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## Detecting an Invisibly Decaying Higgs Boson at a Hadron Supercollider

J.F. Gunion

*Davis Institute for High Energy Physics, Dept. of Physics, U.C. Davis, Davis, CA 95616*

### Abstract

We demonstrate that an invisibly decaying Higgs boson with Standard Model coupling strength to  $t\bar{t}$  can be detected at the SSC for masses  $\lesssim 250$  GeV.

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### 1. Introduction and Procedure

Perhaps the most fundamental mission of future high energy hadron supercolliders such as the SSC and LHC is the detection of Higgs boson(s). While many production/decay modes have been studied in the past, an invisibly decaying Higgs boson ( $h$ ) has not been thoroughly studied. Dominance of the decays of a Higgs boson by invisible channels is possible, in particular, in supersymmetric models. If R-parity is conserved, decays to  $\tilde{\chi}_1^0\tilde{\chi}_1^0$ , where  $\tilde{\chi}_1^0$  is the lightest supersymmetric particle, can be dominant.<sup>[1]</sup> Indeed, in the minimal supersymmetric model  $\tilde{\chi}_1^0\tilde{\chi}_1^0$  dominance is possible for both the lightest CP-even Higgs boson and the CP-odd Higgs boson. In supersymmetric models with spontaneously broken R-parity, the dominant decay mode of the lightest scalar Higgs boson is predicted to be  $h \rightarrow JJ$ , where  $J$  is the (massless) Majoron.<sup>[2]</sup>  $J$  interacts too weakly to be observed in the detector. In such models, the decays of the second lightest scalar Higgs boson can also be predominantly invisible, the two most important modes being  $JJ$  and  $hh(\rightarrow JJJJ)$ .<sup>[3]</sup>

Two possible detection modes for an invisibly decaying Higgs boson can be envisioned at a hadron collider. Associated  $Zh$  production was considered in Ref. 4, with the rough conclusion that a viable signal for  $h \rightarrow I$  ( $I$  being any invisible channel) can be detected for  $m_h \lesssim 150$  GeV provided the  $hZZ$  coupling is Standard Model (SM) strength and  $BR(h \rightarrow I) \sim 1$ . In this letter, we consider associated production of top plus anti-top plus Higgs. We find that if the top quark is not too light ( $m_t \gtrsim 130$  GeV) and if  $BR(h \rightarrow I) \sim 1$ , then a viable signal for  $h \rightarrow I$  can be extracted for  $m_h \lesssim 250$  GeV when the  $ht\bar{t}$  coupling is of SM strength. Clearly, the  $Zh$  and  $t\bar{t}h$  modes are complementary in the sense that they rely on the vector boson vs. fermion couplings, respectively, of the Higgs boson. For a CP-even Higgs boson, which has both types of coupling, both modes tend to be viable, but for a CP-odd Higgs boson the  $ZZ$  coupling is absent at tree-level and only the  $t\bar{t}h$  mode studied here could lead to a visible signal.

Our procedure is quite simple. We trigger on  $t\bar{t}h$  events by requiring that one of the  $t$ 's decay to a lepton ( $e$  or  $\mu$ ) with  $p_T > 20$  GeV and  $|\eta| < 2.5$ , which is isolated from other jets and leptons by  $\Delta R = 0.3$ . In order to single out events containing a  $t\bar{t}$  pair, we also demand that at least one of the  $b$ -quarks be vertex tagged. The efficiency and purity of  $b$ -tagging was studied by the SDC collaboration.<sup>[5]</sup> Based on this study, we assume that any  $b$ -jet with

$|\eta| < 2$  and  $p_T > 30$  GeV will have a probability of 30% (independent of  $p_T$ ) of being vertex tagged, provided there is no other vertex within  $\Delta R_V = 0.5$ . (It may turn out that 30% is too conservative a number; the SDC TDR  $b$ -tagging efficiency can be increased by looking for the lepton associated with a semi-leptonic  $b$  decay.) Misidentification backgrounds are not significant so long as the probability to tag (*i.e.* misidentify) a light quark or gluon jet as a  $b$ -jet under these same conditions is of order 1%, and the corresponding number for  $c$ -quark jets is of order 5%. Jets with  $p_T$  below 30 GeV are assumed not to be tagged.

