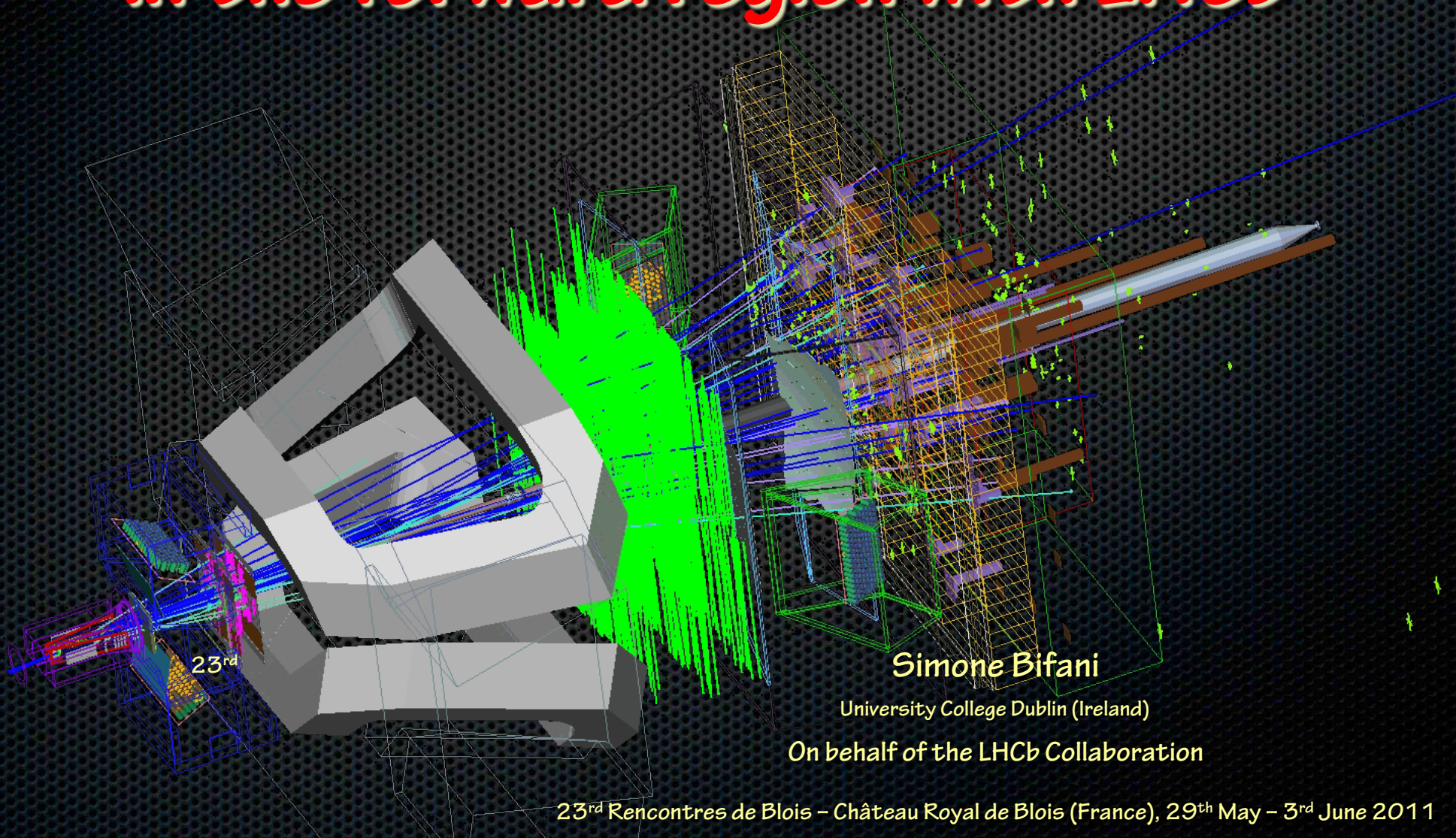


# *Electroweak and QCD studies in the forward region with LHCb*



23<sup>rd</sup>

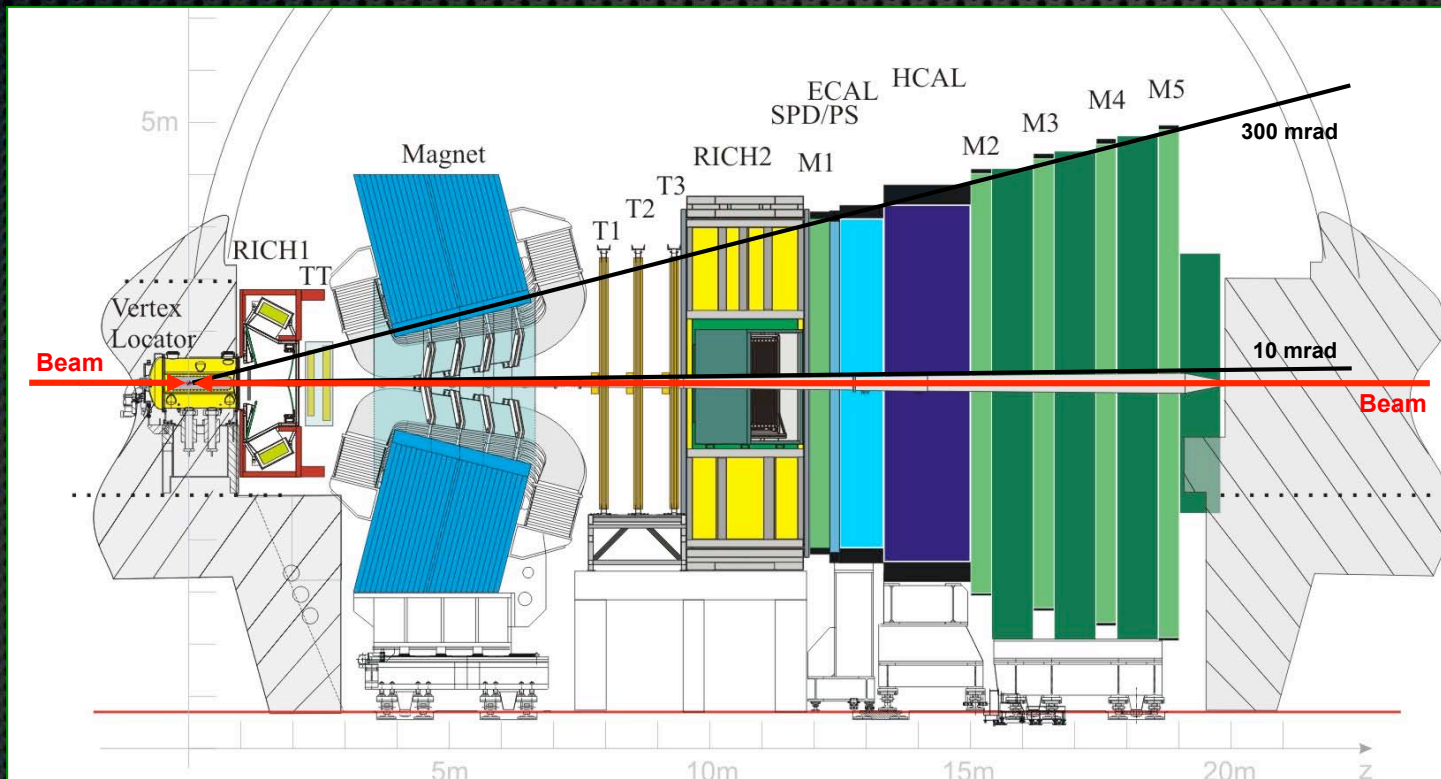
Simone Bifani

University College Dublin (Ireland)

On behalf of the LHCb Collaboration

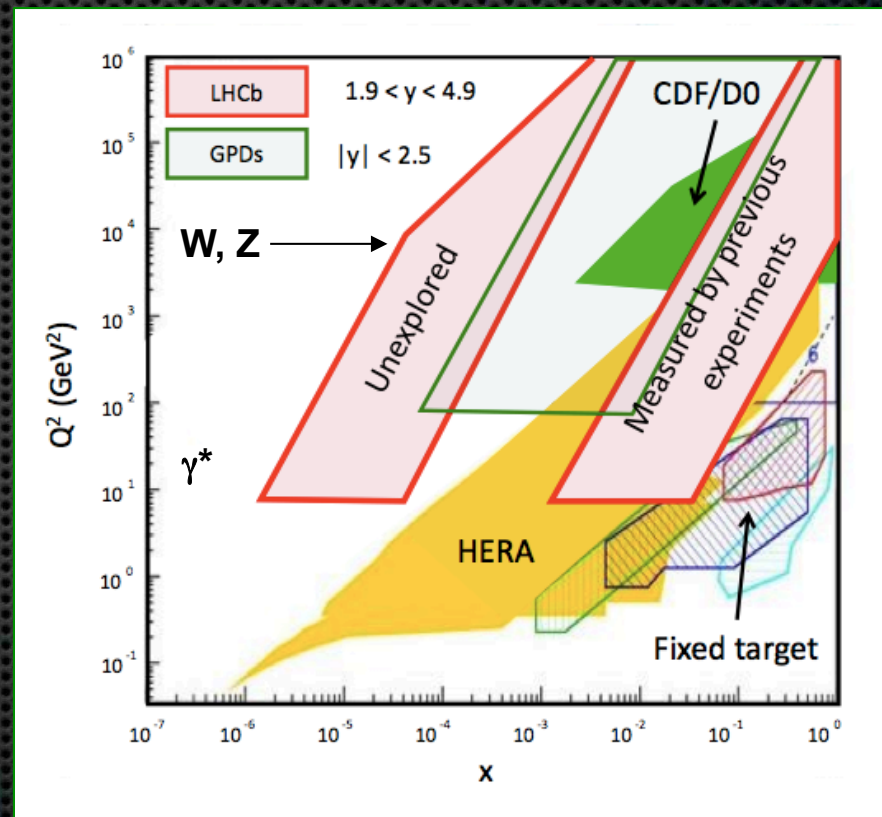
- › LHCb Overview
- › W&Z Production and PDF Sensitivity
- › Preliminary Results
- › Other Studies
- › Summary and Outlook

- > Designed to look at CP violation in B decays @ LHC
- > Fully instrumented within  $1.9 \leq \eta \leq 4.9$
- > Muon reconstruction capabilities:  $P > 3 \text{ GeV}/c, P_t > 1 \text{ GeV}/c, m_{\mu\mu} > 2.5 \text{ GeV}/c^2$



- >  $\int \mathcal{L}_{2010} \sim 38 \text{ pb}^{-1}$  on tape,  $\int \mathcal{L} = (16.5 \pm 1.7) \text{ pb}^{-1}$  these analyses

- > LHCb's forward acceptance provides very interesting possibilities for PDF studies
- > Take large-x from one proton and a small-x from the other  
 -> probe two distinct regions in  $(x, Q^2)$  space
- > Can probe the low-x, high- $Q^2$  region inaccessible to other experiments (PDF predictions for this region are more sensitive to model changes than in central acceptance)
- > Explore with W, Z ( $x$  of  $10^{-4}$ ,  $10^{-1}$ ) and low-mass Drell-Yan ( $x \rightarrow 10^{-6}$ )



$$Q^2 = M^2, \quad x = \frac{M}{\sqrt{s}} \cdot e^{\pm y}$$

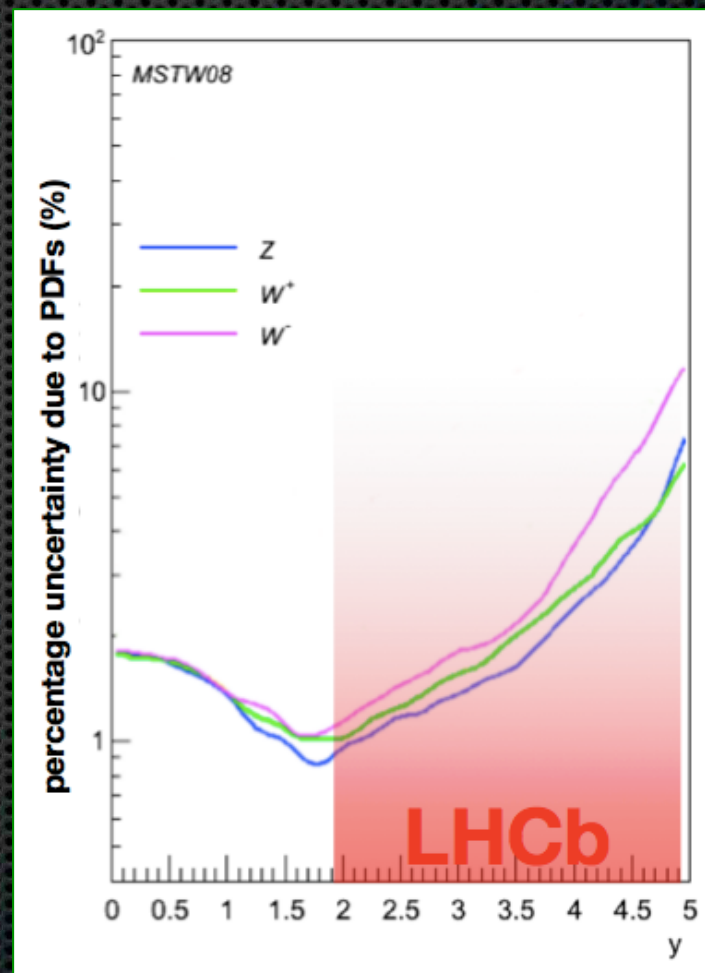
## > Theoretical predictions

- » Cross-sections known @ NNLO to 1%
- » PDF uncertainty dominates @ large rapidities (1% @  $y < 2$ , 6-8% @  $y \sim 5$ )

$$\underbrace{\sigma(x, Q^2)}_{\text{hadronic } x\text{-sec.}} = \sum_{a,b} \int_0^1 dx_1 dx_2 \underbrace{f_a(x_1 Q^2) f_b(x_2 Q^2)}_{\text{PDFs } 2-8\%} \underbrace{\hat{\sigma}(x_1, x_2, Q^2)}_{\text{partonic } x\text{-sec. : NNLO } 1\%}$$

