPING STRAIGHT SECTION

ARC
7-DEC-1997



MATCHING SECTION TO SCRAPING STRAIGHT SECTION

SSMAT
 7-DEC-1997



LEFT SIDE OF SCRAPPING STATION SECTION

SCRAPE
7-DEC-1997

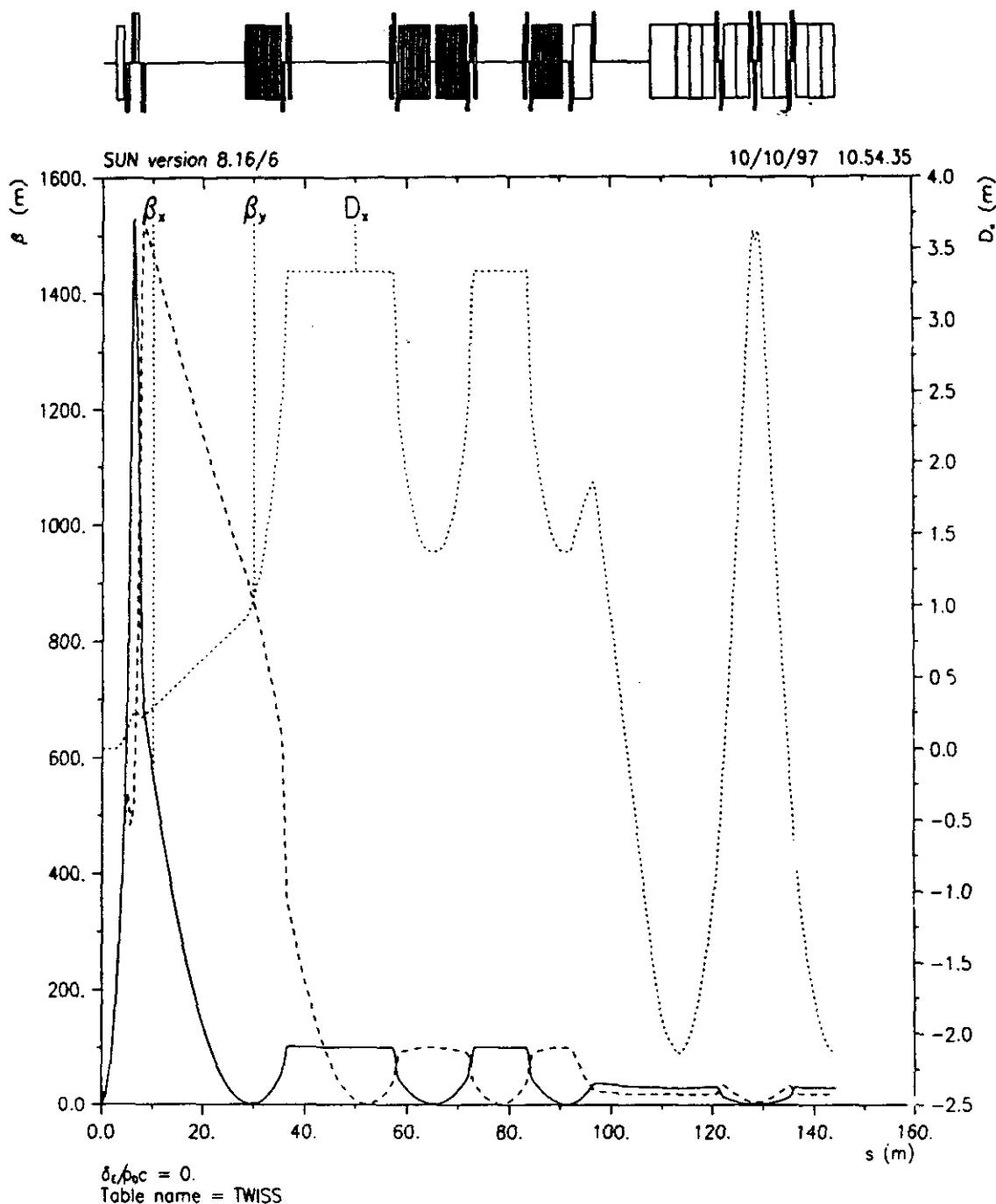
C. Johnstone(FNAL)

