

Neutrino factories from muon storage rings

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Several studies of neutrino factory experiments

- FNAL++ study
 - 20-50 GeV
 - 10^{19} - 10^{20} muon decays
 - 732km, 3000 km, 7000km
- CERN/Espana ...
 - 50 GeV
 - 10^{20} - 10^{21} muon decays
 - 732km, 3500 km, 7000 km
- Lots of new work shown at NUFACT00
 - Bueno *et al.* hep-ph 0005007
 - Cervera *et al.* hep-ph 0002108
 - Albright *et al.* FNAL-FN 692
 - Barger *et al.*, hep-ph 9911524 + later

What we are looking for in 10-15 years?

Assume Δm_{23}^2 and θ_{23} are well measured
the next things to do are:

- Measure $\sin^2\theta_{13}$ to ~ 0.001
- See $\nu_e \leftrightarrow \nu_\tau$
- Measure sign of ΔM^2
- Measure CP violation?
- All of these need a measurement of $\nu_e \leftrightarrow \nu_X$
- A complete check of 3-flavor requires

$\nu_e \leftrightarrow \nu_e$	$\nu_\mu \leftrightarrow \nu_e$	
$\nu_e \leftrightarrow \nu_\mu$	$\nu_\mu \leftrightarrow \nu_\mu$	and anti-particles
$\nu_e \leftrightarrow \nu_\tau$	$\nu_\mu \leftrightarrow \nu_\tau$	

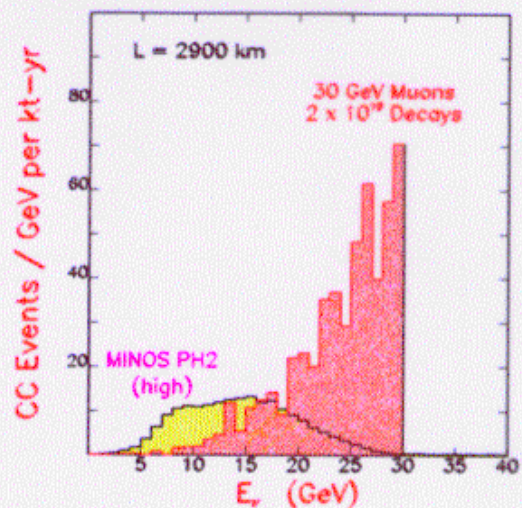
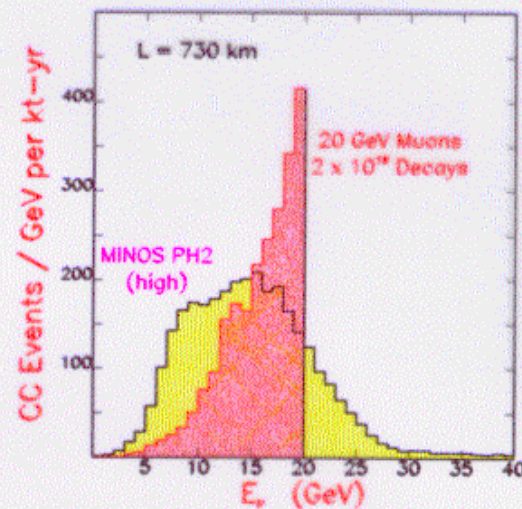
3 Flavor Scenarios

LMA SMA LOW LSND

parameter	IA1	IA2	IA3	IB1	IC1
δm_{32}^2 (eV ²)	3.5×10^{-3}	3.5×10^{-3}	3.5×10^{-3}	3.5×10^{-3}	0.3
δm_{21}^2 (eV ²)	5×10^{-5}	6×10^{-6}	1×10^{-7}	0.3	7×10^{-4}
$\sin^2 2\theta_{23}$	1.0	1.0	1.0	1.0	0.53
$\sin^2 2\theta_{13}$	0.04	0.04	0.04	0.015	0.036
$-\sin^2 2\theta_{12}$	0.8	0.006	0.9	0.015	0.89
δ	$0, \pm\pi/2$	$0, \pm\pi/2$	$0, \pm\pi/2$	$0, \pm\pi/2$	$0, \pm\pi/2$
$\sin^2 2\theta_{atm}$	0.98	0.98	0.98	0.99	-
$\sin^2 2\theta_{reac}$	0.04	0.04	0.04	0.03	-
$\sin^2 2\theta_{solar}$	0.78	0.006	0.88	-	-
$\sin^2 2\theta_{LSND}$	-	-	-	0.03	0.036
J	0.02	0.002	0.02	0.002	0.015

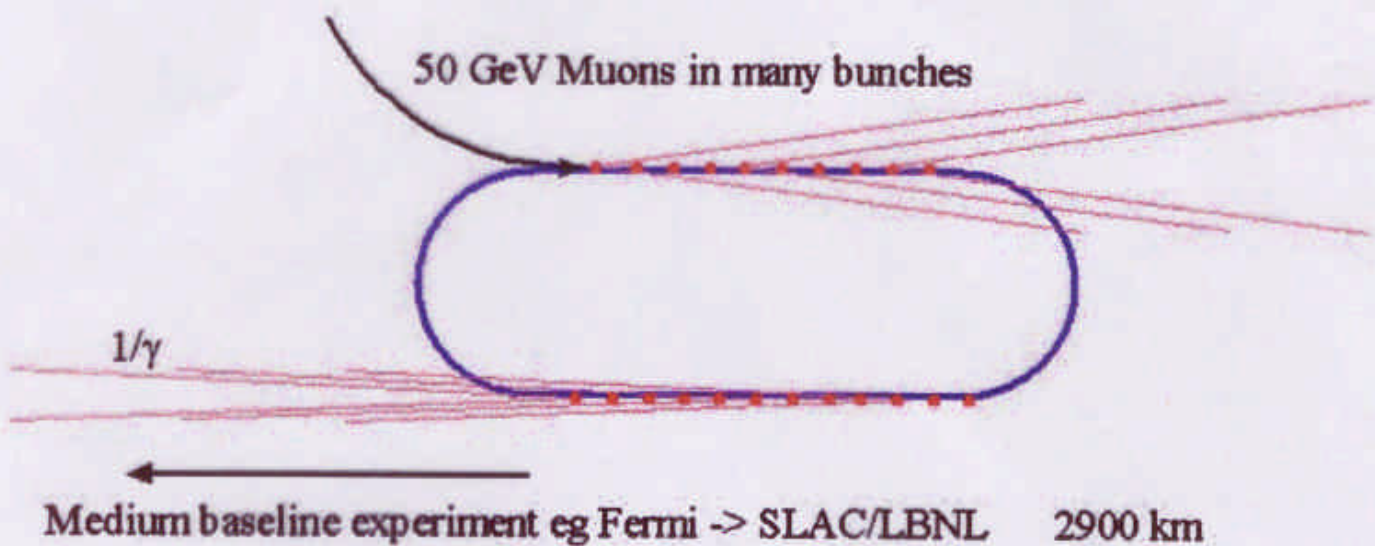
Why not use conventional beam

- Conventional beam is great for measuring ν_μ related parameters to $\sim 1\%$.
- Limitations are electron detection in hadron showers limits $\nu_\mu \rightarrow \nu_e$
- To go beyond 1% on $\nu_\mu \leftrightarrow \nu_e$ or get mass effects and CP violation, need:
 - long baseline,
 - higher energy,
 - way to see $\nu_\mu \leftrightarrow \nu_e$ transitions with better accuracy.



The Neutrino Source

Muon Storage Ring as a Neutrino Source



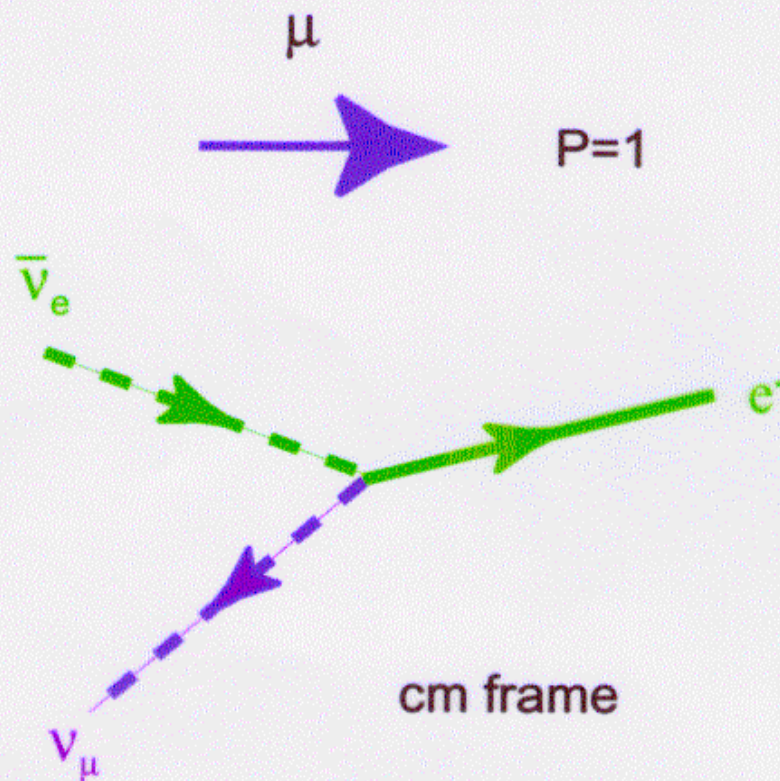
Parameters for the Muon Storage Ring

Energy	GeV	50
decay ratio	%	>40
Designed for inv. Emittance	m*rad	0.0032
Cooling designed for inv. Emitt.	m*rad	0.0016
β in straight	m	160
N_μ /pulse	10^{12}	6
typical decay angle of $\mu = 1/\gamma$	mrad	2.0
Beam angle $(\sqrt{\epsilon/\beta_0}) = (\sqrt{\epsilon} \gamma)$	mrad	0.2
Lifetime $c*\gamma*\tau$	m	3×10^5