## > Experimental measurements

- » Clean signature
- » Easily reconstructible final state
- » Low statistical and systematic errors



**Cross-section measurements @ LHCb can constrain PDFs**

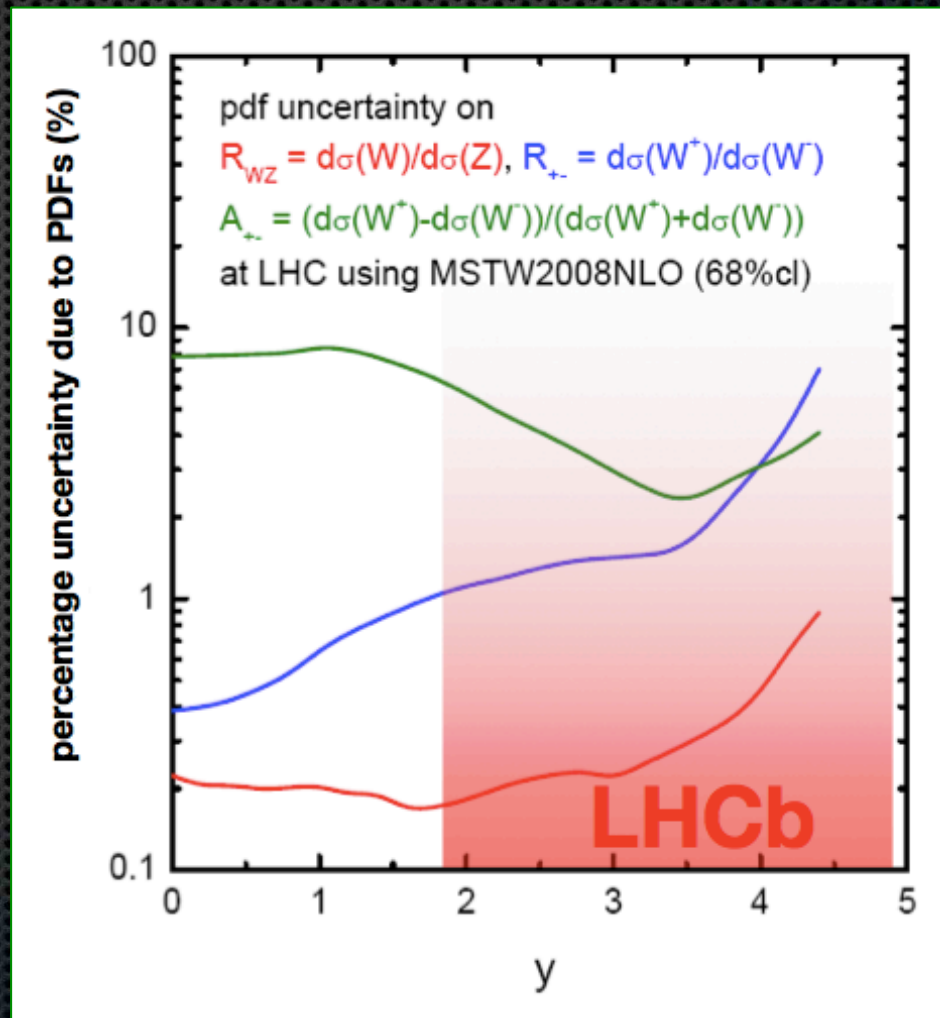
› Cancel or highlight PDF uncertainties with ratios

»  $A_{+-} = (d\sigma_{W^+} - d\sigma_{W^-}) / (d\sigma_{W^+} + d\sigma_{W^-})$   
tests  $u_V$  and  $d_V$  difference

»  $R_{+-} = d\sigma_{W^+} / d\sigma_{W^-}$   
tests  $d_V/u_V$  ratio

»  $R_{WZ} = d\sigma_{W^+} / d\sigma_Z$   
almost insensitive to PDFs  
precise test of SM

**Many systematic errors cancel**



> Single muon trigger:  $P_t > 10 \text{ GeV}/c$

> 2 reconstructed muons

»  $P_t > 20 \text{ GeV}/c$

»  $2.0 < \eta < 4.5$

»  $81 \text{ GeV}/c^2 < m_{\mu\mu} < 101 \text{ GeV}/c^2$

> Backgrounds

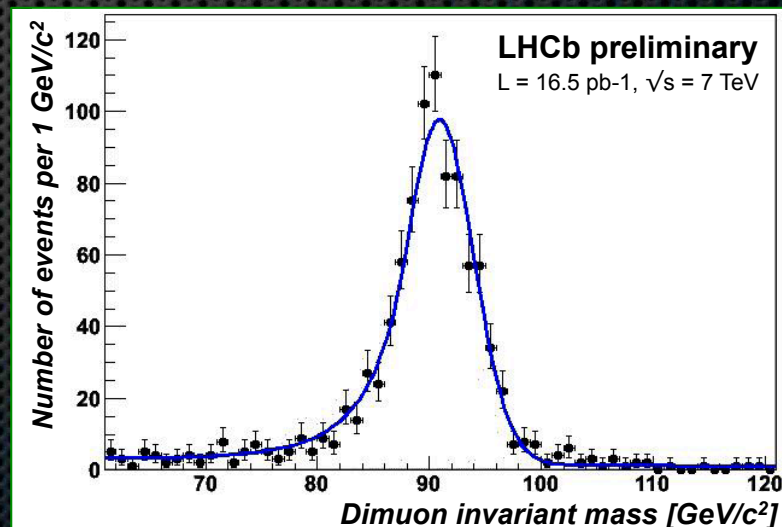
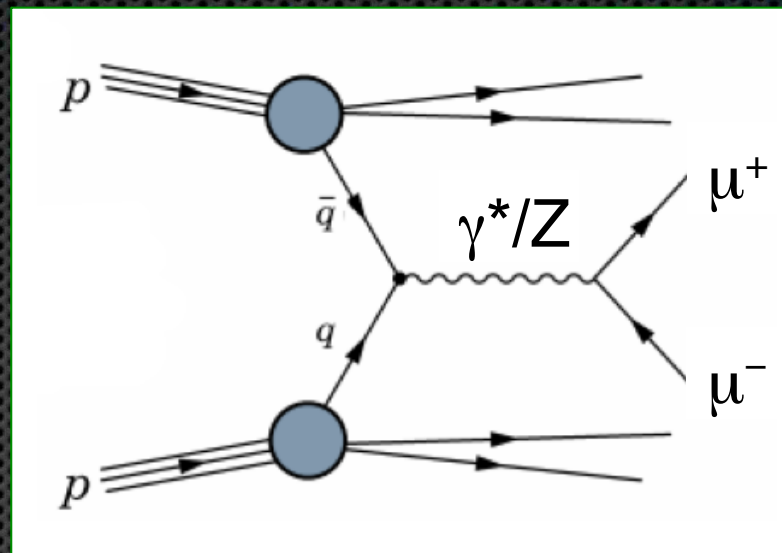
»  $Z \rightarrow \tau\tau \sim 0.2$  (MC)

» Heavy flavour  $\sim 1$  (Data)

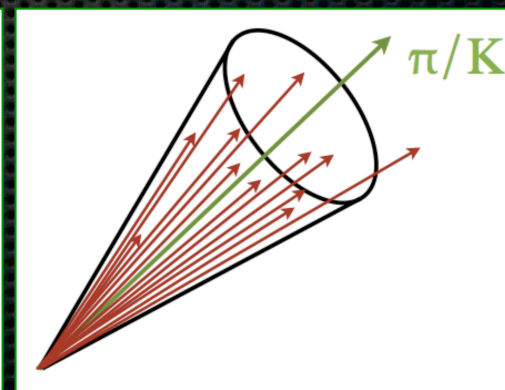
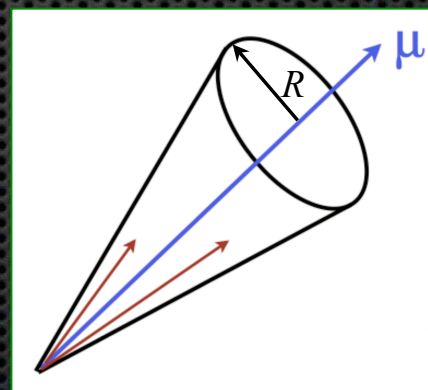
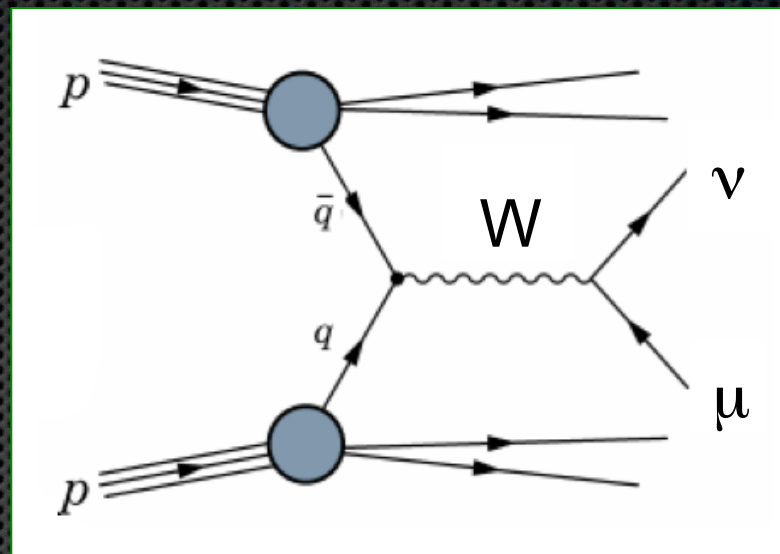
»  $\pi/K$  mis-ID  $< 0.03$  (Data)