50 GeV Lattice Studies

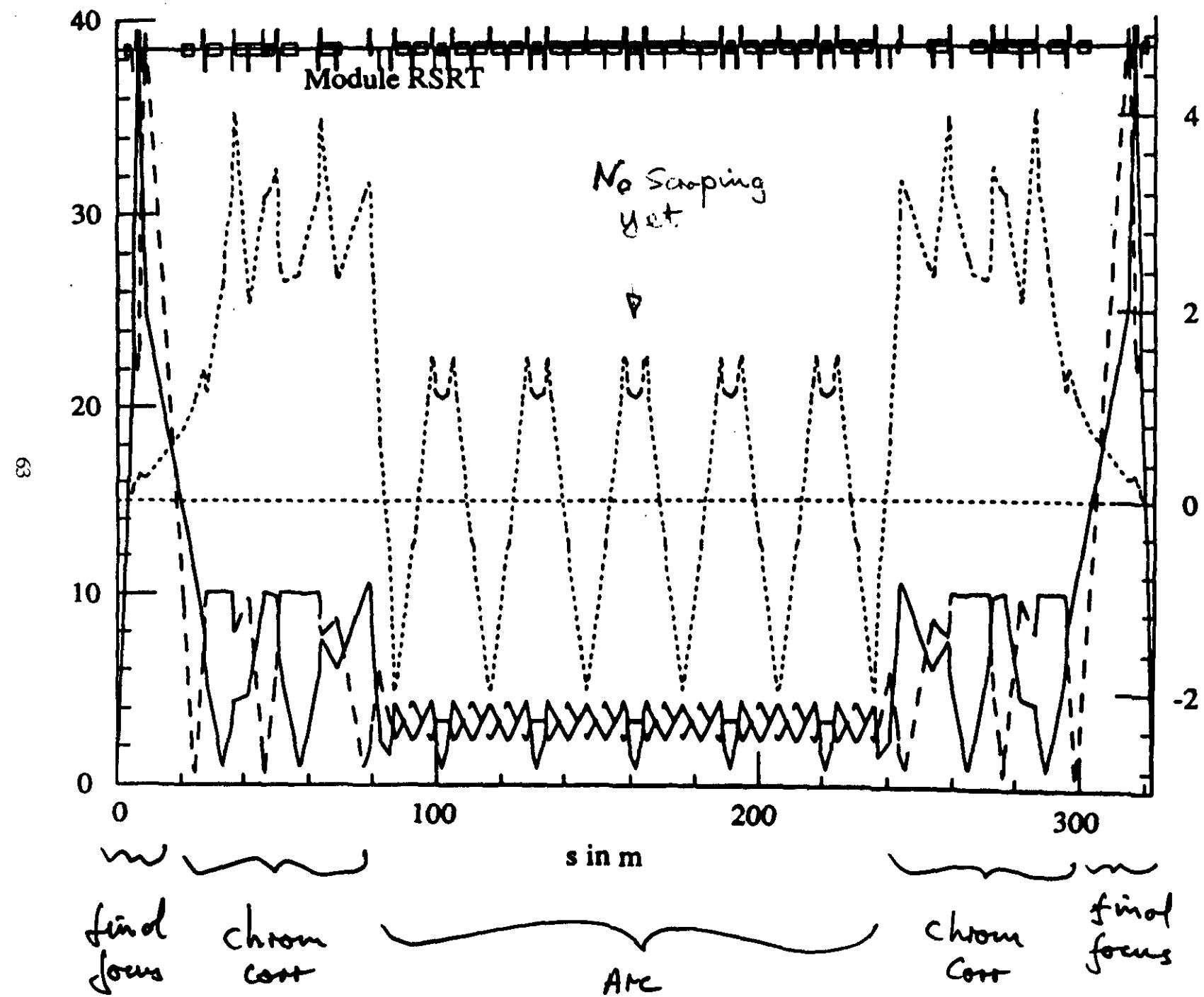
Feb 12-13, 1998

- Scraping
- Chromatic correction
- Dynamic aperture
- New 300 meter ring

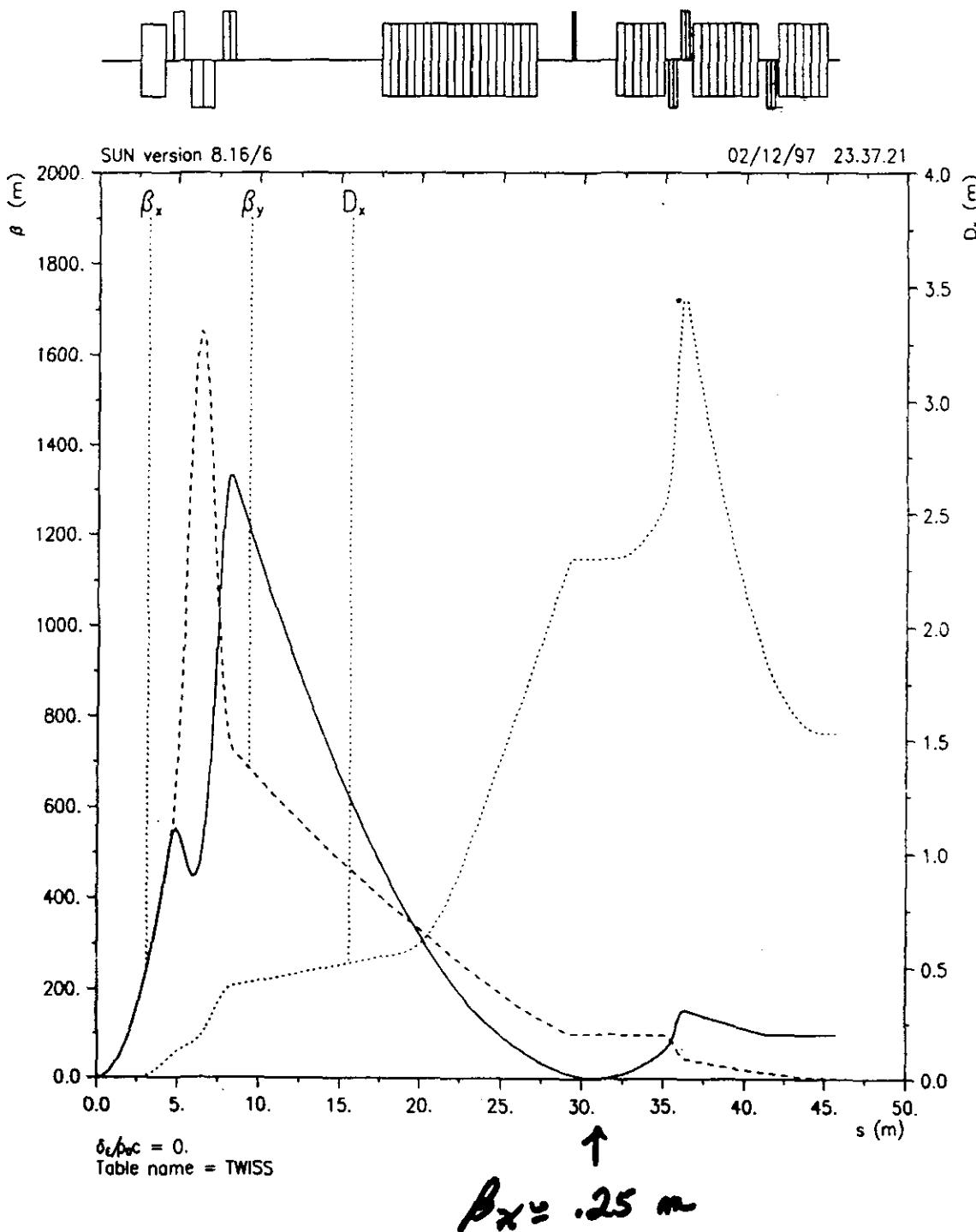
no scraping/injection



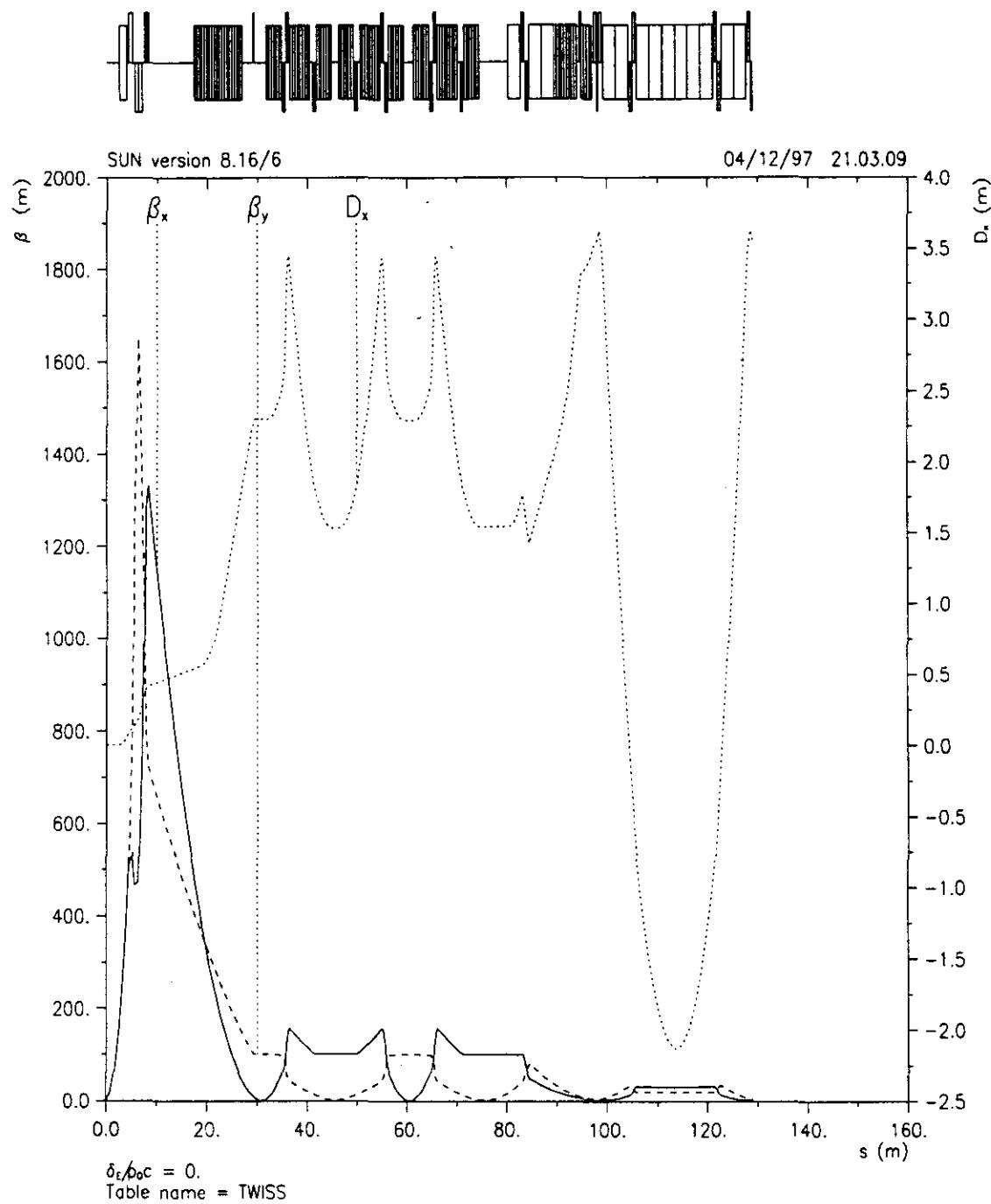
Tribojevic



KINDER GENTLE IR



300-m circumference Ring



Linear lattice functions for beam line: RING

Range: #S/#E

delta(p)/p = 0.000000 symm = F

page 1

ELEMENT SEQUENCE			HORIZONTAL						VERTICAL											
pos.	element	occ.	dist	I	betax	alfax	mux	x(co)	px(co)	Dx	Dpx	I	betay	alfay	muy	y(co)	py(co)	Dy	Dpy	
no.	name	no.	[m]	I	[m]	[1]	[2pi]	[mm]	[.001]	[m]	[1]	I	[m]	[1]	[2pi]	[mm]	[.001]	[m]	[1]	
begin	RING			1	0.000	0.040	0.000	0.000	0.000	0.000	0.040	0.000	0.000	0.000	0.000	0.000	0.000	0.000	0.000	
end	RING			1	258.183	0.040	0.000	4.335	0.000	0.000	0.040	0.000	3.372	0.000	0.000	0.000	0.000	0.000	0.000	
<hr/>																				
total length =			258.183281		Qx	=		4.334774			Qy	=			3.371945					
delta(s) =			0.000000 mm		Qx'	=		-71.093044			Qy'	=			-84.262402					
alfa =			0.311073E-01		betax(max)	=		1331.406875			betay(max)	=			1651.124623					
gamma(tr) =			5.669815		Dx(max)	=		3.625188			Dy(max)	=			0.000000					
<hr/>																				
					Dx(r.m.s.)	=		2.192494			Dy(r.m.s.)	=			0.000000					
					xco(max)	=		0.000000			yco(max)	=			0.000000					
					xco(r.m.s.)	=		0.000000			yco(r.m.s.)	=			0.000000					

"MAD" Version: 8.17 Run: 11/02/98 12.53.53

Survey of beam line: RING

range: #3/#E

page 1

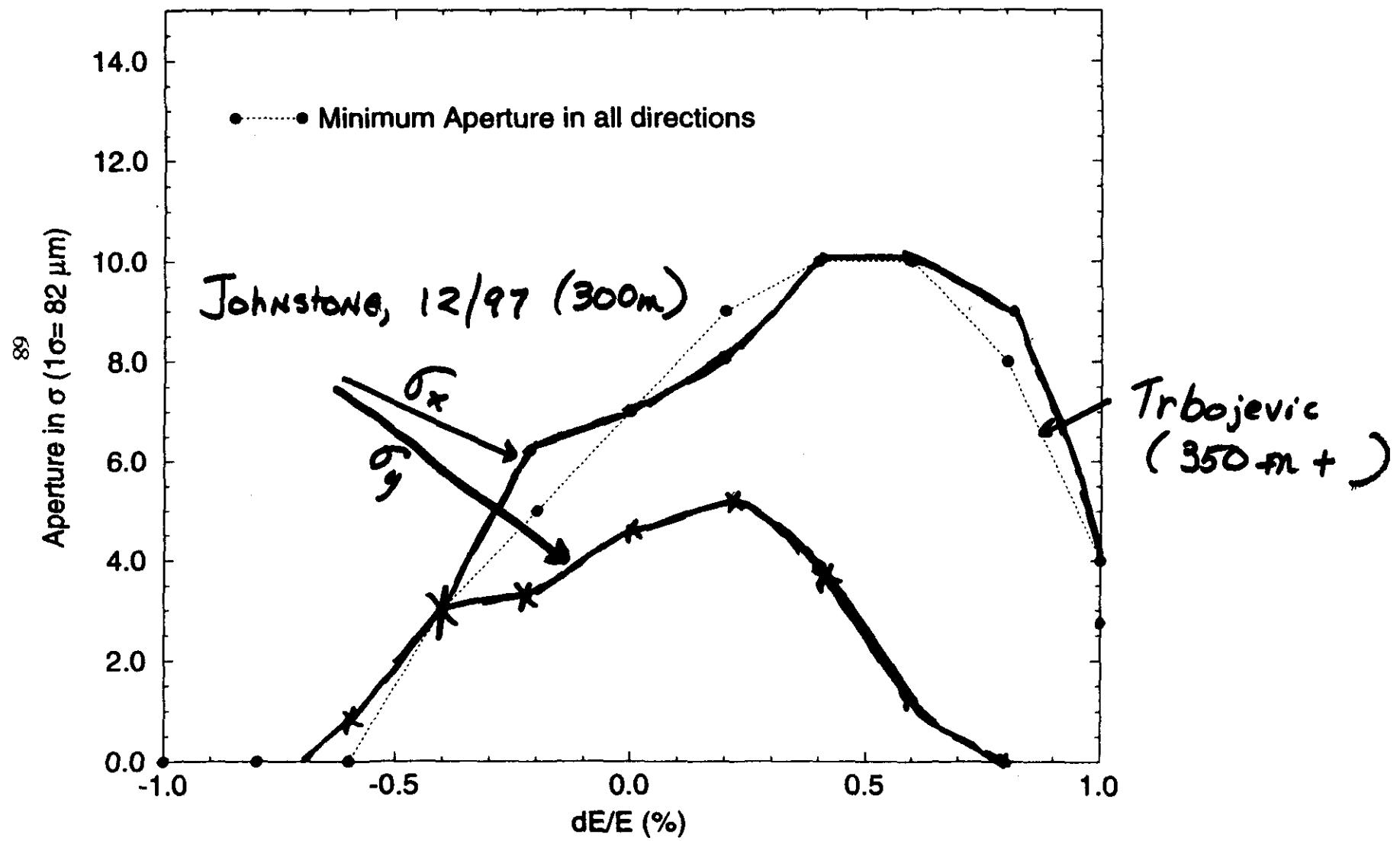
ELEMENT		SEQUENCE		I	POSITIONS			I	ANGLES			
pos.	element	occ.	sum(L)	arc	I	x	y	z	I	theta	phi	psi
no.	name	no.	[m]	[m]	I	[m]	[m]	[m]	I	[rad]	[rad]	[rad]
begin RING		1	0.000000	0.000000	0.000000	0.000000	0.000000	0.000000	0.000000	0.000000	0.000000	0.000000
end RING		1	258.183281	258.215961	-7.501954	0.000000	56.834891	-6.545659	0.000000	0.000000	0.000000	0.000000
total length =			258.183281	arc length =	258.215961							
error(x) =			-0.750195E+01	error(y) =	0.000000E+00	error(z) =	0.568349E+02					
error(theta) =			-0.262474E+00	error(phi) =	0.000000E+00	error(psi) =	0.000000E+00					

