New Measurements of Nucleon Structure Functions from the CCFR/NuTeV Collaboration

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Abstract. We report on the extraction of the structure functions F_2 and $\Delta x F_3 = x F_3^{\nu} - x F_3^{\overline{\nu}}$ from CCFR ν_{μ} -Fe and $\overline{\nu}_{\mu}$ -Fe differential cross sections. The extraction is performed in a physics model independent (PMI) way. This first measurement for $\Delta x F_3$, which is useful in testing models of heavy charm production, is higher than current theoretical predictions. The F_2 (PMI) values measured in ν_{μ} and μ scattering are in good agreement with the predictions of Next to Leading Order PDFs (using massive charm production schemes), thus resolving the long-standing discrepancy between the two sets of data.

Deep inelastic lepton-nucleon scattering experiments have been used to determine the quark distributions in the nucleon. However, the quark distributions determined

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from muon and neutrino experiments were found to be different at small values of x, because of a disagreement in the extracted structure functions. Here, we report on a measurement of differential cross sections and structure functions from CCFR ν_{μ} -Fe and $\overline{\nu}_{\mu}$ -Fe data. We find that the neutrino-muon difference is resolved by extracting the ν_{μ} structure functions in a physics model independent way.

The sum of ν_{μ} and $\overline{\nu}_{\mu}$ differential cross sections for charged current interactions on an isoscalar target is related to the structure functions as follows:

$$F(\epsilon) \equiv \left[\frac{d^2 \sigma^{\nu}}{dx dy} + \frac{d^2 \sigma^{\overline{\nu}}}{dx dy} \right] \frac{(1 - \epsilon)\pi}{y^2 G_F^2 M E_{\nu}} = 2x F_1 [1 + \epsilon R] + \frac{y(1 - y/2)}{1 + (1 - y)^2} \Delta x F_3.$$

Here G_F is the Fermi weak coupling constant, M is the nucleon mass, E_{ν} is the incident energy, the scaling variable $y = E_h/E_{\nu}$ is the fractional energy transferred to the hadronic vertex, E_h is the final state hadronic energy, and $\epsilon \simeq 2(1-y)/(1+(1-y)^2)$ is the polarization of the virtual W boson. The structure function $2xF_1$ is expressed in terms of F_2 by $2xF_1(x,Q^2) = F_2(x,Q^2) \times \frac{1+4M^2x^2/Q^2}{1+R(x,Q^2)}$, where Q^2 is the square of the four-momentum transfer to the nucleon, $x = Q^2/2ME_h$ (the Bjorken scaling variable) is the fractional momentum carried by the struck quark, and $R = \frac{\sigma_L}{\sigma_T}$ is the ratio of the cross-sections of longitudinally- to transversely-polarized W-bosons. The ΔxF_3 term, which in leading order $\simeq 4x(s-c)$, is not present in the μ -scattering case. In addition, in a ν_{μ} charged current interaction with s (or \overline{c}) quarks, there is a threshold suppression originating from the production of heavy c quarks in the final state. For μ -scattering, there is no suppression for scattering from s quarks, but more suppression when scattering from s quarks since there are two heavy quarks (s and s in the final state.

In previous analyses of ν_{μ} data, light-flavor universal physics model dependent (PMD) structure functions were extracted by applying a slow rescaling correction to correct for the charm mass suppression in the final state. In addition, the $\Delta x F_3$ term (used as input in the extraction) was calculated from a leading order charm production model. These resulted in a physics model dependent (PMD) structure functions. In the new analysis reported here, slow rescaling corrections are not applied, and $\Delta x F_3$ and F_2 are extracted from two parameter fits to the data. We compare the values of $\Delta x F_3$ to various charm production models. The extracted physics model independent (PMI) values for F_2^{ν} are then compared with F_2^{μ} within the framework of NLO models for massive charm production.