>  $N^Z_{\text{candidates}} = 833$

>  $N^{bg} = 1.2 \pm 1.2$



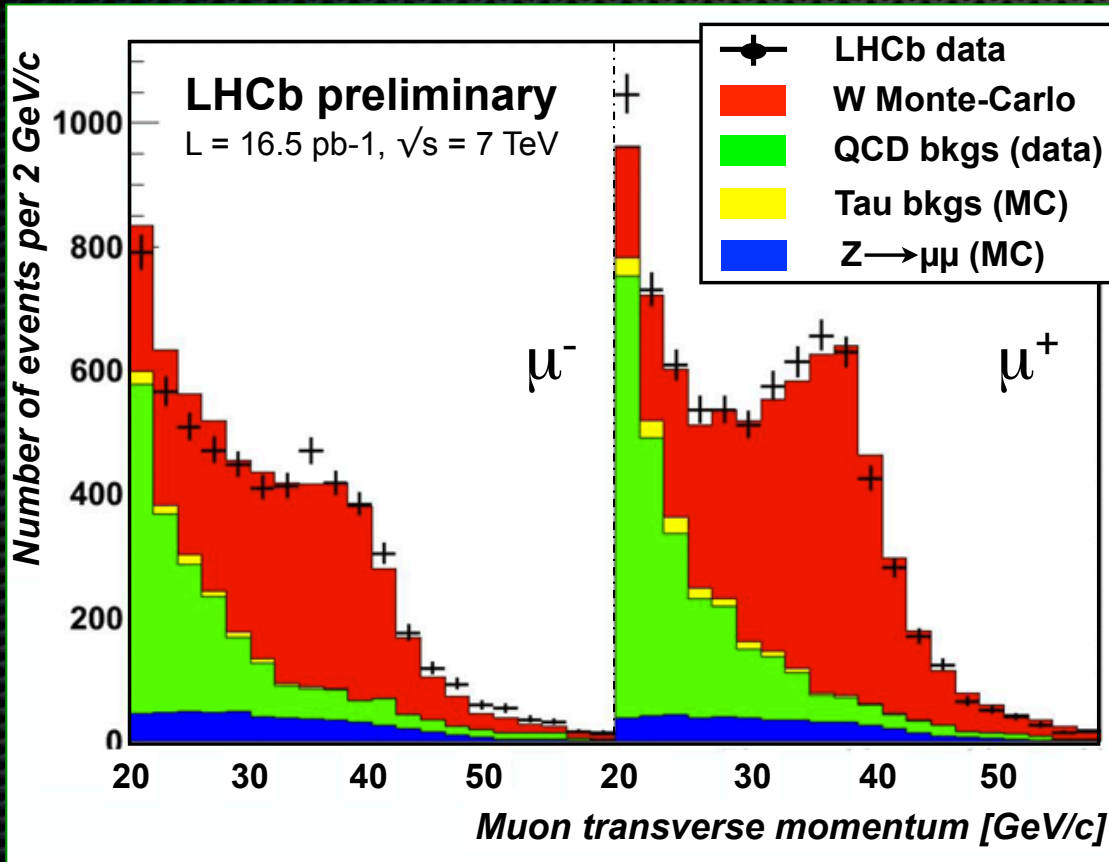
- > **Single muon trigger:**  $P_t > 10 \text{ GeV}/c$
- > **1 reconstructed & isolated muon**
  - »  $P_t > 20 \text{ GeV}/c$
  - »  $2.0 < \eta < 4.5$
  - » Impact parameter significance  $< 2$
  - »  $\Sigma P_t$  in cone around muon  $< 2 \text{ GeV}/c$  ( $R=0.5$ )
- > **Rest of the event**
  - »  $M < 20 \text{ GeV}/c^2$
  - »  $\Sigma P_t < 10 \text{ GeV}/c$
- > **Backgrounds**
  - »  $Z \rightarrow \mu\mu$  (1 muon in acceptance)
  - »  $Z \rightarrow \tau\tau$  (data+simulation)
  - »  $W \rightarrow \tau\nu$  (simulation)
  - » QCD background (data+simulation)



$$R = \sqrt{\Delta\eta^2 + \Delta\phi^2}$$



- Fit muon  $P_t$  spectrum in data to expected shapes for signal and backgrounds (perform fit in  $\eta$  bins for differential results)



$N^{W+}$  candidates = 7624

$N^{W-}$  candidates = 5732

$N^{bg+}$  =  $2194 \pm 150$

$N^{bg-}$  =  $1654 \pm 150$

- QCD background is large and charge asymmetric

- > The **cross-section** for boson production can be expressed as

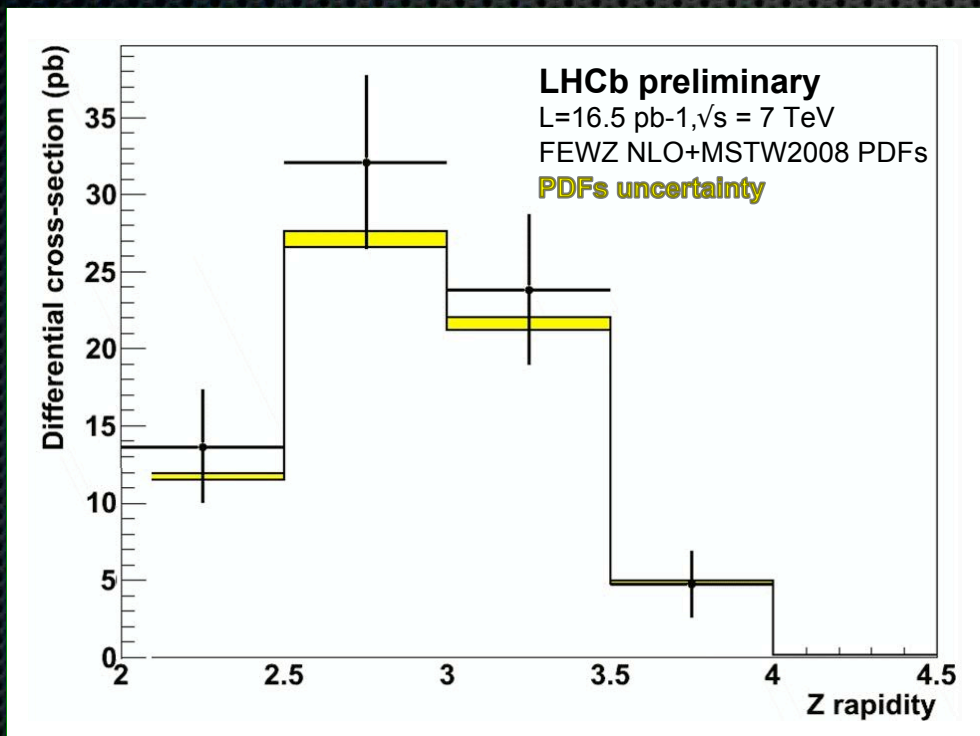
$$\sigma = \frac{N_{candidates} - N_{bg}}{\epsilon \cdot \int L}$$

- > The **overall efficiency** for selecting signal candidates can be factorized as

$$\epsilon = A \cdot \epsilon_{trigger} \cdot \epsilon_{tracking} \cdot \epsilon_{\mu-ID} \cdot \epsilon_{selection}$$

- > Measurements will be performed in the forward region ( $2.0 < \eta < 4.5$ ) for muons with  $P_t > 20 \text{ GeV}/c$  (no  $4\pi$  extrapolation) ->  **$A = 1$  by definition**
- > All efficiencies determined from data and cross checked with simulation
- > **Selection efficiency**
  - » Z selection criteria define the measurement kinematic region ->  $\epsilon^Z = 1$
  - » W: determined from Z data with 1 muon masked ->  $\epsilon^W = (55 \pm 1) \%$

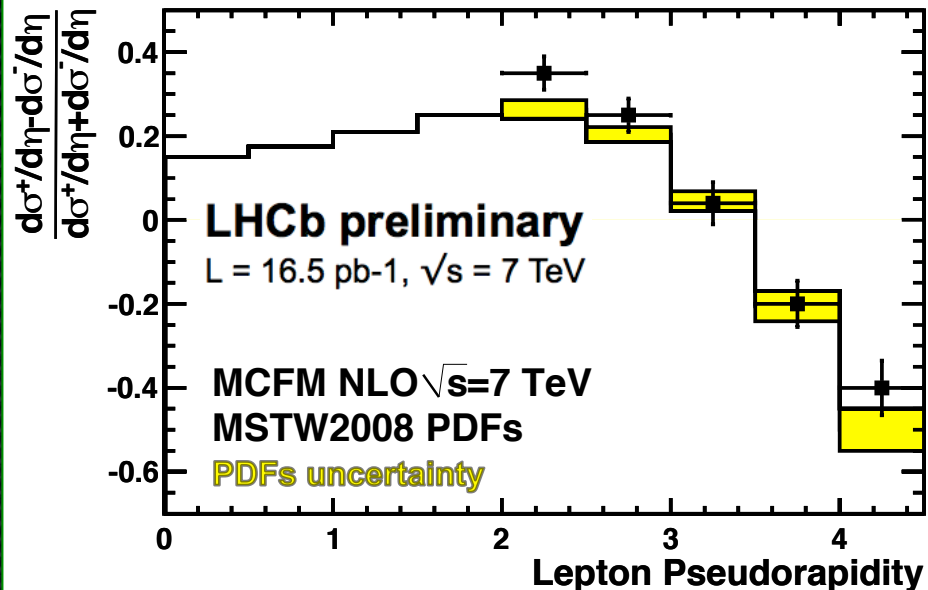
$$\sigma_{Z \rightarrow \mu^+ \mu^-} = \frac{N_{candidates}^Z - N_{bg}}{\epsilon^Z \cdot \int L}$$



Result not corrected for FSR

$2 < \eta < 4.5$ $81 \text{ GeV}/c^2 < m_{\mu\mu} < 101 \text{ GeV}/c^2$	
$N_{candidates}^Z$	833
$N_{bg}$	$1.2 \pm 1.2$
$\epsilon_{tracking} [\%]$	$83 \pm 3$
$\epsilon_{\mu-ID} [\%]$	$97 \pm 1$
$\epsilon_{trigger} [\%]$	$86 \pm 1$
$\epsilon_{selection}$	1
$A$	1
$\epsilon^Z [\%]$	$69 \pm 3$
$\int L [\text{pb}^{-1}]$	$16.5 \pm 1.7$
$\sigma_Z [\text{pb}]$	$73 \pm 4_{\text{stat\&syst}} \pm 7_{\text{lumi}}$

$$A_{+-} = \frac{\sigma(W^+ \rightarrow \mu^+ \bar{\nu}_\mu) - \sigma(W^- \rightarrow \mu^- \nu_\mu)}{\sigma(W^+ \rightarrow \mu^+ \bar{\nu}_\mu) + \sigma(W^- \rightarrow \mu^- \nu_\mu)}$$

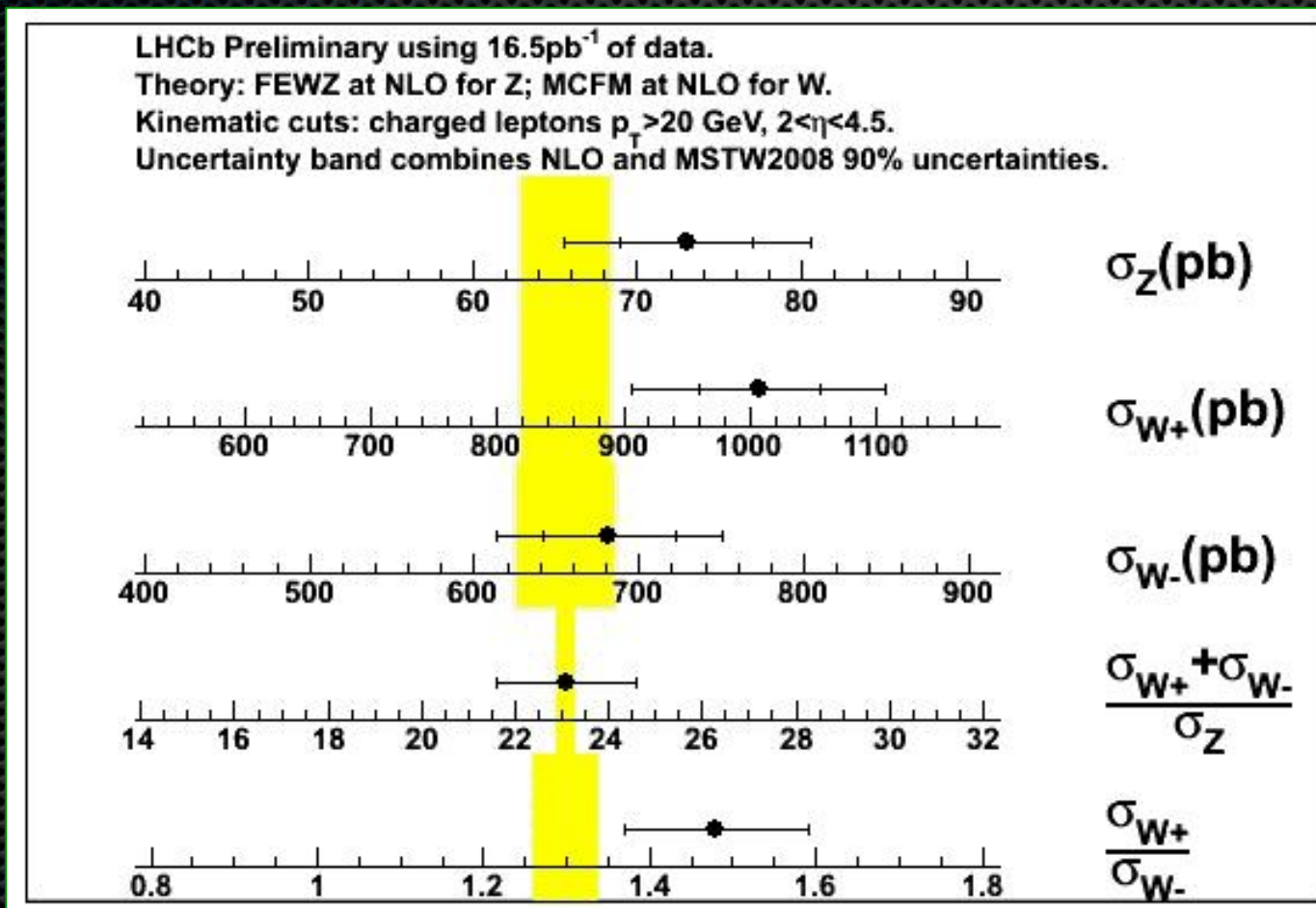


Result not corrected for FSR

$2 < \eta < 4.5$	+	-
$N_W^{\text{candidates}}$	7624	5723
$Z \rightarrow \mu\mu$	460	506
$W \rightarrow \tau\nu$	151	90
$Z \rightarrow \tau\tau$	2	2
QCD	$2194 \pm 150$	$1654 \pm 150$
NW	$4817 \pm 165$	$3480 \pm 161$
$\epsilon_{\text{tracking}} [\%]$	$73 \pm 3$	$78 \pm 3$
$\epsilon_{\mu\text{-ID}} [\%]$	$98.2 \pm 0.5$	
$\epsilon_{\text{trigger}} [\%]$	$73 \pm 1$	
$\epsilon_{\text{selection}} [\%]$	$55 \pm 1$	
A	1	
$\epsilon^W [\%]$	$29 \pm 1$	$31 \pm 1$
$\int L [pb^{-1}]$	$16.5 \pm 1.7$	
$\sigma_W [pb]$	$1007 \pm 48 \pm 101$	$680 \pm 40 \pm 68$