$$\gamma = \frac{1}{\beta} \sqrt{1 - \alpha^2}$$

6/14/00

Properties of neutrino beams from muon decay



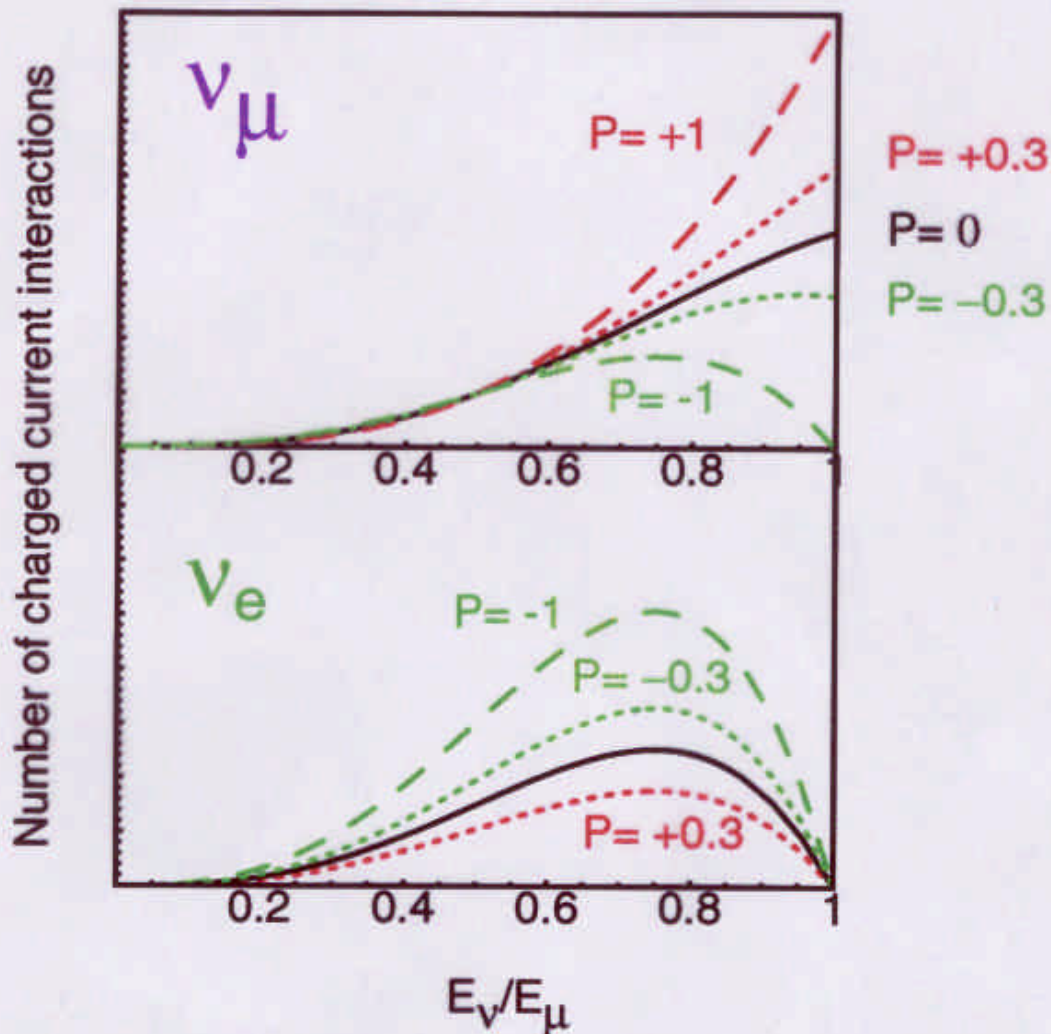
$$\frac{dN(\nu_\mu)}{dzd \cos \theta_{CM}} = 2z^2[(3 - 2z) \mp P(1 - 2z) \cos \theta]$$

$$\frac{dN(\nu_e)}{dzd \cos \theta_{CM}} = 6z^2[(1 - z) \mp P(1 - z) \cos \theta]$$

$$z = \frac{E_\nu}{E_{max}} \quad \text{where} \quad E_{max} = m_\mu/2$$

Single decay mode and well defined kinematics

Neutrino interaction rates as a function of scaled neutrino energy



Beam is a mixture of ν_μ and anti- ν_e or ν_e and anti- ν_μ . Peaked towards high energies, Polarization is hard to get but can be used to remove backgrounds from the mixture.

Why bother with muon decay?

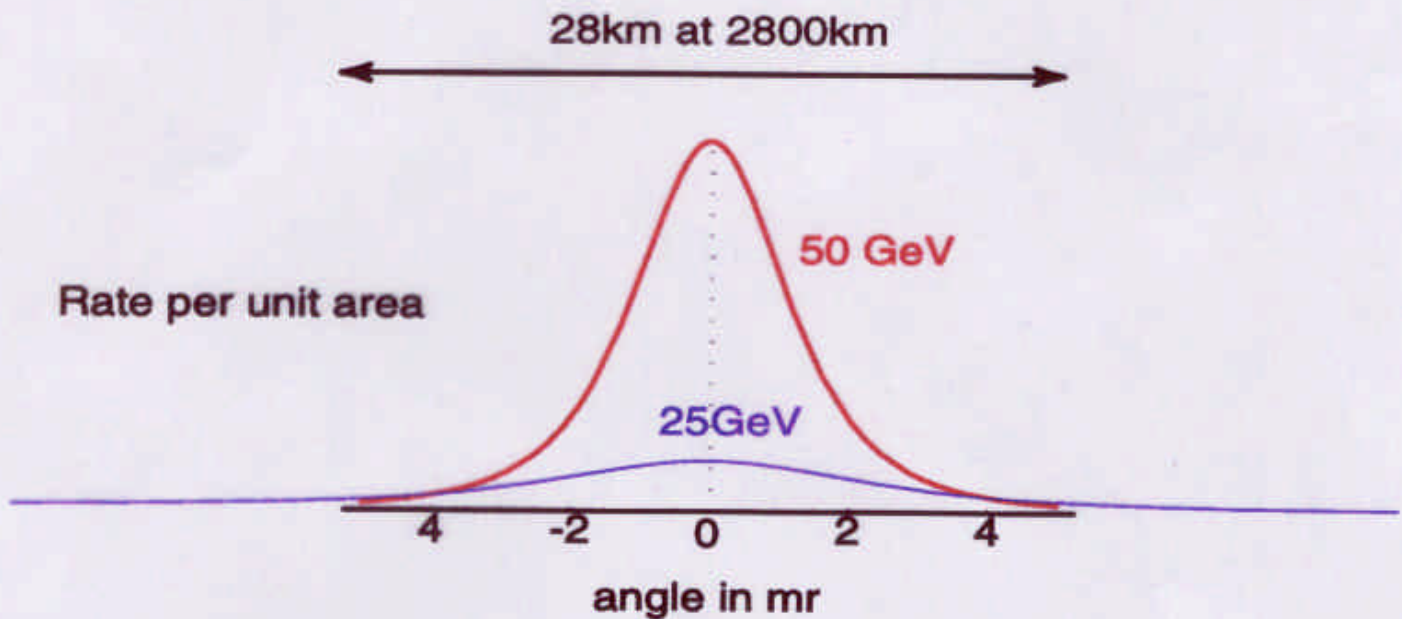
- Goal is maximum neutrino/proton
 - Decay pions/kaons at low energy
 - More decay in decay volume
(~3% at FNAL high energy ν beam)
 - Then accelerate
 - 40% of muons decay in the right direction
- Very well understood source
 - Only one decay process
 - Parent particles ~ monochromatic
 - Around long enough to monitor

See $\nu_e \rightarrow \nu_\mu$ in the $\nu_e \rightarrow \nu_\mu \rightarrow \mu^- + X$ channel 'Wrong sign muons'

$\bar{\nu}_\mu \rightarrow \bar{\nu}_\mu \rightarrow \mu^+ + X$ is the conventional muon source

Neutrino Event rates vs angle

θ typical is $\sim 1/\gamma$



Spread of beam scales as $1/E^2$

Event rate/neutrino scales as E

For same L event rate/unit area scales as E^3

Spread of beam scales as L^2

For fixed E/L , event rate/unit area scales as E

Mario Campanelli

Event rates for a 10 kton detector

Rates					
		L=732 km	L=2900 km	L=7400 km	
μ^- 10^{20} decays	ν_μ	CC	226000	14400	2270
	ν_μ	NC	67300	4120	680
	$\bar{\nu}_e$	CC	87100	5530	875
	$\bar{\nu}_e$	NC	30200	1990	300
μ^+ 10^{20} decays	$\bar{\nu}_\mu$	CC	101000	6380	1000
	$\bar{\nu}_\mu$	NC	35300	2240	350
	ν_e	CC	197000	12900	1980
	ν_e	NC	57900	3670	580

