

# Workshop on Intersections of Nuclear Physics with Neutrinos and Electrons

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Physics of Mutual interest to both  
the Electron- and Neutrino-Scattering Communities

With emphasis on what Neutrino Scattering Brings to the Mix

Jefferson Laboratory Neutrino Workshop  
4 May 2006

Jorge G. Morfin  
Fermilab

## SESSION 2. Structure Functions and Form Factors

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- ◆ Overview from CTEQ – Fred Olness
- ◆ Vector and Axial Form Factors – Arie Bodek
- ◆ Quark distributions at large  $x$  – Wally Melnitchouk
- ◆ Nucleon and Nuclear Structure Function Measurements in the resonance region at low  $Q^2$  – Eric Christy
- ◆ Medium modification of the form factors - Kuzuo Tsushima

# Neutrino Quasi-elastic Scattering

Prime example of how combining data helps both communities

$$\frac{d\sigma}{dq^2} \left( \begin{array}{l} \nu n \rightarrow l^- p \\ \bar{\nu} p \rightarrow l^+ n \end{array} \right) = \frac{M^2 G^2 \cos^2 \theta_c}{8\pi E_\nu^2} \left[ A(q^2) \mp B(q^2) \frac{(s-u)}{M^2} + \frac{C(q^2)(s-u)^2}{M^4} \right]. \quad (2)$$

In this expression,  $G$  is the Fermi coupling constant and  $\theta_c$  is the Cabibbo mixing angle ( $G = 1.16639 \times 10^{-5} \text{GeV}^{-2}$ ). The functions  $A$ ,  $B$ , and  $C$  are convenient combinations of the nucleon form factors.

Contraction of the hadronic and leptonic currents yields:

$$A = \frac{(m^2 - q^2)}{4M^2} \left[ \left(4 - \frac{q^2}{M^2}\right) |F_A|^2 - \left(4 + \frac{q^2}{M^2}\right) |F_V^1|^2 - \frac{q^2}{M^2} |\xi F_V^2|^2 \left(1 + \frac{q^2}{4M^2}\right) - \frac{4q^2 \text{Re} F_V^{1*} \xi F_V^2}{M^2} \right] \quad (3)$$

$$+ \frac{q^2}{M^2} \left(4 - \frac{q^2}{M^2}\right) |F_T|^2 - \frac{m^2}{M^2} \left( |F_V^1 + \xi F_V^2|^2 + |F_A + 2F_P|^2 + \left(\frac{q^2}{M^2} - 4\right) (|F_S|^2 + |F_P|^2) \right)$$

$$B = -\frac{q^2}{M^2} \text{Re} F_A^* (F_V^1 + \xi F_V^2) - \frac{m^2}{M^2} \text{Re} \left[ \left( F_V^1 + \frac{q^2}{4M^2} \xi F_V^2 \right)^* F_S - \left( F_A + \frac{q^2 F_P}{2M^2} \right)^* F_T \right] \quad (4)$$

$$C = \frac{1}{4} \left( |F_A|^2 + |F_V^1|^2 - \frac{q^2}{M^2} \left| \frac{\xi F_V^2}{2} \right|^2 - \frac{q^2}{M^2} |F_T|^2 \right), \quad (5)$$

# Axial Form Factor from Neutrino Quasi-elastic Scattering

From neutrino scattering - From electron scattering

$$\frac{d\sigma}{dq^2} \left( \begin{array}{l} \nu n \rightarrow l^- p \\ \bar{\nu} p \rightarrow l^+ n \end{array} \right) = \frac{M^2 G^2 \cos^2 \theta_c}{8\pi E_\nu^2} \left[ A(q^2) \mp B(q^2) \frac{(s-u)}{M^2} + \frac{C(q^2)(s-u)^2}{M^4} \right]. \quad (2)$$

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# Electron Scattering Neutrino Scattering

- ◆ Jefferson Lab (Jlab) has performed precision experiments to determine the electroproduction form factors. The axial form factors are not as accessible at Jlab.
- ◆ Here neutrino scattering (V & A Currents) can help. CVC allows us to determine  $G_E^V(q^2)$  and  $G_M^V(q^2)$  from the elastic nucleon form factors from electroproduction:

$$F_V^1(Q^2) = \frac{G_E^V(Q^2) - \tau G_M^V(Q^2)}{1 - \tau} \qquad \xi F_V^2(Q^2) = \frac{G_M^V(Q^2) - G_E^V(Q^2)}{1 - \tau}$$