67

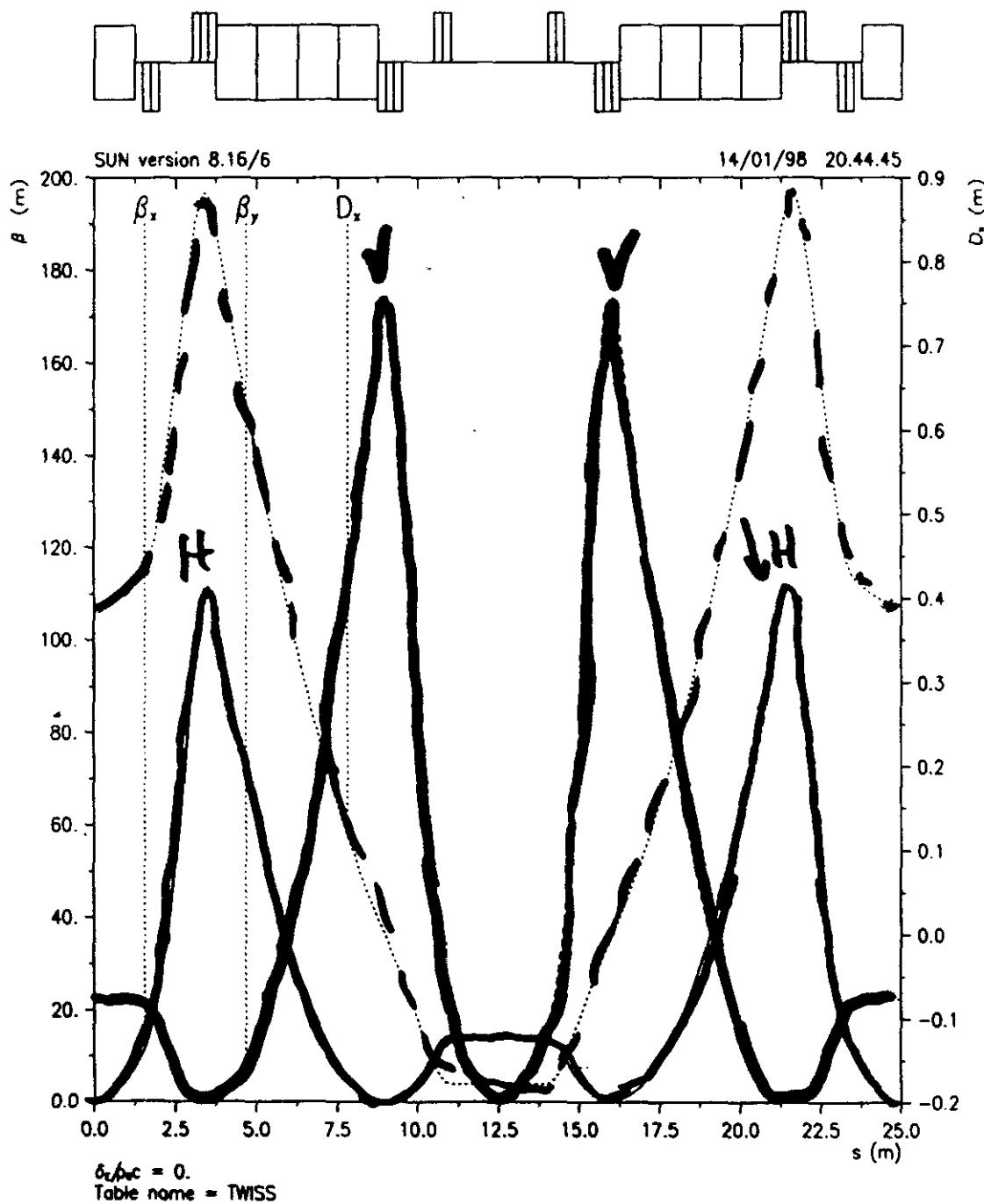
Apertures

W. Wan

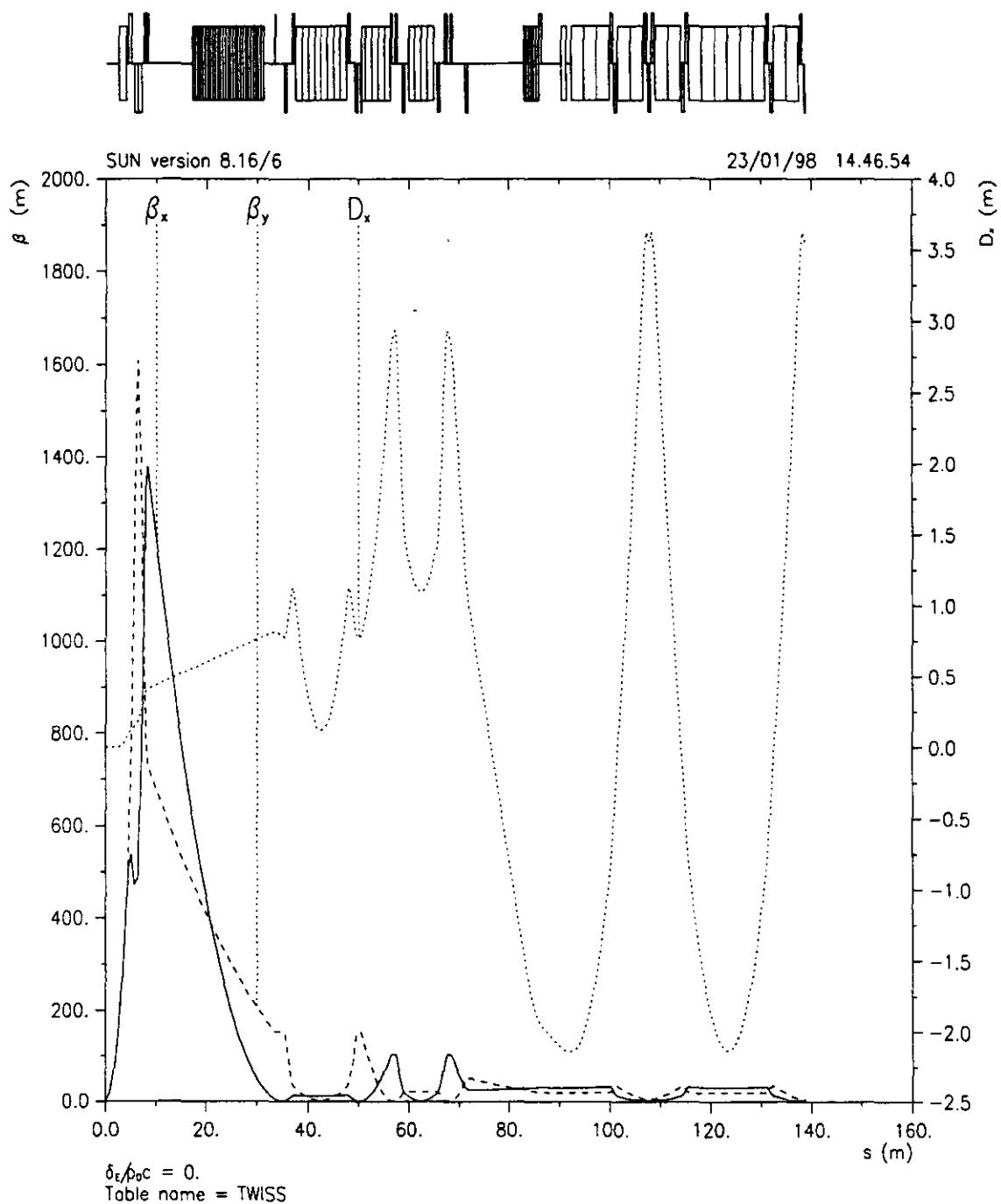
Tracking Results by the "COSY"-tracking Code
50 GeV Muon Collider - 320 m Long Storage Ring



Chromatic Correction Section Redesign



300-m Ring, new CCS



New CCS 300-m Ring Reduced &

"MAD" Version: 8.17

Run: 11/02/98 13.02.25

Linear lattice functions for beam line: RING

Range: #S/#E

delta(p)/p = 0.000000 symm = F

page 1

ELEMENT SEQUENCE		HORIZONTAL										VERTICAL									
pos.	element occ.	dist I	betax	alfax	mux	x(co)	px(co)	Dx	Dpx	I	betay	alfay	muy	y(co)	py(co)	Dy	Dpy				
no.	name	[m]	I	[1]	[2pi]	[mm]	[.001]	[m]	[1]	I	[m]	[1]	[2pi]	[mm]	[.001]	[m]	[1]				
begin RING		1	0.000	0.040	0.000	0.000	0.000	0.000	0.000	0.000	0.040	0.000	0.000	0.000	0.000	0.000	0.000				
end RING		1	277.791	0.040	0.000	5.630	0.000	0.000	0.000	0.000	0.040	0.000	4.628	0.000	0.000	0.000	0.000				
total length =		277.790814		Qx	=	5.629717				Qy	=	4.628156									
delta(s) =		0.000000 mm		Qx'	=	0.378107				Qy'	=	-0.434743									
alfa =		0.254724E-02		betax(max)	=	1379.165360				betay(max)	=	1608.697409									
gamma(tr) I		19.813680		Dx(max)	=	3.625123				Dy(max)	=	0.000000									
				Dx(r.m.s.)	=	1.684661				Dy(r.m.s.)	=	0.000000									
				xco(max)	=	0.000000				yco(max)	=	0.000000									
				xco(r.m.s.)	=	0.000000				yco(r.m.s.)	=	0.000000									

Survey of beam line: RING

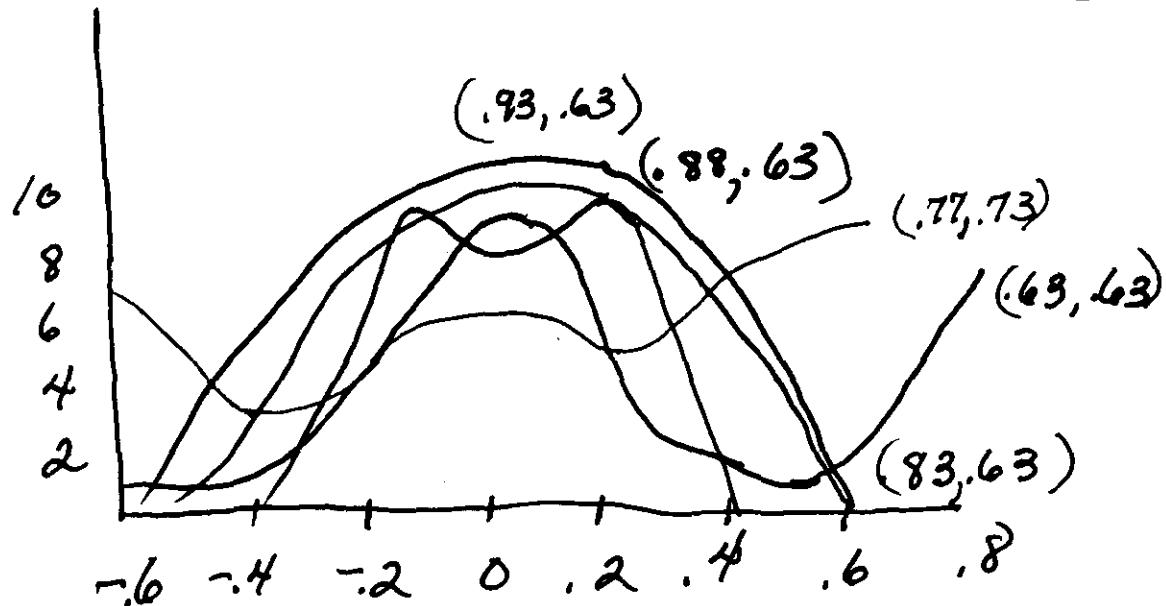
range: #S/#E

page 1

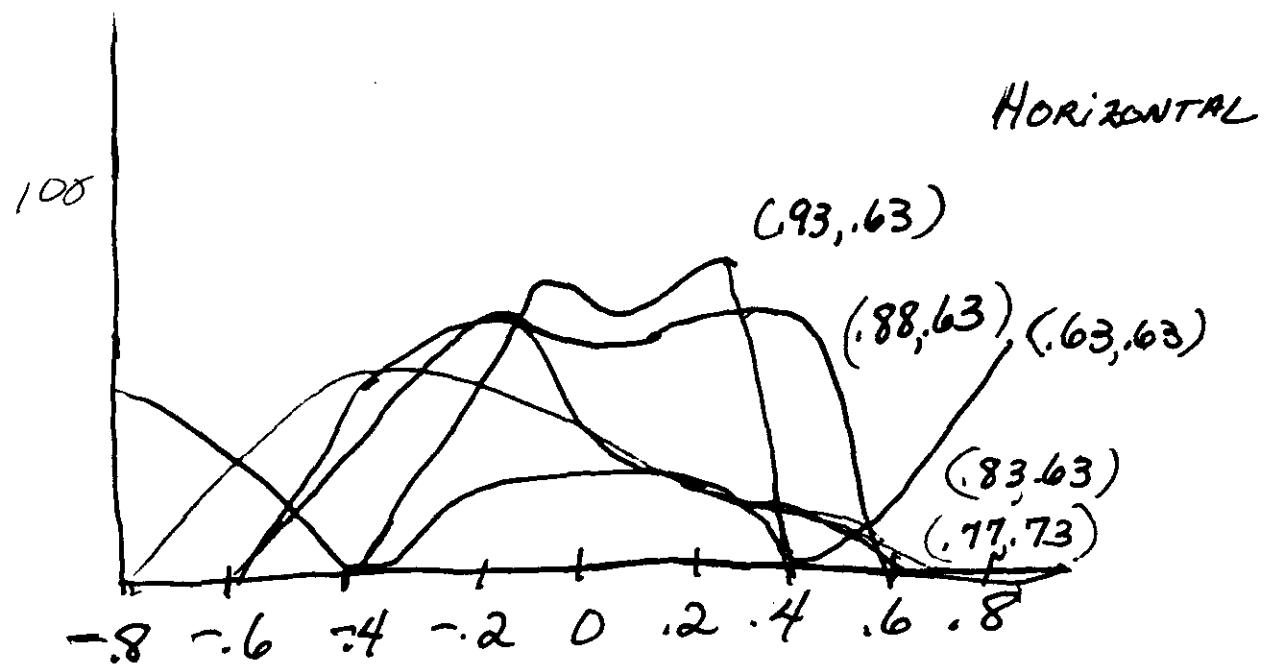
ELEMENT SEQUENCE			POSITIONS			ANGLES						
pos.	element	occ.	sum(L)	arc	I	x	y	z	I	theta	phi	psi
no.	name	no.	[m]	[m]	I	[m]	[m]	[m]	I	[rad]	[rad]	[rad]
begin	RING	1	0.000000	0.000000	0.000000	0.000000	0.000000	0.000000	0.000000	0.000000	0.000000	0.000000
end	RING	1	277.790814	277.842969	-16.474205	0.000000	69.212888	-6.750533	0.000000	0.000000	0.000000	0.000000
<hr/>												
total length =	277.790814		arc length =		277.842969							
error(x) =	-0.164742E+02		error(y) =		0.000000E+00		error(z) =		0.692129E+02			
error(theta) =	-0.467348E+00		error(phi) =		0.000000E+00		error(psi) =		0.000000E+00			