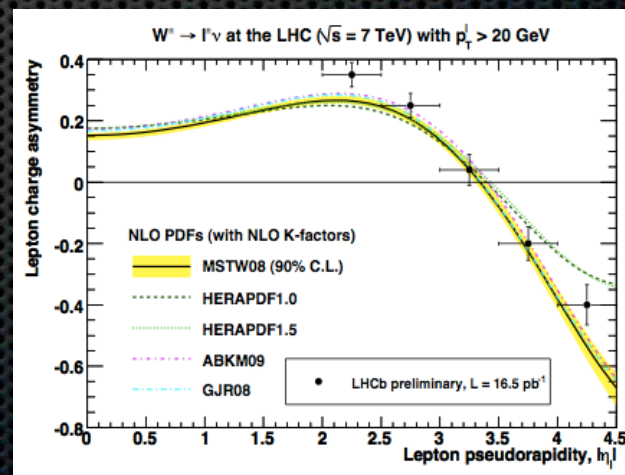
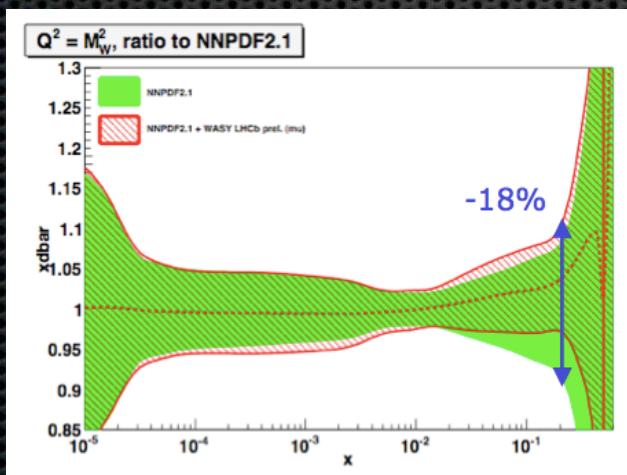
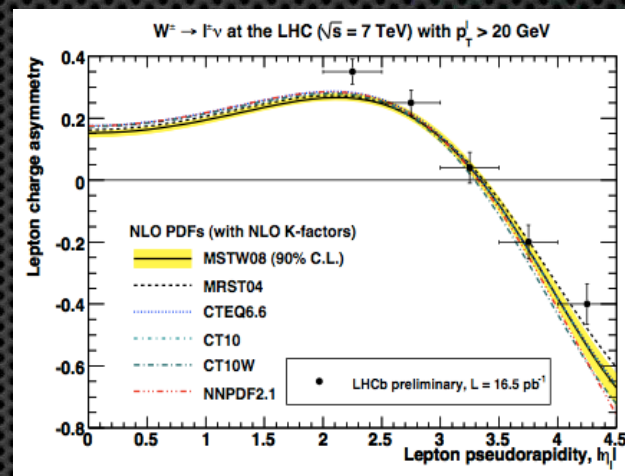
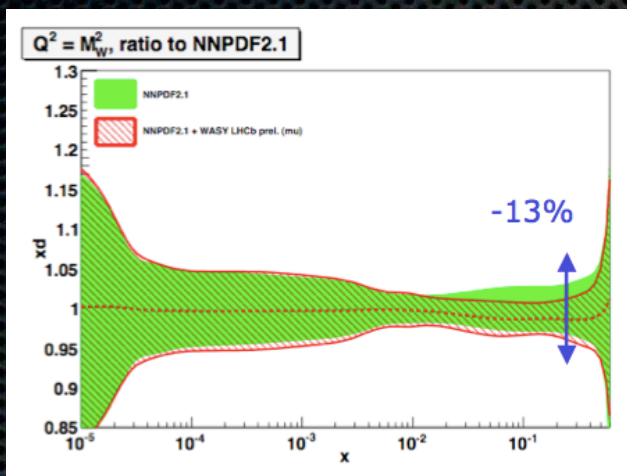
$\pm \text{stat} \& \text{yst} \pm \text{lumi}$

- > All W and Z observations are consistent with NLO predictions (MSTW08)



Results not corrected for final state radiation

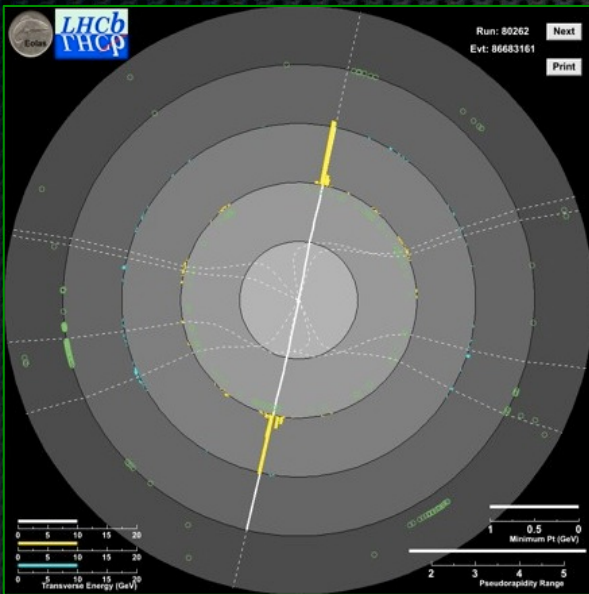
- LHCb measurement of the W charge asymmetry slightly reduce the uncertainty in the large-x region while small-x is unchanged ([EW@LHC](#))



M.Ubiali

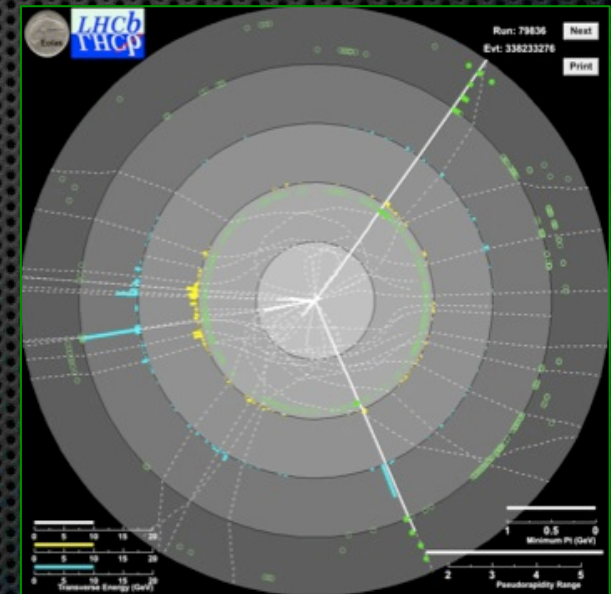
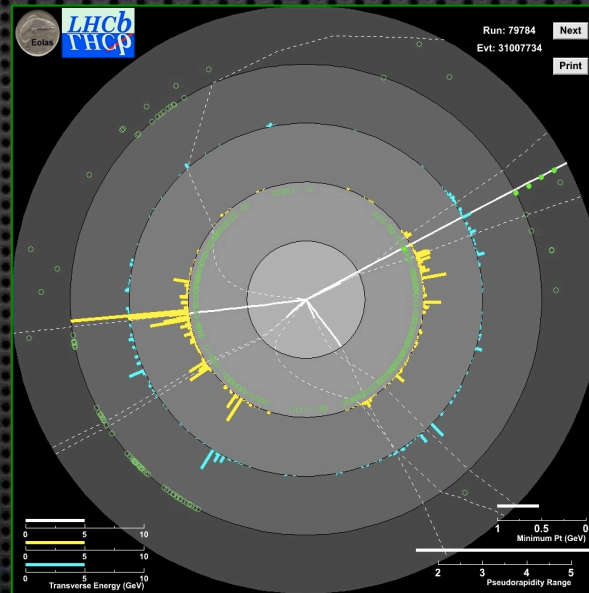
G.Watt

- Work ongoing on other channels:  $W \rightarrow e\nu$ ,  $Z \rightarrow ee$  and  $Z \rightarrow \tau\tau$
- $W&Z + \text{jets}$ : test pQCD, sensitivity to gluon PDF and background for many searches



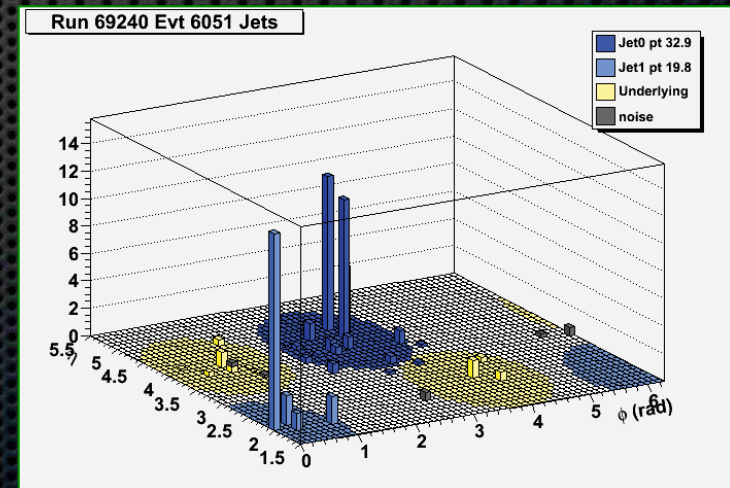
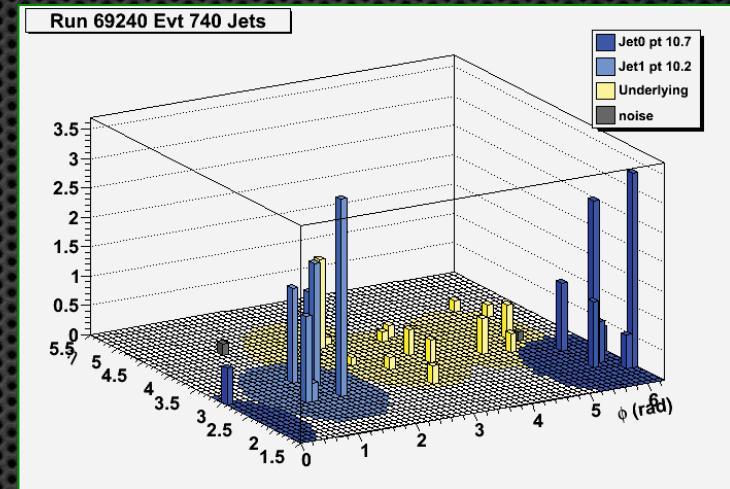
$Z \rightarrow ee$

$Z \rightarrow \tau\tau \rightarrow \mu e \nu \nu \nu$



$Z \rightarrow \mu\mu + \text{jet}$

- › Inclusive jet and dijet events in the forward region can provide valuable information on PDFs ( $x < 10^{-3}$ )
  - » Clustering with  $K_T$  algorithm
  - » Track + unassociated  $\pi^0$
  - » Energy correction ongoing
  