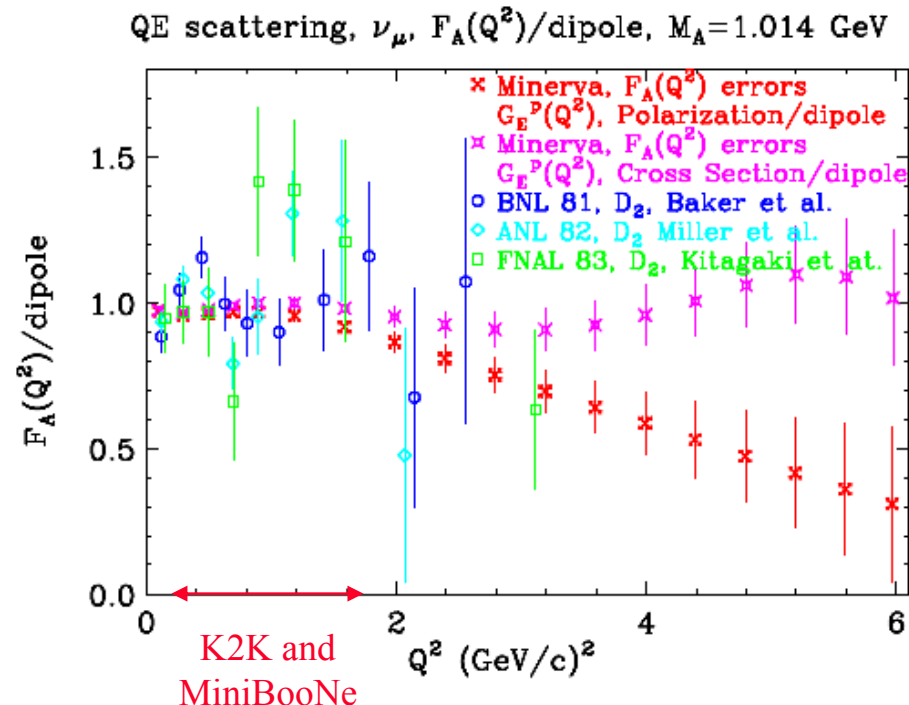
- ◆ Then  $F_V^1$  and  $F_V^2$  for  $\nu N$  elastic cross sections can be expressed in terms of  $G^V$ :

$$G_E^V(Q^2) = G_{ep}(Q^2) - G_{en}(Q^2),$$
$$G_M^V(Q^2) = G_{mp}(Q^2) - G_{mn}(Q^2)$$

with  $\tau = q^2/4M^2$ .

# Neutrino Experimental Measurements of $F_A(Q^2)$

- ◆ Expect input from on-going experimental efforts:
  - ◆ K2K near detector analysis - Japan
  - ◆ MiniBooNe analysis - Fermilab
  - ◆ NOMAD and CHORUS - CERN
- ◆ Near Future effort - MINERvA



# PDFs - Challenges for Global QCD Analysis

Wu-Ki Tung - DIS06

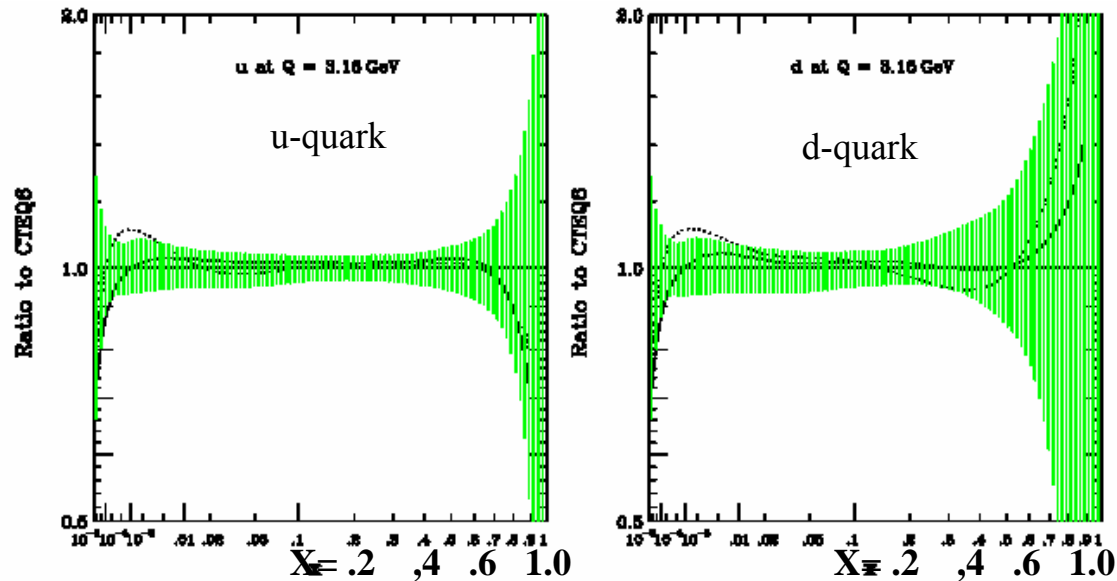
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In spite of steady progress in over 20 years of global analysis of PDFs, it is surprising how much knowledge is still missing on the parton structure of the nucleon !

- ◆ Gluon Distribution;
- ◆ Small-x and **Large-x behavior of all distributions;**
- ◆ **Strange distribution;**
- ◆ Charm and bottom distributions;
- ◆ Quantifying uncertainties of all PDFs.

# Structure Functions $\rightarrow$ High $x_{Bj}$ Parton Distributions

Neutrino and electron scattering look at quarks at high-x?