Dynamic Aperture Tune Studies
300m Ring

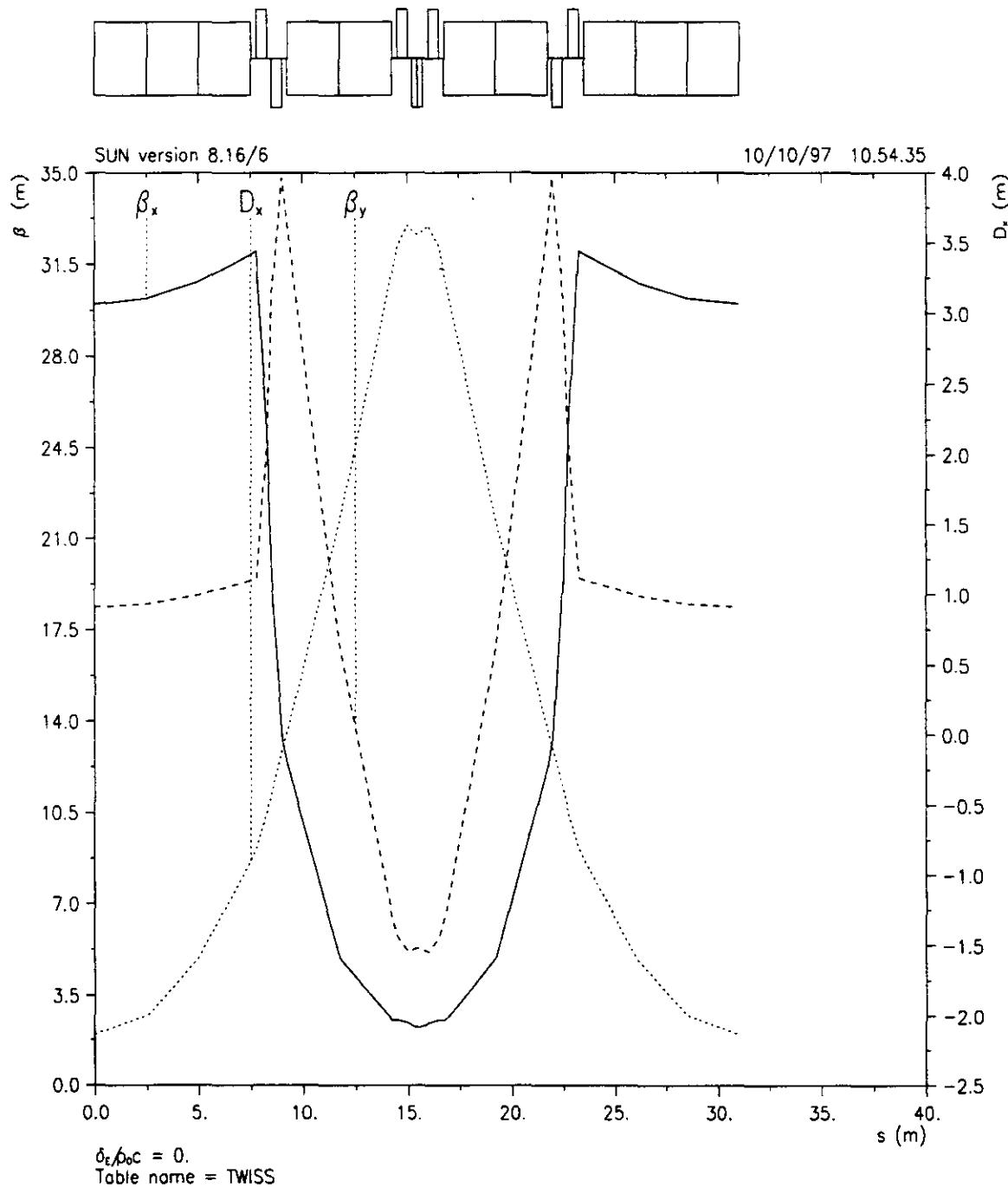
VERTICAL



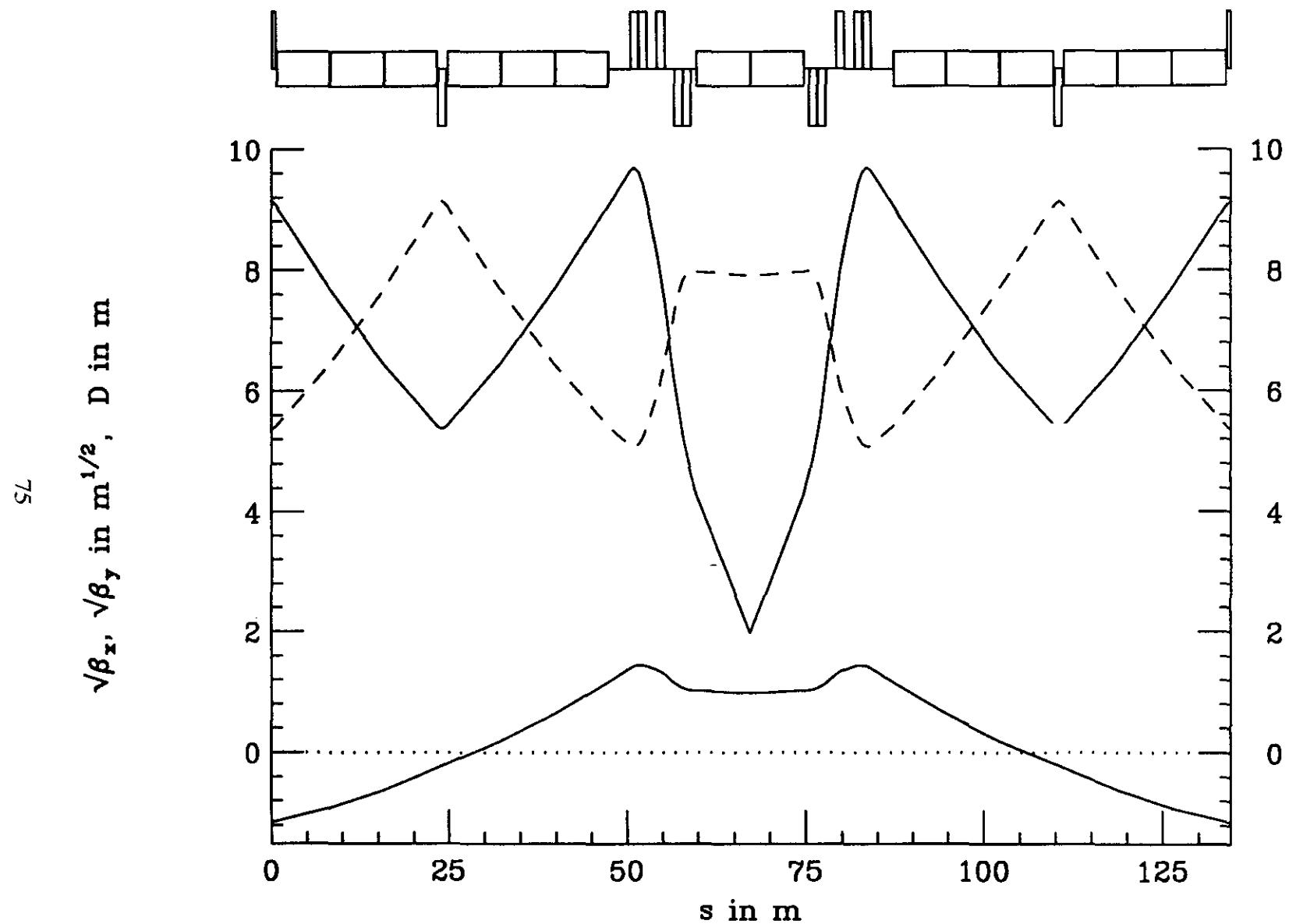
HORIZONTAL



Arc Module 300 m Ring



Standard FMC module (D. Trbojević's lattice)



Dispersion max/min: 1.44238/-1.14854m,

γ_t : (902.37, 0.00)

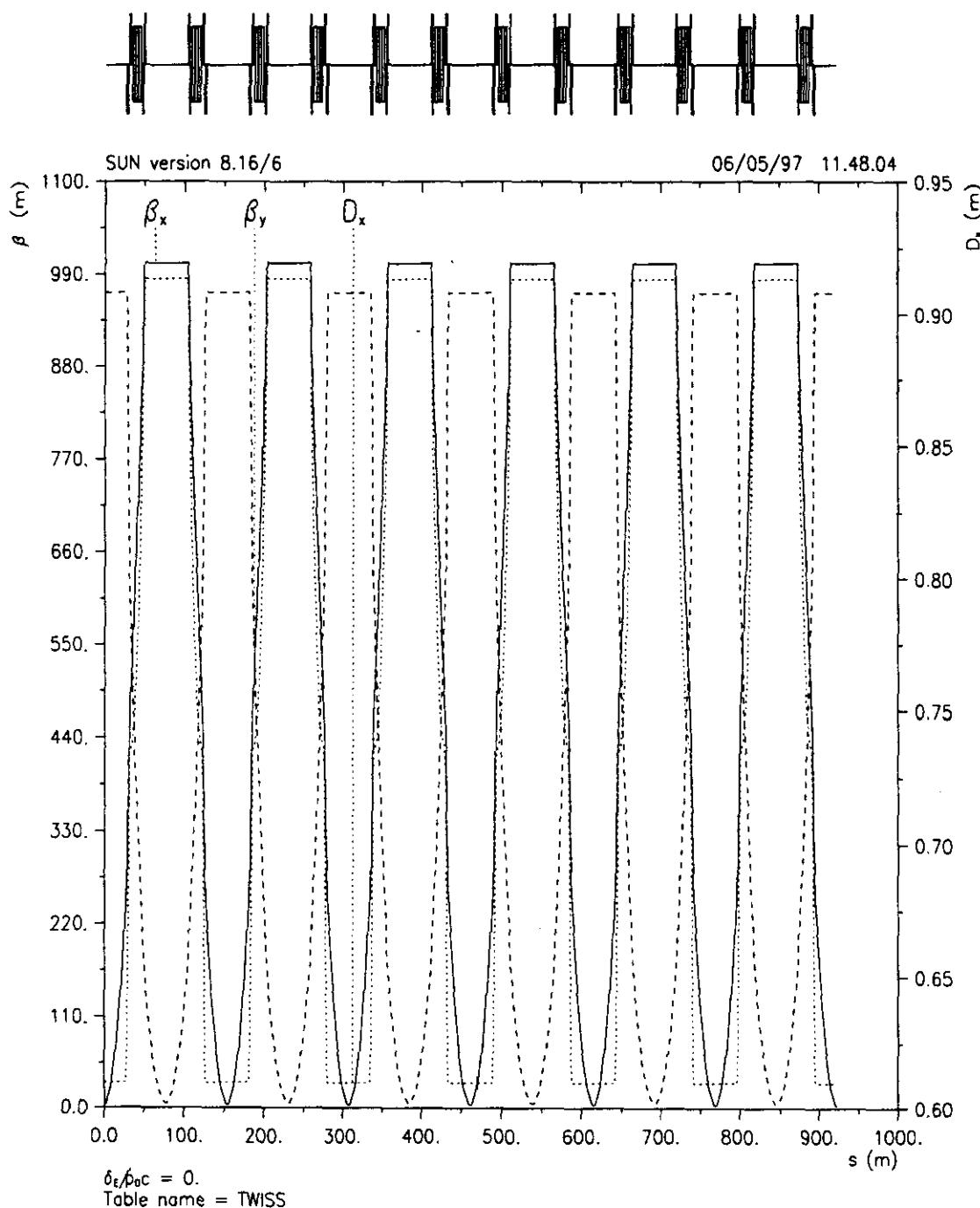
β_x max/min: 93.96 / 3.90443m, ν_x : 0.75000, ξ_x : 0.00,

Module length: 134.5706m

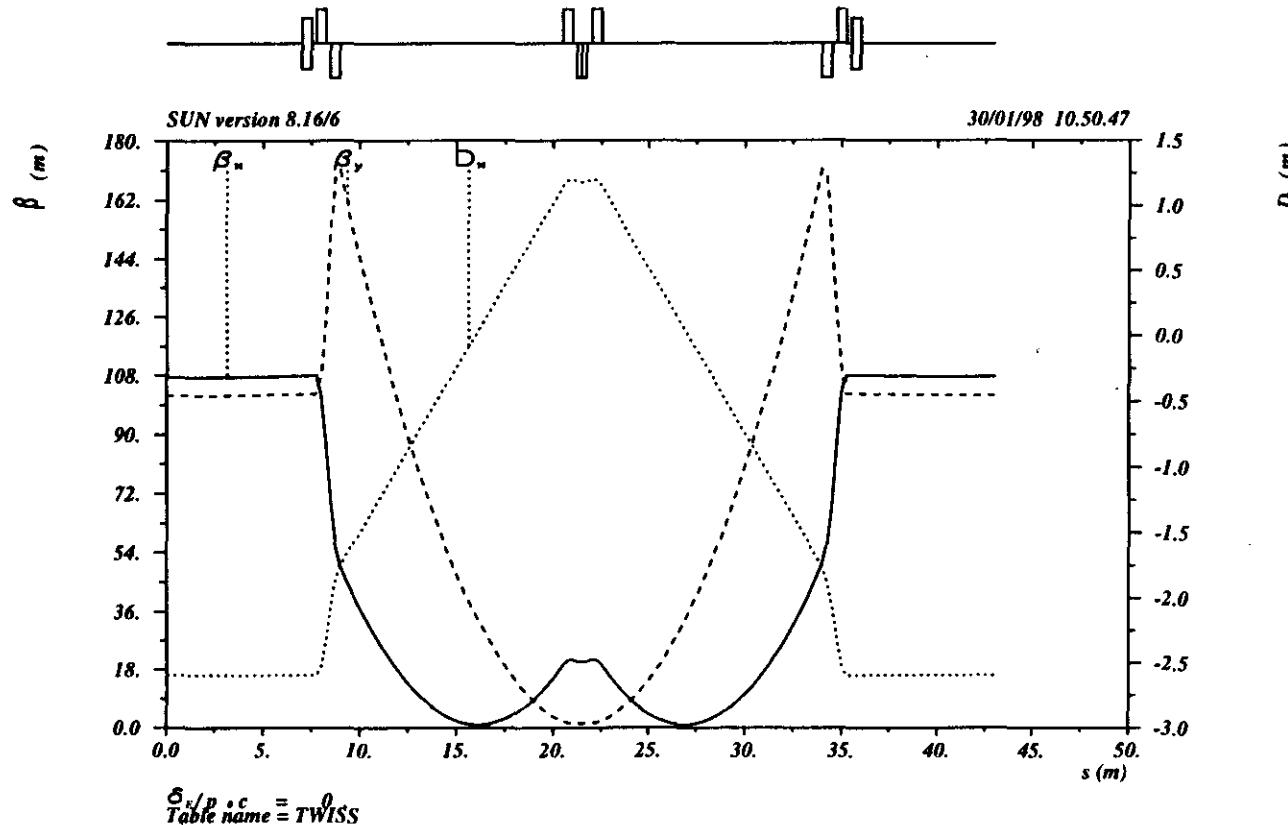
β_y max/min: 83.43 / 25.67548m, ν_y : 0.46951, ξ_y : 0.00,

Total bend angle: 0.14074335 rad

2-TeV Scrapping Section



New 50-GeV Scrapping Section



Tracking Study

W. Wan (FNAL)
Feb 12-13, 1998

Status and Plan

- New tools:
 - COSY v8.0 (7-10 times faster)
 - new ULTRA SPARC (2 times faster)
- More integrated with design
 - tune span.
 - tune shift with amplitude
- Next step
 - Add resonance strength
 - Fringe field effect
 - resonance correction