- › To do
  - » Calibrate  $E_T$  on data
  - » Efficiencies
  - » Compare to NLO simulation

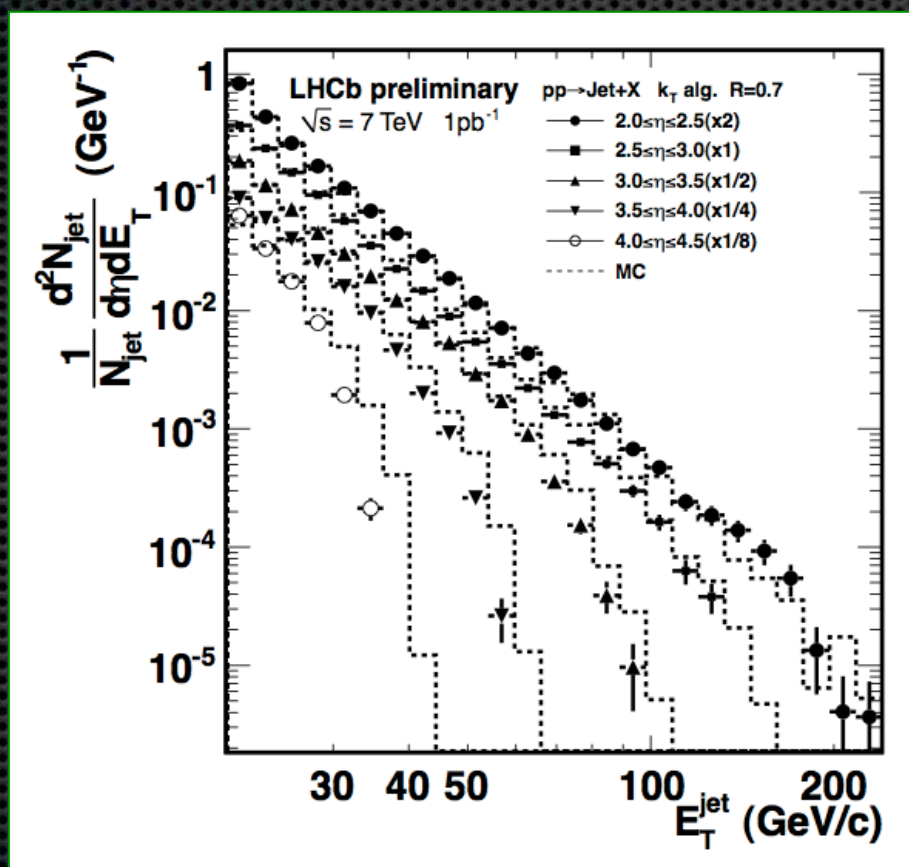




› Inclusive jet  $E_T$  spectrum

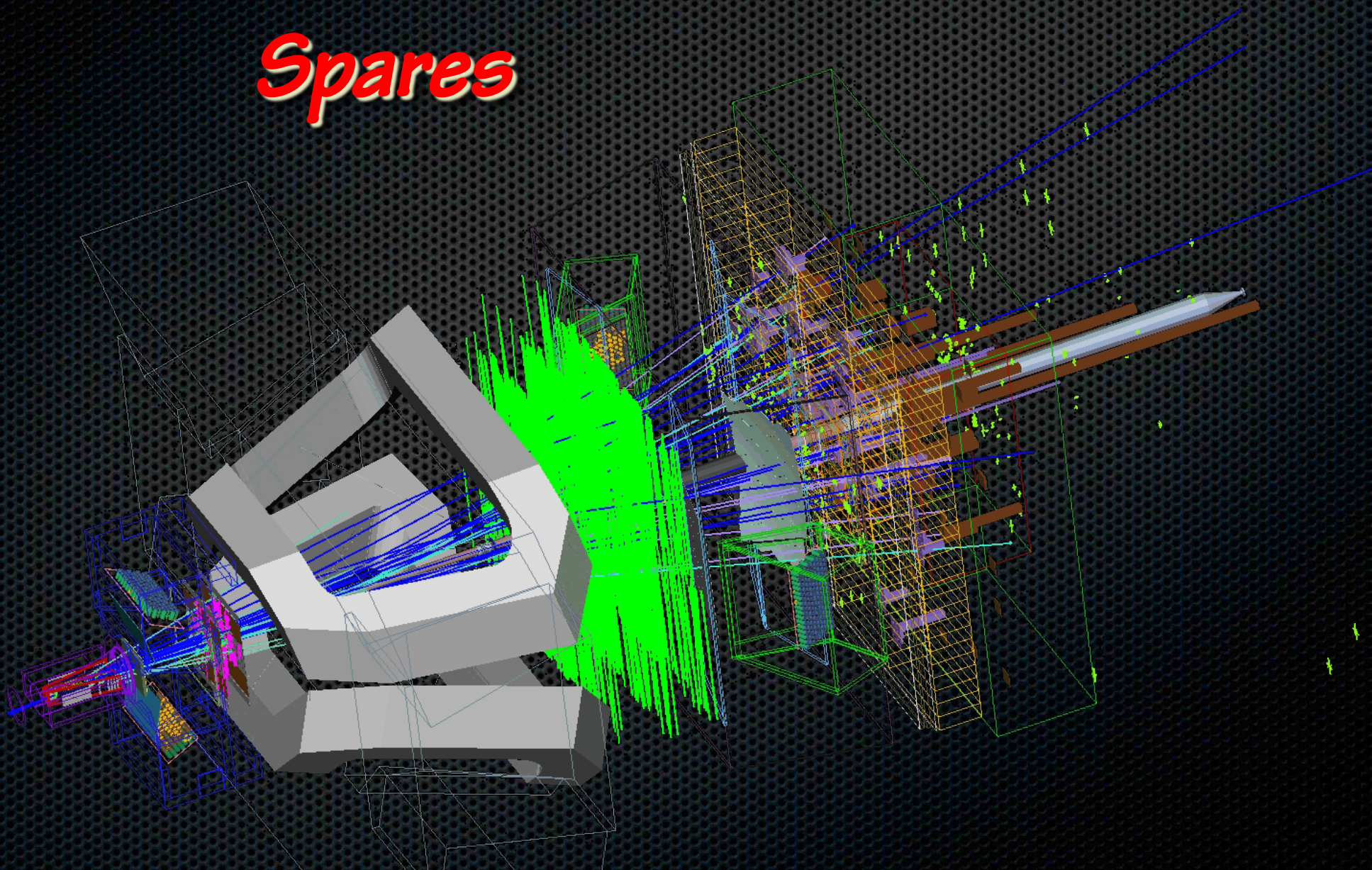
» Uncorrected for acceptance, jet energy scale and resolution

» MC: Pythia 6.4 + PDF CTEQ6 LO and detector response simulation



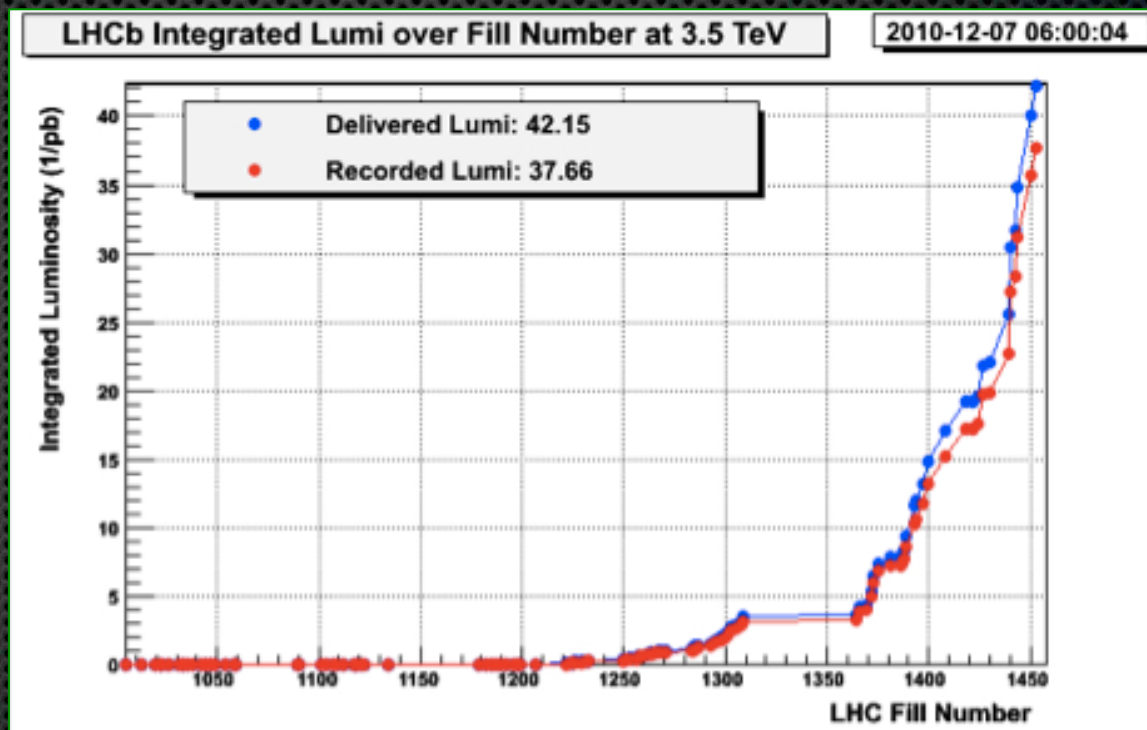
- › Cross-sections for W and Z @ 7TeV ( $P_t > 20 \text{ GeV}/c$ ,  $2 < \eta < 4.5$ )
- › All observations consistent with current NLO predictions
- › Luminosity uncertainty dominates cross-section results
- › Inclusive jets characteristics can be measured @ LHCb
  
- › Expect to collect  $\sim 1 \text{ fb}^{-1}$  in 2011
  - > analyses limited by systematics
- › Probe PDFs in previously unexplored region
- › Distinguish different PDF models

# Spares



- >  $\int L_{2010} \sim 38 \text{ pb}^{-1}$  on tape
- >  $\int L = (16.5 \pm 1.7) \text{ pb}^{-1}$  this analyses
- >  $\int L_{2011} \sim 1 \text{ fb}^{-1}$

- > Initial design: 1 single proton collision in each event
- > Last fills: over 2 on average
- > Triggers evolved through the year



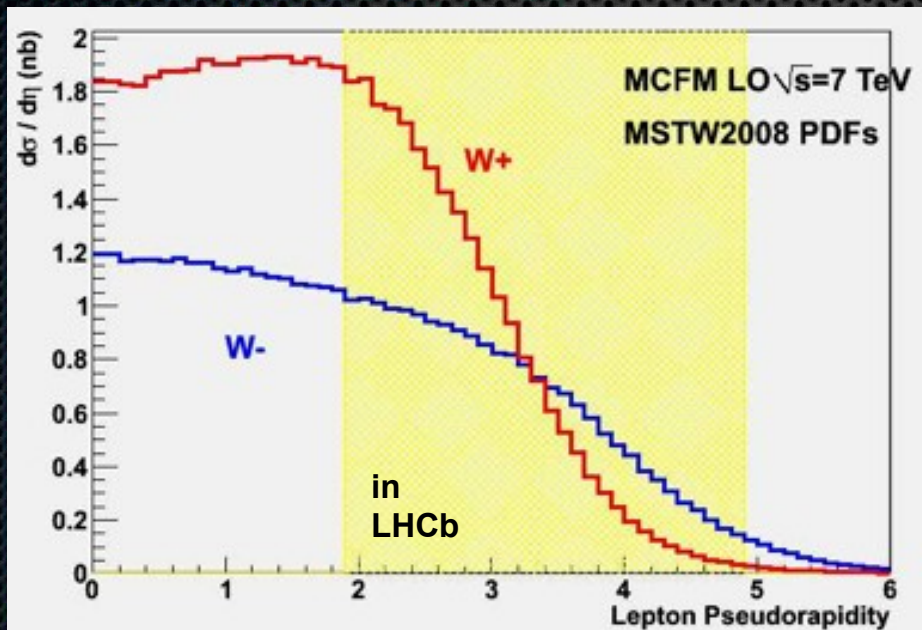
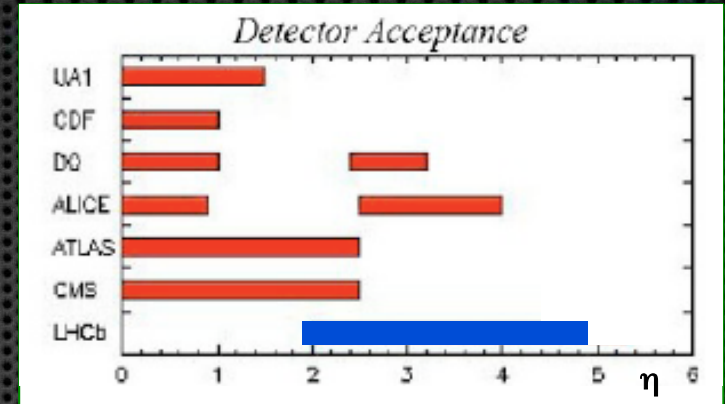
► **Complementary  $\eta$  range to Atlas/CMS**