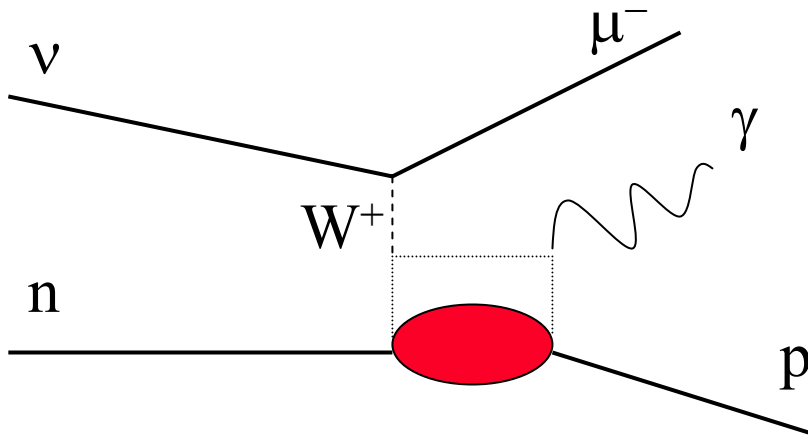


- ◆ Ratio of CTEQ5M (solid) and MRST2001 (dotted) to CTEQ6 for the u and d quarks at  $Q^2 = 10 \text{ GeV}^2$ . The shaded green envelopes demonstrate the range of possible distributions from the CTEQ6 error analysis.
- ◆ Recent high-x measurements indicate conflicting deviations from CTEQ:
  - E-866: CTEQ  $u_V$  too **high**,
  - NuTeV and now (DIS2006) HERA: CTEQ  $u_V$  &  $d_V$  too **low**



# Generalized Parton Distribution Functions

## Weak Deeply Virtual Compton Scattering



$W > 2 \text{ GeV}$ ,  $t$  small,  $E_\gamma$  large -  
Exclusive reaction

- ◆ GPDs can be measured with neutrinos
- ◆ Weak DVCS would allow flavor separation of GPDs

# SESSION 3. Nuclear PDFs and Shadowing

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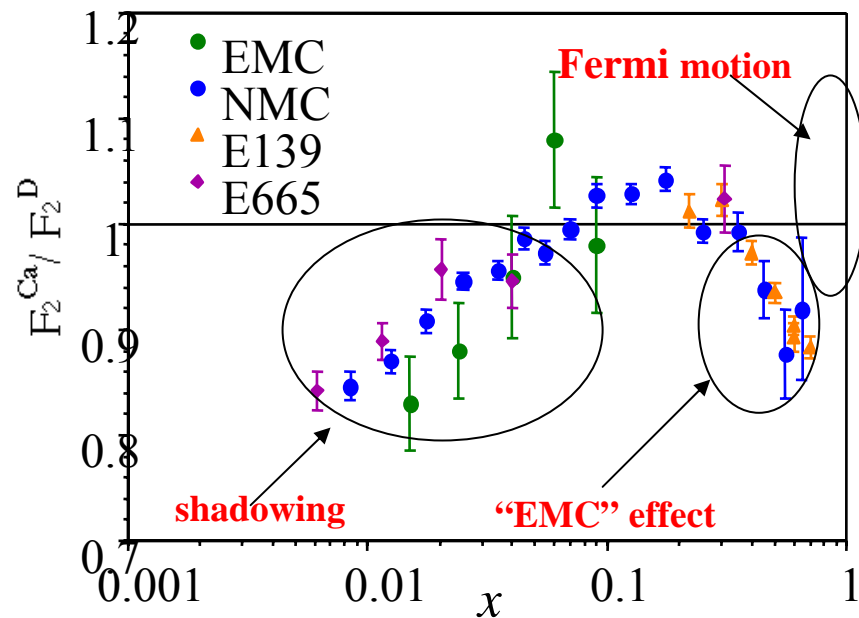
- ◆ Global analysis for determining PDFs in nuclei - Shunzo Kumano
- ◆ Nuclear Modifications of Structure Functions - Roberto Petti
- ◆ Flavor dependence of the nuclear EMC effect -Ian Cloet

# Knowledge of Nuclear Effects with Neutrinos: Essentially NON-EXISTENT

- ◆  $F_2$  / nucleon changes as a function of  $A$ . Measured in  $\mu/e - A$ , not in  $\nu - A$

- ◆ Good reason to consider nuclear effects DIFFERENT in  $\nu - A$ .

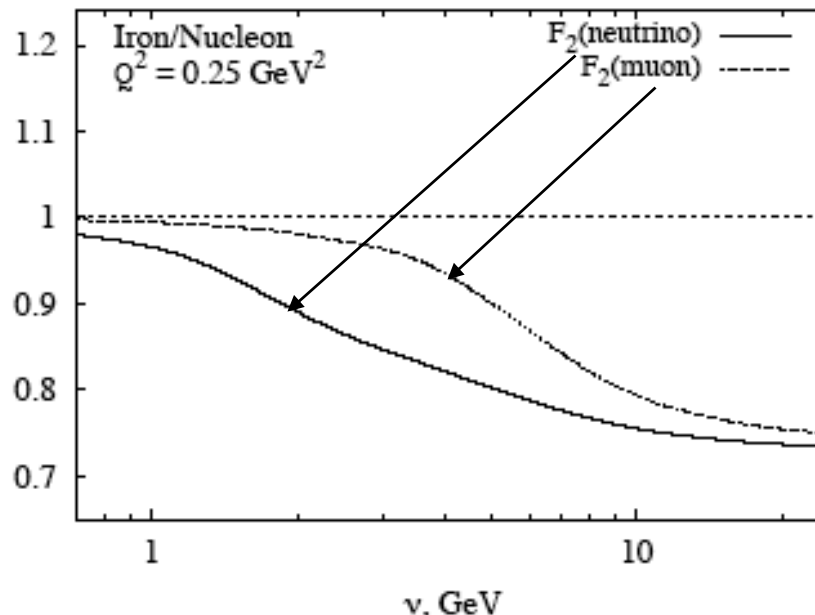
- ◆ Presence of **axial-vector current**.
- ◆ **Shadowing: different for  $\nu - A$ .**
- ◆ NuTeV “**favors smaller nuclear effects at high- $x$  than are found in charged-lepton scattering**”
- ◆ Different nuclear effects for valance and sea --> **different shadowing for  $xF_3$  compared to  $F_2$ .**