To further single out the  $t\bar{t}$  events of interest, we demand that there be three or more jets with  $p_T > 30$  GeV and  $|\eta| < 2.5$  that are isolated from all other jets by at least  $\Delta R = 0.7$ .<sup>\*</sup> (One of these jets is allowed to be the tagged  $b$ -jet.) The invariant mass of each pair of jets,  $M_{jj}$ , is computed and at least one pair *not containing the tagged  $b$ -quark* is required to have  $m_W - \Delta m_W/2 \leq M_{jj} \leq m_W + \Delta m_W/2$ . In addition, we combine any pair of jets satisfying this criteria with the tagged  $b$  jet(s) and compute the three-jet invariant mass,  $M_{bjj}$ . We demand that  $m_t - \Delta m_t/2 \leq M_{bjj} \leq m_t + \Delta m_t/2$  for at least one  $bjj$  combination. Together, these two cuts greatly reduce the likelihood that the second top in a  $t\bar{t}$  event can decay leptonically and satisfy all our criteria. In fact, if both  $t$ 's decay leptonically, to leading order only  $t\bar{t}g$  events in which the non-tagged  $b$ -quark and the  $g$  combine to yield an invariant mass near  $m_W$  can pass the  $M_{jj}$  cut, and this non-tagged  $b$  plus the  $g$  jet must combine with the tagged  $b$  to give a mass near  $m_t$ .

Two sets of values for  $\Delta m_W$  and  $\Delta m_t$  are considered. In the first case (I), we take  $\Delta m_W = 24$  GeV and  $\Delta m_t = 50$  GeV. For such broad mass acceptances, the signal event rate is unaffected by the mass cuts and neither signal nor background rates depend on the precise detector resolutions employed. However, a significant increase in the ratio of signal to reducible backgrounds (to be specified) can be achieved by adopting tighter mass cuts. To illustrate, we have also considered a second case (II) in which mass cuts of  $\Delta m_W = 15$  GeV and  $\Delta m_t = 25$  GeV are used. Only a small fraction of signal events are eliminated by such mass cuts when typical SDC jet and lepton energy resolutions are employed,<sup>†</sup> whereas the reducible backgrounds are significantly decreased.

Finally, to reveal the invisibly decaying Higgs, we determine the missing transverse momentum,  $\vec{p}_T^{miss}$ , for the event and compute  $M_{miss-\ell}$ , the transverse mass obtained by combining the transverse components of the missing momentum and the lepton momentum,  $M_{miss-\ell}^2 \equiv (E_T^{miss} + E_T^\ell)^2 - (\vec{p}_T^{miss} + \vec{p}_T^\ell)^2$ . The transverse missing momentum is computed by taking the incoming beam momenta and subtracting from their sum the momenta of all observable final state partons. (Any jet falling outside  $|\eta| = 5$  is deemed unobservable.) In addition, a probabilistically fluctuating missing momentum from the underlying minimum bias event structure is included. And, as already noted, jet energy and momenta are smeared. The  $t\bar{t}h$  events of interest are characterized by very broad distributions in  $M_{miss-\ell}$

\* For  $b$ 's that decay hadronically the jet momentum is taken to be that of the  $b$  quark; for  $b$ 's that decay semi-leptonically, the jet momentum is computed by omitting the momentum carried by the neutrino.