Feb.12, 1998

M.A tac, FNAL/UCLA

DETECTOR CONCEPTS OF HIGH LUMINOSITY MUON COLLIDERS

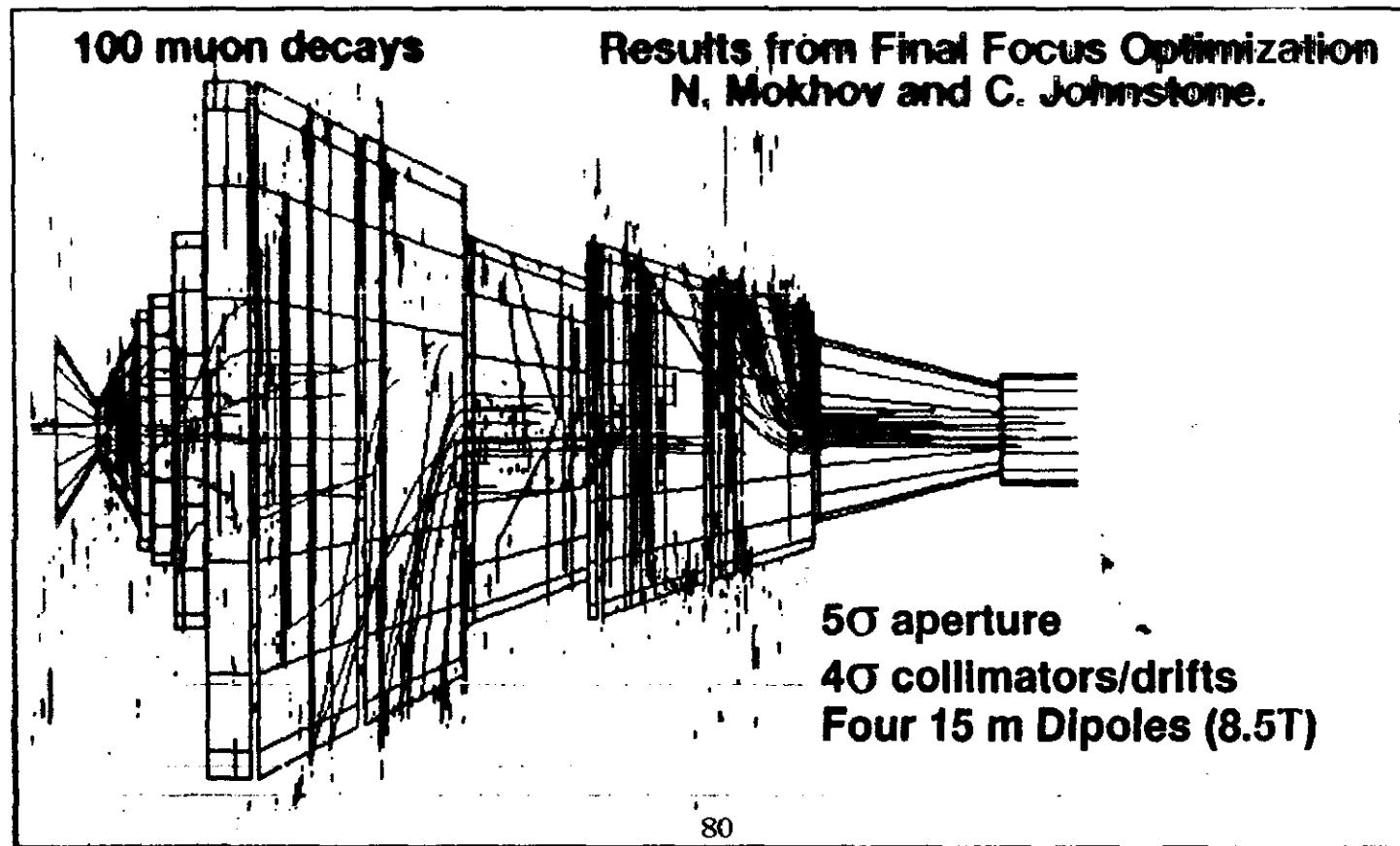
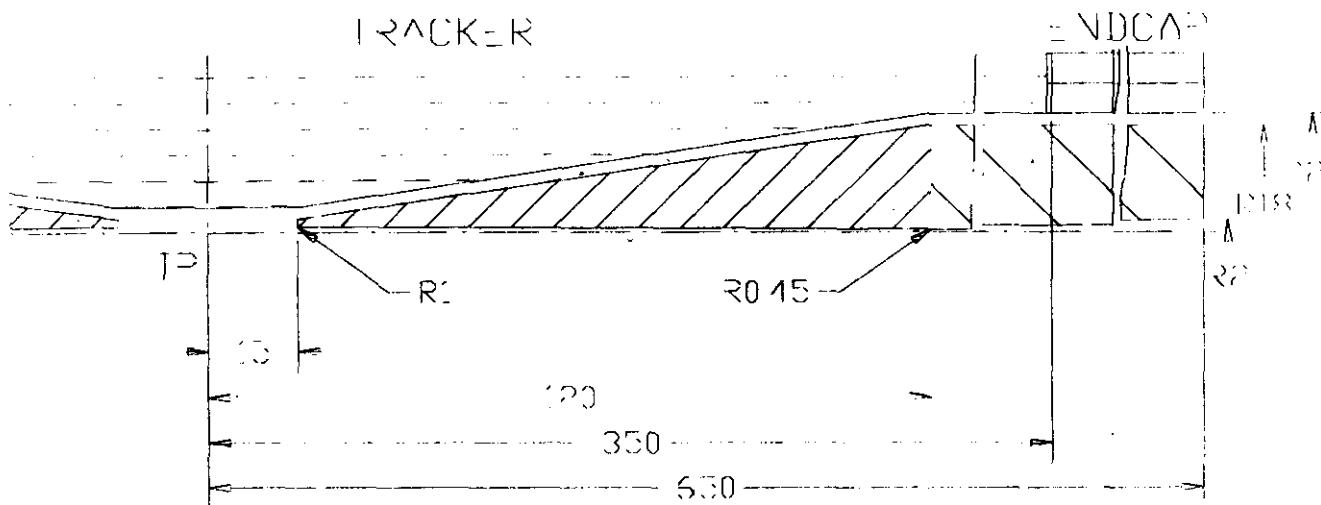
OUTLINE

GENERAL PURPOSE STRAWMAN DETECTOR CONCEPTS

- a. VERTEX TRACKING**
- b. INNER TRACKING**
- c. OUTER TRACKING**
- d. EM AND HADRON CALORIMETERS**
- e. MUON CHAMBERS**

MARS Calculation

Uses a somewhat different shielding configuration than the GEANT calculation:



Background List

● Decay Backgrounds:

Two detailed complementary calculations have been performed: GEANT calculation (I. Stumer, BNL), MARS calculation (N. Mokhov, FNAL). The assumed final focus system and shielding configurations assumed for the two calculations are similar in general, but the details are very different.

Both the GEANT and MARS calculations track all particles through the final focus and 2 Tesla detector solenoidal fields and fully simulate:

Electron showers

Synchrotron radiation

Photonuclear interactions

Bethe-Heitler muon pair production

● Beam Halo:

Beam halo model and beam scraping design being developed, but no results yet.

● Beam-Beam Interactions:

Believed to be small compared with other backgrounds

Hit Density in a Vertex Detector

- Consider a layer of Silicon at a radius of 10 cm. The GEANT results for the radial particle fluxes per crossing yield:

750 photons/cm ²	→	2.3 Hits/cm ²
110 neutrons/cm ²	→	0.1 Hits/cm ²
1.3 charged tracks/cm ²	→	1.3 Hits/cm ²
TOTAL		3.7 Hits/cm²

- → 0.4% occupancy in $300 \times 300 \mu\text{m}^2$ pixels.
- The corresponding numbers at 5cm radius are 13.2 Hits/cm² → 1.3% occupancy.
- This doesn't sound too bad. For comparison, SLD has about 40 Hits/cm² on the inner layer of their CCD detector.

Radiation Dose in Silicon Vertex Detector

- Consider a silicon layer at a radius of 10 cm. The dose due to non-ionizing energy loss can be calculated from the MARS or GEANT results (which give consistent results) taking into account particle type, energy spectra, and fluxes.

$$\begin{aligned}\phi_{\text{NIEL}} = & \phi_p + \phi_\pi + 0.5\phi_\mu + 0.1\phi_e + \\ & + \phi_{n > 0.1 \text{ MeV}} + 0.01\phi_\gamma\end{aligned}$$

- $\rightarrow \phi_{\text{NIEL}} = 240 \text{ per cm}^2 \text{ per crossing.}$

MARS predictions for 1 year ($= 10^7$ secs) of operation:

2 x 2 TeV muon collider

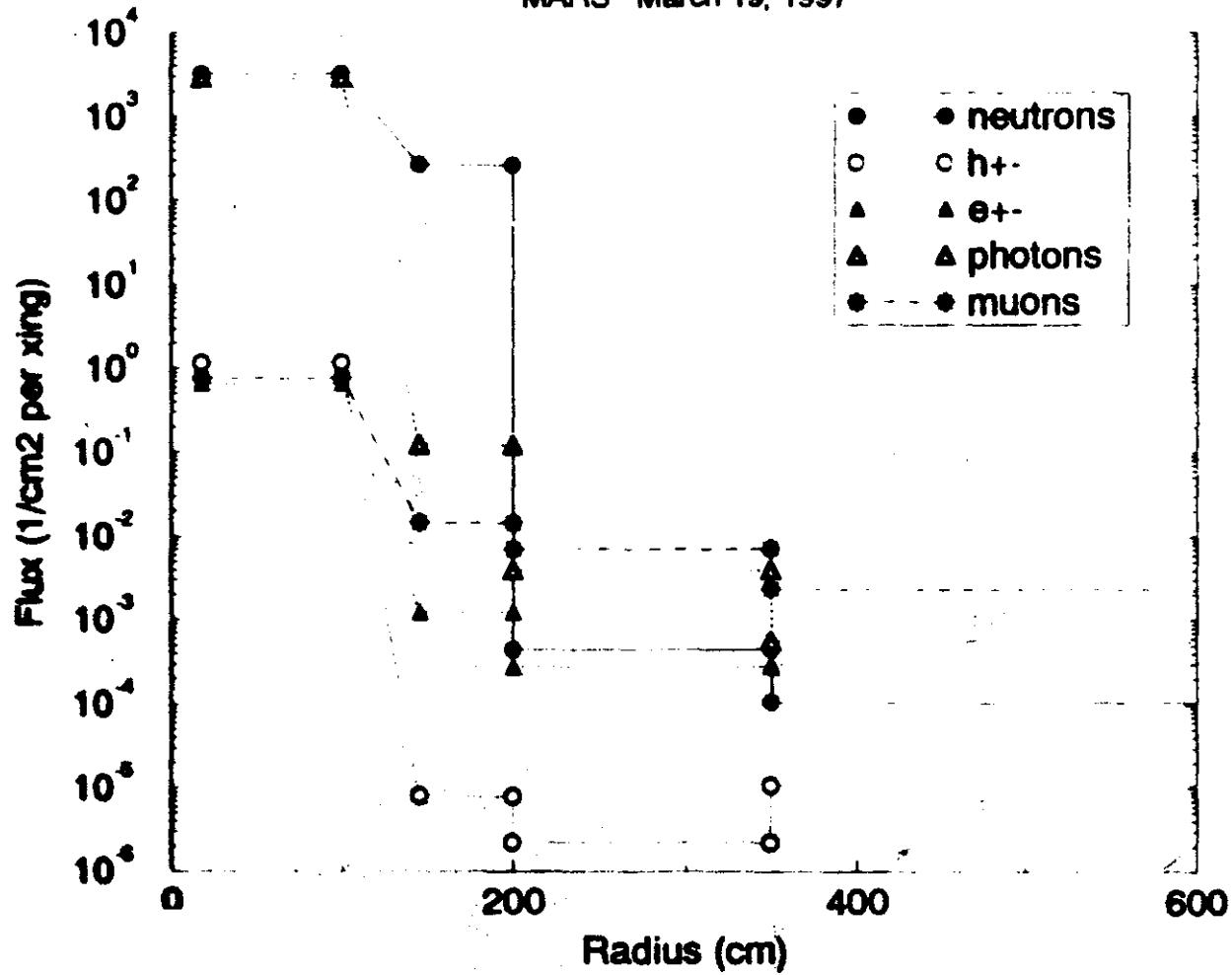
$7 \times 10^{13} \text{ cm}^2$

LHC at $10^{34} \text{ cm}^{-2} \text{s}^{-1}$ (CMS)

$8 \times 10^{13} \text{ cm}^2$

2x2 TeV mu+mu- detector (z=0)