$E_\mu = 30 \text{ GeV}$

No oscillations

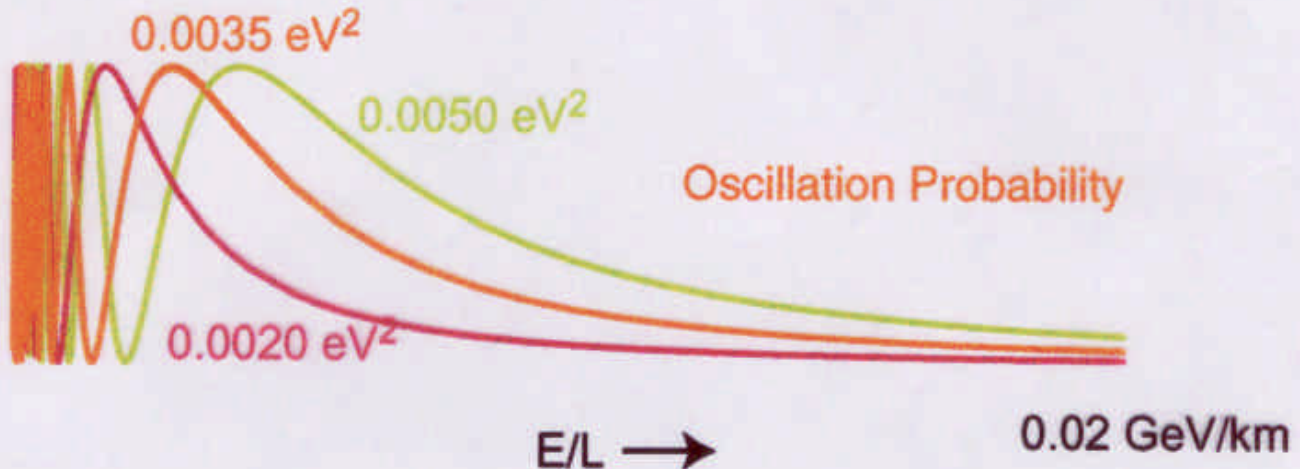
No polarization

No beam divergence

Experiments can be described by their E/L coverage

$$\bullet P(\nu_\alpha \rightarrow \nu_\beta) \sim \sin^2 2\theta \sin^2[1.27 \Delta m^2 L/E]$$

$$\bullet m \text{ in eV}, L \text{ in km}, E \text{ in GeV}$$

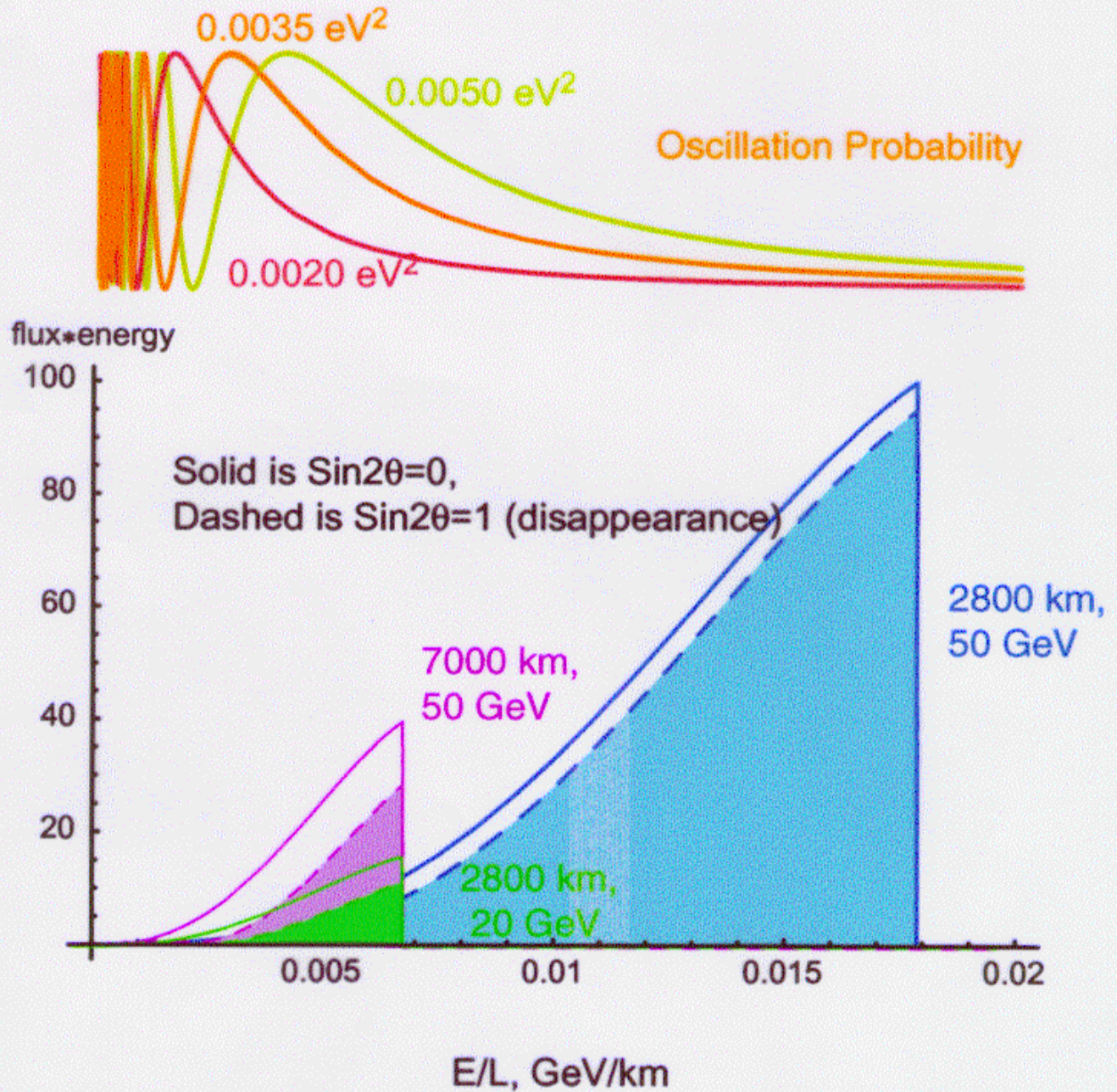


If $E/L \ll \Delta m^2$, $P(\nu_\alpha \rightarrow \nu_\beta) \sim \frac{1}{2} \sin^2 2\theta$

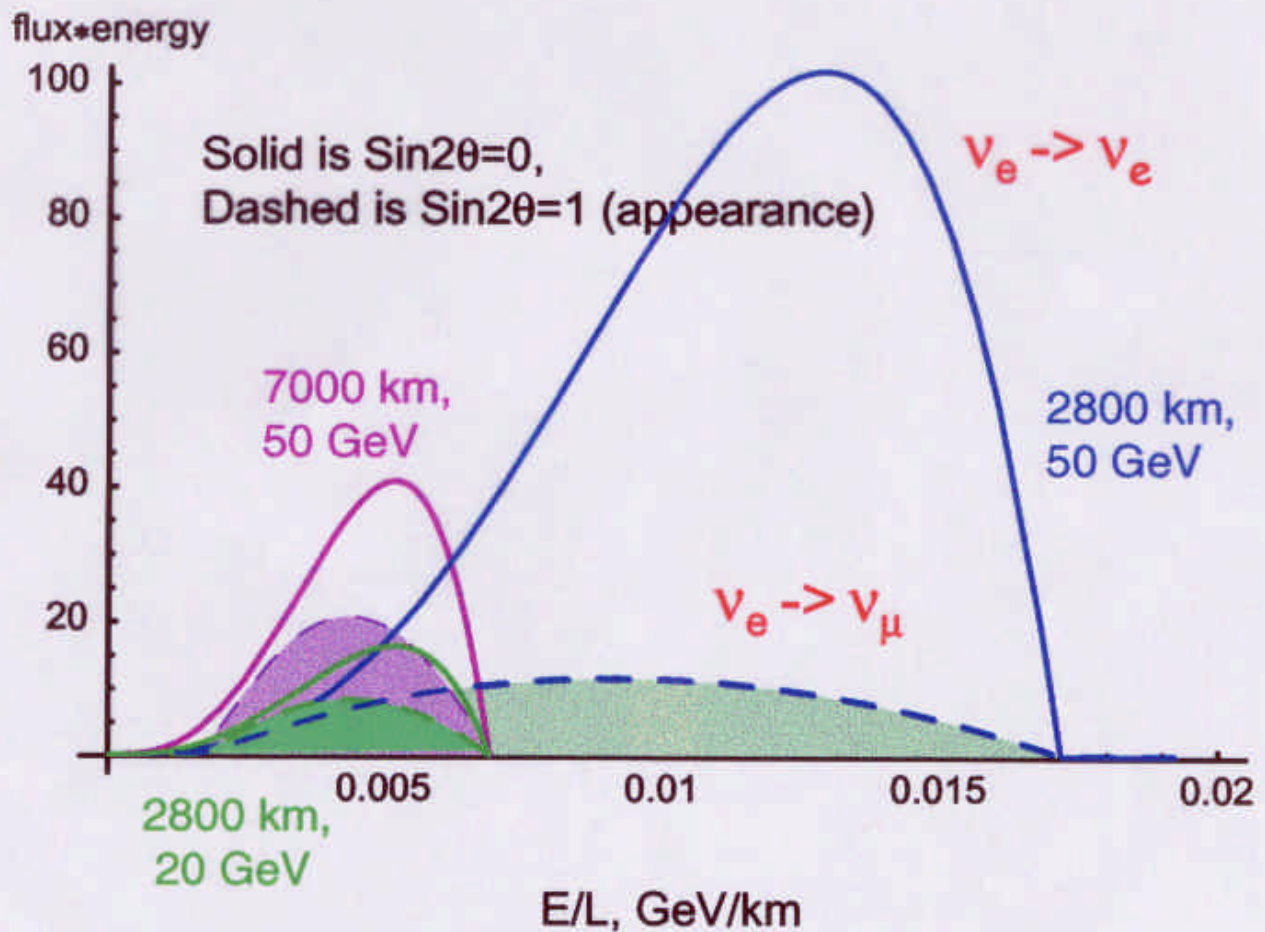
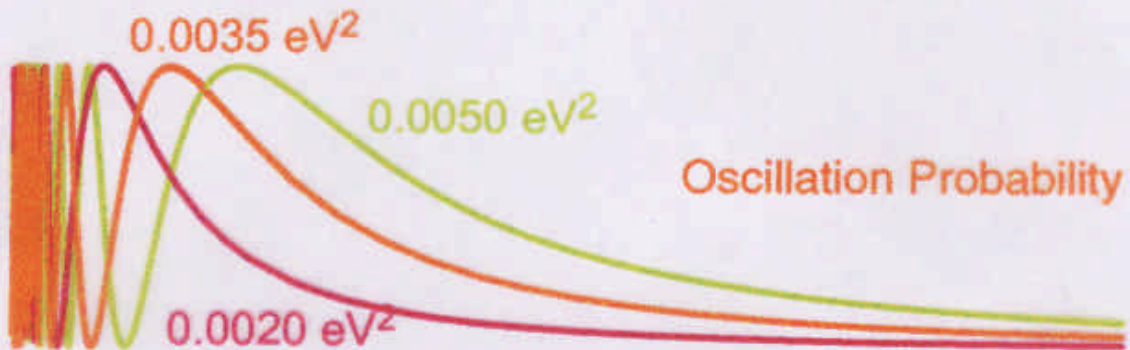
If $E/L \gg \Delta m^2$, $P(\nu_\alpha \rightarrow \nu_\beta) \sim 0$