† For a purely hadronic jet the SDC TDR<sup>[9]</sup> quotes energy resolutions (depending upon design and integration time) that are typically no worse than  $\delta E/E = 0.5/\sqrt{E(\text{GeV})} \oplus 0.03$  (leading to roughly an 8% jet-pair invariant mass resolution for 30 GeV jets). For leptons the energy resolution is typically of order  $\delta E/E = 0.2/\sqrt{E(\text{GeV})} \oplus 0.01$ . The very first step of our analysis is to smear the energies of all leptons and jets using these resolutions.

and  $E_T^{miss}$ . Cuts on both variables will be made.

There are several sources of background. The most obvious is the irreducible background from  $t\bar{t}Z$  events in which  $Z \rightarrow \nu\bar{\nu}$ . This background will be denoted by  $t\bar{t}Z$ ; its  $E_T^{miss}$  and  $M_{miss-\ell}$  distributions are very much like those of the signal. The important reducible backgrounds all derive from various tails related to  $t\bar{t}$  or  $t\bar{t}g$  events. We shall artificially separate the  $t\bar{t}(g)$  backgrounds into two components. The first, and most important, component is that already alluded to above, where both top quarks decay leptonically. As already noted, only  $t\bar{t}g$  events can possibly satisfy the additional cuts imposed. We shall refer to this background as the  $t\bar{t}g(\rightarrow \ell\nu\ell\nu)$  background. The  $t\bar{t}h$  signal, irreducible  $t\bar{t}Z$  background, and  $t\bar{t}g(\rightarrow \ell\nu\ell\nu)$  background have in common the feature that their  $M_{miss-\ell}$  and  $E_T^{miss}$  spectra are essentially independent of whether or not the  $b$  quarks from the  $t$ 's decay semi-leptonically or purely hadronically. In the second component, only one  $t$  decays semi-leptonically. However, the  $t\bar{t}(g)$  rate is so large that a not insignificant number of events could survive our cuts simply due to the fact that there is at least the one neutrino from the leptonically decaying  $W$  providing the trigger lepton, and perhaps additional neutrinos from  $b$  quarks that decay semi-leptonically. The background from  $t\bar{t}$  plus  $t\bar{t}g$  events, in which only one  $W$  coming from the  $t$  quarks decays leptonically, will be denoted by  $t\bar{t}g(b \rightarrow \ell\nu)$ .

The strategies required to control the  $t\bar{t}g(\rightarrow \ell\nu\ell\nu)$  and  $t\bar{t}g(b \rightarrow \ell\nu)$  backgrounds are more or less 'orthogonal'. The  $t\bar{t}g(\rightarrow \ell\nu\ell\nu)$  background is easily reduced to a level below that of the  $t\bar{t}Z$  background by a cut on  $E_T^{miss}$ . Once such a cut is made, however, the  $t\bar{t}g(\rightarrow \ell\nu\ell\nu)$  background has a very long  $M_{miss-\ell}$  tail and is not significantly reduced by cuts on this latter variable. Thus, the optimal  $E_T^{miss}$  cut is essentially determined by the  $t\bar{t}g(\rightarrow \ell\nu\ell\nu)$  background. In the case of the  $t\bar{t}g(b \rightarrow \ell\nu)$  background, if the only neutrino present is that from the single leptonically decaying  $W$ , then there is a very sharp Jacobian peak in  $M_{miss-\ell}$  near the  $W$  mass. After including the off-shell  $W$  tail, this background still only populates  $M_{miss-\ell}$  values below about 100 GeV. This fact provides the main motivation for employing a cut on  $M_{miss-\ell}$ . Of course, semi-leptonic  $b$  decays lead to a tail to the  $W$ -decay Jacobian peak in the  $M_{miss-\ell}$  spectrum. This tail can be significant for  $t\bar{t}g$  events (but is quite small for events in which there is no extra radiated gluon), and forces us to a somewhat higher cut on  $M_{miss-\ell}$ . However, it is easy to find an  $M_{miss-\ell}$  cut which reduces the  $t\bar{t}g(b \rightarrow \ell\nu)$  background to a negligible level while retaining much of the  $t\bar{t}h$  signal (and  $t\bar{t}Z$  background).