# Shadowing with the Axial Current

Work of Kulagin and Petti

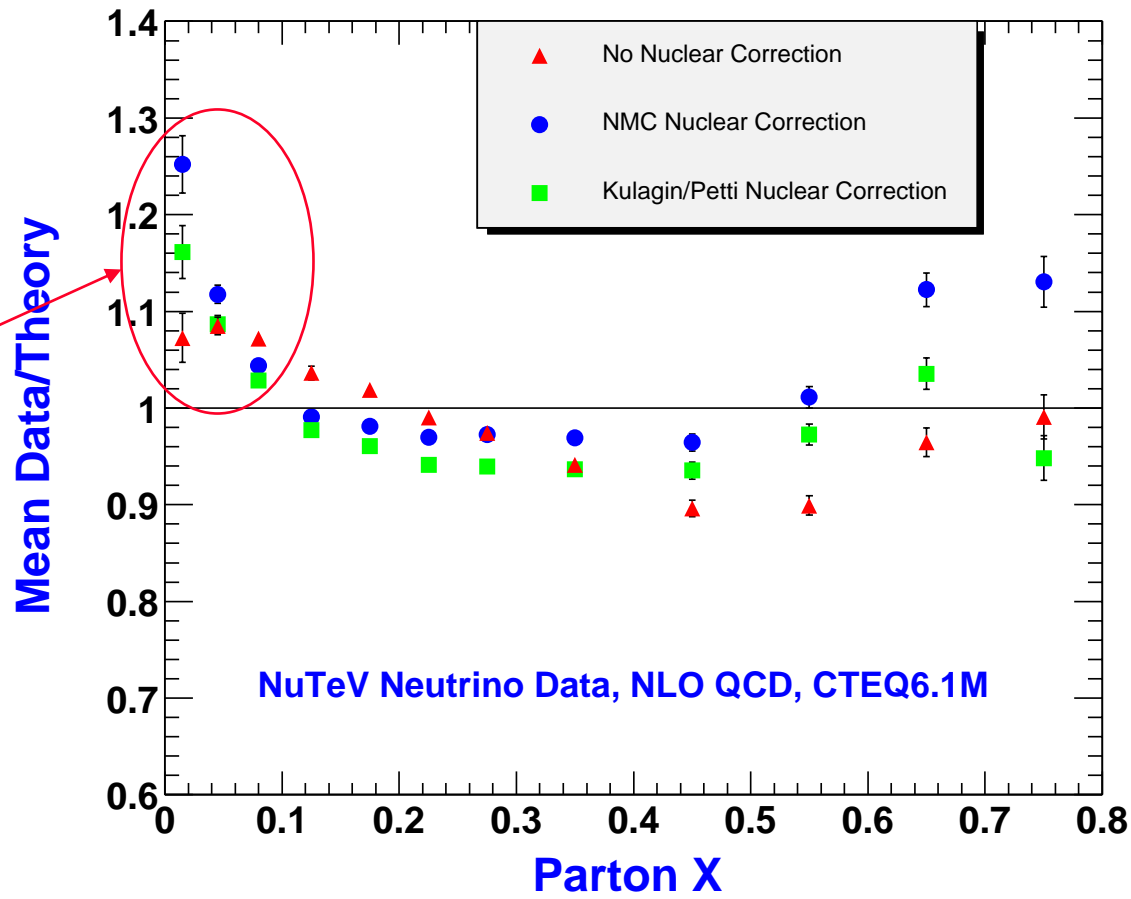
- ◆ With neutrinos the axial current would imply a different range of shadowing:
  - ◆ Coherence length shadowing condition:  $L_c = 2\nu / (m_\pi^2 + Q^2)$  (**not**  $m_A^2$ )  $\geq R_A$
  - ◆  $L_c$  calculated with  $m_\pi$  allows low  $\nu$  - low  $Q^2$  shadowing
  - ◆ An effect only measurable with neutrino scattering



Kulagin

# Attempt by CTEQ to introduce $\nu$ nuclear corrections to the fit with new NuTeV cross sections

Our old nemesis -  
“the low-x  $\nu$  problem”  
won't go away!

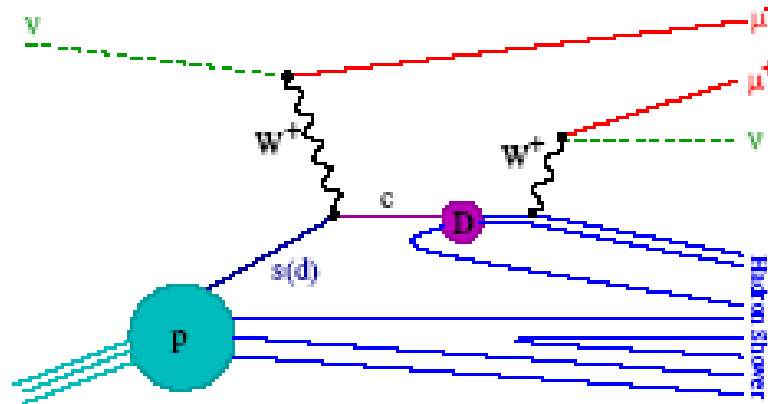


# SESSION 4. Strangeness Content of the Nucleon

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- ◆ Theory overview – Ross Young
- ◆ Neutrino measurements of strangeness,  $s$ - $\bar{s}$ , strange axial form factor – Rex Tayloe
- ◆ Electron scattering measurements – Dave Armstrong
- ◆ Strange nucleon form factors from  $ep$  and  $\nu p$  elastic scattering - Steve Pate