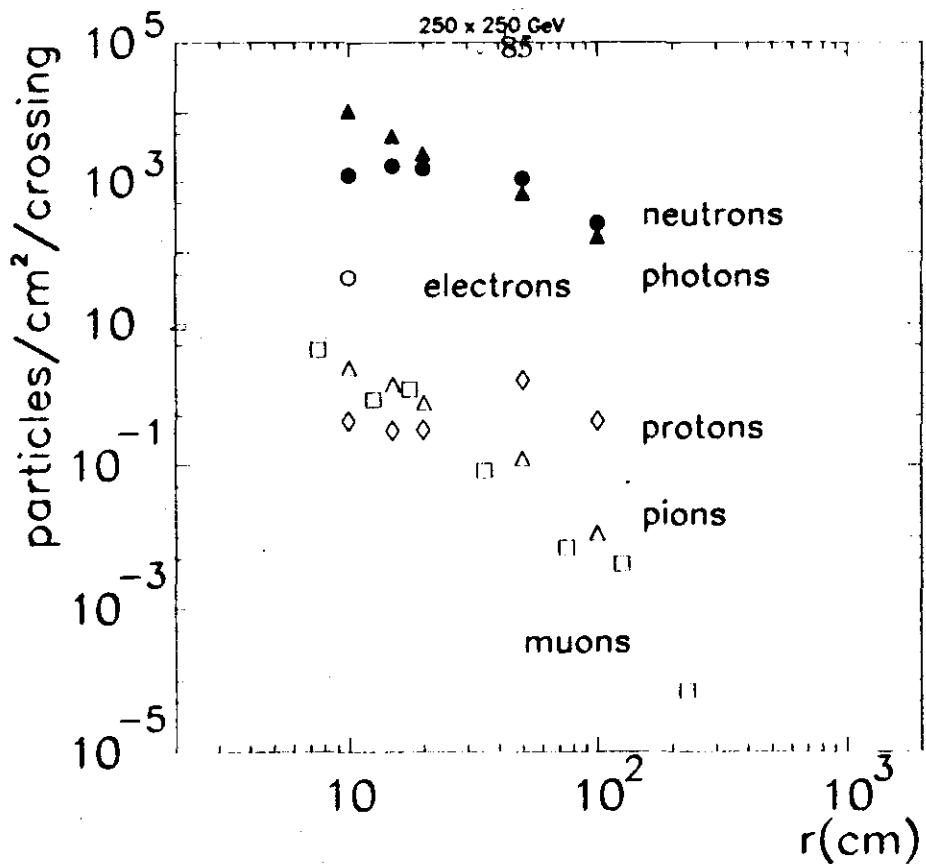
MARS March 19, 1997



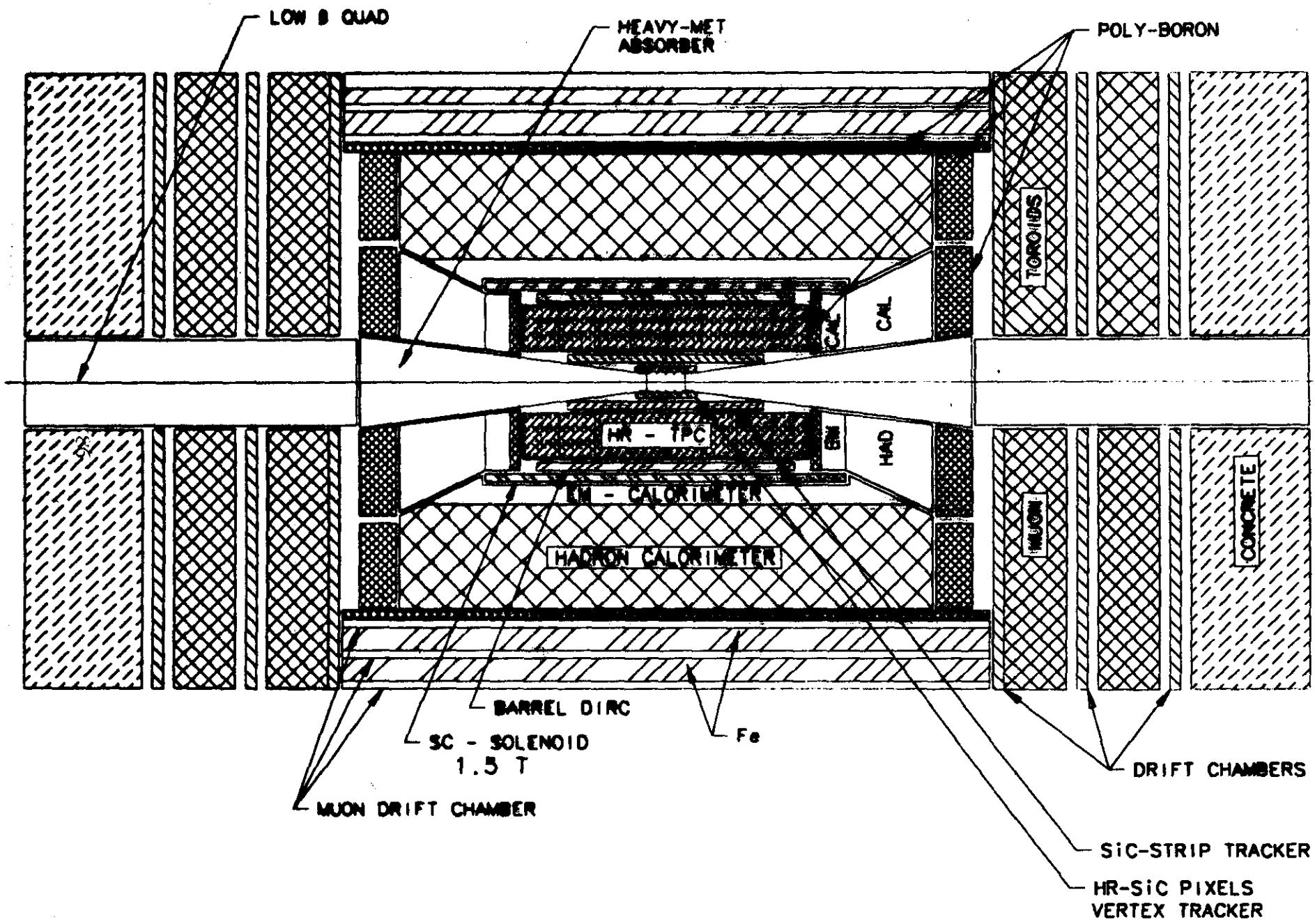
First Muon Collider

- Some GEANT work has been done to calculate backgrounds at a lower energy muon collider $\rightarrow 250 \times 250$ GeV. This was before the recent improvements to the final focus which led to an order of magnitude reduction in backgrounds:

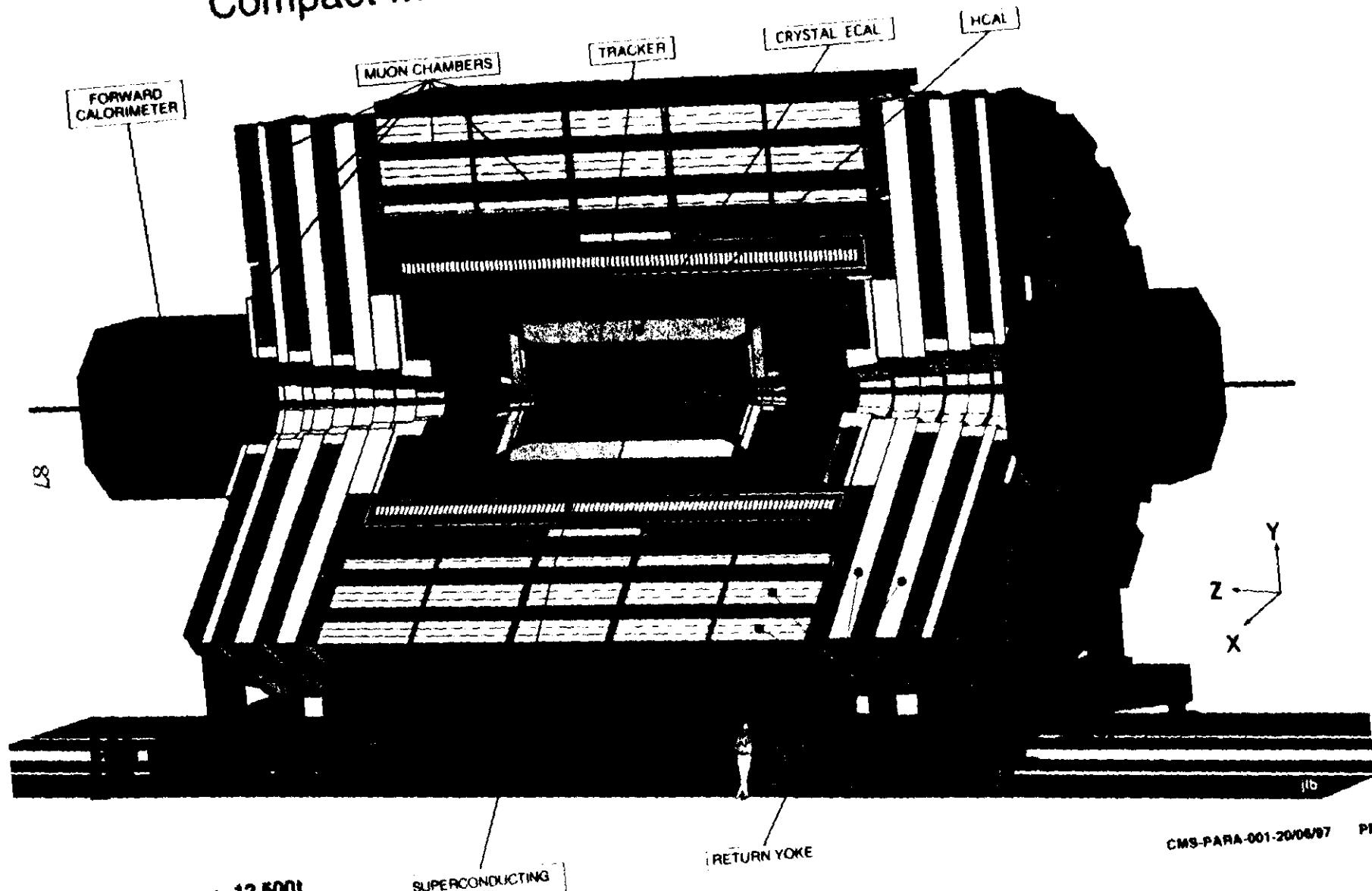
$$250 \times 250 \text{ GeV} \rightarrow 1.5 \times 10^6 \text{ decays / m}$$



- These background fluxes are comparable to those computed for a 2 x 2 TeV collider so we anticipate that the backgrounds at a lower energy machine will be similar to those at the 2 x 2 TeV machine EXCEPT the Bethe–Heitler muon background which is much better. A more detailed calculation is being done at BNL.



CMS Compact Muon Solenoidal Detector for LHC



CMS-PARA-001-20/06/07 PP

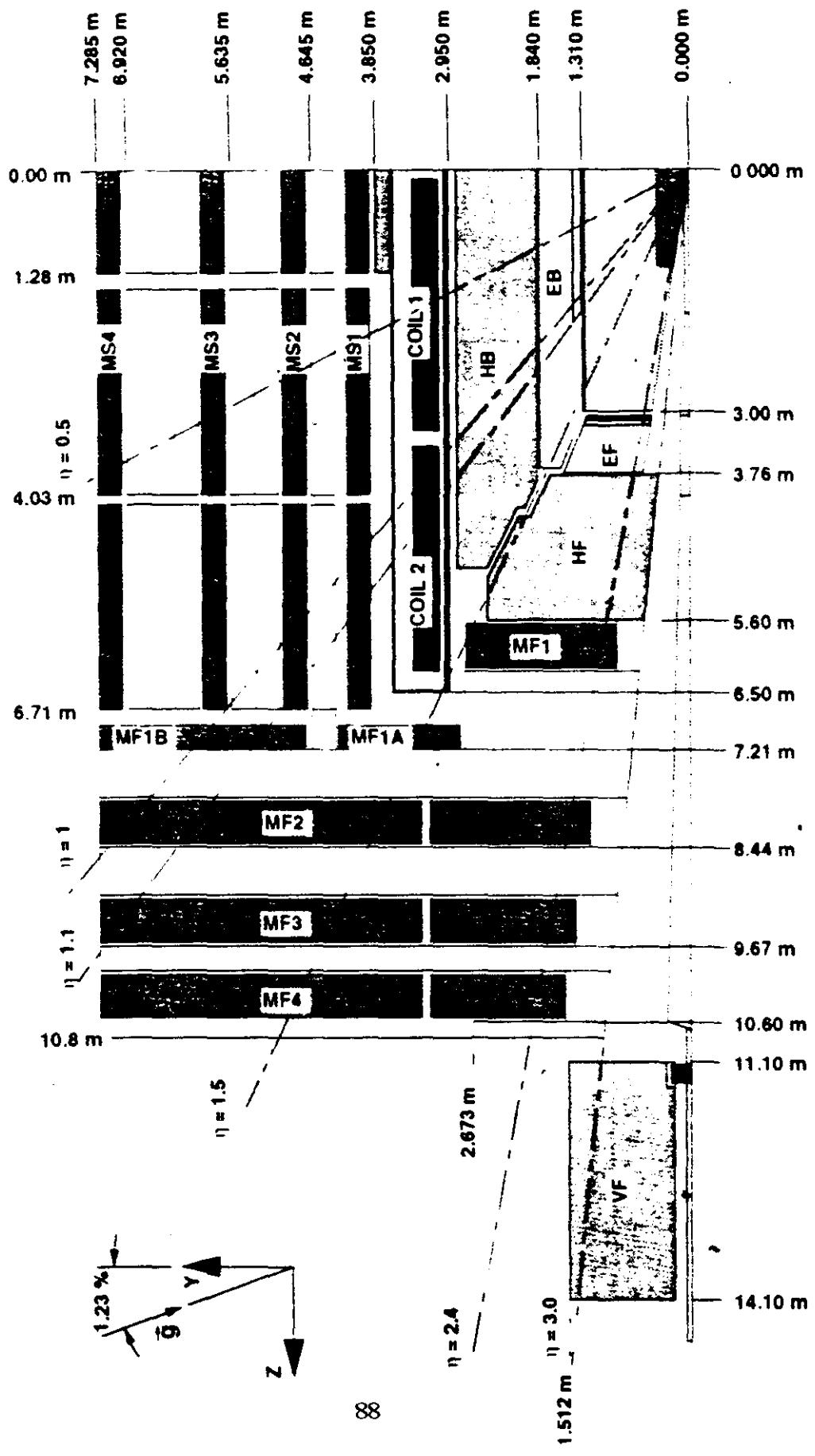


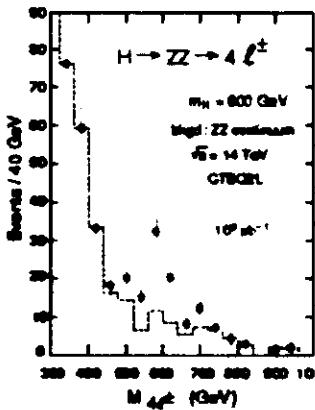
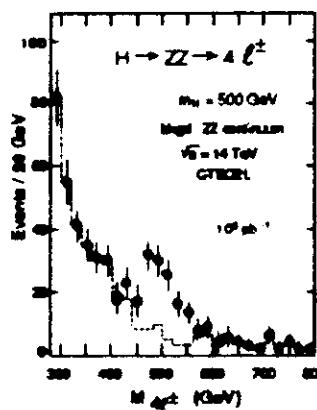
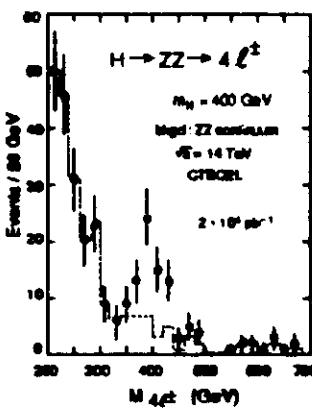
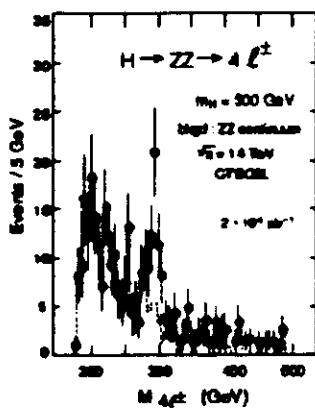
Fig. 1.3: Longitudinal view of the CMS detector