Thus, it is straightforward to find cuts on  $E_T^{miss}$  and  $M_{miss-\ell}$  that are adequate for uncovering the invisibly decaying Higgs. Nonetheless, it may be useful to note that the  $t\bar{t}g(\rightarrow \ell\nu\ell\nu)$  background could be suppressed further by demanding that all events contain only one identified *isolated* lepton. Although  $\tau$ 's will be difficult to identify,  $\mu$ 's can always be identified and  $e$ 's are easily identified so long as they are not too soft and are isolated. Reduction of the  $t\bar{t}g(\rightarrow \ell\nu\ell\nu)$  background by a factor of order 1/3 to 1/2 could probably be achieved, with essentially no impact on the  $t\bar{t}h$  signal (or  $t\bar{t}Z$  background). Note that it is probably not advantageous to veto against non-isolated leptons (which can probably be done only for  $\mu$ 's in any case). Although such a veto would tend to suppress the already small  $t\bar{t}g(b \rightarrow \ell\nu)$  background somewhat, it would also suppress the signal rate. The results in this paper do not make use of any type of second-lepton veto.

Our computations will not include  $t\bar{t}jj$  backgrounds ( $j = g$  or  $q$ ). Such backgrounds are

higher order in  $\alpha_s$  and our normalization procedure (described later) is such that the  $t\bar{t} + t\bar{t}g$  subprocesses should provide a good leading order estimate of the backgrounds from  $t\bar{t}$  events including radiated jet(s). No new physical effects are introduced (for our cut procedures) by going beyond one extra jet.

We also will not explicitly compute  $t\bar{t}W$  or  $t\bar{t}\bar{W}$  backgrounds. When the extra  $W$  decays leptonically, such processes will yield broad  $M_{miss-\ell}$  and  $E_T^{miss}$  spectra. But these processes are higher order in the weak coupling constant than the leading order  $t\bar{t}g(\rightarrow \ell\nu\ell\nu)$  background discussed earlier. The  $t\bar{t}Z$  background can be significant since the  $Z$  can decay to automatically invisible  $\nu\bar{\nu}$  final states, whereas  $t\bar{t}W$  events are only a background if the explicit  $W$  decays via  $W \rightarrow \ell\nu$  and the  $\nu$  carries most of the  $W$  momentum. In addition, the rate for  $t\bar{t}W$  events is proportional to  $q'\bar{q}$  luminosities, which are much smaller at the SSC than the  $gg$  luminosity responsible for  $t\bar{t}Z$  production. The  $t\bar{t}\bar{W}$  process can be thought of in part as  $t\bar{t}$  production in which an off-shell  $t$  ‘decays’ to  $bW$ . Clearly, this will be substantially suppressed compared to the on-shell decay backgrounds that we examine. In addition, the  $M_{bjj}$  cut is even more effective in eliminating this background than in the case of the  $t\bar{t}g(\rightarrow \ell\nu\ell\nu)$  and  $t\bar{t}g(b \rightarrow \ell\nu)$  on-shell decay backgrounds.

A host of other backgrounds have been thought about and dismissed. For example,  $WWgg$  events are suppressed by being electroweak in origin, by the need to mis-tag one of the  $g$ 's as a  $b$ , and by a cut on  $M_{miss-\ell}$  (note that only one  $W$  can decay leptonically if we are to get at least three jets and if two non-tagged jets are to have mass near  $m_W$ ).