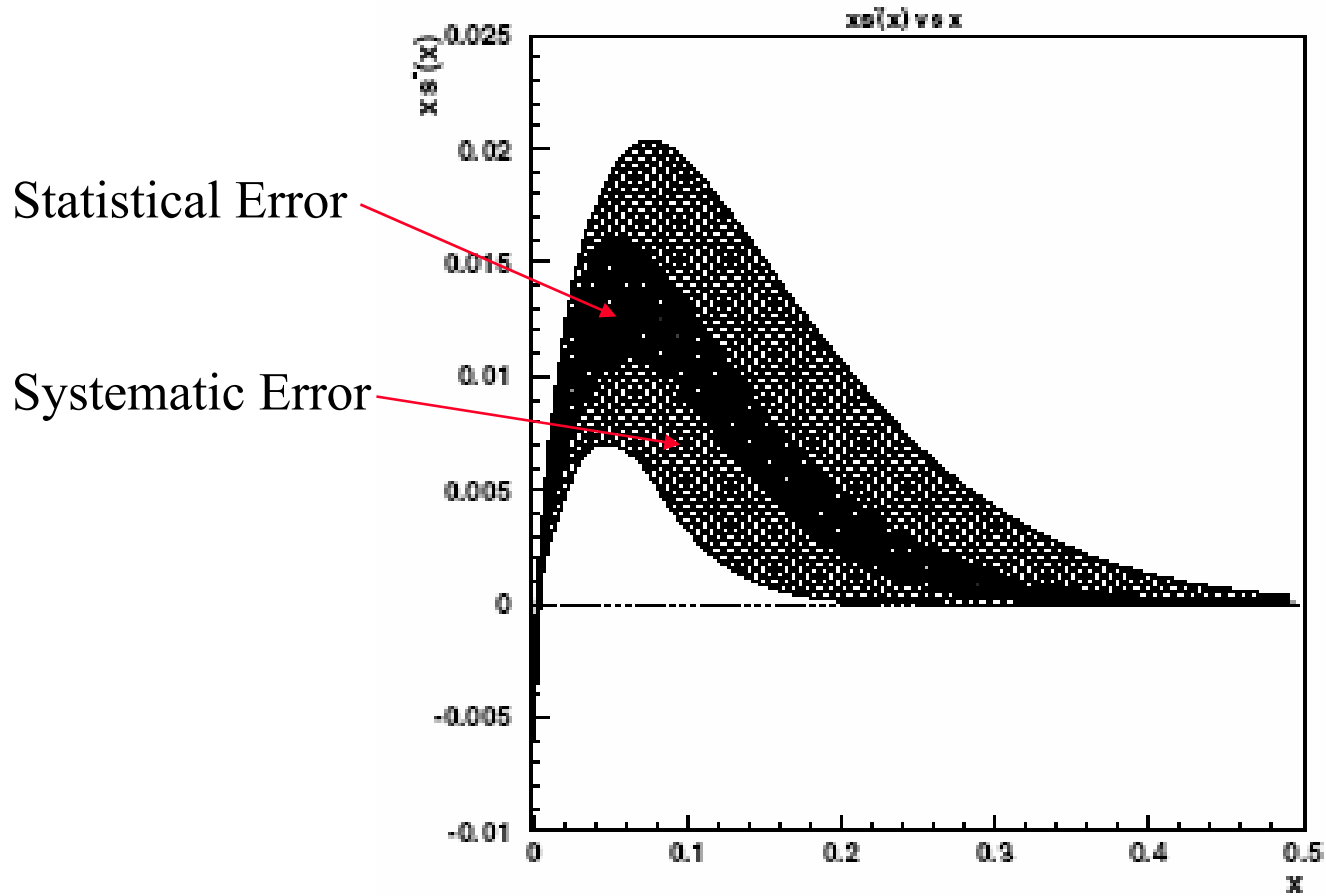
# How Neutrinos study the Strange Sea



- ◆ Recent high-statistics study of  $s$  and  $\bar{s}$  by the NuTeV Collaboration - D. Mason presentation at DIS2006
- ◆ Now concentrating on the strange sea **asymmetry** NLO analysis:
  - ◆  $s^-(x) = s(x) - \bar{s}(x)$  extracted to be positive over most of the  $x$  range.
- ◆ Can also measure strange axial form factor  $G_A^S(Q^2)$  via  $\nu+N$  QE
  - ◆ Natural area where combining  $ep + \nu p$  data yields rich results

# Find Strange Asymmetry to be Positive

over most of x range





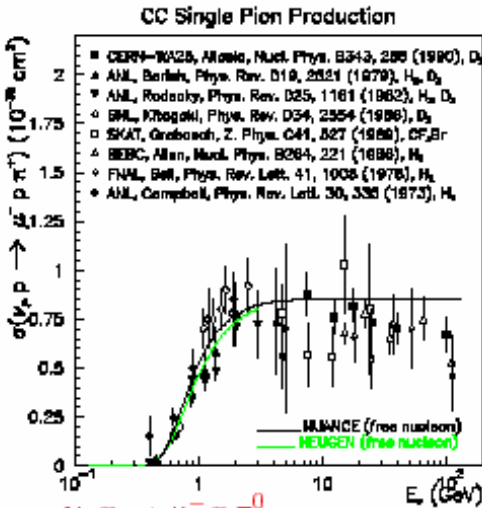
# SESSION 5. Resonance production

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- ◆ Dynamical model of electroweak production of nuclear resonances - Harry Lee
- ◆ Resonance production by electrons and neutrinos - Olga Lalakulich
- ◆ One-Pion Production in the MiniBooNe and K2K Experiments - Yoshinari Hayato
- ◆ MAID model – Mark Jones