The Higgs $\rightarrow ZZ \rightarrow 4\ell^\pm$ Search will Yield a 5σ Resonant Signal in 1 year at LHC Design Luminosity

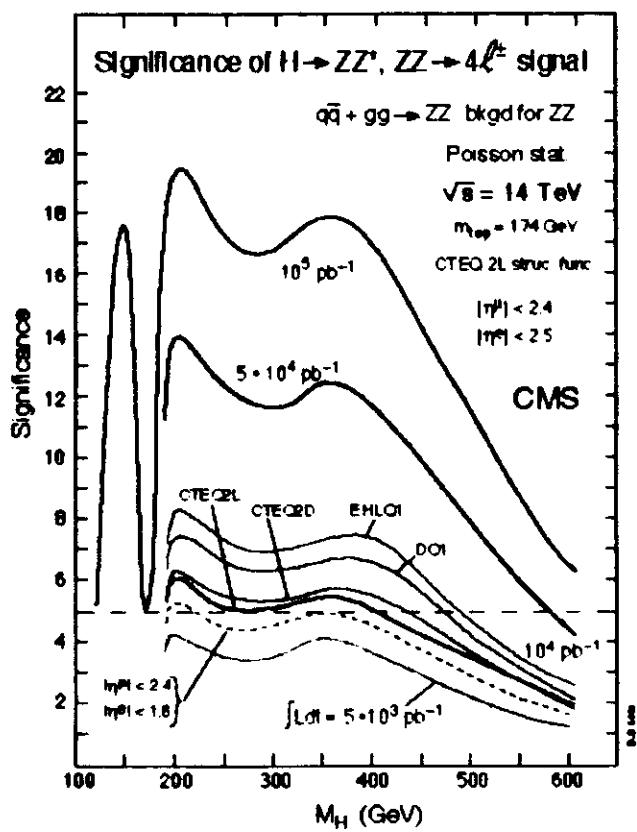
$H \rightarrow ZZ \rightarrow 4\ell^\pm$

$E_T^e > 20, 15, 10, 10 \text{ GeV}, |\eta^e| < 2.5$

$p_T^\mu > 20, 10, 5, 5 \text{ GeV}, |\eta^\mu| < 2.4$



$H \rightarrow ZZ^*, ZZ \rightarrow 4\ell^\pm$



$h \rightarrow b\bar{b}$ in *mSUGRA*

$m_0 = 500 \text{ GeV}$, $m_{1/2} = 500 \text{ GeV}$, $A_0 = 0$, $\tan\beta = 2$, $\mu < 0$

$M(\tilde{t}_1) = 1224 \text{ GeV}$ $M(\tilde{t}_2) = 1170 \text{ GeV}$ $M(\tilde{b}_1) = 852 \text{ GeV}$

$M(\tilde{\chi}_1^0) = 427 \text{ GeV}$ $M(\tilde{\chi}_2^0) = 217 \text{ GeV}$ $M(h) = 89.7 \text{ GeV}$

$E_T^{miss} > 400 \text{ GeV}$
 $\geq 4 \text{ jets}, p_T^{jet} > 40 \text{ GeV}, |\eta|^{jet} < 4.5$
 $\geq 2 \text{ b-jets, direct } b\bar{b} \text{ pair}, |\eta|^{b\bar{b}} < 1.75$
 circularity > 0.1

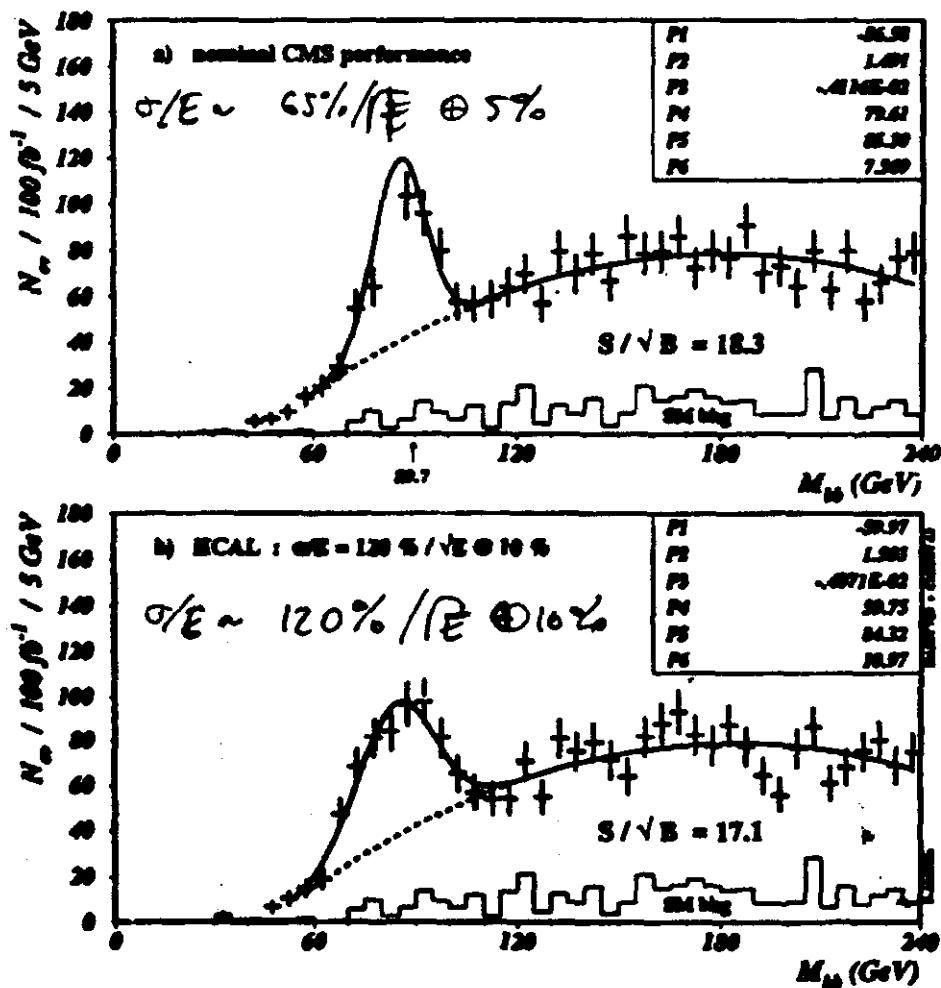
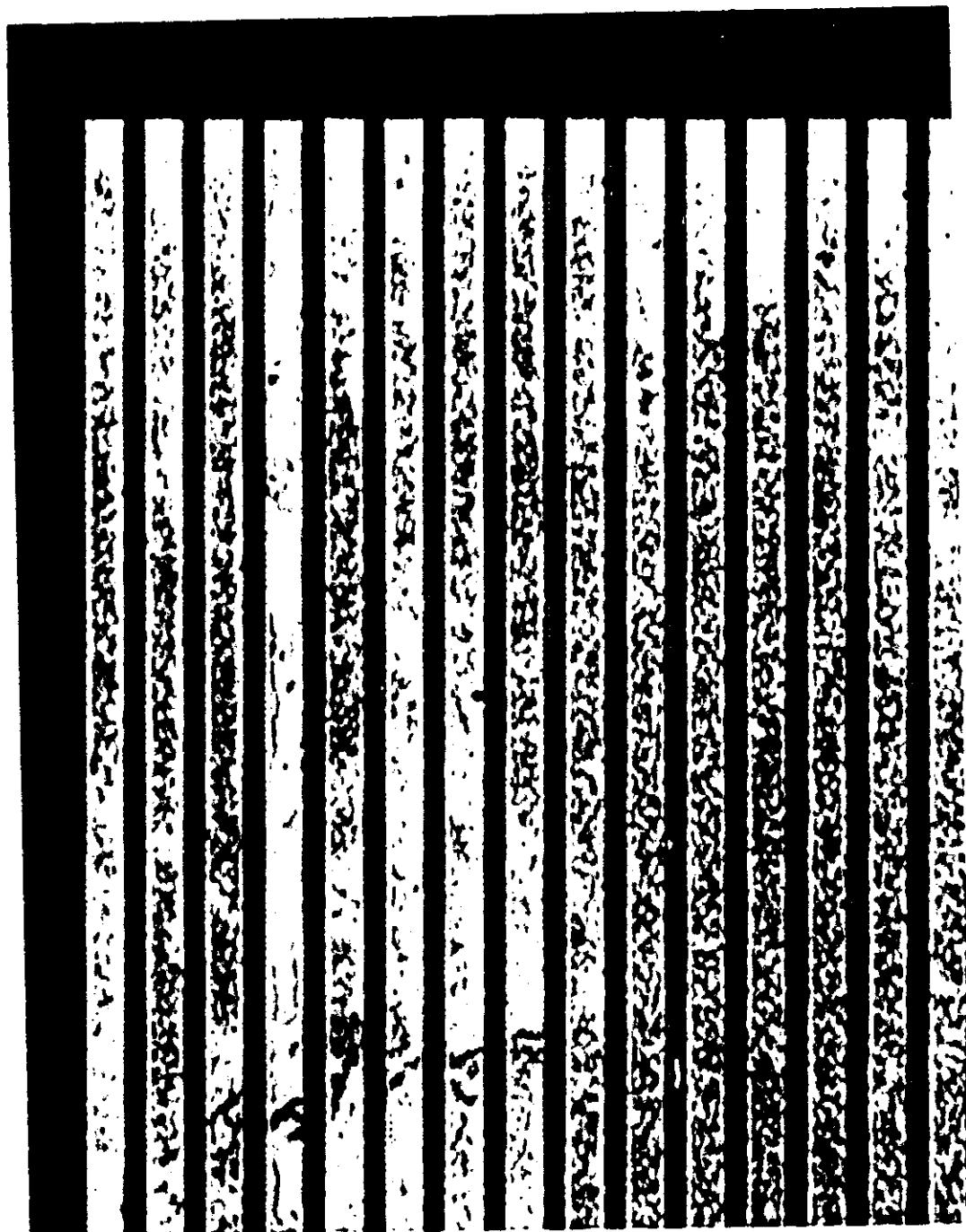


Figure 1

Material property	Silicon	GaAs	3C SiC	4H SiC	Diamond
Bandgap (eV)	1.1	1.43	2.3	3.2	5.3
Resistivity ($\Omega\text{-cm}$)	$\sim 10^5$	$\sim 10^8$	-	$\sim 10^7$	$> 10^{11}$
Breakdown field (V/cm)	$\sim 10^5$	$\sim 10^5$	1.5×10^6	3×10^6	10^7
Electron mobility ($\text{cm}^2/\text{V}\cdot\text{s}$)	1350	6000	750	800	1800
Hole mobility ($\text{cm}^2/\text{V}\cdot\text{s}$)	~480	~400	40	115	1200
Saturation drift velocity (cm/s)	10^7	10^7	2.5×10^7	2×10^7	2.2×10^7
Dielectric constant	11.9	13.1	-	-	5.7
Cohesive energy (eV/atom)	4.63	-	-	-	7.37
Energy to create e-h pair (eV)	3.6	4.2	8.3 (est'd.)	8.3 (est'd.)	13
Ave. Ionized signal/100 μm (# e $^-$)	9200	13000	6400 (est'd.)	6400 (est'd.)	3600