We have employed exact matrix element calculations for all the subprocesses. All the production reactions we consider are dominated by  $gg$  collisions. We have employed distribution functions for the gluons evaluated at a momentum transfer scale given by the subprocess energy. It is well-known that QCD corrections are substantial for  $gg$  initiated processes. For example, for the  $gg \rightarrow t\bar{t}$  process the QCD correction ‘K’ factor has been found to be of the order of 1.6 for our choice of scale.<sup>[6]</sup> Computations of the ‘K’ factors for the other reactions we consider are not yet available in the literature. We will assume that they are of the same magnitude. Our precise procedures follow. Rates for the  $t\bar{t}h$  and  $t\bar{t}Z$  processes have been multiplied by a QCD correction factor of 1.6. In the case of  $t\bar{t}(g)$  we have incorporated the ‘K’ factor as follows. We have generated events without an extra gluon ( $t\bar{t}$  events) and have also generated events with an extra gluon ( $t\bar{t}g$  events) requiring that the  $p_T$  of the extra gluon be  $> 30$  GeV. For this cutoff one finds  $\sigma(t\bar{t}g) \sim 0.6\sigma(t\bar{t})$ . Thus, if the two event rates are added together without cuts an effective ‘K’ factor of 1.6 is generated. As already described, explicitly allowing for an appropriate number of  $t\bar{t}g$  events is important in properly estimating the backgrounds to our  $M_{miss-\ell}$  distribution. Our procedure should yield an upper limit on the number of events with an extra gluon having  $p_T > 30$  GeV and therefore potentially providing a background source due to extra radiated jets in association with  $t\bar{t}$  production. The gluon distribution functions we have employed are the D0’ distributions of Ref. 7.

## 2. Results and Discussion

In this letter, we focus on results for the SSC assuming a top quark mass of 140 GeV. Some preliminary discussion is useful. First, we note that a plot of the  $M_{miss-\ell}$  event rate spectrum for the  $t\bar{t}h$  signal as compared to that for the sum of the  $t\bar{t}Z$ ,  $t\bar{t}g(\rightarrow \ell\nu\ell\nu)$ , and  $t\bar{t}g(b \rightarrow \ell\nu)$  backgrounds shows great similarity in shape for the signal and background once

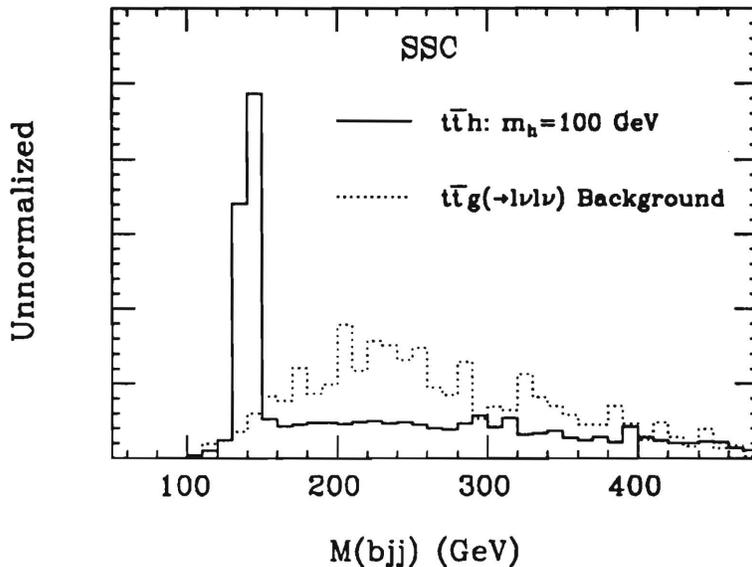


Figure 1: Distribution shape in  $M_{bjj}$  for the  $m_h = 100$  GeV signal (solid) compared to that for the  $t\bar{t}g(\rightarrow l\nu l\nu)$  background (dashes), at  $m_t = 140$  GeV. We have taken  $\Delta m_W = 15$  GeV, and required  $E_T^{miss} > 200$  GeV and  $M_{miss-\ell} > 250$  GeV.