# Neutrino one-Pion Production: enter the Axial current

## miserable existing sample of events



CC

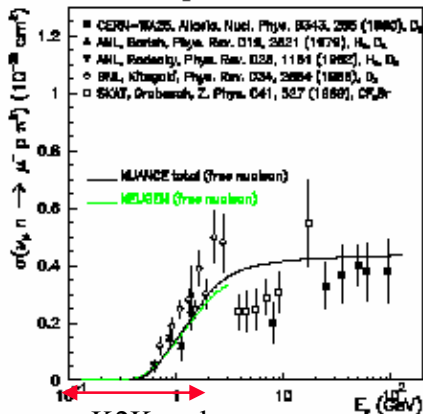
$$\nu p \rightarrow \mu^- p \pi^+$$

Typical samples of NC 1- $\pi$

- ◆ ANL
  - ◆  $\nu p \rightarrow \nu n \pi^+$  (7 events)
  - ◆  $\nu n \rightarrow \nu n \pi^0$  (7 events)
- ◆ Gargamelle
  - ◆  $\nu p \rightarrow \nu p \pi^0$  (240 evts)
  - ◆  $\nu n \rightarrow \nu n \pi^0$  (31 evts)

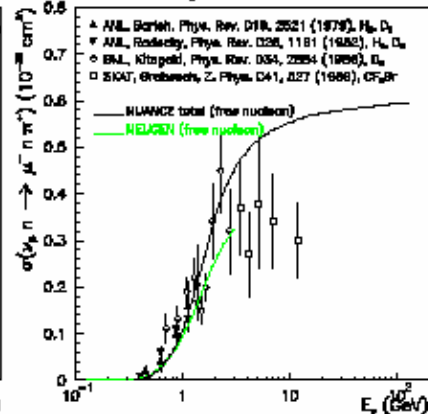
$$\nu n \rightarrow \mu^- p \pi^0$$

CC Single Pion Production



$$\nu n \rightarrow \mu^- n \pi^+$$

CC Single Pion Production



K2K and  
MiniBooNe

For the last 25 years have had only the Rein-Sehgal model for pion production by neutrinos.

Now renewed interest with new experimental studies of resonance production.

# SESSION 6. Nuclear medium effects and hadron propagation in nuclei

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- ◆ Multit-pion production – status and issues in Hall B – Steve Manly
- ◆ Hadron formation lengths - Will Brooks
- ◆ Nuclear effects in neutrino scattering – Luis Alvarez-Ruso

## SESSION 7. Low $Q^2$ Modeling

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- ◆ Overview of the Bodek-Park-Yang model – Un-Ki Yang
- ◆ Low energy neutrino cross sections - Hallsie Reno
- ◆ Low  $Q^2$  structure functions – Roberto Petti
- ◆ Importance of the low  $Q^2$  region in neutrino-nucleus scattering experiments – Makoto Sakuda
- ◆ What Monte Carlos need - Hugh Gallagher
- ◆ Models for electron scattering – Peter Bosted
- ◆ Electron- and Neutrino-nucleus scattering in the impulse approximation regime - Omar Benhar

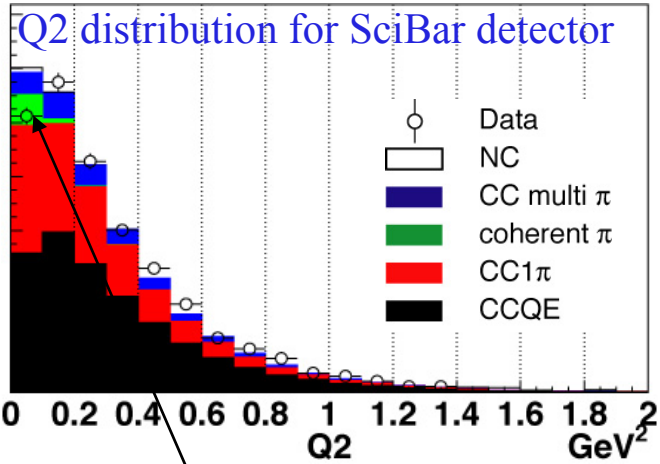
# eA and $\nu$ A Scattering at Low $Q^2$

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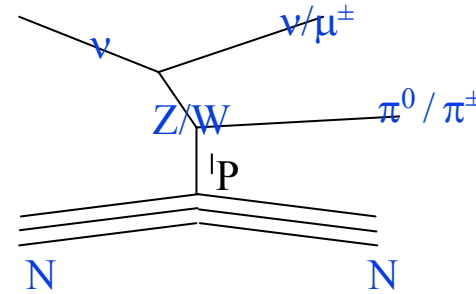
- ◆ Differences - Electron and Neutrino Scattering at low  $Q^2$ 
  - ◆ Only vector current in eA while axial vector also contributes to  $\nu$ A
  - ◆ Vector current conserved (CVC) while axial current only partially (PCAC)
  - ◆  $F_2^\nu$  approaches a non-zero value as  $Q^2 \rightarrow 0$
  - ◆ Confirmed by CCFR in 2000
  