If $E/L \sim \Delta m^2$, can measure both Δm^2 and $\sin^2 2\theta$

Numbers of muon neutrino interactions for
fixed number of muon decays
 $\Delta m^2 = 0.0035 \text{ eV}^2$



Numbers of electron neutrino interactions for
fixed number of muon decays
 $\Delta m^2 = 0.0035 \text{ eV}^2$



Detectors

'Protons are cheaper than muons'

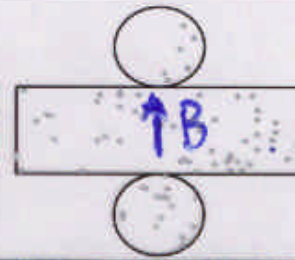
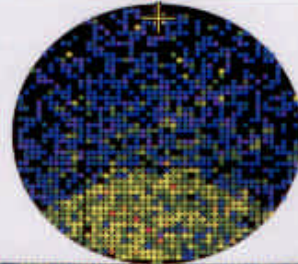
- Tau detection
 - Emulsion/msgc ~ 1-20 kTons
 - Tau id, electron id
- Liquid argon drift
 - 10-20 kTons
 - Electron id!
- Magnetized Iron Scintillator
 - 20-100 kTons
 - Good muon id!
- Water Cerenkov with magnet tail
 - 50-500 kTons
 - Electron id, limited muon charge

... horizontal 5 GeV muons from 2μ at tank edge
Super-K with 1 kG \vec{B} , $+\hat{z}$



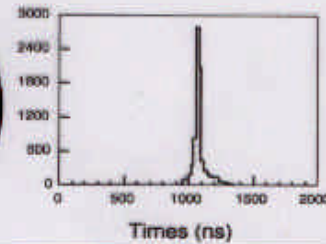
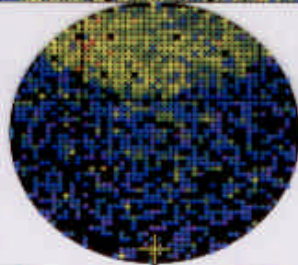
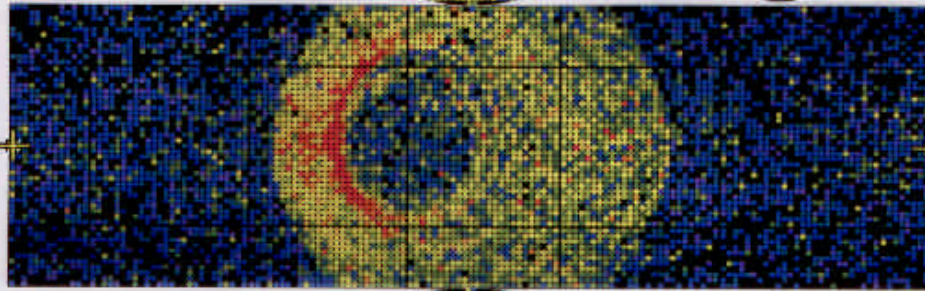
Super-Kamiokande

Run 999999 Event 3
 99-10-15:16:23:40
 Inner: 8252 hits, 41375 pE
 Outer: 1 hits, 0 pE (in-time)
 Trigger ID: 0x03
 D wall: 190.0 cm
 Fully-Contained



Charge (pE)

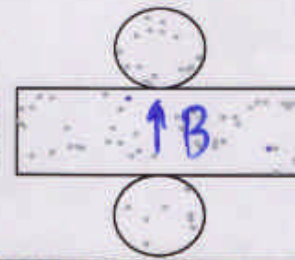
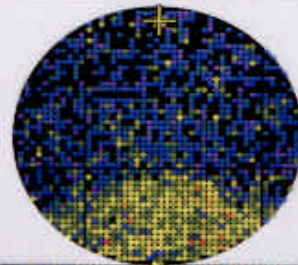
- >26.7
- 23.3-26.7
- 20.0-23.3
- 17.0-20.0
- 14.7-17.0
- 12.3-14.7
- 10.0-12.3
- 8.0-10.0
- 6.2- 8.0
- 4.7- 6.2
- 3.3- 4.7
- 2.2- 3.3
- 1.3- 2.2
- 0.7- 1.3
- 0.2- 0.7
- < 0.2



μ^-
 went
 left
 . 25 m range

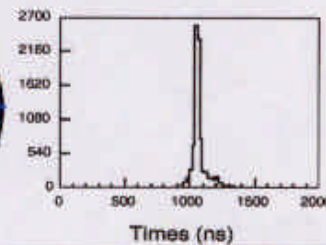
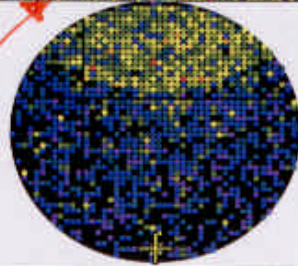
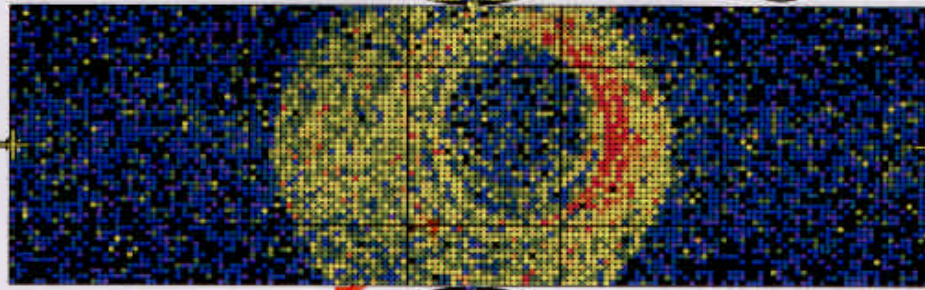
Super-Kamiokande

Run 999999 Event 1
 99-10-15:15:22:35
 Inner: 8295 hits, 40048 pE
 Outer: 2 hits, 1 pE (in-time)
 Trigger ID: 0x03
 D wall: 190.0 cm
 Fully-Contained



Charge (pE)

- >26.7
- 23.3-26.7
- 20.0-23.3
- 17.0-20.0
- 14.7-17.0
- 12.3-14.7
- 10.0-12.3
- 8.0-10.0
- 6.2- 8.0
- 4.7- 6.2
- 3.3- 4.7
- 2.2- 3.3
- 1.3- 2.2
- 0.7- 1.3
- 0.2- 0.7
- < 0.2