$M_{miss-\ell}$  is large enough that the  $t\bar{t}g(b \rightarrow l\nu)$  background is small. For  $M_{miss-\ell} \gtrsim 150$  GeV, signal and background both fall very slowly as  $M_{miss-\ell}$  increases. This similarity implies the need for an accurate determination of the expected background level. The importance of a cut on  $M_{bjj}$  is illustrated in Fig. 1. There, we compare the  $M_{bjj}$  distribution shapes for the  $m_h = 100$  GeV signal (the  $t\bar{t}Z$  background would yield a similar  $M_{bjj}$  plot) and the (primary reducible)  $t\bar{t}g(\rightarrow l\nu l\nu)$  background at  $m_t = 140$  GeV; in the figure we have taken  $\Delta m_W = 15$  GeV, and required  $E_T^{miss} > 200$  GeV and  $M_{miss-\ell} > 250$  GeV. The  $t\bar{t}h$  signal exhibits a strong peak near  $m_t$ , whereas the bulk of the  $t\bar{t}g(\rightarrow l\nu l\nu)$  background populates much higher  $M_{bjj}$  values.

In order to quantify the observability of the Higgs signals, we have estimated the number of SSC years required for a  $N_{SD} = 5$  sigma significance of the signal compared to background for  $BR(h \rightarrow I) = 1$ . The statistical significance  $N_{SD}$  is computed as  $S/\sqrt{B}$ . For any given integrated luminosity,  $S$  is the total  $t\bar{t}h$  event rate and  $B$  the total  $t\bar{t}Z + t\bar{t}g(\rightarrow l\nu l\nu) + t\bar{t}g(b \rightarrow l\nu)$  event rate, with  $E_T^{miss} > 200$  GeV and  $M_{miss-\ell} > 150$  GeV (and all other cuts) imposed. The required number of years as a function of  $m_h$  for  $m_t = 140$  GeV appears in Table 1. In row I, results for  $\Delta m_W = 24$  GeV and  $\Delta m_t = 50$  GeV are given, while results for  $\Delta m_W = 15$  GeV and  $\Delta m_t = 25$  GeV appear in row II. Also given (in parentheses) is the associated number of signal events ( $S$ ). The associated number of background events ( $B$ ) can be obtained from the relation  $B = S^2/25$ .

Table 1: Number of  $10 \text{ fb}^{-1}$  years (signal event rate) at SSC required for a  $5\sigma$  confidence level signal, for  $m_t = 140 \text{ GeV}$ ,  $E_T^{miss} > 200 \text{ GeV}$  and  $M_{miss-\ell} > 150 \text{ GeV}$  if: (I)  $\Delta m_W = 24 \text{ GeV}$  and  $\Delta m_t = 50 \text{ GeV}$ ; or (II)  $\Delta m_W = 15 \text{ GeV}$  and  $\Delta m_t = 25 \text{ GeV}$ .  $BR(h \rightarrow I) = 1$  is assumed.

Case \ $m_h$	60	100	140	200	300
I	0.4 ( 28)	0.6 ( 33)	0.9 ( 41)	1.8 ( 58)	3.9 ( 86)
II	0.3 ( 19)	0.4 ( 22)	0.7 ( 29)	1.4 ( 41)	2.9 ( 60)

From this table, it is immediately apparent that detection of an invisibly decaying Higgs boson should be possible within 1 to 2 SSC years for  $m_h \lesssim 200 - 250 \text{ GeV}$  if (as assumed in these calculations) its coupling to  $t\bar{t}$  is of Standard Model strength. (The required number of years for non-SM coupling is obtained simply by dividing the results of Table 1 by the ratio of the  $t\bar{t}$  coupling strength squared to the SM strength squared.) For  $m_h \gtrsim 300 \text{ GeV}$ , the  $t\bar{t}h$  event rate drops to a lower level such that more than 2 SSC years are required. However, it is rather unlikely that invisible decays would be dominant for a Higgs boson with mass above 200 GeV or so. Also, it should be kept in mind that the ultimate yearly luminosity that can be achieved by the SSC and managed by the detectors might be much larger than  $10 \text{ fb}^{-1}$ , in which case still higher Higgs masses could be accessible in the invisible mode. Although results are not displayed here, detection of the  $h$  becomes significantly easier for heavier top quark masses. This is because the  $t\bar{t}Z$  and  $t\bar{t}(g)$ -related backgrounds are smaller and the signal rates somewhat larger than for smaller  $m_t$ .

