NAL P	ROPOSAL	#223
-------	---------	------

## SCIENTIFIC SPOKESMAN:

P. Schlein
Physics Department
University of California
LossAngeles, California 90024

FTS/Off-Net 213-688-2000 + 825-4321

Proposal to Study High Transverse Momentum
Energy Distributions and Correlations
Using Total Absorption Calorimetry at NAL

E. Lorenz, R. Poster, P. Schlein, W. Slater, R. Webb University of California, Los Angeles

June 1, 1973

## 300 GeV CM-LAB KINEMATICS FOR A TOTAL ABSORPTION HADRON

toni e de la companya de la companya

## CALORIMETER TO STUDY LARGE P PHYSICS

The essential design criteria for a total-absorption calorimeter to measure outgoing hadronic energy distributions in, e.g., 300 GeV proton-proton interactions are obtained from an examination of the laboratory/centre-of-mass kinematics shown in Figure 1.

Lines of constant laboratory energy and angle are shown in the centre-of-mass X-P<sub>t</sub> plane. Although the curves were calculated for outgoing pions, they are valid for all particles, except in the large angle ( $\theta_{lab} \gtrsim 300$  mrad) or small P<sub>t</sub> range (P<sub>t</sub> < 1 or 2 GeV/c. Thus, energy measurement by pulse height of a particle at some angle  $\theta_{lab}$  determines its X<sub>CM</sub>-P<sub>t</sub> values, independent of its mass.

To verify the range of validity of this approximation, we note that

$$(P_{II})_{CM} = \gamma (P_{II})_{lab} - \beta \gamma E_{lab}$$

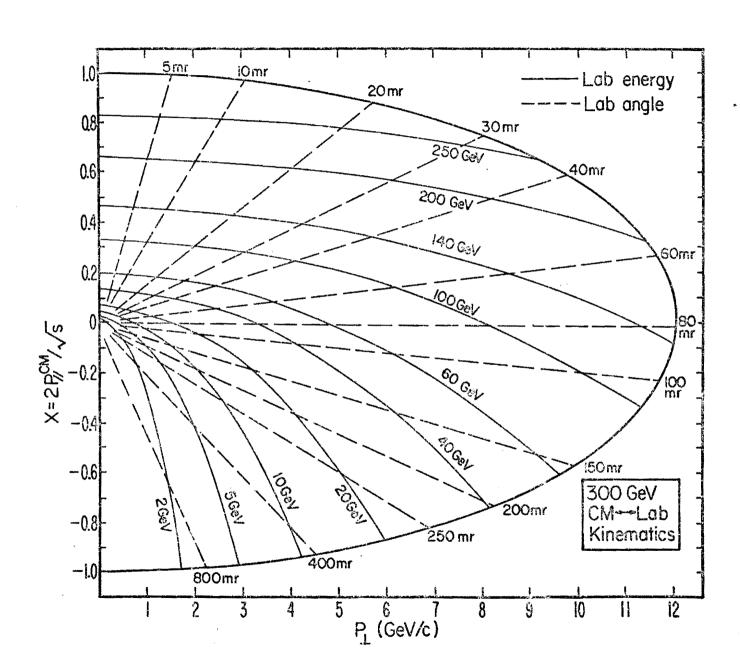
$$= P_{t} \left[ \frac{\gamma}{\tan \theta_{lab}} - \beta \gamma \left( \frac{1}{\sin^{2} \theta_{lab}} + \frac{m^{2}}{P_{t}^{2}} \right)^{\frac{1}{2}} \right]$$

For fixed  $\theta_{\mbox{ lab}}$  , we see that the linear dependence of  $(P_{\mbox{{\it H}}})_{\mbox{CM}}$  on  $P_{\mbox{{\it t}}}$  , seen in Fig. 1 follows, providing that

$$\left(\frac{m}{P_t}\right)^2 \ll \frac{1}{\sin^2\theta_{lab}}$$
.

For P  $\gtrsim$  1 or 2 GeV/c and  $\theta_{\rm lab} \lesssim$  300 mradians (which covers most of the CM angular range), this is seen to be a good approximation.

For fixed  $\theta_{lab}$  and  $P_{t}$ ,  $P_{lab}$  is uniquely determined and thus the curves of constant energy (or pulse height in the calorimeter) contain no further approximation, other than that  $P_{lab} \approx E_{lab}$ .



( )