» **Overlap** for cross check

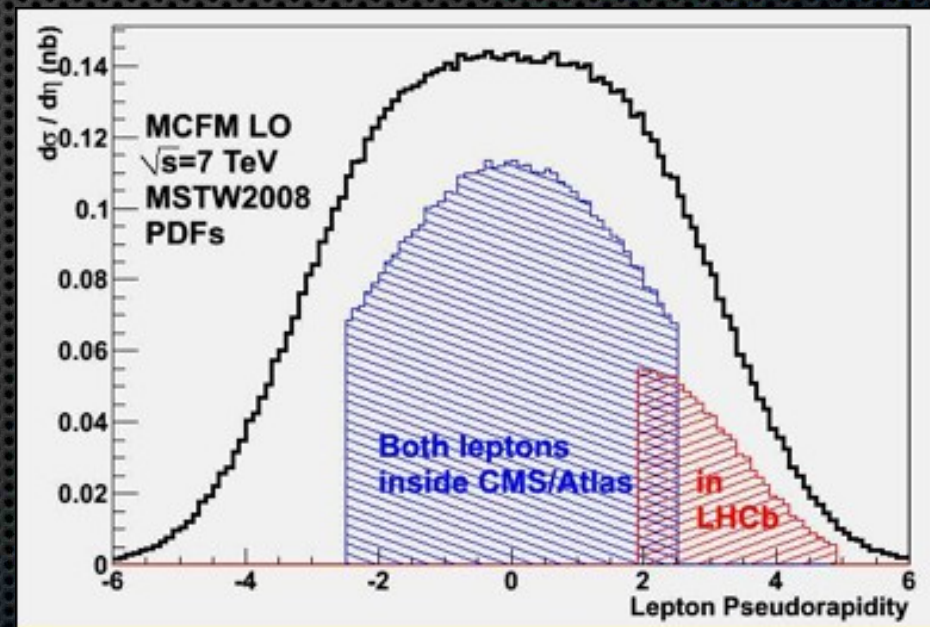
$$1.9 \leq \eta \leq 2.5$$

» **Unique** to LHCb

$$2.5 \leq \eta \leq 4.9$$



17%(16%) of W<sup>+</sup>(W<sup>-</sup>) within LHCb



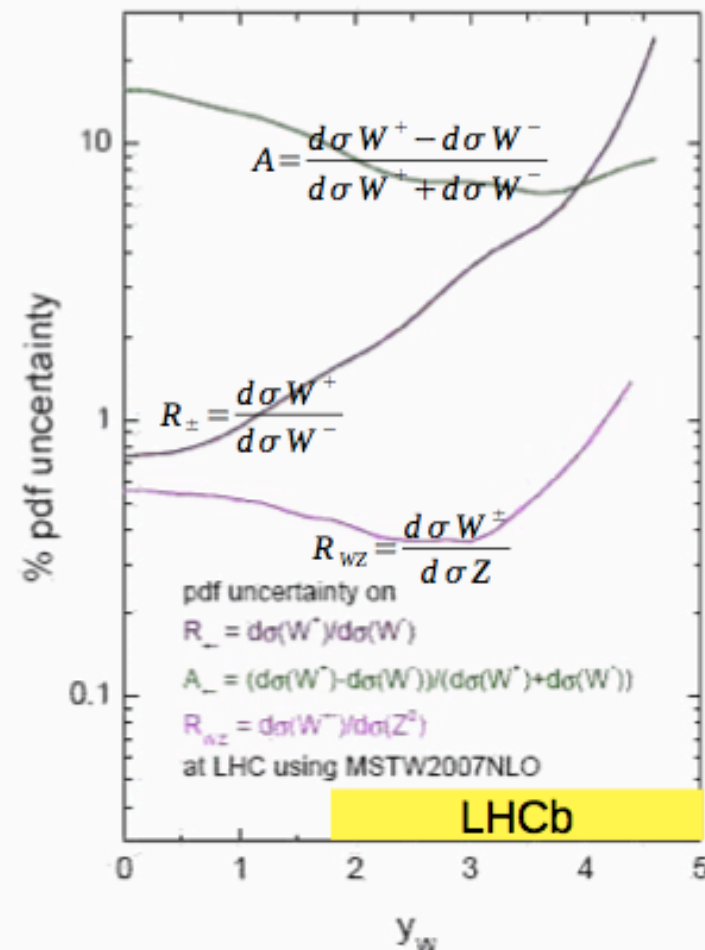
8% of Z within LHCb

- $R_{+-} = d\sigma(W^+)/d\sigma(W^-)$   
tests valence quarks:  $d_v/u_v$  ratio

$$R(y) = \frac{d\sigma/dy(W^-)}{d\sigma/dy(W^+)} \approx \frac{d(x_1)\bar{u}(x_2)}{u(x_1)\bar{d}(x_2)} \approx \frac{d(x_1)}{u(x_1)}$$

- $A_W = (d\sigma(W^+) - d\sigma(W^-)) / (d\sigma(W^+) + d\sigma(W^-))$   
tests valence quarks: difference  
btw.  $u_v$  and  $d_v$

$$A(y) = \frac{d\sigma/dy(W^+) - d\sigma/dy(W^-)}{d\sigma/dy(W^+) + d\sigma/dy(W^-)} \approx \frac{u(x_1)\bar{d}(x_2) - d(x_1)\bar{u}(x_2)}{u(x_1)\bar{d}(x_2) + d(x_1)\bar{u}(x_2)} \approx \frac{u(x_1) - d(x_1)}{u(x_1) + d(x_1)}$$

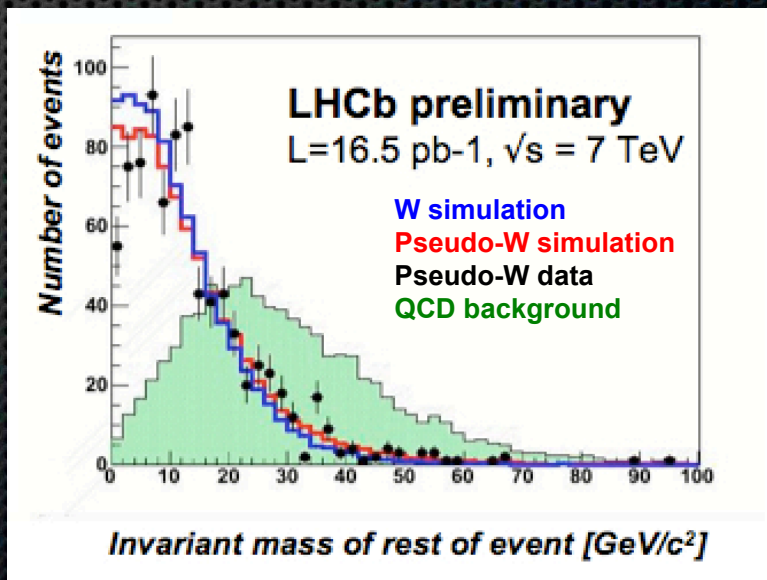
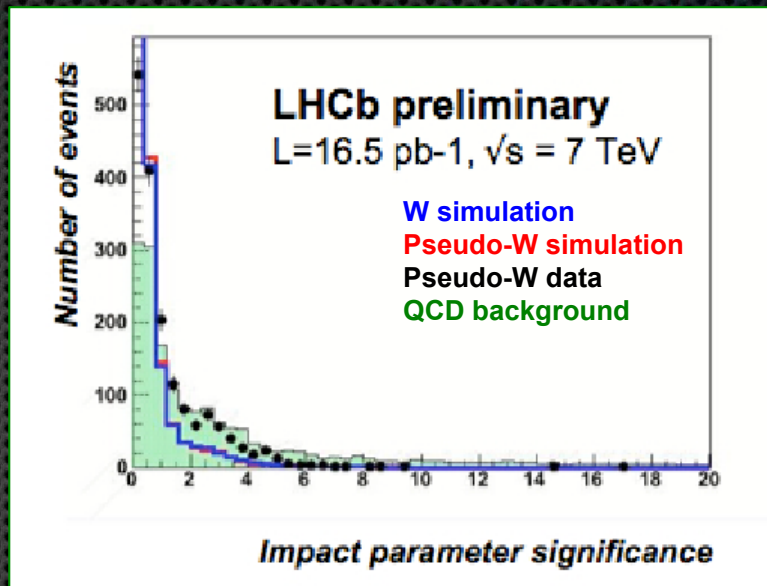


- > **QCD background** defined by anti cuts
  - » Impact parameter significance > 4
  - »  $\Sigma P_t$  in cone around muon > 5 GeV/c (R=0.5)
  - » M rest of event > 40 GeV/c<sup>2</sup>
  - »  $\Sigma P_t$  rest of the event > 15 GeV/c

- > **Pseudo-W** (Z events with 1 muon masked)
  - » **Pseudo-W** and **W** simulated distributions look similar
  - » **Pseudo-W data** described by **simulation**
  - » Signal can be modeled with **Pseudo-W data**

> Efficiency from data (Pseudo-W)

> Purity by fit to templates



› Single muon trigger

›  $P_t > 10 \text{ GeV}/c$

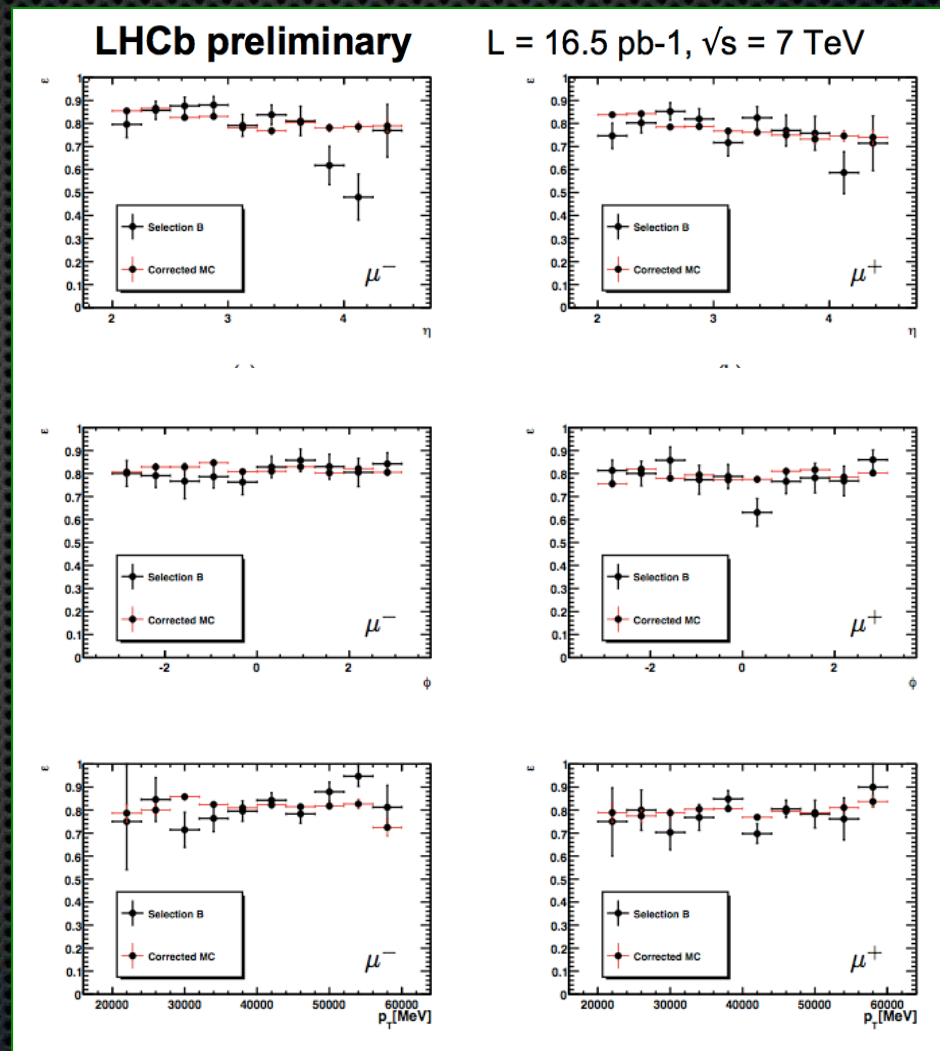
› Efficiency flat in  $\phi$ ,  $P_t$ , and  $\eta$