The CCFR experiment collected data using the Fermilab Tevatron Quad-Triplet wide-band ν_{μ} and $\overline{\nu}_{\mu}$ beam. The raw differential cross sections per nucleon on iron are determined in bins of x, y, and E_{ν} (0.01 < x < 0.65, 0.05 < y < 0.95, and 30 < E_{ν} < 360. GeV). Figure 1 (a) shows typical differential cross sections at E_{ν} = 150 GeV. Next, the raw cross sections are corrected for electroweak radiative effects, the W boson propagator, and for the 5.67% non-isoscalar excess of neutrons over protons in iron (only important at high x). Values of $\Delta x F_3$ and F_2 are extracted from the sums of the corrected ν_{μ} -Fe and $\overline{\nu}_{\mu}$ -Fe differential cross sections at different energy bins according to Eq. (1). It is challenging to fit $\Delta x F_3$, R, and $2x F_1$ using the y distribution at a given x and Q^2 because of the strong correlation between

the $\Delta x F_3$ and R terms, unless the full range of y is covered by the data. Covering this range (especially the high y region) is hard because of the low acceptance. Therefore, we restrict the analysis to two parameter fits. Our strategy is to fit $\Delta x F_3$ and $2x F_1$ (or equivalently F_2) for x < 0.1 where the $\Delta x F_3$ contribution is relatively large, while constraining R using the $R_{world}^{\mu/e}$ QCD inspired empirical fit to all available R from electron- and μ -scattering data. The $R_{world}^{\mu/e}$ fit is also in good agreement with NMC R^{μ} data at low x, and with the most recent NNLO QCD calculations (including target mass effects) of R by Bodek and Yang

For x < 0.1, R in neutrino scattering is expected to be somewhat larger than R for muon scattering because of the production of massive charm quarks in the final state. A correction for this difference is applied to $R_{world}^{\mu/e}$ using a leading order slow rescaling model to obtain an effective R for neutrino scattering, R_{eff}^{ν} . The difference between $R_{world}^{\mu/e}$ and R_{eff}^{ν} is used as a systematic error. Because of the positive correlation between R and $\Delta x F_3$, the extracted values of F_2 are rather insensitive to the input R. If a large input R is used, a larger value of xF_3 is extracted from the y distribution, thus yielding the same value of F_2 . In contrast, the extracted values of $\Delta x F_3$ are sensitive to the assumed value of R, which is reflected in a larger systematic error. The values of $\Delta x F_3$ are sensitive to the energy dependence of the neutrino flux ($\sim y$ dependence), but are insensitive to the absolute normalization. The uncertainty on the flux shape is estimated by using the constraint that F_2 and xF_3 should be flat over y (or E_{ν}) for each x and Q^2 bin.

Because of the limited statistics, we use large bins in Q^2 in the extraction of $\Delta x F_3$ with bin centering corrections from the NLO Thorne & Roberts Variable Flavor Scheme (TR-VFS) calculation with the MRST PDFs. Figure 1 (b) shows the extracted values of $\Delta x F_3$ as a function of x, including both statistical and systematic errors, compared to various theoretical methods for modeling heavy charm productions within a QCD framework. The three-flavor Fixed Flavor Scheme (FFS) assumes that there is no intrinsic charm in the nucleon, and all scattering from c quarks occurs via the gluon-fusion diagram. The concept behind the Variable Flavor Scheme (VFS) proposed by ACOT is that at low scale, μ , one uses the threeflavor FFS scheme, and above some scale, one changes to a four-flavor calculation and an intrinsic charm sea (which is evolved from zero) is introduced. The concept in the RT-VFS scheme is that it starts with the three-flavor FFS scheme at a low scale, becomes the four-flavor VFS scheme at high scale, and interpolates smoothly between the two regions. Shown are the predictions from the TR-VFS scheme (as corrected after DIS-2000 and implemented with MRST PDFs), with their suggested scale $\mu = Q$, and the predictions of the other two NLO calculations, ACOT-VFS (implemented with CTEQ4HQ and the recent ACOT suggested scale $\mu = m_c$ for $Q < m_c$, and $\mu^2 = m_c^2 + cQ^2(1 - m_c^2/Q^2)^n$ for $Q < m_c$ with c = 0.5 and n = 2, and the FFS (implemented with the GRV94 PDFs and GRV94 recommended scale $\mu = 2m_c$). Also shown are the predictions from $\Delta x F_3 \simeq 4Ks(x,Q^2)$ from a leading order model (LO(CCFR)) Buras-Gaemers type fit to the CCFR dimuon data (here K is a slow rescaling correction). Figure 1 (b) (right) also shows the sensitivity to the choice of scale. The data do not favor the ACOT-VFS(CTEQ4HQ) predictions if implemented with an earlier suggested scale of $\mu=2Pt_{max}$. With reasonable choices of scale, all the theoretical models yield similar results. However, at low Q^2 our $\Delta x F_3$ data are higher than all the theoretical models. The difference between data and theory may be due to an underestimate of the strange sea (or gluon distribution) at low Q^2 , or from missing NNLO terms.