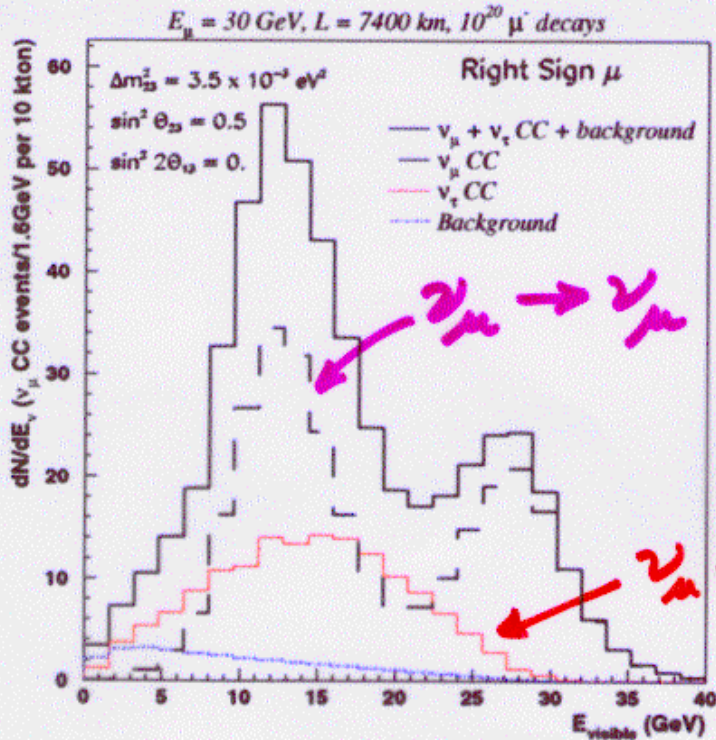


μ^+
 went
 right

note hard
 scatters

A. Habig

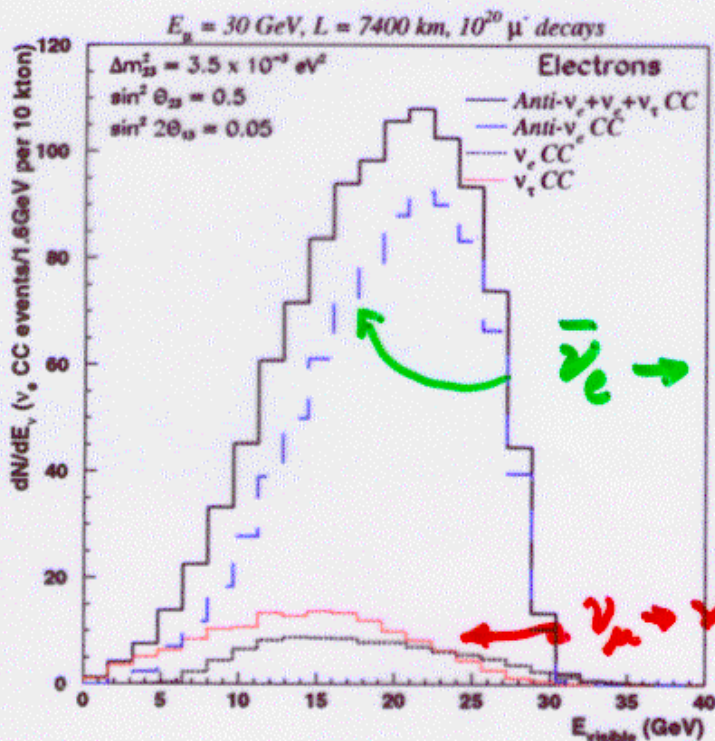
10^{20} muon decays



- Right sign muons
 - Dip due to oscillation
- Tau's contribute
 - Signal?
 - Background?

Muons

$\nu_\mu \rightarrow \nu_e$



Electrons

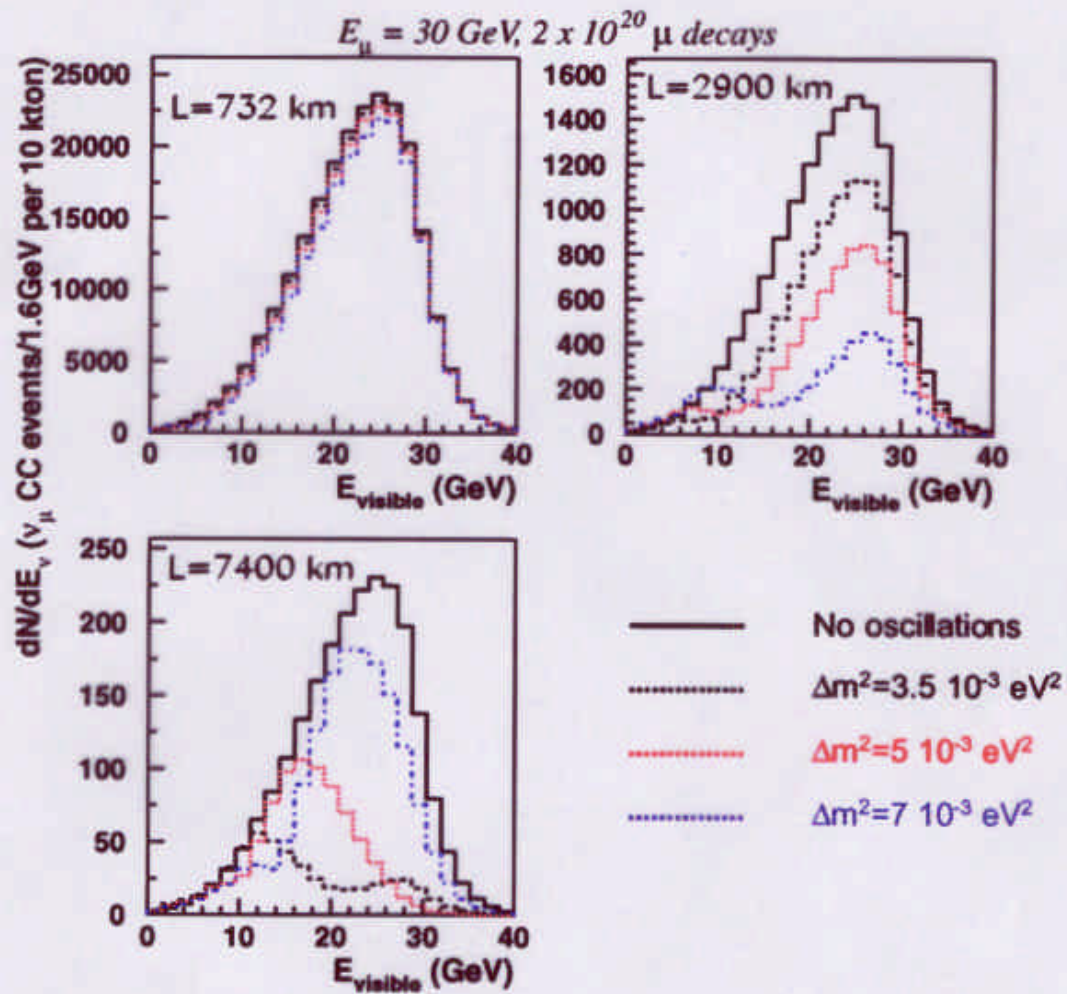
$\bar{\nu}_e N \rightarrow e + X$

$\bar{\nu}_e \rightarrow \bar{\nu}_e$

$\nu_\mu \rightarrow \nu_e \rightarrow e$

Bueno et al.

Disappearance Experiment $\nu_{\mu} \rightarrow \nu_{\tau}$



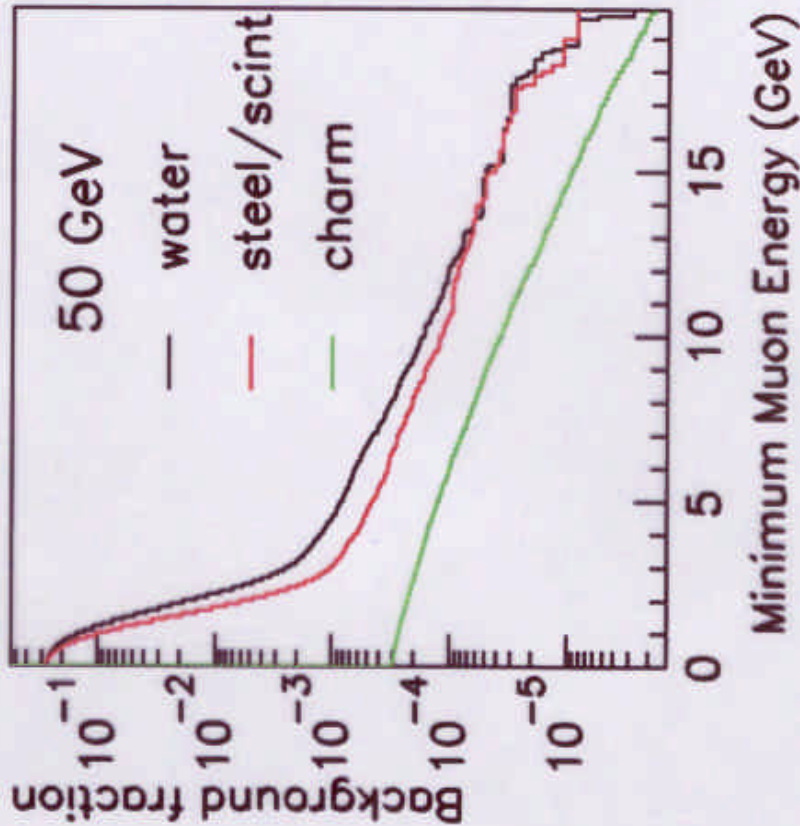
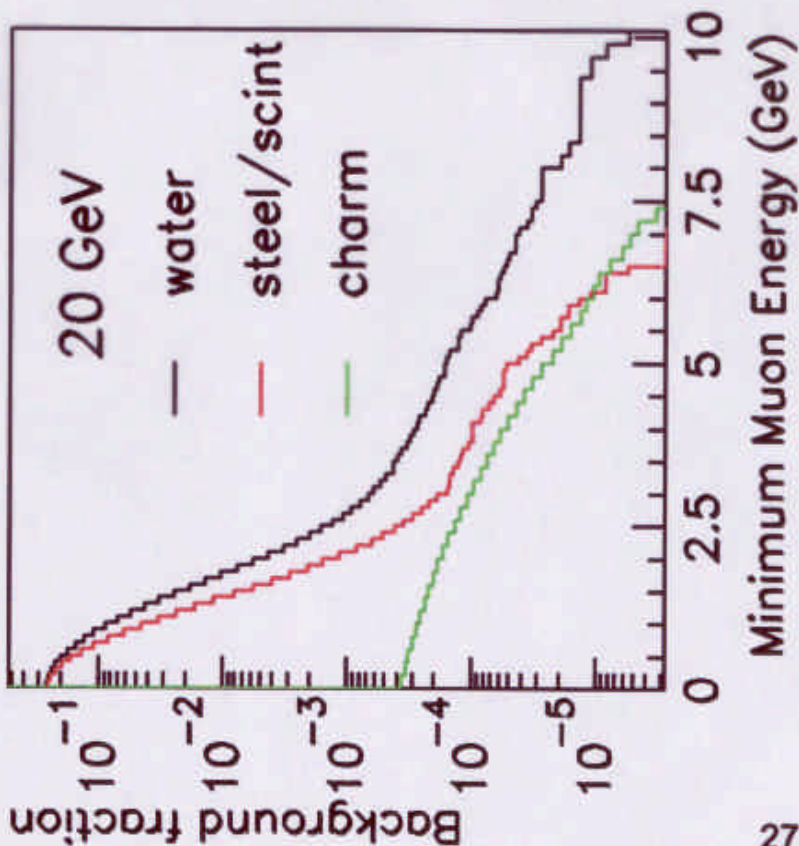
Mario Campanelli, ETH Zurich

What determines the machine energy?