› No evidence for charge bias

›  $\epsilon^W = (73 \pm 1) \%$

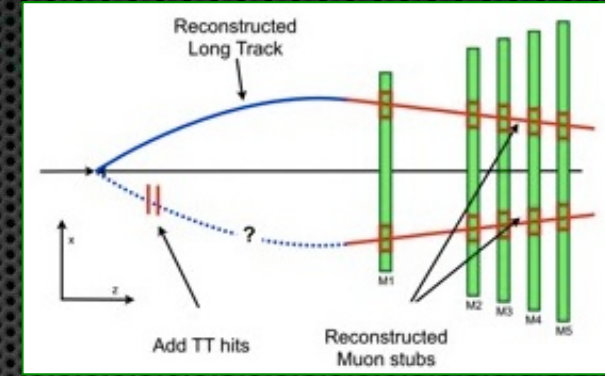
›  $\epsilon^Z = (86 \pm 1) \%$

› Results include global trigger cuts on maximum event multiplicity





- › **Tag&Probe** method in Z sample
  - » Tag: identified muon track
  - » Probe: rough trajectory from muon stub and minimal tracking information (TT)



- › **Efficiency flat in  $\phi$  and  $P_T$ , two regions in  $\eta$**

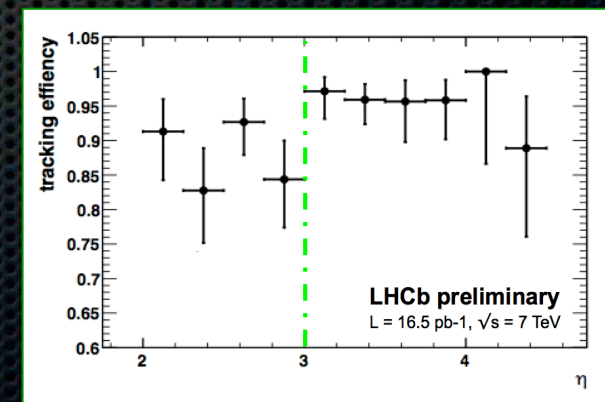
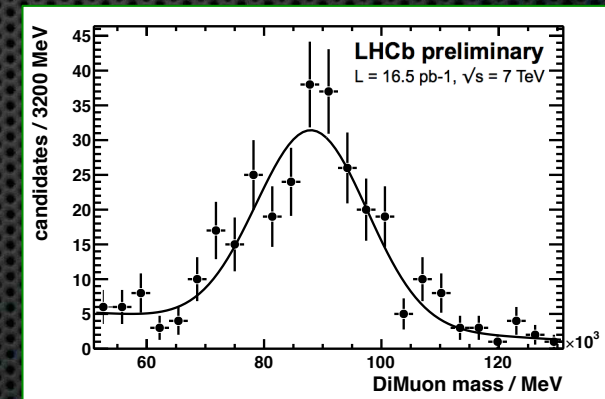
»  $\epsilon^{W^+} = (73 \pm 3) \%$

»  $\epsilon^{W^-} = (78 \pm 3) \%$

»  $\epsilon^Z = (83 \pm 3) \%$

- › Different  $W^+/W^-$  average efficiency due to different  $\eta$  distribution

- › Harsher tracking cuts in W analysis lead to a lower efficiency wrt Z



> **Tag&Probe** method in Z sample

» Tag: identified muon

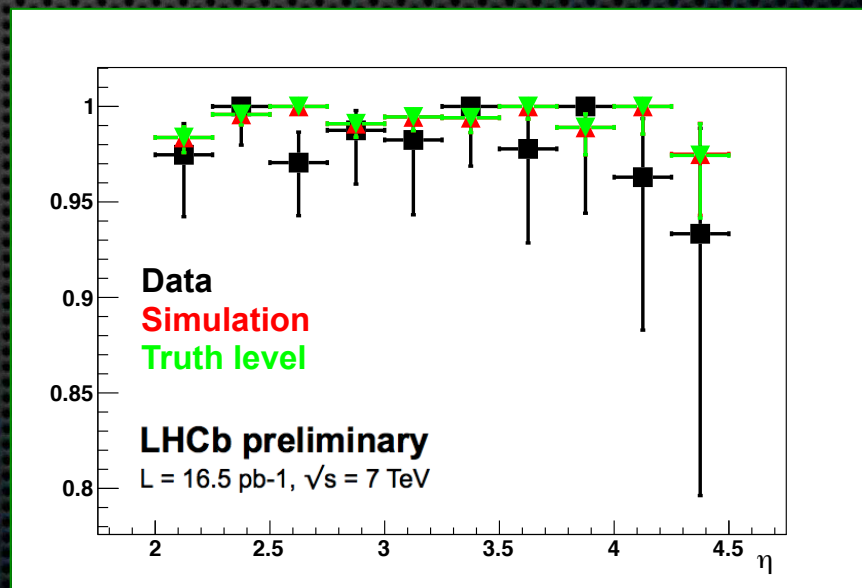
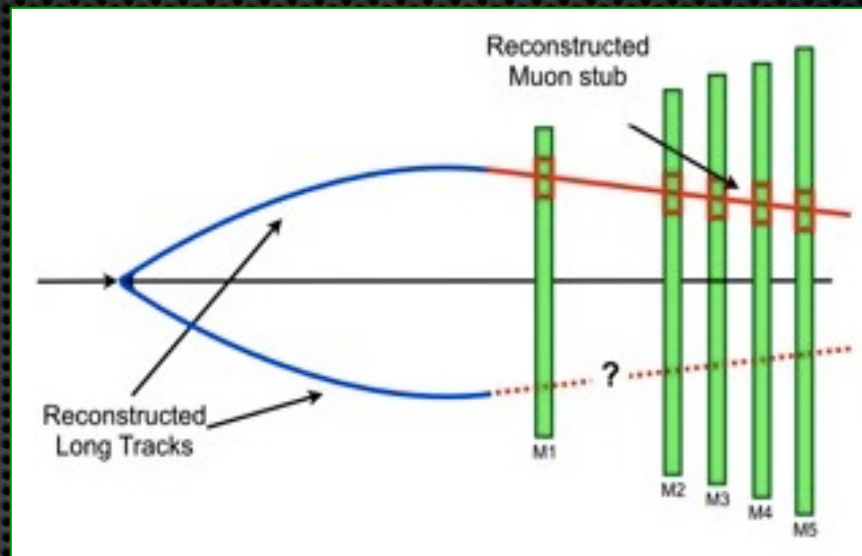
» Probe: identified track

> Efficiency flat in  $\phi$ ,  $P_t$ , and  $\eta$

» No evidence of charge bias

»  $\epsilon^W = (98.2 \pm 0.5) \%$

»  $\epsilon^Z = (96.5 \pm 0.7) \%$



- › Efficiency uncertainties dominated by limited statistics
- › **Luminosity** error dominant
- › Background error large for  $W$  because of uncertainty on shapes

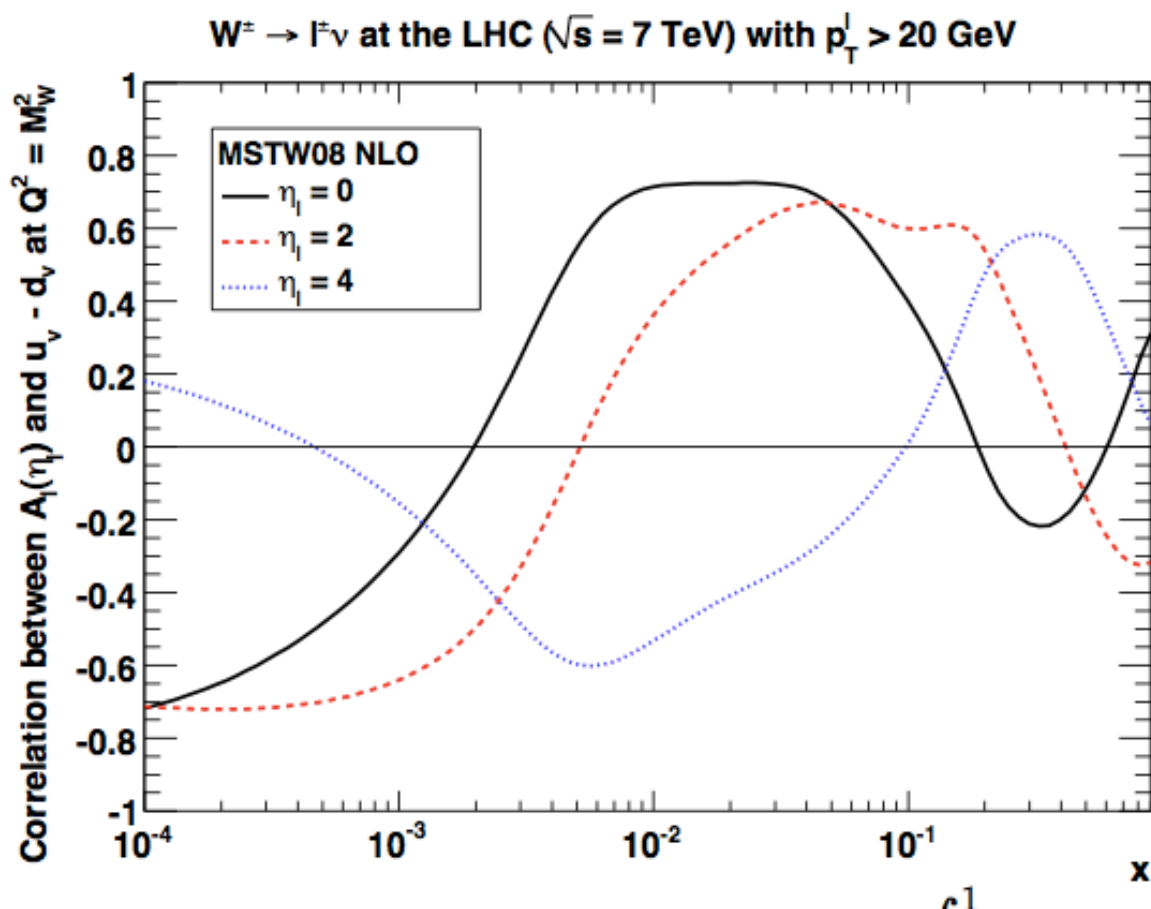
Source	Z	$W^+$	$W^-$
Background	0.1	3	5
$\epsilon_{\text{tracking}}$	1	1	1
$\epsilon_{\mu\text{-ID}}$	0.7	0.5	0.5
$\epsilon_{\text{trigger}}$	4	4	4
$\epsilon_{\text{selection}}$	-	2	2
$\int \mathcal{L}$	10		
$\sigma_{\text{systematic}}$	11	11	12
$\sigma_{\text{statistical}}$	4	1	1

relative error

- › All W and Z observations are consistent with NLO predictions (MSTW08)

Generator	PDF Set	$\sigma(Z)$	$\sigma(W^+)$	$\sigma(W^-)$	$\sigma(W)/\sigma(Z)$	$\sigma(W^+)/\sigma(W^-)$
FEWZ	MSTW08NLO	$65.7^{+2.9}_{-2.5}$				
	CTEQ66NLO	$66.6^{+2.6}_{-2.4}$				
	NNPDF2.0	$65.0 \pm 2.4$				
MCFM	MSTW08NLO	$65.5^{+2.8}_{-2.5}$	$851 \pm 35$	$656 \pm 30$	$23.1 \pm 0.2$	$1.30 \pm 0.04$
Data		$73 \pm 4 \pm 7.5$	$1007 \pm 48 \pm 101$	$682 \pm 40 \pm 68$	$23.1 \pm 1.5$	$1.48 \pm 0.11$