- ◆ Similarities - Electron and Neutrino Scattering at low  $Q^2$ 
  - ◆ Same bumpy road going from perturbative to non-perturbative region
  - ◆ Need to consider dynamic higher twists as well as kinematic HT (TMC)
  - ◆ Help from local duality, although **not confirmed** with neutrino scattering
  - ◆ Help from phenomenological approach to PDFs at low  $Q$
  - ◆ Large  $x$  resummation to (NLO) QCD approach improves T/D agreement

# Something Happening at low $Q^2$ with $\nu A$ Scattering

(recall shadowing at lower  $E_H$  for  $\nu$  scattering)

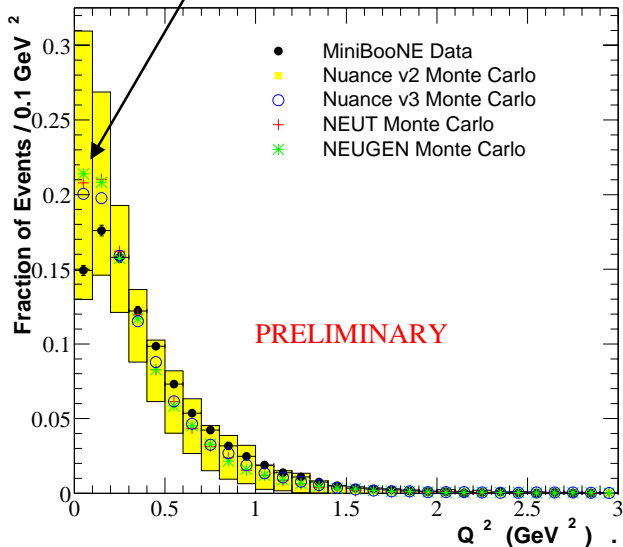


## ◆ Coherent Pion Production ( $\nu + A \rightarrow \nu / \mu^- + A + \pi$ )



## ◆ K2K expect 470 CC coherent events according to Rein-Sehgal. **Find $7.6 \pm 50.4$ .**

Larger than expected rollover at low  $Q^2$



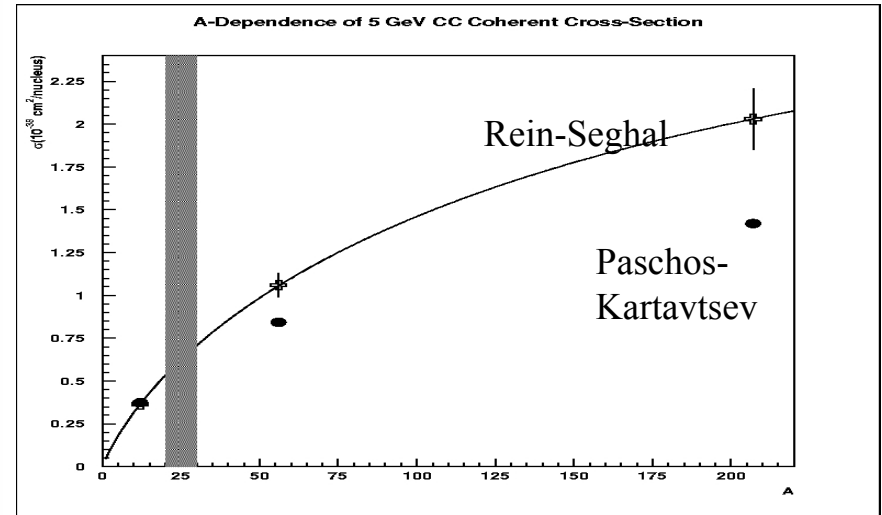
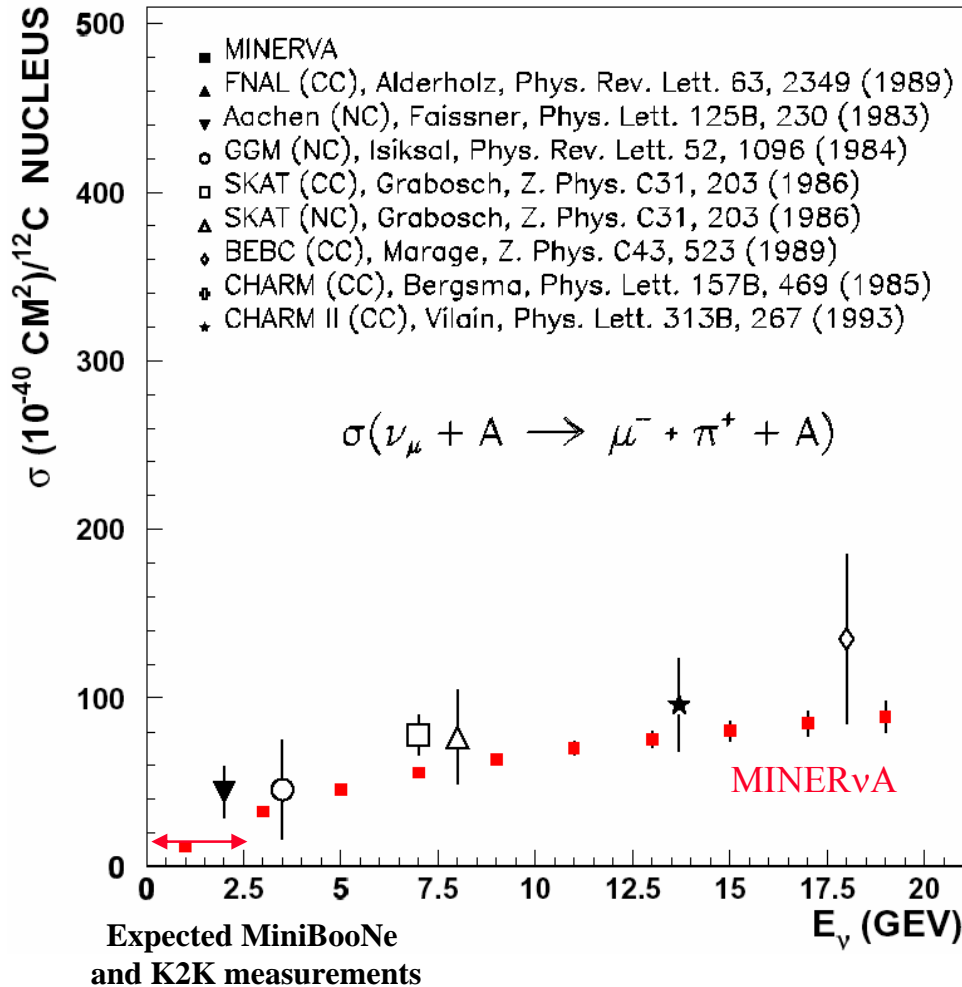
# Summary