The  $M_{miss-\ell}$  and  $E_T^{miss}$  cuts chosen for Table 1 are probably near optimal. If the  $M_{miss-\ell}$  cut is strengthened to  $M_{miss-\ell} > 200 \text{ GeV}$ , the  $t\bar{t}g(b \rightarrow \ell\nu)$  background becomes completely negligible, but the  $t\bar{t}h$  (and  $t\bar{t}Z$ ) event rates are cut by about 25% while the  $t\bar{t}g(\rightarrow \ell\nu\ell\nu)$  background falls only slightly; as a result, the time required to achieve a 5 sigma effect typically increases by 15-25%. To illustrate, for  $m_h = 100 \text{ GeV}$  and mass cuts case II, the  $(t\bar{t}h, t\bar{t}Z, t\bar{t}g(\rightarrow \ell\nu\ell\nu), t\bar{t}g(b \rightarrow \ell\nu))$  event rates for a  $10 \text{ fb}^{-1}$  SSC year with a cut of  $E_T^{miss} > 200 \text{ GeV}$  are (54, 36, 10, 2.5), (40, 26, 10, 0.05) and (22, 13, 9, 0) for  $M_{miss-\ell} > 150, 200,$  and  $300 \text{ GeV}$ , respectively. As noted earlier, weakening of the  $E_T^{miss}$  cut causes a significant increase in the  $t\bar{t}g(\rightarrow \ell\nu\ell\nu)$  background relative to signal. Strengthening this latter cut to  $E_T^{miss} > 250 \text{ GeV}$  improves  $S/B$ , but at a sacrifice of signal which makes  $h$  discovery statistically more difficult.

Of course, the  $N_{SD}$  values quoted assume that the normalization of the expected background will be well-determined by the time that the experiments are performed. This will require a good understanding of the missing energy tails as they actually appear in the detectors, calculation of the higher-order QCD corrections that we have only estimated, and accurate knowledge of the parton (especially gluon) distribution functions. With the availability of HERA data, and through the analysis and study of  $t\bar{t}$  events in the actual detectors, we believe that uncertainties in the relevant backgrounds can be brought down to the 20% level by the time that adequate luminosity has been accumulated that an invisible

Higgs signal would become apparent.

All things being equal, for an integrated luminosity of  $100 \text{ fb}^{-1}$  the LHC is slightly superior to the SSC at  $10 \text{ fb}^{-1}$ . However, the efficiency of  $b$ -tagging at the LHC, given the many overlapping events expected, may not be as great as assumed here. Also, the missing-energy tails from overlapping events may be significant. Sufficiently hermetic detectors will be harder to build due to radiation damage issues, and so forth. Our results are sufficiently encouraging that the LHC detector collaborations should study carefully the impact of these issues upon this detection mode.

Our studies have been performed for a  $h$  that is a CP-even Higgs mass eigenstate. The  $t\bar{t}h$  rates would be somewhat different as a function of  $m_h$  for a mixed CP or CP-odd eigenstate. However, we do not anticipate that the results for such cases would differ by very much from those obtained here.

### 3. Conclusion

We have demonstrated that at the SSC and LHC a hermetic detector with the ability to tag  $b$ -quark jets should allow detection of an invisibly decaying Higgs boson with a  $t\bar{t}h$  associated production rate comparable to that of a SM Higgs boson. Allowing for several years of running at canonical luminosity, such detection should be possible for  $m_h \lesssim 200 - 250 \text{ GeV}$ .

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