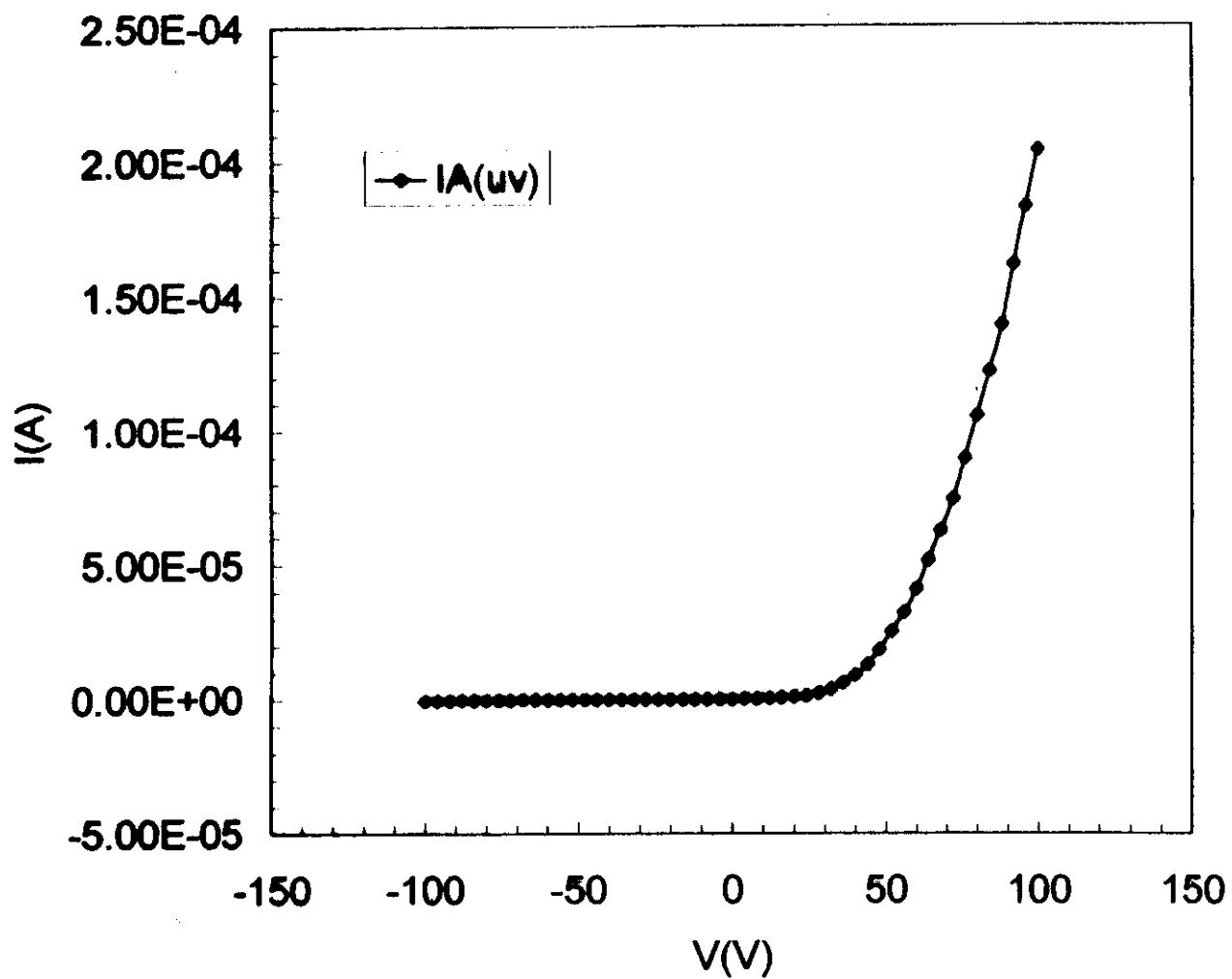
Table I. Comparison of potential particle detector material properties

SIC

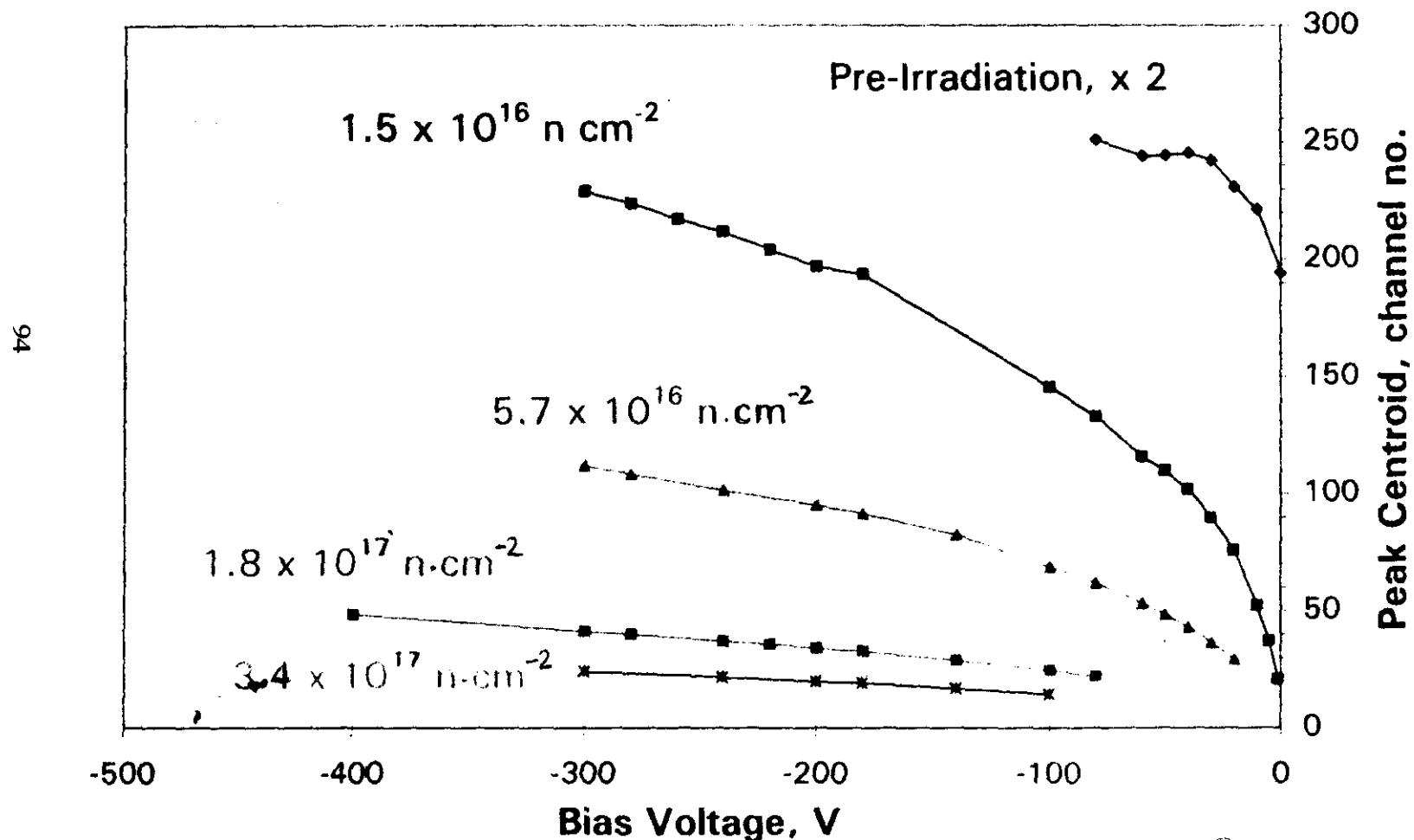


M.RTAC

ε3



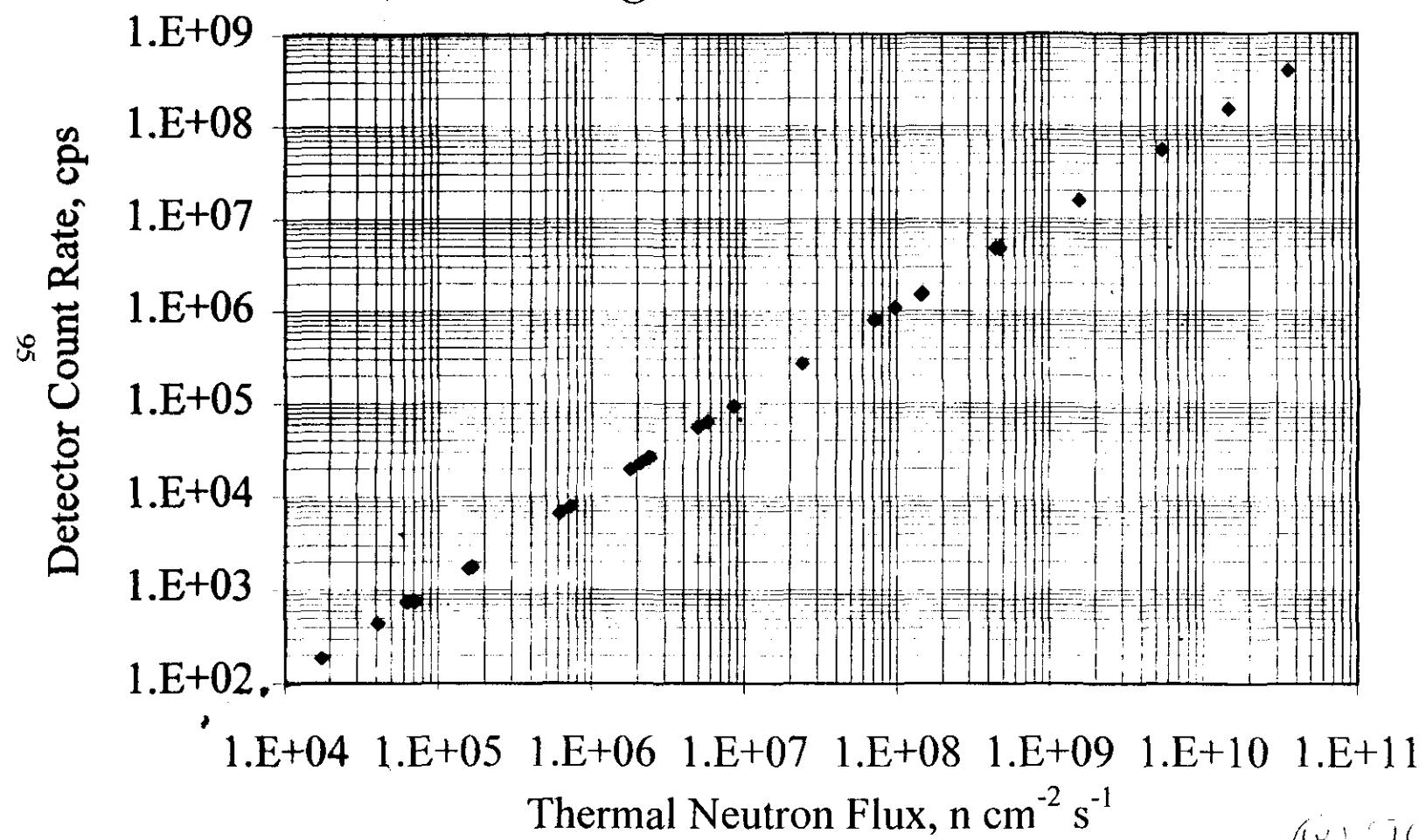
Peak Centroid versus Applied Voltage for PN-Junction Diode L12-4



(W) STC

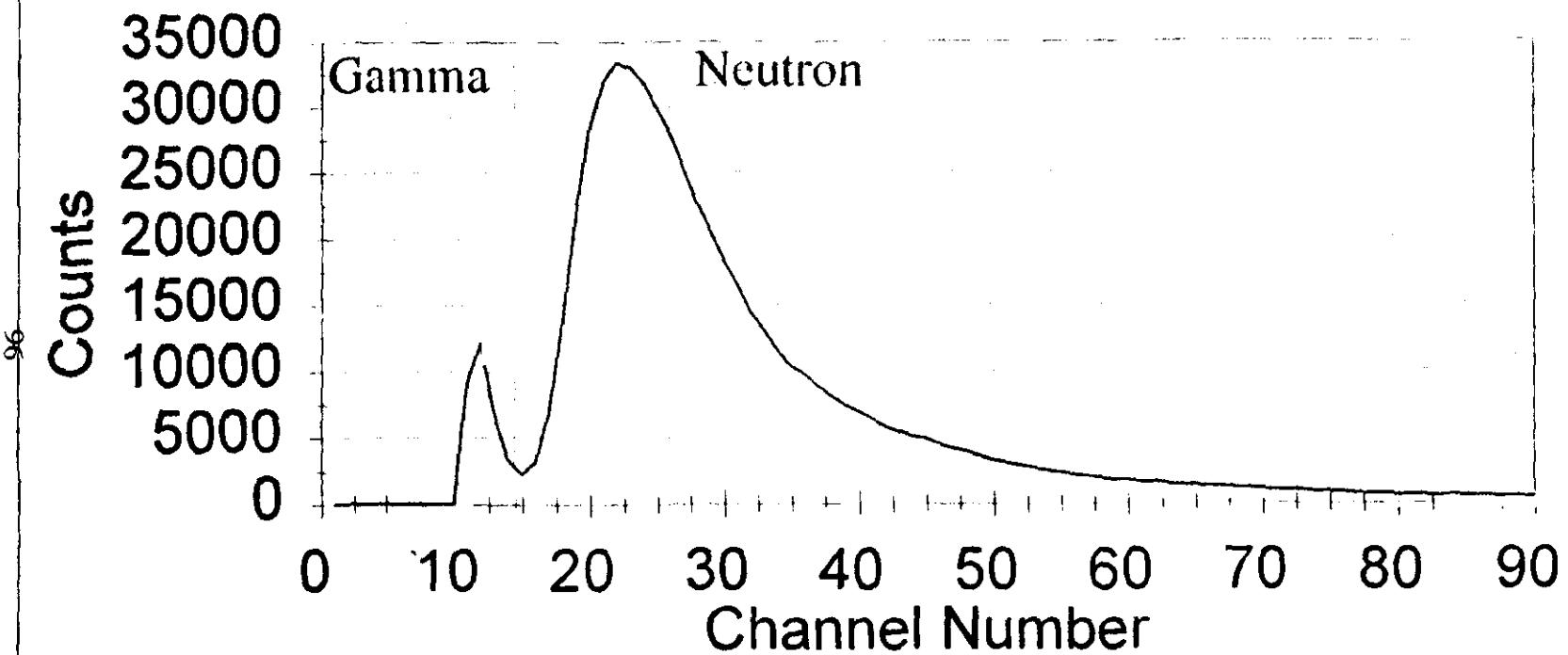
Calibration Function of SiC Detector

Flux Range: $1E4 - 3E10 \text{ n cm}^{-2} \text{ s}^{-1}$



(ω) 51C

Separation of Neutron and Gamma Signals



Thermal neutron flux = 3.2E 10 n/sq. cm/s
Gamma field = 50,000 R/h