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- ◆ Many similar challenges in investigating and understanding the physics for the neutrino and electron scattering communities.
- ◆ By combining the results of experimental and theoretical studies from the two communities we increase our knowledge by much more than a factor of two.

# MINERvA Measurement of Coherent Pion Production

## CC Coherent Pion Production Cross Section





# Strange and Charm Particle Production

- ◆ Theory: Initial attempts at a predictive phenomenology stalled in the 70's due to lack of constraining data.
- ◆ MINERvA will focus on **exclusive channel strange particle production - fully reconstructed events** (small fraction of total events) but still
- ◆ **Important for background calculations of nucleon decay experiments** →
- ◆ With extended  $\bar{\nu}$  running could study **single hyperon production** to greatly extend form factor analyses
- ◆ New measurements of charm production near threshold which will improve the determination of the **charm-quark effective mass**.

## Existing Strange Particle Production

Gargamelle-PS - **15**  $\Lambda$  events. FNAL -  $\approx 100$  events  
 ZGS -30 events BNL - 8 events  
 Larger NOMAD **inclusive** sample expected

## MINERvA Exclusive States

**400 x earlier samples**

**3 tons and 4 years**

$\Delta S = 0$

$\mu^- K^+ \Lambda^0$	42 K
$\mu^- \pi^0 K^+ \Lambda^0$	38 K
$\mu^- \pi^+ K^0 \Lambda^0$	26 K
$\mu^- K^- K^+ p$	20 K
$\mu^- K^0 K^+ \pi^0 p$	6 K

$\Delta S = 1$

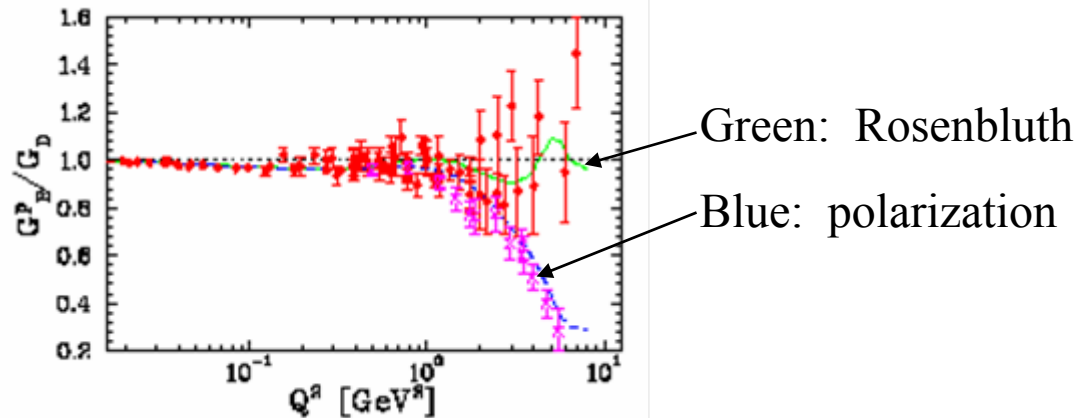
$\mu^- K^+ p$	65 K
$\mu^- K^0 p$	10 K
$\mu^- \pi^+ K^{0n}$	8 K

$\Delta S = 0$  - Neutral Current

$\nu K^+ \Lambda^0$	14 K
$\nu K^0 \Lambda^0$	4 K
$\nu K^0 \Lambda^0$	12 K

# Input from Electroproduction Experiments

- ◆ Jefferson Lab (Jlab) has performed precision experiments to determine the electroproduction form factors.
  - ◆ An interesting diversion caused by the different results from Rosenbluth and polarization techniques in extracting the form factors.



- ◆ The 2000 Jlab “polarization” measurement did not agree with earlier “Rosenbluth” measurements at higher  $Q^2$ .
- ◆ A Super-Rosenbluth experiment failed to resolve the discrepancies.
- ◆ The “polarization” technique is viewed as more systematically reliable?