- We're interested in $\nu_e \rightarrow \nu_\mu$
- Need to tag wrong sign muons with very low backgrounds
- there are also anti- ν_μ in the beam
- Wrong sign muons from
 - Hadron decay
 - Charm decay
 - Non-interacting hadrons
 - Charge confusion
- How do you tell a 2 GeV pion from a 2 GeV muon at the 0.01% level?

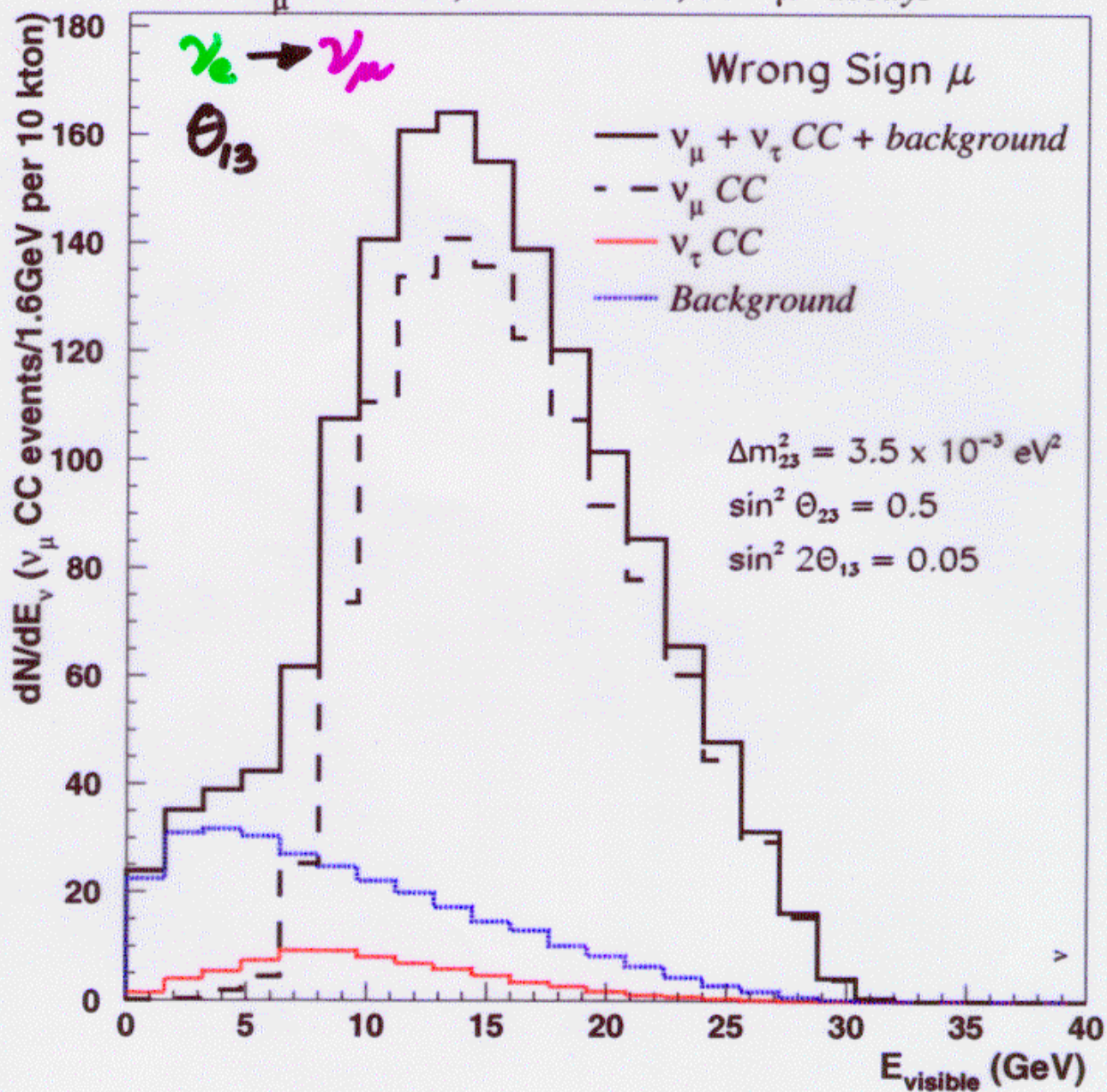
Backgrounds to $\bar{\nu}e \rightarrow \bar{\nu}\mu \rightarrow \mu^+$

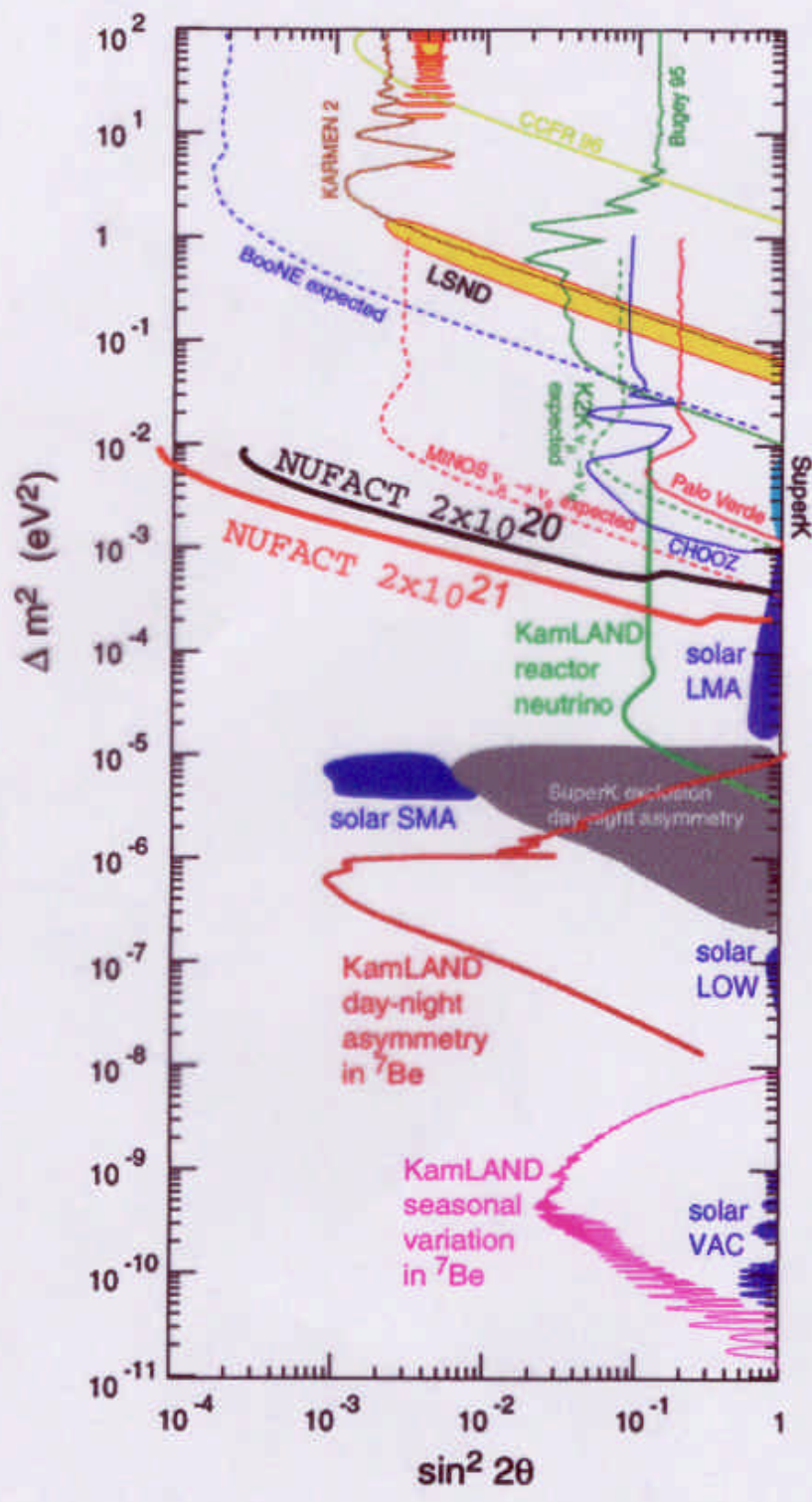
Pions which do not interact!