As discussed above, values of F_2 (PMI) for x < 0.1 are extracted from two parameter fits to the y distributions. In the x > 0.1 region, the contribution from $\Delta x F_3$ is small and the extracted values of F_2 are insensitive to $\Delta x F_3$. Therefore, we extract values of F_2 with an input value of R and with $\Delta x F_3$ constrained to the TR-VFS(MRST) predictions. As in the case of the two parameter fits for x < 0.1, no corrections for slow rescaling are applied. Fig. 2 (a) shows our F_2 (PMI) measurements divided by the predictions from the TR-VFS(MRST) theory. Also shown are F_2^{μ} and F_2^{e} from the NMC divided by the theory predictions. In the calculation of the QCD TR-VFS(MRST) predictions, we have also included corrections for nuclear effects, target mass and higher twist corrections at low values of Q^2 . As seen in Fig. 2, both the CCFR and NMC structure functions are in good agreement with the TR-VFS(MRST) predictions, and therefore in good agreement with each other. A comparison using the ACOT-VFS(CTEQ4HQ) predictions yields similar results.

In the previous analysis of the CCFR data, the extracted values of F_2 (PMD) at the lowest x=0.015 and Q^2 bin were up to 20% higher than both the NMC data and the predictions of the light-flavor MRSR2 PDFs. (see figure 2 (b)). About half of the difference originates from having used a leading order model for $\Delta x F_3$ versus using our new measurement. The other half originates from having used the leading order slow rescaling corrections, instead of using a NLO massive charm production model, and from improved modeling of the low Q^2 PDFs (which changes the radiative corrections and the overall absolute normalization to the total neutrino cross sections).

In conclusion, the F_2 (PMI) values measured in neutrino-iron and muondeuterium scattering show good agreement with with the predictions of Next to Leading Order PDFs (using massive charm production schemes), thus resolving the long-standing discrepancy between the two sets of data. The first measurements of $\Delta x F_3$ are higher than current theoretical predictions.

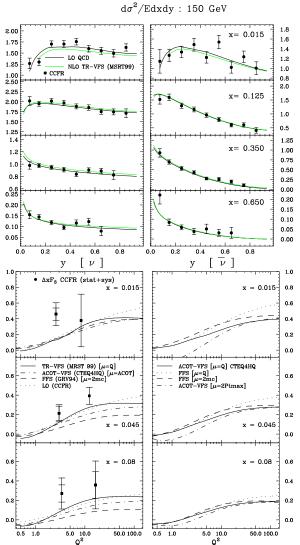


FIGURE 1. (a) Typical raw differential cross sections at $E_{\nu}=150$ GeV (both statistical and systematic errors are included). (b) $\Delta x F_3$ data as a function of x compared with various schemes for massive charm production: RT-VFS(MRST), ACOT-VFS(CTEQ4HQ), FFS(GRV94), and LO(CCFR), a leading order model with a slow rescaling correction (left); Also shown is the sensitivity of the theoretical calculations to the choice of scale (right).

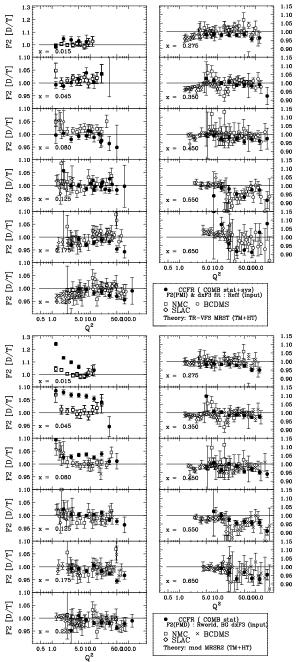


FIGURE 2. (a) Left side: The ratio (data/theory) of the F_2^{ν} (PMI) data divided by the predictions of TR-VFS(MRST) (with target mass and higher twist corrections). Both statistical and systematic errors are included. Also shown are the ratios of the F_2^{μ} (NMC) and F_2^{e} (SLAC) to the TR-VFS(MRST) predictions. (b) Right side: The ratio (data/theory) of the previous F_2^{ν} (PMD) data (and also F_2^{μ} (NMC) and F_2^{e} (SLAC)) divided by the predictions of the MRSR2 light-flavor PDFs (with target mass and higher twist corrections).