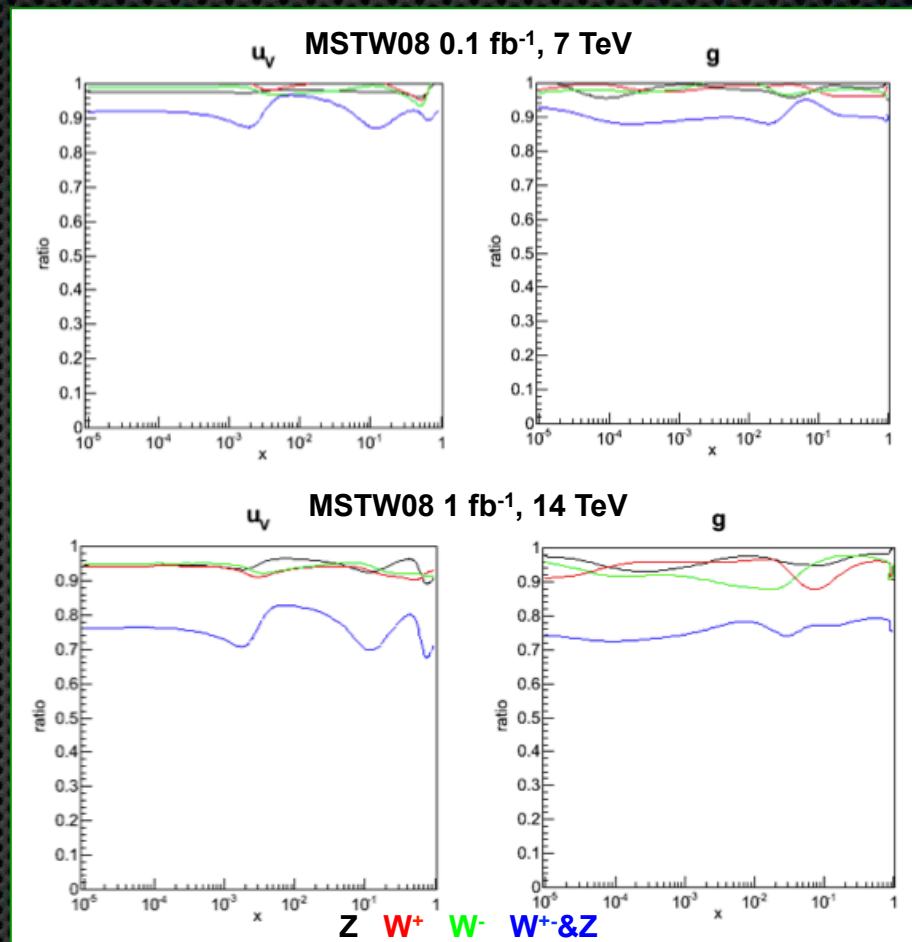
## PDF correlation between asymmetry and $u_v - d_v$ versus $x$



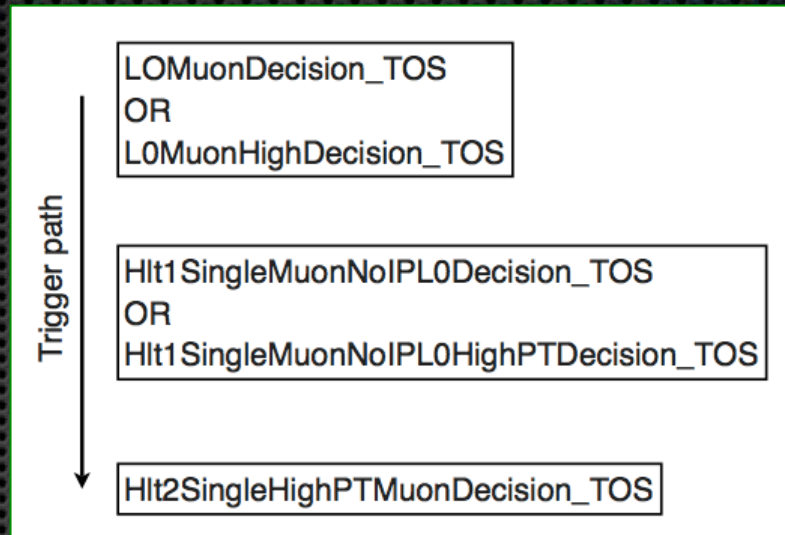
$$\text{ratio} = \frac{\sigma_{PDF} \text{ with LHCb data}}{\sigma_{PDF} \text{ without LHCb data}}$$

> **MSTW08 0.1 fb<sup>-1</sup>, 7 TeV**  
 small improvement with small amount of data

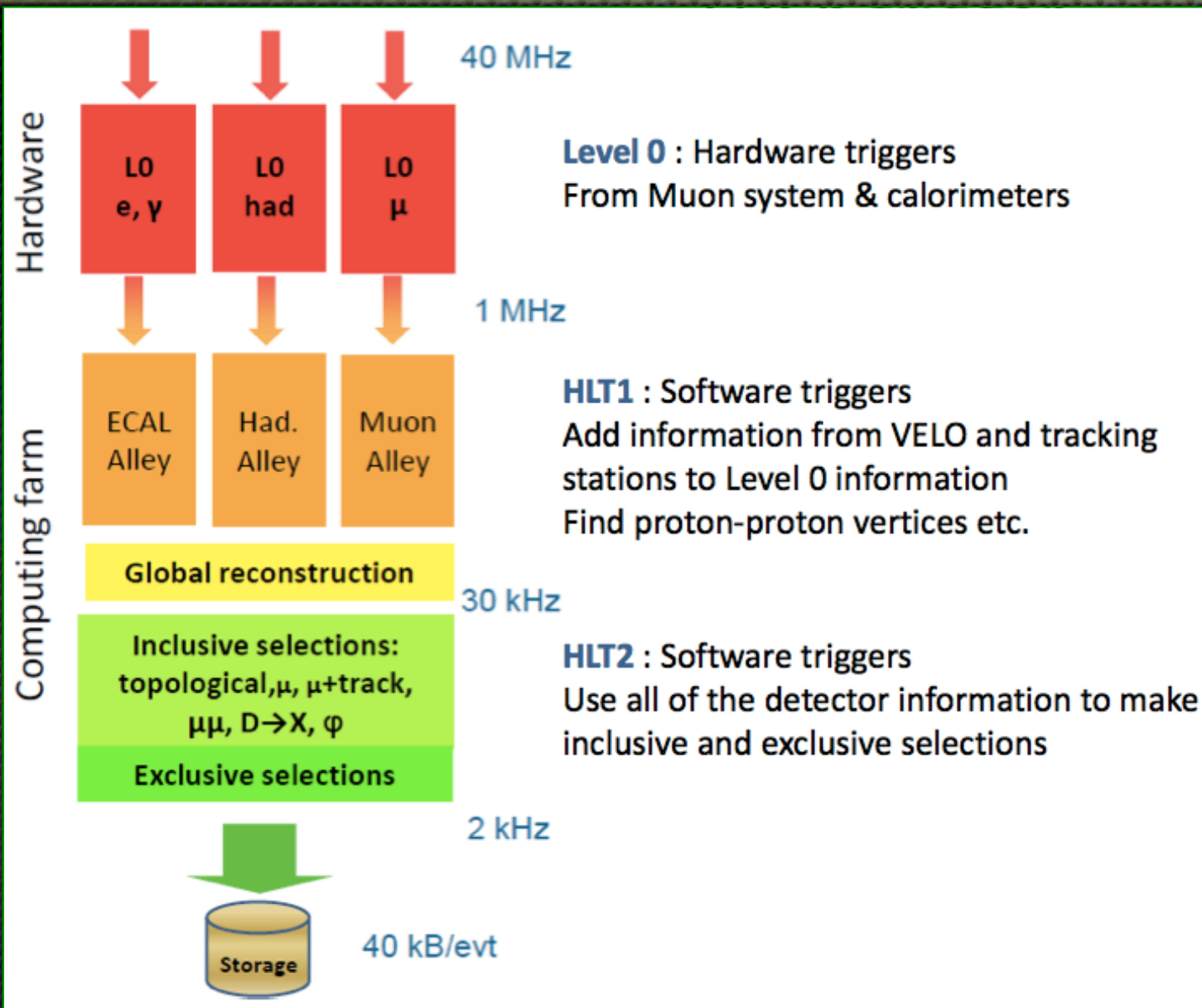
> **MSTW08 1 fb<sup>-1</sup>, 14 TeV**  
 higher energy, more data  
 -> improvement up to 30%



> Differences between PDF sets larger than uncertainties  
 -> W, Z measurements will allow to distinguish between different PDF models



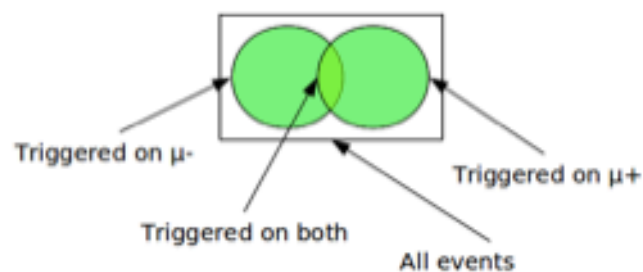
<b>L0</b>	
LOMuon	Pt > 1.75 GeV (35 counts) & SPD mult < 900
LOMuonHigh	Pt > 3.0 GeV (60 counts) & SPD mult < 900
<b>HLT1</b>	
Global cuts	Present
Muon quality cuts	FitMuChi2 < 16 & FitChi2/Ndf < 10
LowPTNoIP	Pt > 1.8 GeV 20% of sample has prescale (x0.2)
HighPTNoIP	Pt > 5.0 GeV
<b>HLT2</b>	
HighPTNoIP	Pt > 10 GeV







## Method



$$\epsilon^+ = n_{+\wedge-} / n_- \quad (1)$$

$$\epsilon^- = n_{+\wedge-} / n_+ \quad (2)$$

$$\epsilon^{-\vee+} = \epsilon^+ + \epsilon^- - \epsilon^+ \epsilon^- \quad (3)$$

$$\epsilon^{\text{at least one muon TOS}} = \epsilon + \epsilon - \epsilon\epsilon = 2\epsilon + \epsilon^2 \quad (4)$$

$$\epsilon^{\text{both muons TOS}} = \epsilon^2 \quad (5)$$

$$\frac{n_{\text{both muons TOS}}}{n_{\text{at least one muon TOS}}} = \frac{\epsilon^2}{2\epsilon + \epsilon^2} =: \gamma \quad (6)$$

$$\epsilon = \frac{2\gamma}{\gamma + 1} \quad (7)$$

## 2.1 General Procedure

In the following the procedure to measure the tracking efficiency is described:

- Reconstruct a long track with  $p_T > 20$  GeV, require that it has been positively identified by the muon system, and that it has triggered the event (i.e. the track is TOS<sup>2</sup>).
- Run a pattern recognition which reconstructs a standalone track in the muon system. Calculate the momentum of this standalone track by requiring it to have come from the primary vertex. Extrapolate the track through the TT detector and add hits which lie in a certain window around the track (at least 2 hits in the TT need to be found). Add these hits to the track and refit it. This track is subsequently called muonTT track.
- Require the muonTT track to have  $p_T > 5$  GeV.
- Perform a vertex fit of the long track and the muonTT track.
- This can be done twice, as once the positively charged muon can be taken as "tag", once the negatively charged.
- Compare the LHCbIDs of the muonTT track with the ones of all the long tracks in the event with the same charge as the muonTT track. Apply a criterium for the number of LHCbIDs which have to match to call the track associated.

## Tag + Probe

James Keaveney

- $\mu$  ID efficiency is defined as the fraction of real muons which are reconstructed as long tracks that are subsequently matched to muon tracks and pass 'isMuon'

$$\epsilon_{\mu} = \frac{\text{true muon long tracks w/ isMuon==1}}{\text{true muon long tracks}} \quad (1)$$

- $\mu$  ID efficiency at the Z peak must be well understood as we proceed towards a  $\sigma \cdot \text{Br}(Z \rightarrow \mu\mu)$  measurement.
- The classic "Tag + Probe method" is a suitable data-driven method to measure this efficiency.
- With  $\approx 83 Z \rightarrow \mu\mu$  events in  $1\text{Pb}^{-1}$  we are still statistically limited but enough Zs to test and tune the method.

## Tag+Probe methodology

- Tag -
  - Take all candidates from the stripping line Z02MuMuNoPIDs in  $\approx 1\text{Pb}^{-1}$
  - Apply track pre-selections ( $P(\chi^2)$ ,  $\sigma P/P$ )
  - Apply tight  $\mu$  ID to one of the muons, ( $\text{isMuon}==1$ ,  $\text{PIDmu} > -3$ )
  - require surviving candidates to have  $75\text{GeV} < M_{\mu\mu} < 107\text{GeV}$ . (Close to Z peak)
- Probe -
  - The fraction of these candidates in which the unbiased muon passes  $\text{isMuon}==1$  estimates the single muon efficiency.
  - From this we deduce the dimuon ID efficiency  $\epsilon_{\mu\mu} = (\epsilon_{\mu})^2$