10^{21} muon decays

$E_\mu = 30 \text{ GeV}, L = 7400 \text{ km}, 10^{21} \mu^+ \text{ decays}$





Limits on $\sin^2\theta_{13}$ for a 10kt detector 7400 km away.
 Bueno *et al.*

$\nu_e > \nu_\mu$ Appearance

FNAL > SLAC/LBNL
(L = 2800 km) 10kT

$E_\mu = 30$ GeV
 2×10^{20} Decays

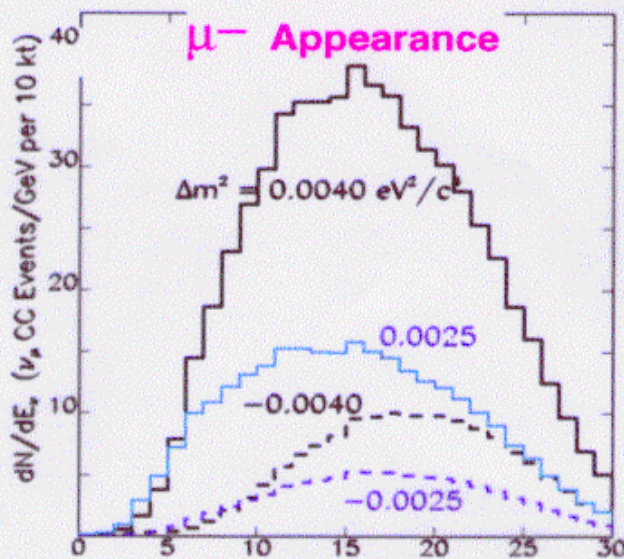
Three Flavor Mixing

$$\Delta m_{21}^2 = 5 \times 10^5 \text{ eV}^2/c^4$$

$$\sin^2 2\theta_{23} = 1 \quad \delta = 0$$

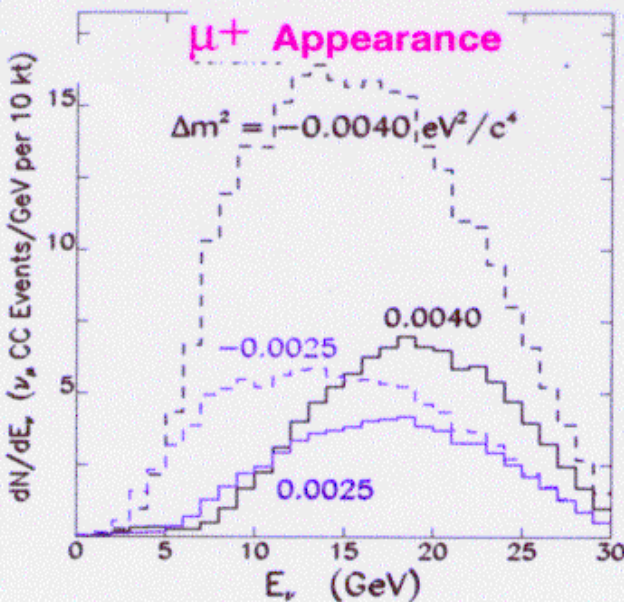
$$\sin^2 2\theta_{12} = 0.8$$

$$\sin^2 2\theta_{31} = 0.04$$



$$\nu_e \rightarrow \nu_\mu$$

Sign of Δm^2 can be determined thanks to matter effects



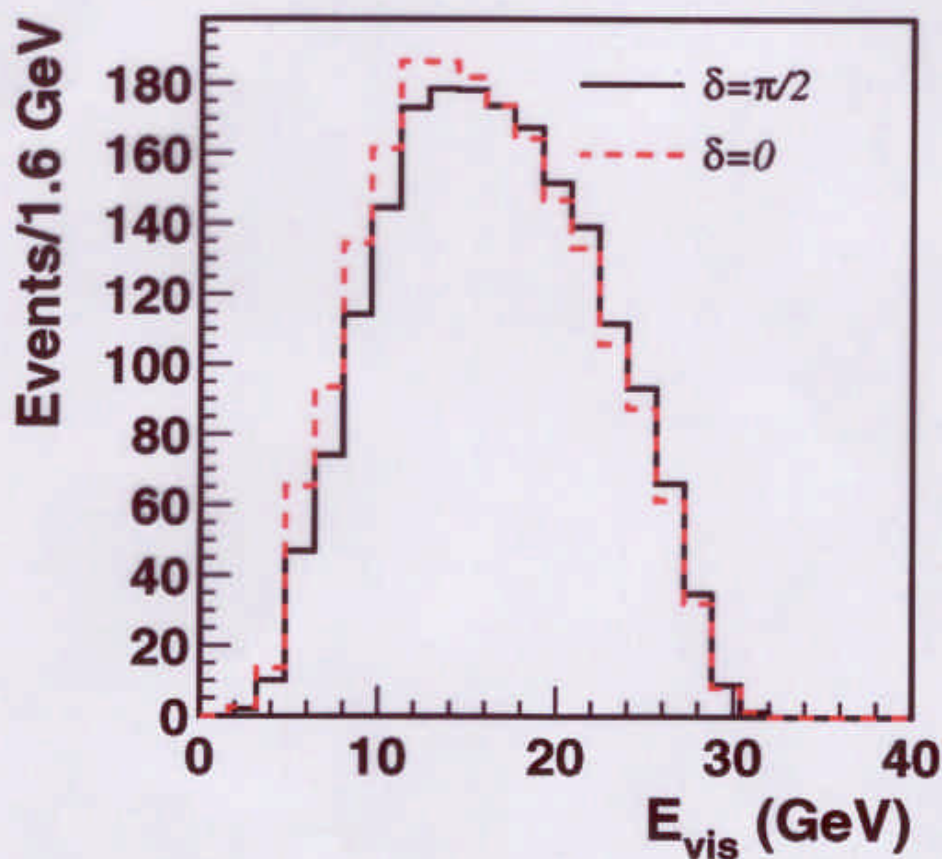
$$\bar{\nu}_e \rightarrow \bar{\nu}_\mu$$

Barger Geer Raja Whisnant
Fermilab Pub 99341

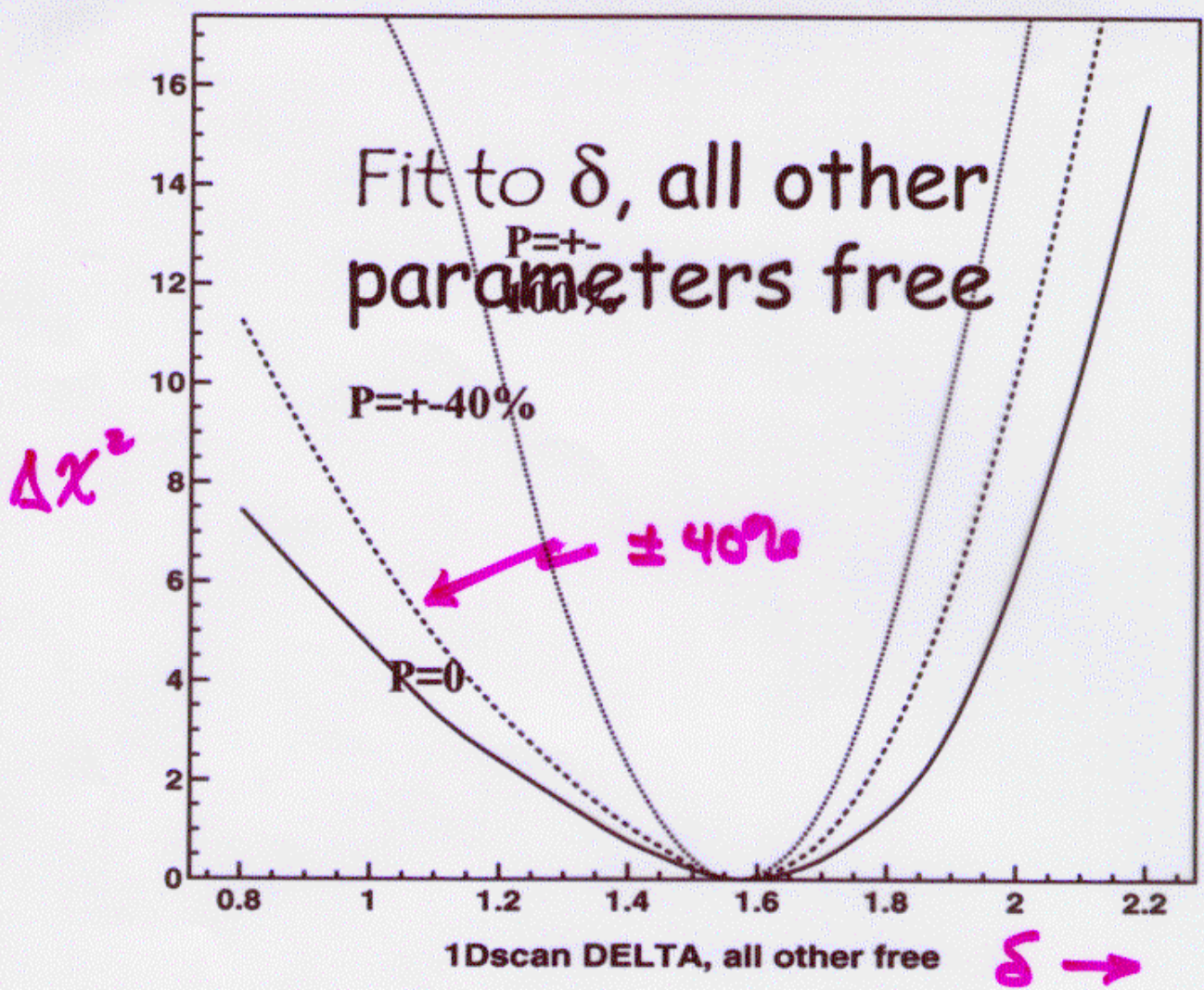
What optimal CP violation looks like

Assume Solar LMA solution, large θ_{12} , θ_{13}

Wrong-sign muons



$10^{21} \mu$, 3500 km

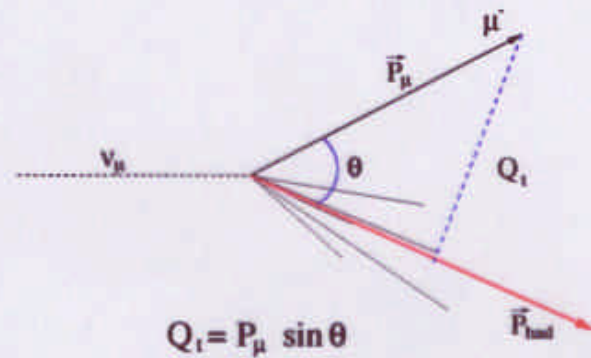


$P = 0 :$	$\delta = 1.57 \pm 0.20$
$P = \pm 40\%$	$\delta = 1.57 \pm 0.15$
$P = \pm 100\%$	$\delta = 1.57 \pm 0.10$

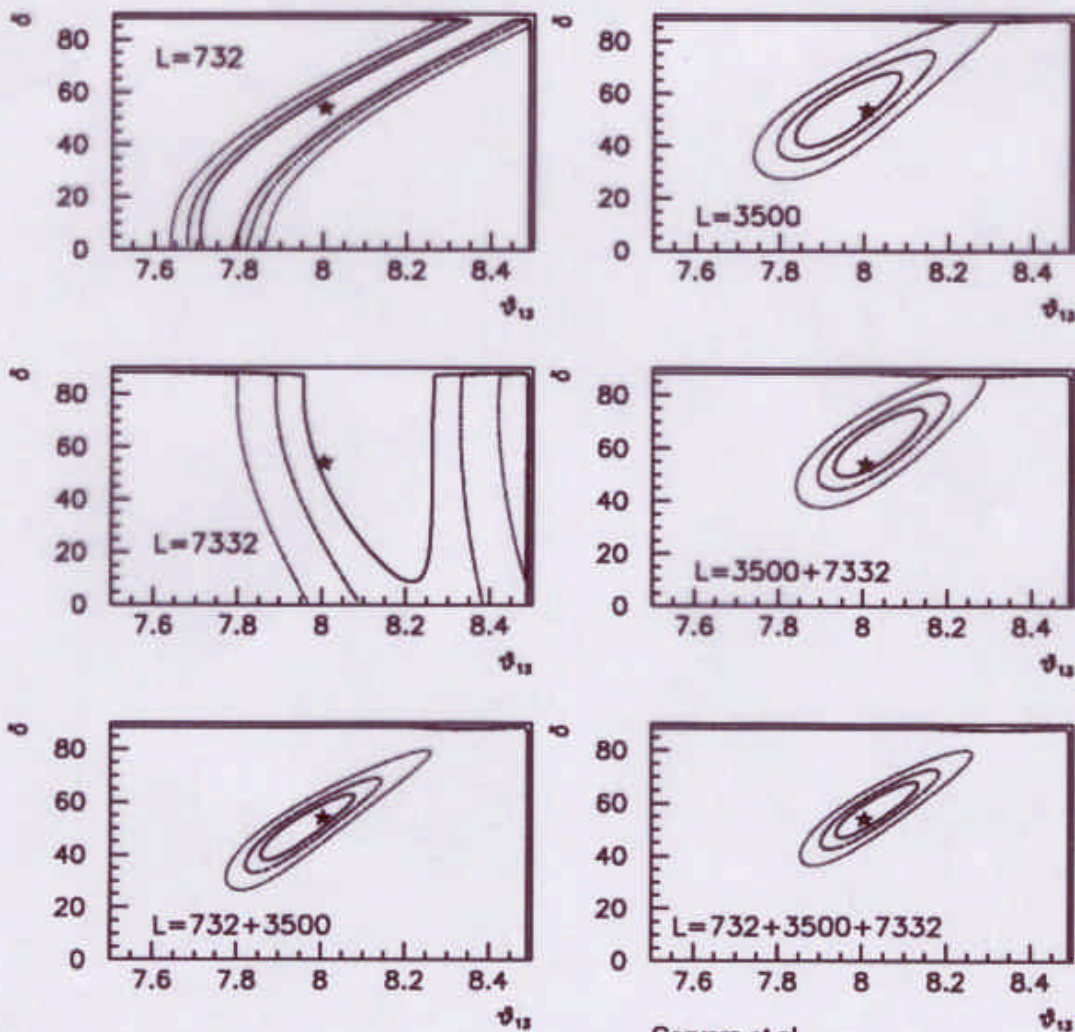
Blondel NUFACT00 - CP/polarization

Kinematic cuts can increase sensitivity at high event rates.

Cervera et al.



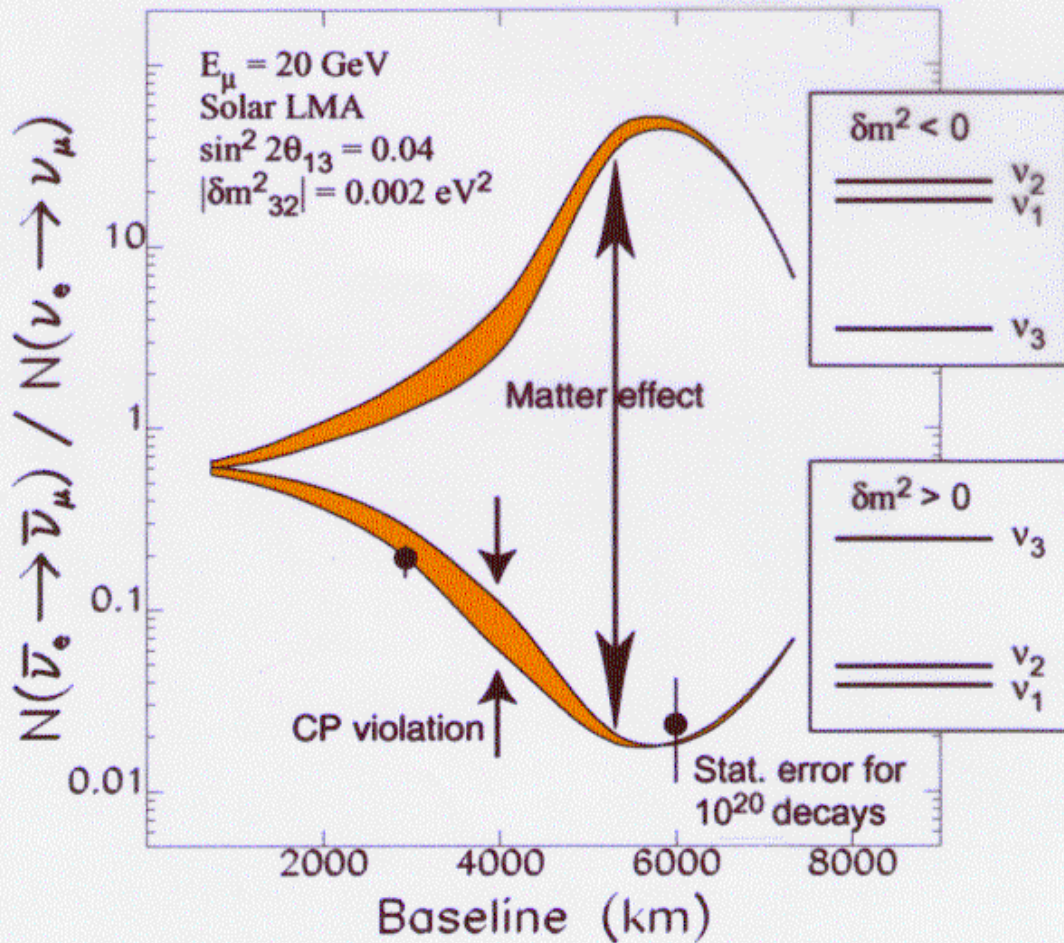
68, 90 and 99% confidence levels



To see CP violation, all 3 flavors must be involved. Only see it if Δm_{solar} is not too small and the Jarlskog factor J is large.

$$J = c_{12}c_{13}^2c_{23}s_{12}s_{13}s_{23}(\sin \delta)$$

Wrong-Sign Muon Measurements



Conclusions

- Baselines of $\sim 3000-7000$ are very interesting
- Large detectors are needed (and the cheap way to go)
- Intensities $> \sim 10^{20}$ /year open allow
 - very accurate measure of Δm_{23}^2 and θ_{23}
 - Measure $\sin^2 2\theta_{13}$ and sign of Δm_{23}^2
- May be sensitive to CP violation if $\sin^2 2\theta_{13}$, $\sin^2 2\theta_{12}$ and Δm_{12}^2 are large (lucky LMA solution)

Near detector physics factor of 1000 better than present or foreseen expts.



Standard Model of Elementary Particles

3 Generations of Fermions

Q
u
a
r
k
s

$\frac{2}{3}$ u ~ 5	$\frac{2}{3}$ c ~ 1350	$\frac{2}{3}$ t 175000
$-\frac{1}{3}$ d ~ 9	$-\frac{1}{3}$ s ~ 175	$-\frac{1}{3}$ b ~ 4500
ν_1 $0?$	ν_2 $0?$	ν_3 $0?$
e 0.511	μ 105.66	τ 1777.2

L
e
p
t
o
n
s

Force Carriers

g 0 0
γ 0 0
Z^0 0 91187
W^{\pm} ± 1 81400

Strong
InteractionsElectro-
magnetismWeak
Interactions

Masses are in MeV

June 2000

6/14/00

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